\equiv

Fundamental Types Fundamental Types

Variables Overview Arithmetic Increment Comparisons Boolean Logic Memory Sizes numeric_limits Narrowing Bitwise Ops Conversions



Fundamental Types are the basic building blocks for all complex types / data structures like lists, hash maps, trees, graphs, ...

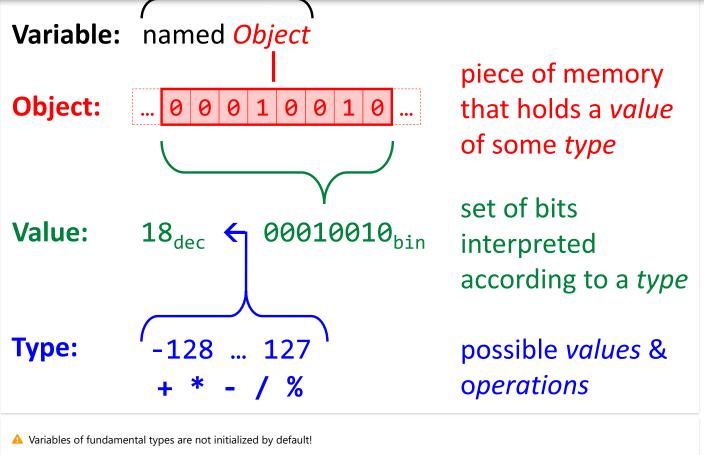
Variable Declarations



```
type variable = value;

type variable {value}; C++11

// declare & initialize 'i':
   int i = 1;
   // print i's value:
   cout << i << '\n';
   int j {5};
   cout << j << '\n';</pre>
```



int k; // k not initialized!

cout << k << '\n'; // value might be anything</pre>

Because in C++ "you only pay for what you use" (initilization of large memory blocks can be quite expensive)

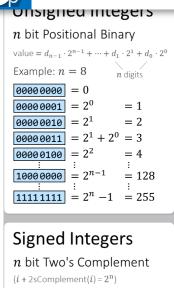
But: You should almost always initialize variables when declaring them to prevent bugs!

Quick Overview Booleans bool b1 = true; bool b2 = false; Characters

```
=
```

```
char c = 'A'; // character literal
char a = 65; // same as above
Signed Integers
n bits ⇒ values ∈ [-2^{(n-1)}, 2^{(n-1)}-1]
short s = 7;
int i = 12347;
long 11 = -7856974990L;
long long 12 = 89565656974990LL;
// digit separator C++14
long 13 = 512'232'697'499;
Unsigned Integers
n bits \Rightarrow values \in [0, 2<sup>n</sup>-1]
unsigned u1 = 12347U;
unsigned long u2 = 123478912345UL;
unsigned long long u3 = 123478912345ULL;
// non-decimal literals
unsigned x = 0x4A; // hexadecimal
unsigned b = 0b10110101; // binary C++14
Floating Point Types
■ float usually IEEE 754 32 bit
■ double usually IEEE 754 64 bit
■ long double usually 80-bit on x86/x86-64
float
            f = 1.88f;
double
            d1 = 3.5e38;
long double d2 = 3.5e38L; C++11
// ' digit separator C++14
double d3 = 512'232'697'499.052;
```





 $\boxed{\mathbf{01111111}} = 2^{n-1} - 1 = +127$

= -1

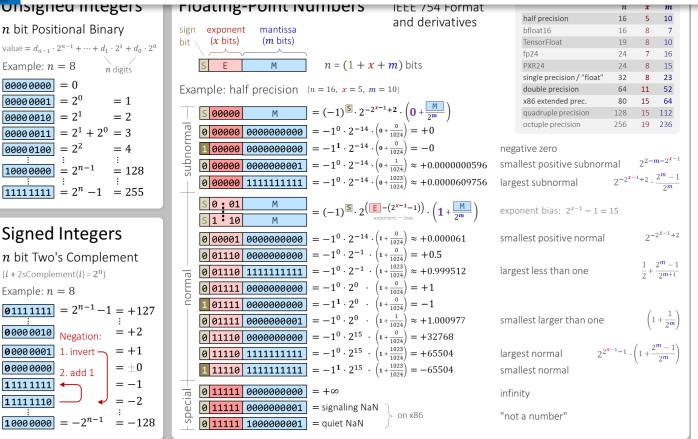
00000010 Negation: = +2

00000001 1. invert —

00000000 2. add 1

111111111 **←**

11111110



(click for fullscreen view)

