

# ELECTRIC CHARGES AND FIELDS MINDMAP...

# Coulomb's Law →  
Force b/w 2 charges.

$$F = Kq_1q_2/r^2$$

In air/vacuum,  $K = \frac{1}{4\pi\epsilon_0}$

In medium with dielectric const.  $K$ ,

$$K = \frac{1}{4\pi K\epsilon_0}$$

# Charge →

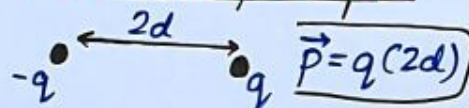
• properties of charge

Quantization Conservation

• Ways of charging

Friction / Rubbing Induction Conduction

# Electric Dipole ( $\vec{p}$ ) →



• Imp. for studying polar molecules

\*  $\vec{E}_{axial} = \frac{2K\vec{p}}{r^3}$  \*  $\vec{E}_{equatorial} = -\frac{K\vec{p}}{r^3}$

\*  $E_{general} = \frac{Kp}{r^3} \sqrt{1+3\cos^2\theta}$

# Electric Flux and Gauss's Law →

Electric Flux ( $\phi$ ): Measure of electric field lines crossing an area.

$$d\phi = E dA \cos\theta$$

$$\phi = \vec{E} \cdot \vec{A}$$

Gauss Law:  $\oint \vec{E} \cdot d\vec{s} = \frac{q_{enc}}{\epsilon_0}$

Note:

$\cdot q_1$   $-q_2$   $\phi = \frac{q_1}{\epsilon_0}$

# Electric Field lines →

\* Properties

\* Represent direction of force on +ve charge

# Electric Field ( $E$ ) →

\* Force on a unit positive charge

\* Due to point charge,  $E = Kq/r^2$

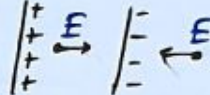
\* Circular arc subtending  $\theta$  angle at center.



$$E = \frac{2K\lambda}{r} \sin\left[\frac{\theta}{2}\right]$$

along angular bisector

\* Infinite sheet,  $E = \frac{\sigma}{2\epsilon_0}$



\* Spherical Conductor / Hollow Sphere →

$$E = 0 \quad (r < R)$$

$$E = \frac{Kq}{r^2} \quad (r \geq R)$$

\* Solid Non-Conducting Sphere →

$$E = \frac{Kqr}{R^3} \quad (r < R)$$

$$E = \frac{Kq}{r^2} \quad (r \geq R)$$



NEET  
SLAYER