### Image Processing and Computer Graphics

# **Image Processing**

Class 8
Interest points and local descriptors

### Matching of local structures

- Key problem in computer vision appearing in:
  - Motion estimation
  - Camera calibration
  - Stereo
  - Image retrieval
  - Object recognition





Object recognition: training image on the left, test image on the right. Matching here is quite hard.





Stereo pair: point matching needed to compute depth

#### **Block matching**

- Straightforward way to match points in images:
  - Regard the image patch around each point in image 1
  - Compare it to the image patches around all points in image 2







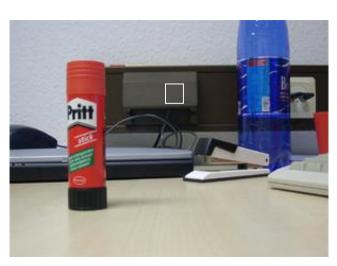




- Computationally expensive  $O(kN^2)$ , k: size of patch, N: size of image (in pixels)
- Not invariant to typical appearance changes

#### Interest points

- Often we need only a limited number of matches
- Idea: Do not match all points in the images, but only promising subsets
   → significantly reduced complexity
- Requirements for good interest points:
  - 1. Points must come with enough information for unique matching







2. Subset in image 2 must contain matches from subset in image 1

- Choose points with high information content and clear localization

   typically corner points
- Corner detection with the structure tensor: (Förstner-Gülch 1987, Harris-Stevens 1988)

$$J_{\rho} = K_{\rho} * (\nabla I \nabla I^{\top}) = \begin{pmatrix} K_{\rho} * I_{x}^{2} & K_{\rho} * I_{x}I_{y} \\ K_{\rho} * I_{x}I_{y} & K_{\rho} * I_{y}^{2} \end{pmatrix}$$

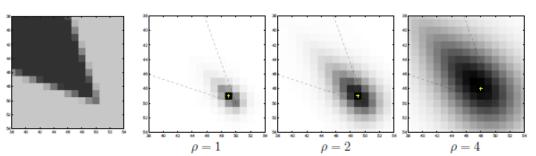
Measure of cornerness (fast to compute):

$$c = \det J_{\rho} - \alpha \operatorname{tr} J_{\rho}$$

= gradient magnitude

Eigenvalue decomposition of the structure tensor:

$$J_{\rho} = T \begin{pmatrix} \lambda_1 & 0 \\ 0 & \lambda_2 \end{pmatrix} T^{\top}$$
$$c = \lambda_2$$



Input and second eigenvalue for different  $\rho$ 

- Interpretation:
  - Smoothing of J integrates gradients from the neighborhood
  - Eigenvectors in *T* yield the dominant orientation in this neighborhood and the perpendicular orientation
  - Eigenvalues yield the structure magnitude in these directions
  - A large second eigenvalue indicates strong structures in multiple directions → corners

Corners: local maxima of the second eigenvalue





• Problem: Detected corners depend on the image scale



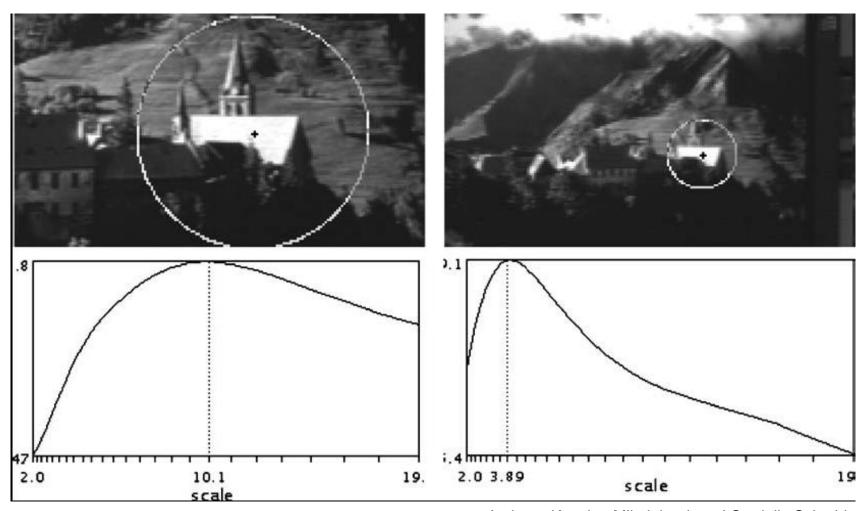




- Consider a Gaussian pyramid of smoothed images
- The characteristic scale can be computed based on the Laplacian: (Lindeberg 1998)