 $\boxed{\mathbf{10000000}} = -2^{n-1} = -128$

Example: n = 8



Float Toy: interactive visualization of bit → value mapping

Arithmetic Operations



expression a \oplus b returns result of operation \oplus applied to the values of a and b expression $|a \oplus = b|$ stores result of operation \oplus in a

a += b;



variable a is set to value 4 variable b is set to value 3

a: 7 add a: 10



```
a *= b;
                                             a: 36
a = a / b;
                                             a: 12
                                                     divide
a /= b;
                                             a: 4
                                                      remainder of division
a = a \% b;
                                             a: 1
                                              (modulo)modulo
```

Increment/Decrement



- changes value by +/- 1
- prefix expression ++x / --x returns new (incremented/decremented) value
- postfix expression |x++|/|x--| increments/decrements value, but returns old value

```
int a = 4;
int b = 3;
```



- a: 4
- b: 3

- b = a++;
- a: 5 b: 4 b = ++a;a: 6 b: 6
- b = --a;
- b = a -;

- a: 5 b: 5
- b: 5 a: 4

Comparisons



2-way Comparisons

result of comparison is either true or false

```
int x = 10;
int y = 5;
bool b1 = x == 5;
bool b2 = (x != 6);
```

result operator

false equals true not equal

\equiv

3-Way Comparisons With <=> C++20

determines the relative ordering of 2 objects:

```
(a \leftarrow b) < 0 if a < b

(a \leftarrow b) > 0 if a > b

(a \leftarrow b) = 0 if a and b are equal/equivalent
```

3-way comparisons return a comparison category value that can be compared to literal 0.

The returned value comes from one of three possible categories: std::strong_ordering, std::weak_ordering or std::partial_ordering.

Boolean Logic



Operators

Conversion to bool

• o is always false;

```
bool g = 0, // Taise (int > bool)
bool h = 1.2; // true (double → bool)
```

Short-circuit Evaluation

The second operand of a boolean comparison is not evaluated if the result is already known after evaluating the first operand.

```
int i = 2;
int k = 8;
bool b1 = (i > 0) || (k < 3);</pre>
```

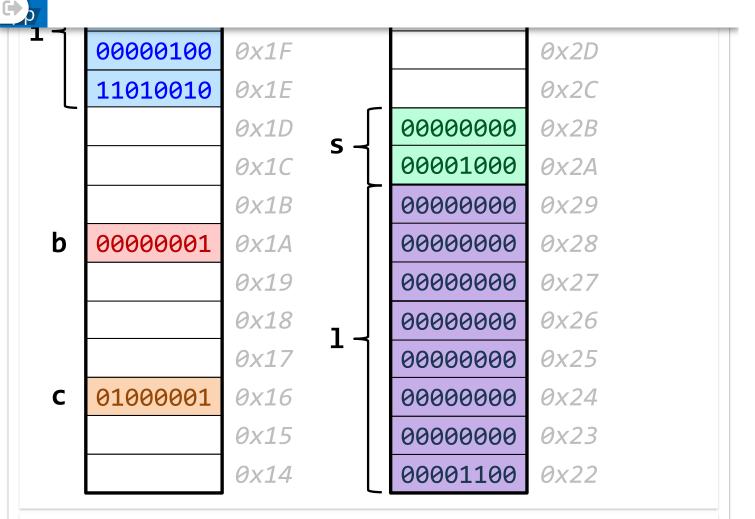
i > 0 is already $true \Rightarrow k < 3$ is not evaluated, because the result of logical OR is already true

