

TSE Assignment

Q1) Attempt any two

A) Design PDA for odd length of palindrome over language $\Sigma = \{a, b\}$.

$$\rightarrow L = \{xex^{\dagger} \mid x \in \{a, b\}\}$$

$L = aca., bcb, abcba., aabcbbaa,$

Move no	state	IP	stack	Moves
1.	q_0	$a \wedge$	z_0	(q_0, z_0)
2.	q_0	a	z_0	$(q_0, a z_0)$
3.	q_0	b	z_0	$(q_0, b z_0)$
4.	q_0	a	a	$(q_0, a a)$
5.	q_0	b	b	$(q_0, b b)$
6.	q_0	a	b	(q_0, a, b)
7.	q_0	b	a	$(q_0, b a)$
8.	q_0	c	z_0	(q_0, z_0)
9.	q_0	c	a	(q_0, a)
10.	q_0	c	b	(q_0, b)
11.	q_1	a	a	(q_1, a)
12.	q_1	b	b	(q_1, b)

13. $q_1 \text{ final } \wedge z_0 \text{ final } (q_2, z_0)$

add more grammar rules $q_1 \rightarrow q_0 a, q_0 \rightarrow q_1 b$

$q_0 \rightarrow q_1 a, q_1 \rightarrow q_0 b$

$q_0 \rightarrow q_1 b, q_1 \rightarrow q_0 a$

$q_0 \rightarrow q_1 a, q_1 \rightarrow q_0 b$

$q_0 \rightarrow q_1 b, q_1 \rightarrow q_0 a$

$q_0 \rightarrow q_1 a, q_1 \rightarrow q_0 b$

$q_0 \rightarrow q_1 b, q_1 \rightarrow q_0 a$

$q_0 \rightarrow q_1 a, q_1 \rightarrow q_0 b$

$q_0 \rightarrow q_1 b, q_1 \rightarrow q_0 a$

for eg. check the string abcba be the palindrome or not.

$$(q_0, abcba) \vdash (q_0, abcba, z_0)$$

(1q0, bcbq; a20)

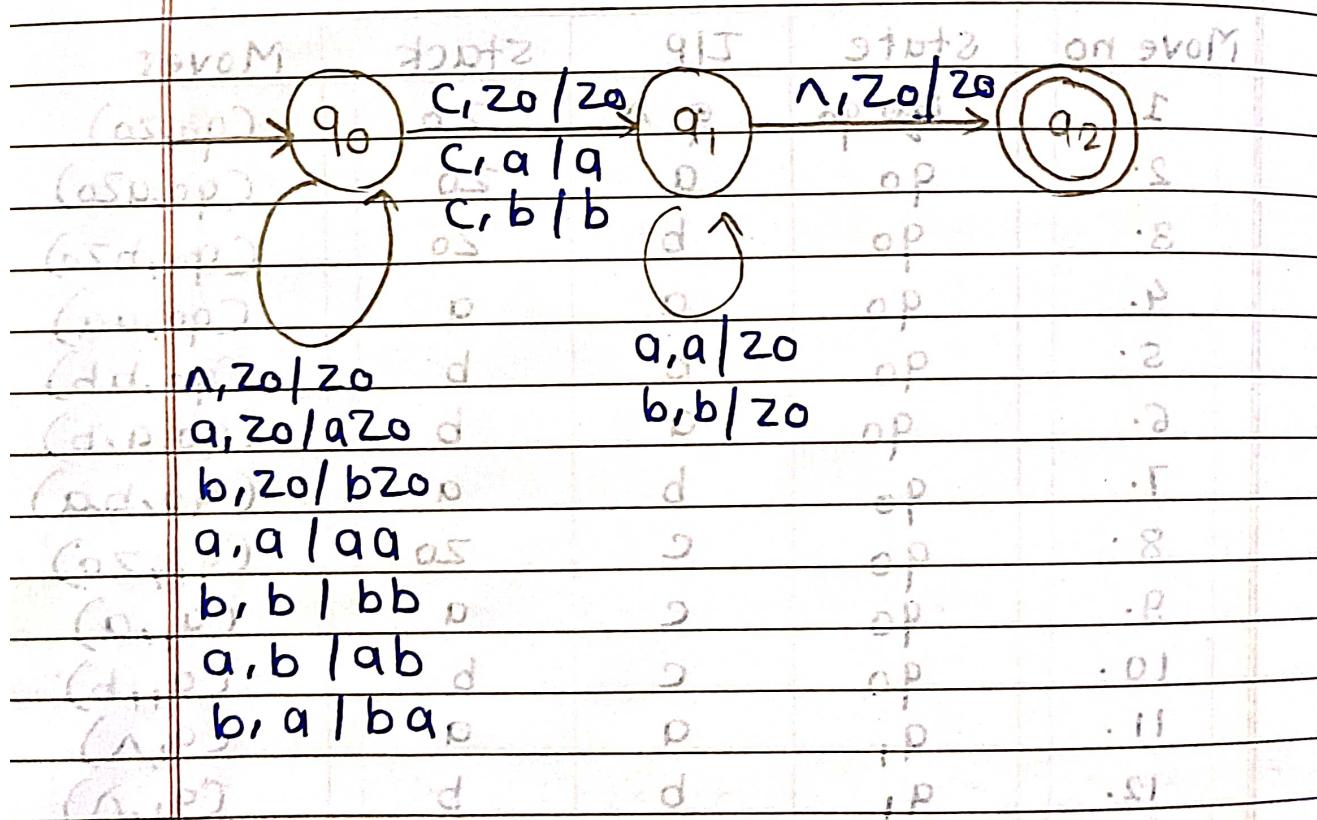
F1:0 (qo, eeba; bazo)

