

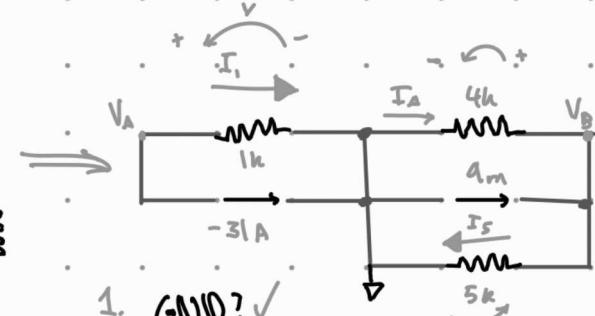
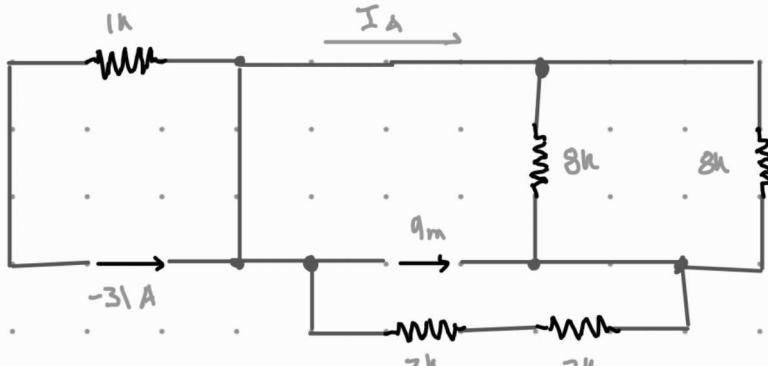
Nodal Analysis: method to solve a circuit by finding all nodal voltages.

How?

(Pick largest node)

- 1) Define one node as GROUND in case circuit doesn't have ground defined.
- 2) Label all other nodes
- 3) For voltage supplies:
 - a. if supply is connected to ground, that node is defined by it
→ SKIP STEP 4 on the nodes that are defined
 - b. if supply is between two nodes that are NOT defined,
then we say this is a SUPERNODE and we write a
SUPERNODE expression relating the two nodes. We also use
Step 4 for supernodes.
- 4) Write KCL expressions for all labeled (super)nodes that are undefined
- 5) Write Ohm's laws for all currents as functions of nodal voltages.
- 6) Write a system of equations with x variables, where $x = \# \text{ nodes} - \# \text{ V supplies} - 1$
↑ # of KCL equations
↑ ground

Ex: Solve using NA:



1. GND? ✓

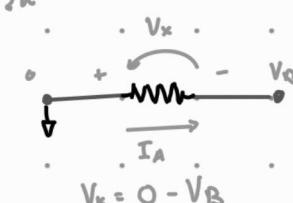
2. V_A, V_B

4. KCL: $(V_A): 0 = I_A + (-3I_A)$

$$5. I_1 = V_A / 1k$$

$$I_A = -V_B / 4k$$

$$I_S = V_B / 5k$$



$$(V_B): I_A + 9m = I_S$$

$$6. \# \text{ of KCL} = \# \text{ nodes} - \# \text{ V supplies} - 1 \rightarrow 2 = 3 - 0 - 1$$

$$\frac{V_A}{1k} = \frac{3(-V_B)}{4k} \rightarrow 4V_A = -3V_B \rightarrow 4V_A + 3V_B = 0$$

Using

$$\frac{V_B}{5k} + 9m = \frac{V_B}{4k} \rightarrow 5V_A + 45 = V_B \rightarrow 5V_A - V_B = 45$$

Exam:
Answer

$$\begin{bmatrix} 4 & 3 \\ 5 & -1 \end{bmatrix} \begin{bmatrix} V_A \\ V_B \end{bmatrix} = \begin{bmatrix} 0 \\ 45 \end{bmatrix}$$