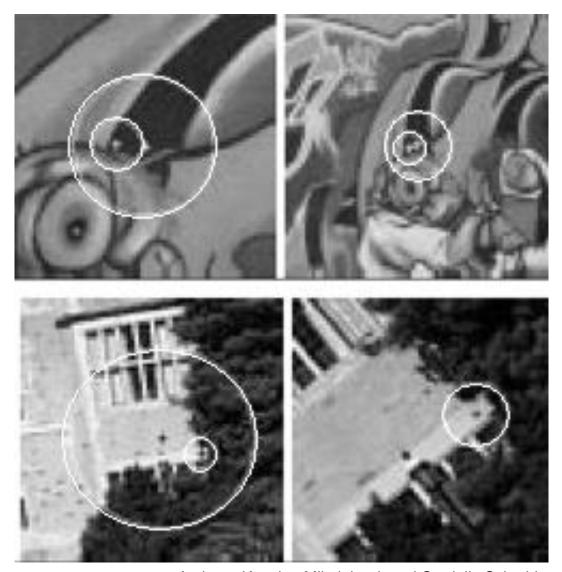
$$\sigma_c = \operatorname{argmax}_{\sigma} \left( \sigma^2 \cdot |\partial_{xx}(K_{\sigma} * I) + \partial_{yy}(K_{\sigma} * I)| \right)$$

- Yields an estimate of the scale shift between two images
- Uniqueness is not ensured
  - There may be multiple local maxima
  - Even the global maximum need not be unique
- Maximum operator is not robust
  - → a little noise can lead to a very different outcome



Authors: Krystian Mikolajczyk and Cordelia Schmid

## Harris-Laplace detector



Authors: Krystian Mikolajczyk and Cordelia Schmid

- Alternative to Harris-Laplace detector
- Considers local maxima of the Laplacian in scale space:

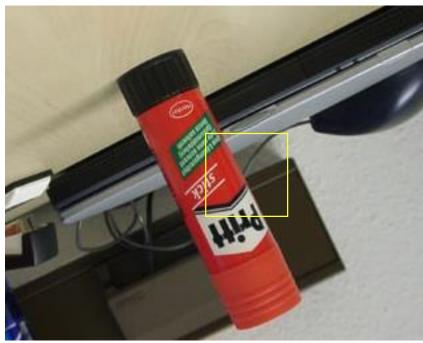
$$x^*, y^*, \sigma^* = \operatorname{argmax}_{x,y,\sigma} \left( \sigma^2 \cdot |\partial_{xx}(K_\sigma * I(x,y)) + \partial_{yy}(K_\sigma * I(x,y))| \right)$$

- Advantage: Does not mix apples and oranges (corner detector and Laplacian)
- · Laplacian focuses on blobs rather than corners
  - → complementary information
  - → one might be interested in using both

### Block matching at interest points

- Positive issue of interest points:
  - Significantly reduced complexity
  - With 100 detected points in both images, one has to compare only 10000 patches instead of 96 billion(!) in 640x480 images
- Negative issues:
  - Non-dense displacement fields (important matches might be missed)
  - Corresponding patches can be slightly shifted
- Further problems (independent of interest points)
  - Patches in both images may look very different due to:
    - Rotations
    - Projective transformations (different viewing angles)
    - Lighting changes (shadows, flickering)
    - Blurring
  - Subpixel accuracy not available

