

LAB NOTES



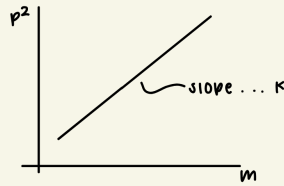
LAB REPORT NOTES

→ DATA : exact measurements, tables

p^2	m

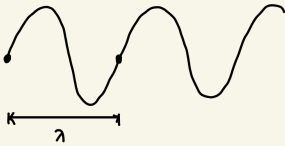
VS.

Analysis : graphs



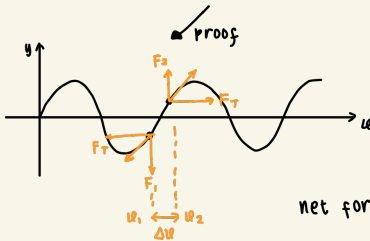
→ LAB II

- wave length is λ (from peak-peak)



- $c = \frac{\lambda}{T}$ or $c = \lambda f$
- # of harmonics doesn't matter since it's still the same string frequency

$$\mu = \frac{m_{\text{string}}}{L_{\text{string}}} \quad c = \sqrt{\frac{F_T}{\mu}} \Rightarrow c^2 = \frac{F_T}{\mu}$$



net force (x-dir) = 0

$$\frac{F_1}{F_T} = - \left. \frac{\partial y}{\partial x} \right|_{x_1} \quad \frac{F_2}{F_T} = \left. \frac{\partial y}{\partial x} \right|_{x_2}$$

ΣF_y (string is just going up & down)

$$F_{\text{net}} = F_1 + F_2$$

$$= F_T \left[\left. \frac{\partial y}{\partial x} \right|_{x_2} - \left. \frac{\partial y}{\partial x} \right|_{x_1} \right] = ma$$

$$a = \frac{F_T}{\mu} \underbrace{\left[\left. \frac{\partial y}{\partial x} \right|_{x_2} - \left. \frac{\partial y}{\partial x} \right|_{x_1} \right]}_{\Delta u}$$

density
 $\uparrow \mu = \frac{m_{\text{string}}}{L_{\text{string}}}$
 $m = \mu \Delta x$

definition of derivative

$$\frac{\partial^2 y}{\partial t^2} = \frac{F_T}{\mu} \frac{\partial^2 y}{\partial x^2}$$

<from class> $\frac{\partial^2 y}{\partial t^2} = c^2 \frac{\partial^2 y}{\partial x^2}$

$$c^2 = \frac{F_T}{\mu} \Rightarrow c = \sqrt{\frac{F_T}{\mu}}$$

$$c^2 = \frac{1}{\mu} F_T$$

→ LAB III

• sound wave

→ microphone + meter stick

→ pasco interface

→ pipe / tubes

→ vibration generator

• PART 1 - measuring speed of sound (343 m/s)

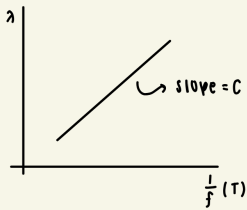
$$c = \lambda f$$

* change sample rate to 2 kHz

∴ frequency lower, when tube is lengthened

• PART 2

→ do at least 5 lengths



$$c = \lambda f$$

$$\lambda = \frac{c}{f}$$

$$\lambda = c \frac{1}{f}$$

$$y = m x$$

$$m(\text{slope}) = c$$