F (q₁, b_q, b_{az0})

$$T(a_1, a_2, a_{20})$$

$$F(q_1, \Delta, z_0) \rightarrow a$$

(q1, n, 20) > accepted
ade-dada-B2B-31-1



c) Write the steps to normalize CFG to CNF and generate CNF grammar for the following.

$$S_0 \rightarrow S$$

$s \rightarrow AsB$

$$A \rightarrow aAS | a | \epsilon$$

$$B \rightarrow SBS | A | bb$$

→ Step 1:-

$$S_0 \rightarrow S$$

$$S \rightarrow ASB$$

$$A \rightarrow aAS | a | \lambda$$

$$B \rightarrow sbS | A | bb$$

→ Step 2:-

$$S_0 \rightarrow S$$

$$S \rightarrow ASB | SB$$

$$A \rightarrow aAS | a | aS$$

$$B \rightarrow sbS | \lambda | bb | A$$

→ Step 3:-

$$S_0 \rightarrow S'$$

$$S \rightarrow ASB | SB | AS | S$$

$$A \rightarrow aAS | a | aS$$

$$B \rightarrow sbS | bb | A$$

→ Step 4:-

$$S_0 \rightarrow S$$

$$S \rightarrow ASB | SB | AS | S$$

$$A \rightarrow aAS | a | aS$$

$$B \rightarrow sbS | bb | aAS | a | aS$$

→ Step 5:-

$$S_0 \rightarrow S$$

$$S \rightarrow XB | SB | AS | S$$

$$A \rightarrow ax | a | aS$$

$$B \rightarrow sbS | bb | ax | a | aS$$

$$X \rightarrow AS$$

$$S_0 \rightarrow S$$

$$S \rightarrow XB | SB | AS | S$$

$$A \rightarrow YX | a | YS$$

$$B \rightarrow WS | ZZ | YX | a | YS$$

$$X \rightarrow AS$$

$$Y \rightarrow q$$

$$Z \rightarrow b$$

A is an AGG generated on next 3 bits after 2nd (80)

Step 7:-

$$S_0 \rightarrow S$$

$$S \rightarrow XB | SB | AS | S$$

$$A \rightarrow YX | a | YS$$

$$B \rightarrow WS | ZZ | YX | a | YS$$

$$X \rightarrow AS$$

$$Y \rightarrow a$$

$$Z \rightarrow b$$

$$W \rightarrow SZ$$

Step 8:-

$$S_0 \rightarrow XB | SB | AS$$

$$S \rightarrow XB | SB | AS$$

$$A \rightarrow YX | a | YS$$

$$B \rightarrow WS | ZZ | YX | a | YS$$

$$X \rightarrow AS$$

$$Y \rightarrow a$$

$$Z \rightarrow b$$

$$W \rightarrow SZ$$

Final Conversion of CFG to CNF

$S_0 \rightarrow XB|SB|AS$

$S \rightarrow XB|SB|AS$

$A \rightarrow YX|a|YS$

$B \rightarrow WS|Z|YX|a|YS$

$X \rightarrow AS$

$Y \rightarrow a$

$Z \rightarrow b$

$W \rightarrow S$

Q2) Attempt any two.

A) Define FA, Design deterministic FA for the RE
 $(b|ab^*ab^*)^*$ (even no. of a's)

$\rightarrow RE = (b + ab^*ab^*)^*$

$L = \{w \mid w = \text{even no. of a's} \mid w \in \{a, b\}^*\}$

$L = \{a^2, b, aa, aba, abab, \dots\}$

QB) Discuss the difference between PDA and FA

Pushdown Automata

Finite Automata

- .) For type-2 grammar we can design push down automata. For Type-3 grammar we can design finite automata.
- .) PDA can read input symbol from an input tape and it has access to an additional stack that allows it to store additional memory and retrieve symbols. An FA can only read input symbol from an input tape and does not have any additional stack.
- .) PDA has an stack as FA does not have any additional memory component allowing it to store and manipulate transition data based on current input and the top most symbol on the stack.
- .) PDA's are more powerful than FA's and can recognize regular language, which includes a border set of CFL, which are a subset of the language than those recognized by FA's.
- .) PDA can perform complex computations using a stack whereas FA are simpler machines that can only

enabling them to handle nested structure and enforce context sensitive language to perform basic pattern machine and recognize regular pattern in the input.

- i) It gives acceptance of input alphabet by going upto empty stack and final state. It accepts the input alphabets by going up to final states.
- Q) In concern with grammar define.

a) Production:- i) Production also known as rule or production rule. are statement that define how symbols in a formal grammar can be written or replaced.

They specify the possible transformation or derivations that can be applied to generate valid string in the language defined by grammar.

Example:-

$E \rightarrow E + T$

production state (E) can be written has an expression $E + T$

b) Variable:

Variable, also known as non-terminal are symbols that represent syntactic categories or place holder in a formal grammar.

They are used to define and generate the structure of valid string in the language defined by grammar.

example: In the context of context free grammar for a arithmetic expression

$$in E \Rightarrow E + T$$

variable E could be represented as expression

c) Terminals:

Terminals are symbols that represent the basic units or indivisible elements of the language defined by a formal grammar.

They are the actual symbols that appear in the valid strings generated by the grammar.

Eg.: terminal could include numbers (e.g. 0, 1, 2...) and arithmetic operators (e.g. +, -)

d) Start Variable:-

The start variable, also known as the start symbol, is the special variable in a formal grammar that represents the initial or starting point.

e.g.

$$\begin{aligned} S &\rightarrow A+B \\ A &\rightarrow a+\epsilon \\ B &\rightarrow b+\epsilon \end{aligned}$$

In this example, S is the start symbol.