# Example: rotation and scaling







# Example: projective transformation









© 2007-2016 Thomas Brox

# Example: lighting changes

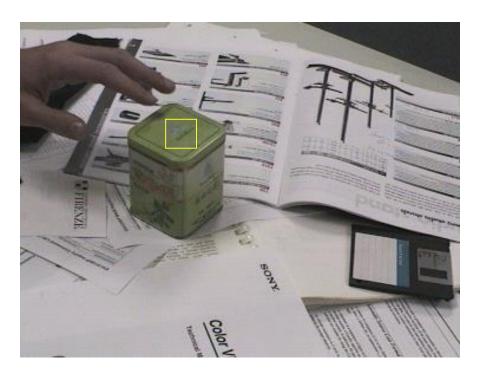


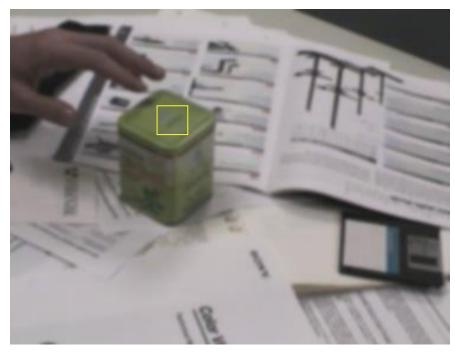






# Example: blurring



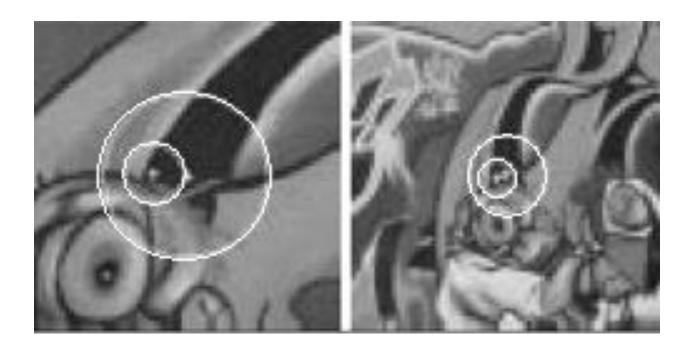






- Local descriptors: vectors that contain information about the local neighborhood of an interest point
- Simplest local descriptor: block of a certain size centered at the interest point
- Goal: design local descriptors that are invariant under the mentioned transformations

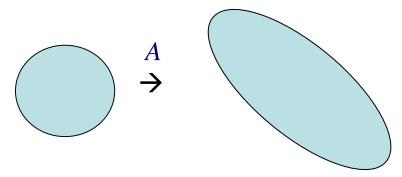
- Use characteristic scale from interest point detection
- Choose and normalize the size of the blocks, such that structures have the same scale in both images



Affine transformation:

$$f(x) = Ax + t$$

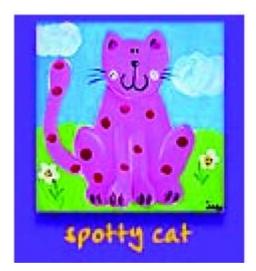
Maps a circle to an ellipse (or vice-versa):



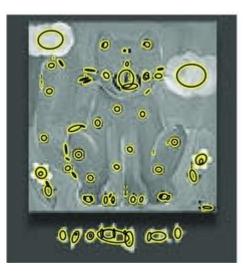
- Approximation of a projective transformation
- Parameters can be estimated, e.g., from a region detector (maximally stable extremal regions)

### Affine region detector

- Maximally stable extremal regions (Matas et al. 2002)
  - Regions encircled by large gradients
  - Obtained by watershed-like algorithm





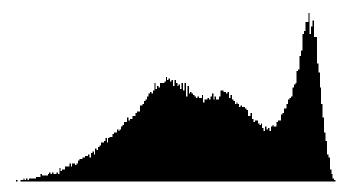


Maximally stable extremal regions and fitted ellipses. Author: Andrea Vedaldi

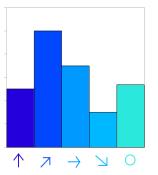
- Apart from scale also yields elongation of fitted ellipses
  - → allows for affine invariance

