EXINETIC THEORY OF GASES MINDMAP. 3

Benavior Of Ideal Crases and Basic

→ No interaction b/w molecules.

Total internal energy = Kinetic theory of of gas molecules.

 $\overrightarrow{\Sigma_{v_i}} = 0$

Pressure: Force exerted by the gas per unit area.

No. of molecules: measure the amount of gas. 1 mole = 6.023 × 10 molecules.

· Boyle's Law = Pa1 at T= Constant

· Charle's Law = (V&T) at P= Constant.

· Gray - Lussac's Law = PaT at V = Constant

Pressure, equal volume of all the gases contains equal no. of molecules.

Kinetic Energy of Gras: ->

· Kinetic Energy: K.F. = 1 mN < v>>.

 $K.E._{T} = \frac{3}{2} PV = \frac{3}{2} nRT$

Law of Equipartition of Energy:

(K.E.) = (K.E.) = (K.E.) = nRT.

For Gases with fixed molecules, Total K.E.

For mono-atomic gas: [K.E.=3 nRT.]

For di-atomic gas: K.E. = 5 mRT.

· Speed of Molecules:

Vmp = \frac{2RT}{M}, \quad \text{Vavg} = \frac{8RT}{\text{KM}}, \quad \text{Vsrms} = \frac{3RT}{M}

Ideal Gras Equation:

PV=nRT R=Gras Constant =8.31 J/mol-K

· Pressure Of Gras:

 $P = \frac{mN \langle v^2 \rangle}{3V} = \frac{1}{3} f \langle v^2 \rangle$

m = mass of one molecule.

N= Total no. of molecules.

(V2>= mean square speed.

V= Total Volume

S=density of Gras.

Maxwell-Distribution Function:

Total area under the curve = total
no. of molecules.

→ Area of strip=no. of molecules with velocities lying b/w

vand v+Δv. ↑nv nvΔv:

Orraham's Diffusion

Rate of diffusion of Vams.

At same temp. -

 $\frac{R_1}{R_2} = \sqrt{\frac{m_2}{m_1}}$ $R \ll \frac{1}{\sqrt{m}}$

· Mean Free Path:

 $\lambda = 1$ $\sqrt{2} \times d^2 n$ $\frac{d}{n} = \frac{No. \text{ of molecules}}{Volume}$



NEET SLAYER