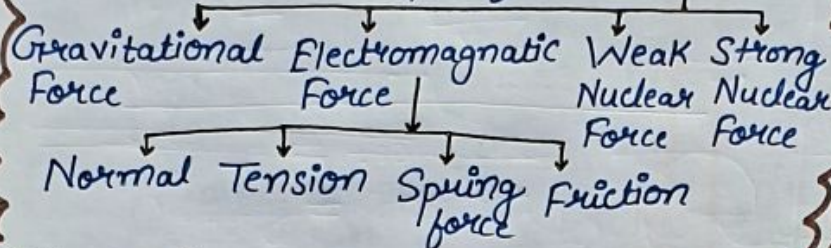


LAWS OF MOTION MINDMAP

Force and Newton's Laws →

- Force = push or pull which tries to change state or shape of an object.



Newton's Laws of Motion →

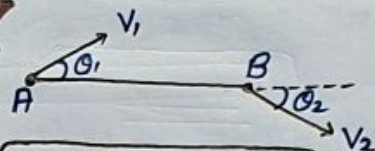
- 1st Law = Law of Inertia
- 2nd Law = $F \propto \frac{dp}{dt} \Rightarrow \boxed{F = ma}$
- 3rd Law = Action - Reaction Law

Solving problem → System → Identify the force → Free body Diagram → Use Newton's Laws.

String Constraint and Circular Motion →

• String Constraint -

→ Velocity along the string should remain constant.



$$\boxed{v_1 \cos \theta_1 = v_2 \cos \theta_2}$$

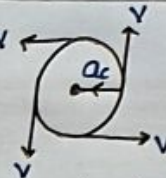
→ Virtual-Work Method →

$$\boxed{\vec{T}_1 \cdot \vec{v}_1 + \vec{T}_2 \cdot \vec{v}_2 + \dots = 0}$$

• Uniform Circular Motion -

$$\boxed{F_{\text{net}} = ma_c}$$

$$\boxed{F_{\text{net}} = \frac{mv^2}{r}}$$



Friction: →

- Static Friction → $f_{\text{static}} = f_{\text{applied}}$



- Limiting Friction →

$$\boxed{f_{\text{limiting}} = \mu_s N}$$

μ_s = Coeff. of Static friction.

- Kinetic Friction →

$$\boxed{f_{\text{kinetic}} = \mu_k N}$$

μ_k = Coeff. of Kinetic friction

- Conservation of Momentum →

- When external force = 0
- Momentum of the system remains conserved.

→ Recoil Velocity of the gun = $\boxed{-\frac{m\vec{v}}{M}}$

Banking on Roads: -

→ W/o Banking →

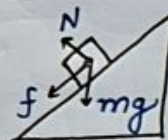
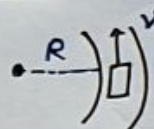
$$\boxed{v_{\text{max}} = \sqrt{\mu R g}}$$

→ with Banking →

$$\boxed{v_{\text{max}} = \sqrt{g R \tan(\phi + \theta)}}$$

$$\phi = \tan^{-1}(\mu)$$

θ = angle of Banking



- Some other forces →

→ Thrust Force: $\boxed{F = -\frac{v dm}{dt}}$

→ Spring Force: $\boxed{F = Kx}$

→ Pseudo Force: $\boxed{\vec{F} = -m\vec{a}}$

Here,

m = mass of Body

a = acceleration of frame

(-ve) sign shows that direction of force is opposite to direction of acc.ⁿ of frame.



NEET
SLAYER