#### Histograms

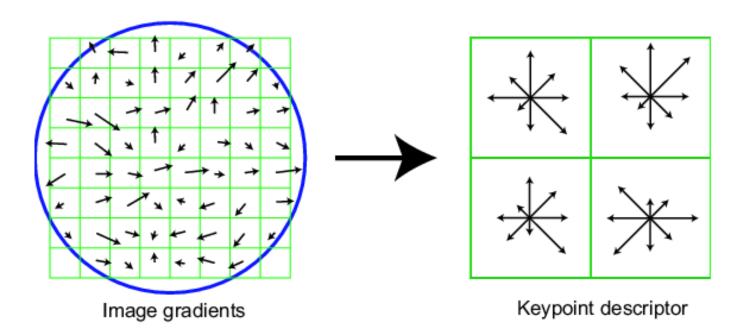
- Alternative to a normalized neighborhood: derive invariant features within the fixed block
- Gray value histogram:
  - Rotational invariance
  - Invariant to blurring
  - Sensitive to lighting changes (bad)
  - Significant loss of information (very bad)



- Histogram of the gradient direction (orientation histograms)
  - Invariant to (additive) lighting changes
  - Building block of many successful descriptors

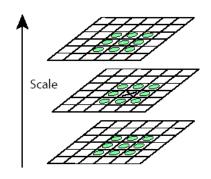


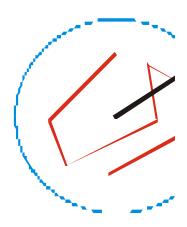
- Very popular local descriptor (several variants exist)
- Based on local assembly of orientation histograms and adaptive local neighborhoods



**Author: David Lowe** 

- Extract SIFT feature points
  - Strongest responses of Laplacian in scale space
     position and scale
  - Fit quadratic function to obtain subpixel accuracy
- Create orientation histogram at selected scale
  - Peak of smoothed histogram estimates orientation
  - In case of two peaks, create two feature points
- → Estimation of position, scale, and orientation
- Affine invariance can be provided with MSER
- In object recognition: dense sampling of such points at all positions and all scales, no rotation invariance







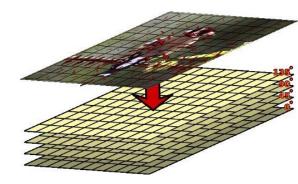
Author: David Lowe

### Dense computation of SIFT/HOG descriptors

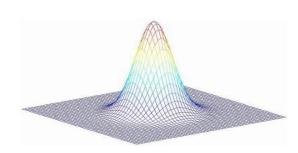
1. Compute gradient orientation and magnitude at each pixel



- 2. Compute orientation indicator at each pixel
  - Create NxMx8 array and initialize with zero
  - Quantize the orientation at each pixel (here 8 bins) and add the respective magnitude to the respective entry in the array



- 3. Local integration → orientation histogram Smooth array with a Gaussian kernel
- Smooth in orientation direction (among neighboring channels)



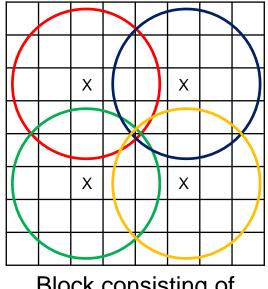


#### Dense computation of SIFT/HOG descriptors

- 5. Sample feature vectors from the histogram image
  - Original SIFT:
    - 4 pixel spacing, 4x4 histogram array
    - → 128-D vector
  - HOG for person detection (Dalal-Triggs 2005):
     6 pixel spacing, 16x8 histogram array,
     9 orientations
    - → 1152-D vector

