BayesianImportance example

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Contents

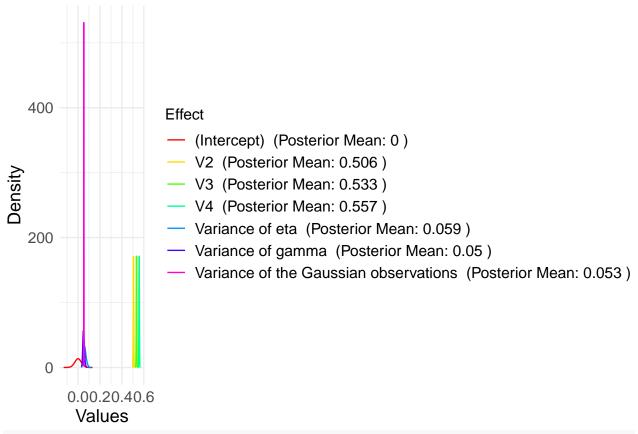
SIMULATE DATA

```
library(BayesianImportance)
library(INLA)
library(mnormt)
library(ggplot2)
set.seed(1234)
n <- 10000
nclass_gamma <- 200
nclass_eta <- 100
mu \leftarrow c(1, 2, 3)
sigma \leftarrow matrix(c(1, 0.9, 0.9, 0.9, 1, 0.9, 0.9, 0.9, 1), 3, 3)
# Sample a standardized correlated design matrix
X <- rmnorm(n, mu, sigma)</pre>
# Add random effects
gamma <- rep(rnorm(nclass_gamma, 0, sqrt(1)), each = n/nclass_gamma)</pre>
eta <- rep(rnorm(nclass_eta, 0, sqrt(1)), each = n/nclass_eta)
epsilon = rnorm(n, mean = 0, sd = sqrt(1))
# Define some formula
Y \leftarrow 1 + 1 * X[, 1] + sqrt(2) * X[, 2] + sqrt(3) * X[, 3] + gamma + eta +
    epsilon
# Collect as a dataframe
data_bayes = data.frame(cbind(Y, X = X))
```

```
data_bayes = data.frame(cbind(data_bayes, gamma = gamma))
data_bayes = data.frame(cbind(data_bayes, eta = eta))
test \leftarrow lm(Y \sim V2 + V3 + V4, data = data_bayes)
summary(test)
##
## Call:
## lm(formula = Y ~ V2 + V3 + V4, data = data_bayes)
## Residuals:
##
      Min
                1Q Median
                                3Q
## -7.6392 -1.2435 -0.0132 1.1926 5.8460
##
## Coefficients:
##
               Estimate Std. Error t value Pr(>|t|)
                          0.08913
                                    12.69
## (Intercept) 1.13125
                                             <2e-16 ***
               1.04090
                           0.04611
                                     22.57
                                             <2e-16 ***
## V3
                1.36404
                           0.04605
                                     29.62
                                             <2e-16 ***
## V4
                1.68774
                           0.04645
                                     36.33
                                             <2e-16 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 1.764 on 9996 degrees of freedom
## Multiple R-squared: 0.8354, Adjusted R-squared: 0.8353
## F-statistic: 1.691e+04 on 3 and 9996 DF, p-value: < 2.2e-16
library(relaimpo)
relaimpo::calc.relimp(test)
## Response variable: Y
## Total response variance: 18.89101
## Analysis based on 10000 observations
## 3 Regressors:
## V2 V3 V4
## Proportion of variance explained by model: 83.54%
## Metrics are not normalized (rela=FALSE).
## Relative importance metrics:
##
##
            lmg
## V2 0.2686478
## V3 0.2779598
## V4 0.2887473
##
## Average coefficients for different model sizes:
##
            1X
                    2Xs
## V2 3.793494 1.760680 1.040897
## V3 3.830943 2.003873 1.364036
## V4 3.851704 2.269482 1.687741
```

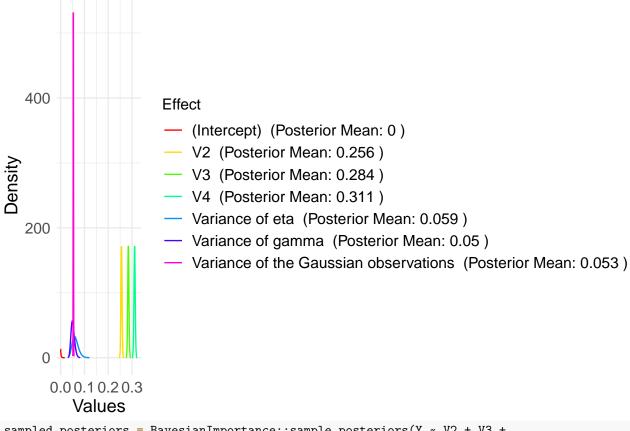
USAGE

Posterior distributions

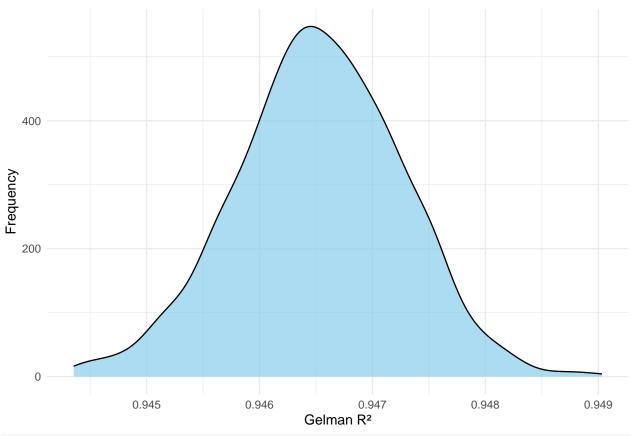


plot_model = plot_posteriors(model, importance = TRUE)
plot_model\$posterior_plot

Posterior proportion of variance







summary(gelman_r2\$conditional_gelman_r2)

Min. 1st Qu. Median Mean 3rd Qu. Max. ## 0.9444 0.9461 0.9465 0.9465 0.9470 0.9490

rmarkdown::render(input = "BayesianImportanceExample.Rmd", output_format = "pdf_document")