Memory Sizes of Fundamental Types



```
All type sizes are a multiple of sizeof(char)
cout << sizeof(char);</pre>
                          // 1
cout << sizeof(bool); // 1</pre>
cout << sizeof(short); // 2</pre>
cout << sizeof(int); // 4</pre>
cout << sizeof(long);</pre>
                            // 8
// number of bits in a char
cout << CHAR_BIT;</pre>
                     // 8
char
        c = 'A';
bool
        b = true;
int
        i = 1234;
        1 = 12;
long
short s = 8;
```





▲ Sizes Are *Platform Dependent* only basic guarantees

- sizeof(short) ≥ sizeof(char)
- sizeof(int) ≥ sizeof(short)
- sizeof(long) ≥ sizeof(int)

e.g., on some 32-bit platforms: int = long

Integer Size Guarantees C++11

#include <cstdint>

- exact size (not available on some platforms)
 int8_t, int16_t, int32_t, int64_t, uint8_t, ...
- guaranteed minimum size
 int_least8_t, uint_least8_t, ...





std::numeric_limits < type >



```
#include #include imits>

// smallest negative value:
cout << std::numeric_limits<double>::lowest();

// float/double: smallest value > 0

// integers: smallest value
cout << std::numeric_limits<double>::min();

// largest positive value:
cout << std::numeric_limits<double>::max();

// smallest difference btw. 1 and next value:
cout << std::numeric_limits<double>::epsilon();
...
```

Signed Integers size *n* is platform depended! (and char is unsigned on some platforms) short int Two's Complement Format: long n = 8, 16, 32, 64 bits long long Guaranteed Sizes: **0**0000000 #include <cstdint> **0**0000001 +1 int8_t **1**1111110 int64 t **1**1111111 -1 \rightarrow **1**000 0000 -2^{n-1} ::lowest() \rightarrow **1**0000000 -2^{n-1} ::min() \rightarrow **01111111** $2^{n-1} - 1$::max() ::digits n-1

```
Floating-Point Numbers
                                                              Usually in IEEE 754 Binary Format
                                                 mantissa
                                                                n = (1 + x + m) bits
float
                                     (x \text{ bits})
                                                  (m bits)
n = 32 = 1 + 8 + 23
                                                               = (-1)^{\frac{5}{2}} \cdot 2^{-2^{x-1}+2} \cdot \left(0 + \frac{M}{2m}\right)
                                                                                                          subnormal
                                  5 00000
                                                     М
double
                                                                                   0 00000 0000000000 = +0
n = 64 = 1 + 11 + 52
                                  50:01
                                                                = (-1)^{5} \cdot 2^{\left(\mathbb{E} - \left(2^{x-1} - 1\right)\right)} \cdot \left(\mathbf{1} + \frac{\mathbb{M}}{2^{m}}\right)
                                  5 1:10
long double
                                  | 1 | 01111 | 00000000000 | = -1
n = 80 = 1 + 15 + 64
                                  \boxed{0 \ | \ 11110 \ | \ 00000000000 \ | \ = \ +2^{2^{x-1}-1}}
on x86 (extended prec.)
                                                                                   0 01110 0000000000 = 2^{-1}
                             \rightarrow 1111101111111111 = -2^{2^{x-1}-1} \cdot \left(1 + \frac{2^m - 1}{2^m}\right)
::lowest()
                                                                                                  double: \approx -1.8 \cdot 10^{308}
                                                                                                  float: +2^{-126} \cdot 2^{-23}
::denorm_min()
                                                                                                 double: +2^{-1022} \cdot 2^{-52}
                                                                                                  float: \approx 1.2 \cdot 10^{-38}
··min()
                             \rightarrow [a aaaa 1 aaaaaaaaaa = +2^{-2^{x-1}+2}
```

Type Narrowing



- conversion from type that can represent more values to one that can represent less
- may result in loss of information
- in general no compiler warning happens silently
- potential source of subtle runtime bugs

```
double d = 1.23456;
float f = 2.53f;
unsigned u = 120u;

double e = f; // OK float → double

int i = 2.5; // NARROWING double → int
int j = u; // NARROWING unsigned int → int
int k = f; // NARROWING float → int
```