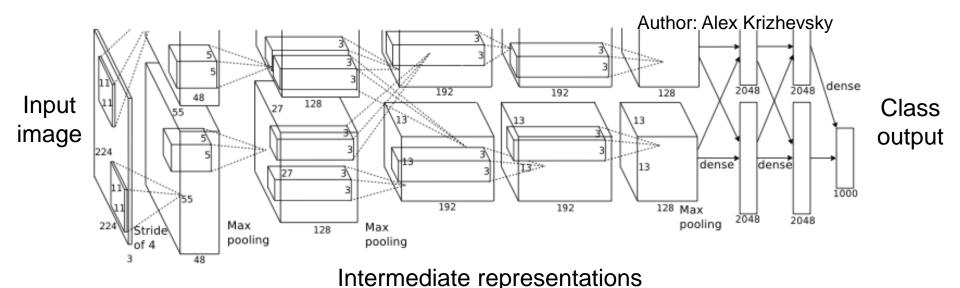


- SIFT: normalize to unit length
- HOG: normalize all cells relative to the neighbors of a block



Block consisting of 4 cells

#### Descriptors learned with convolutional networks

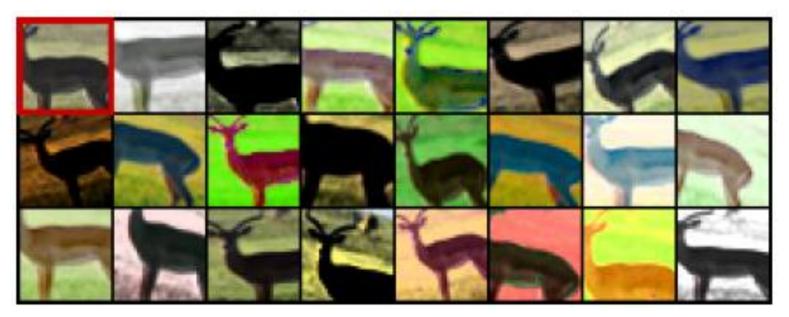


- CNNs are trained on large datasets with class labels (e.g. ImageNet with 1M images)
  - → network learns a representation that is good for object classification
- Intermediate layer outputs turn out to be good generic descriptors



### Unsupervised training to trigger invariant features

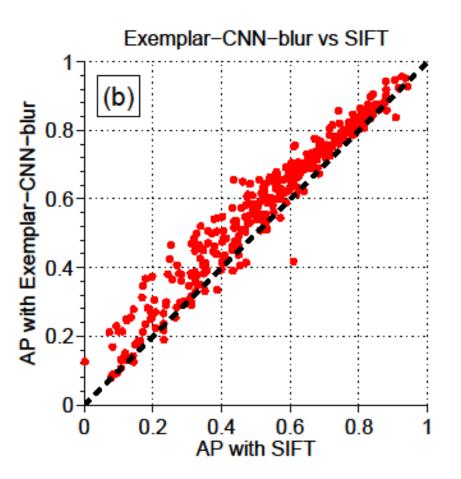
Train CNN to discriminate surrogate classes (Dosovitskiy et al. 2015)

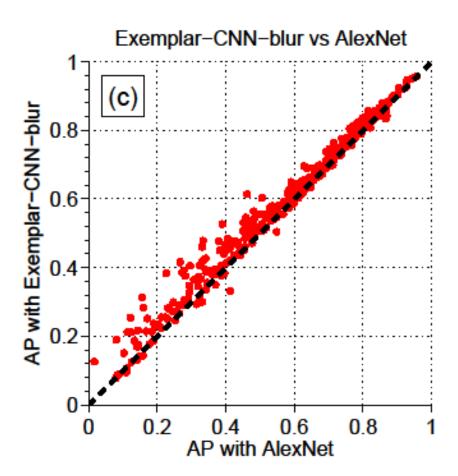


Seed patch and transformed versions of it make up a surrogate class

- Applied transformations: translation, rotation, scaling, color, contrast, brightness, blur
- Transformations define invariance properties of the features to be learned by the network

