

<b>Subject: Professional Development Skills</b>	<b>Lecture - 1</b>	<b>Date: 23.12.2024 / Monday</b>	<b>No. of Programs : 02</b>
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### Addition of two numbers:

<b>C</b>	<b>JAVA</b>	<b>PYTHON</b>
<pre>#include &lt;stdio.h&gt; // Include standard input-output library int main() { // Main function where program execution begins int num1, num2, sum; // Declare three integer variables // Prompt the user for two numbers printf("Enter first number: "); scanf("%d", &amp;num1); printf("Enter second number: "); scanf("%d", &amp;num2); // Calculate the sum sum = num1 + num2; // Print the result printf("Sum: %d\n", sum); return 0; // Indicate successful execution }</pre>	<pre>import java.util.Scanner; // Import Scanner class for user input public class Main {     public static void main(String[] args) {         Scanner sc = new Scanner(System.in); // Create a scanner object for input // Declare variables int num1, num2, sum; // Prompt the user for two numbers System.out.print("Enter first number: "); num1 = sc.nextInt(); System.out.print("Enter second number: "); num2 = sc.nextInt(); // Calculate the sum sum = num1 + num2; // Print the result System.out.println("Sum: " + sum);     } }</pre>	<pre># Take input from the user num1 = int(input("Enter first number: ")) # Integer input num2 = int(input("Enter second number: ")) # Integer input  # Calculate the sum sum = num1 + num2  # Print the result print("Sum:", sum)</pre>

### Time Complexity:

In all three programs, the operations are performed in constant time:

Reading two integers from the user.

Performing the addition.

Printing the result.

Each of these operations takes constant time, so the overall **time complexity** for all three programs is **O(1)**.

### Space Complexity:

Each program uses a fixed amount of memory for storing the two integers (`num1`, `num2`) and the result (`sum`).

There are no dynamic memory allocations or large data structures, so the overall **space complexity** is **O(1)** for all three programs.

## Program to accept an integer, a floating-point number, and a character

C	JAVA	PYTHON
<pre> #include &lt;stdio.h&gt; // Include standard input-output library int main() {     // Main function where program execution     // begins     int int_num;     // Declare an integer variable     float float_num;     // Declare a floating-point variable     char char_val;     // Declare a character variable      // Take integer input     printf("Enter an integer: ");     scanf("%d", &amp;int_num);      // Take floating-point input     printf("Enter a floating-point number: ");     scanf("%f", &amp;float_num);      // Take character input     printf("Enter a character: ");     scanf(" %c", &amp;char_val);     // The space before %c is to consume any     // leftover newline character      // Display the inputs     printf("You entered: \n");     printf("Integer: %d\n", int_num);     printf("Floating point number: %.2f\n", float_num);     printf("Character: %c\n", char_val);      return 0; // Indicate successful execution } </pre>	<pre> import java.util.Scanner; // Import Scanner class for user input  public class Main {     public static void main(String[] args) {         Scanner sc = new Scanner(System.in);         // Create a scanner object for input          // Declare variables         int intNum;         float floatNum;         char charVal;          // Take integer input         System.out.print("Enter an integer: ");         intNum = sc.nextInt();          // Take floating-point input         System.out.print("Enter a floating-point number: ");         floatNum = sc.nextFloat();          // Take character input         System.out.print("Enter a character: ");         charVal = sc.next().charAt(0);          // Display the inputs         System.out.println("You entered: ");         System.out.println("Integer: " + intNum);         System.out.println("Floating point number: " + floatNum);         System.out.println("Character: " + charVal);     } } </pre>	<pre> # Take user inputs int_num = int(input("Enter an integer: ")) # Integer input float_num = float(input("Enter a floating-point number: ")) # Floating-point input char_val = input("Enter a character: ")[0] # Character input  # Display the inputs print("You entered: ") print("Integer:", int_num) print("Floating point number:", float_num) print("Character:", char_val) </pre>

## Explanation:

### 1. Time Complexity:

- In all three programs, we perform constant-time operations:
  - Accepting integer, float, and character inputs, which take constant time.
  - Printing the values, this also takes constant time.
- Hence, the overall **time complexity** for each program is **O(1)**.

### 2. Space Complexity:

- We only use a fixed amount of memory for storing three variables (one for each type of input: integer, float, and character).
- No dynamic memory allocation or large data structures are used.
- Therefore, the **space complexity** for all three programs is **O(1)**.

Type	Time Complexity (Big-O)	Space Complexity (Big-O)	Description
Constant	$O(1)$	$O(1)$	The algorithm/operation takes the same amount of time/space, regardless of input size.
Logarithmic	$O(\log n)$	$O(\log n)$	The time/space grows logarithmically with the input size (e.g., binary search).
Linear	$O(n)$	$O(n)$	The time/space grows directly proportional to the input size (e.g., iterating over an array).
Linearithmic	$O(n \log n)$	$O(n \log n)$	The time/space grows as the product of input size and its logarithm (e.g., merge sort).
Quadratic	$O(n^2)$	$O(n^2)$	The time/space grows proportional to the square of the input size (e.g., nested loops).
Cubic	$O(n^3)$	$O(n^3)$	The time/space grows proportional to the cube of the input size (e.g., matrix multiplication).
Exponential	$O(2^n)$	$O(2^n)$	The time/space doubles with every additional unit of input (e.g., recursive problems without optimization).
Factorial	$O(n!)$	$O(n!)$	The time/space grows factorially with the input size (e.g., permutations generation).
Polynomial	$O(n^k)$ ( $k > 3$ )	$O(n^k)$	The time/space grows as a polynomial function of input size (e.g., certain brute-force algorithms).
Log-Linear	$O((\log n)^n)$	$O((\log n)^n)$	A less common complexity, appearing in specialized problems.