Braced Initialization C++11

```
type variable { value };
```

- works for all fundamental types
- narrowing conversion ⇒ **compiler warning**

```
double d {1.23456}; // OK
float f {2.53f}; // OK
unsigned u {120u}; // OK

double e {f}; // OK float → double

int i {2.5}; // ♠ COMPILER WARNING: double → int
int j {u}; // ♠ COMPILER WARNING: unsigned int → int
int k {f}; // ♠ COMPILER WARNING: float → int
```

Make sure to prevent silent type conversions, especially narrowing unsigned to signed integer conversions — they can cause hard-to-find runtime bugs!

```
bitwise Logic
a & b
       bitwise AND
a b
       bitwise OR
       bitwise XOR
a ^ b
        bitwise NOT (one's complement)
#include <cstdint>
                                            memory bits:
std::uint8_t a = 6;
                                            0000 0110
std::uint8_t b = 0b00001011;
                                            0000 1011
std::uint8_t c1 = (a \& b); // 2
                                            0000 0010
std::uint8 t c2 = (a | b); // 15
                                            0000 1111
std::uint8_t c3 = (a ^ b); // 13
                                            0000 1101
                                            1111 1001
std::uint8 t c4 = \sima; // 249
                       // 244
std::uint8_t c5 = ~b;
                                            1111 0100
// test if int is even/odd:
                                            result:
bool a_odd = a & 1;
                                            0 \Rightarrow false
bool a_even = !(a & 1);
                                            1 \Rightarrow \text{true}
Bitwise Shifts
```

Arithmetic Conversions & Promotions

V

Unfortunately, there's a lot of rules (that go back to C) whose purpose is to determine a common type for both operands and the result of a binary operation

Operand A \oplus Operand B

A Simplified Summary

Operations Involving At Least 1 Floating-Point Type

- long double ⊕ any other type → long double
- $\left[\text{double} \right] \oplus \left[\text{float} \right] \rightarrow \left[\text{double} \right]$

Operations On 2 Integer Types

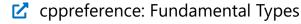
- integer promotion is first applied to both operands: basically everything smaller than int gets promoted to either int or unsiged int (depending on which can represent all values of the unpromoted type)
- 2. **integer conversion** is then applied if both operand types are different
 - both signed: smaller type converted to larger
 - both unsigned: smaller type converted to larger
 - signed ⊕ unsigned:
 - 1. signed converted to unsigned if both have same width
 - 2. otherwise unsigned converted to signed if that can represent all values
 - 3. otherwise both converted to unsigned
- Cheat Sheet With All Rules

← I/O Basics

■ Beginner's Guide / First Steps

vector Intro





cppreference: Fixed Width Integer Types (cstdint)

cppreference: Arithmetic Operators

c cppreference: Operator Precedence

d cppreference: Numeric Limits

The Usual Arithmetic Confusions (by Shafik Yaghmour)



Found this useful? Share it:











Home News = Articles Recipes Guides = Lists Abou

Privacy Twitter RSS Feed



algorithms allocators arrays article beginner-level blogs books build-systems C++

C++-standardization C++11 C++14 C++17 C++20 C++98 C-style C-vs-C++ casts classes code-editors code-formatters code-trans command-line community comparisons compilers concepts conferences const constexpr containers control-flow CUDA custom-types data-structures debugging design diagnostics exceptions file-io find find_iff functional-prog functions gallery generic-prog groups guide guidelines hash-map hash-set hashing header-files heap ides idiom initialization input io iostreams iterators lambda language-mechanism language-references learning libraries library linker list low-level map memory modern-C++ move-semantics news oop organizations output package-manager paradigm pattern people performance podcasts pointers preprocessor profiling Python randomness ranges recipe references set social-media stack standardization std-algorithms std-containers std-library std-macros std-vector STL strings style taste templates testing toolchain tools traversal types user version-control views VIM VIM-plugins warnings websites

© 2019-2022 André Müller