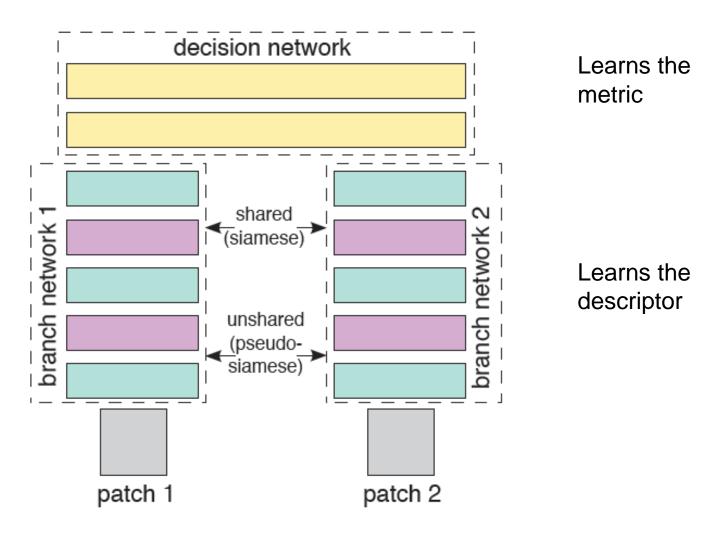
## Descriptor matching performance







Trained directly on matching and non-matching patches



Example from Zagoruyko&Komodakis 2015

## Summary

- Interest points are distinctive points in an image with a significant information content in their neighborhood
- Interest point detection can help establish invariance to certain image transformations.
- Local descriptors describe a local area in the image for the purpose of matching.
- The SIFT descriptor is based on a grid of orientation
- Intermediate layers of ConvNets yield good descriptors

#### References

- T. Lindeberg: Feature detection with automatic scale selection, International Journal of Computer Vision, 30(2): 79-116, 1998.
- D. G. Lowe: Distinctive image features from scale-invariant keypoints, International Journal of Computer Vision 60(2):91-110, 2004.
- J. Matas, O. Chum, M. Urban, T. Pajdla: Robust wide baseline stereo from maximally stable extremal regions, Proc. British Machine Vision Conference, 2002.
- N. Dalal, B. Triggs: Histograms of oriented gradients for human detection, CVPR, 2005.
- S. Belongie, J. Malik, J. Puzicha: Shape matching and recognition using shape contexts, *IEEE Transactions on Pattern Analysis and Machine Intelligence*, 24(4):509-522, 2002.
- A. Dosovitskiy, P. Fischer, T. Springenberg, M. Riedmiller, T. Brox: Discriminative unsupervised feature learning with convolutional neural networks, *IEEE Transactions on Pattern Analysis and Machine Intelligence*, 2016.
- S. Zagoruyko, N. Komodakis: Learning to Compare Image Patches via Convolutional Neural Networks, *IEEE Conference on Computer Vision and Pattern Recognition (CVPR)*, 2015.

### Programming assignment

- Implement the corner detector based on the second eigenvalue of the structure tensor
  - For computing derivatives and for smoothing images you can make use of the predefined filter masks as well as the convolution operations in CFilter.h.
  - The structure tensor of a color image is the sum of tensors over all channels
  - See an online math lecture if you do not remember how to compute the eigenvalues of a matrix <a href="http://www.khanacademy.org/">http://www.khanacademy.org/</a>
- Apply the corner detector to the images in ImageProcessing08Ex03.zip and play with the parameters
- Implement the dense SIFT/HOG descriptor (without the detector). Use a 4 pixel spacing and a 3x3 grid of histograms. You can ignore scale and rotation invariance and even skip normalization for this exercise.
- Run your corner detector on tennis500.ppm and manually select among the interest points the 10 visually most interesting ones. Compute SIFT descriptors for these points.
- Compute SIFT descriptors for all points in tennis505.ppm. For each descriptor in tennis500.ppm find the best match in tennis505.ppm and visualize them in your result image.
- Play with the amount of smoothing, the spacing, and the number of histograms when computing the descriptors.

© 2007-2016 Thomas Brox