Newton's forward difference formula:-

```
x = [3.0 \ 3.2 \ 3.4 \ 3.6 \ 3.8 \ 4.0];
f = [-14 - 10.032 - 5.296 - 0.256 6.672 14];
mat = zeros(6,7);
h = 0.2;
for i = 1:6
     mat(i,1) = x(i);
     mat(i,2) = f(i);
end
n=5; % number of iterations
for j=3:10
for i=1:n
mat(i,j)= mat(i+1,j-1)-mat(i,j-1)
end
n=n-1;
end
f01 = mat(1,3);
f02 = mat(1,4);
f03 = mat(1,5);
f04 = mat(1,6);
f05 = mat(1,7);
fDash(f01,f02,f03,f04,f05)
fDDash(f02,f03,f04,f05)
function val = fDash(f01,f02,f03,f04,f05)
val = (1/0.2)*(f01-(1/2*(f02))+(1/3*(f03))-(1/4*(f04))+(1/5*(f05)));
end
function val = fDDash(f02,f03,f04,f05)
val = (1/0.2^2)^*(f02-f03+((11/12)^*(f04)-((5/6)^*f05)));
end
```

Newton's backward difference formula:-

```
 \begin{aligned} x &= [1 \ 1.5 \ 2.0 \ 2.5 \ 3.0]; \\ f &= [-1.5 \ -2.875 \ -3.5 \ -2.625 \ 0.5]; \\ mat &= zeros(5,6); \\ for &i = 1:5 \\ & mat(i,1) = x(i); \\ & mat(i,2) = f(i); \\ end \\ n &= 4 \end{aligned}
```

```
for j=3:6

for i=1:n

mat(i,j)=mat(i+1,j-1)-mat(i,j-1)

end

n=n-1;

end

f01 = mat(4,3);

f02 = mat(3,4);

f03 = mat(2,5);

fDash(f01,f02,f03)

function val = fDash(f01,f02,f03)

val = (1/0.5)*(f01+(1/2*(f02))+(1/3*(f03)));

end
```

27th feb:

stirling:

```
t=[-2 -1 0 1 2];
o=[23967 28060 31788 35209 38368];
dt=zeros(5,6);
for i=1:5
dt(i,1)=t(i);
dt(i,2)=o(i);
end
n=4;
for j=3:6
for i=1:n
dt(i,j)=dt((i+1),(j-1))-dt(i,(j-1))
end
n=n-1;
end
h=t(2)-t(1)
tp=0.2;
for i=1:5
q=(tp-t(i))/h;
if(q>(-0.25)\&q<(0.25))
p=q;
end
end
р
```

```
\begin{split} & \text{l=tp-}(p^*h); \\ & \text{for i=1:5} \\ & \text{if(l==t(i))} \\ & \text{r=i;} \\ & \text{end} \\ & \text{end} \\ & \text{end} \\ & \text{f0=o(r);} \\ & \text{f11=dt((r-1),3);} \\ & \text{f12=dt((r+1),3);} \\ & \text{f02=dt((r-1),4);} \\ & \text{f31=dt((r-2),5);} \\ & \text{f32=dt((r-1),5);} \\ & \text{f04=dt((r-2),6);} \\ & \text{fp=f0+}(p^*(\text{f11+f12}))/2+((p^*p)^*\text{f02})/2+(p^*((p^*p)-1)^*(\text{f31+f32}))/12+((p^*p)^*((p^*p)-1)^*\text{f04})/24 \\ \end{split}
```

Cubic spline:

```
clc clear all x=[0,1,2]; f=[-1,3,29]; M(1)=0; M(3)=0; y=[0.5,1.5]; i=2; h=x(2)-x(1) M(i)=((6^*(f(i+1)-2^*f(i)+f(i-1)))/(h^2)-M(i-1)-M(i+1))/4 for j=1:2 F(j)=(((M(j)^*(x(j+1)-y(j))^*3)+M(j+1)^*((y(j)-x(j))^*3))/6)+(x(j+1)-y(j))^*(f(j)-(M(j)/6))+(y(j)-x(j))^*(f(j+1)-(M(j+1))/6); End
```

20th feb:

Langrange interplation:

```
x=[0.1745 0.3491 0.5236];
y=[1.1585 1.2817 1.3660];
sum=0;
```

```
for i=1:length(x)
    p=1;
    for j=1:length(x)
        if j~=i
            c = poly(x(j))/(x(i)-x(j));
            p = conv(p,c);
        end
    end
    term = p*y(i);
    sum= sum + term;
end
disp(sum);
```

Newtons:

```
x = [-4 -1 0 2 5];
f = [1245 33 5 9 1335];
val1 = [0 \ 0 \ 0 \ 0];
val2 = [0 \ 0 \ 0];
val3 = [0 \ 0];
val4 = [0];
disp("First d.d:-");
for i = 1:4
  div = x(i+1)-x(i);
  value = f(i+1)-f(i);
  res = value/div;
    val1(i) = res;
end
disp("Second d.d:-")
for i = 1:3
  div = x(i+2)-x(i);
  value = val1(i+1)-val1(i);
  res = value/div;
  val2(i) = res;
end
disp("Third d.d:-")
for i = 1:2
  div = x(i+3)-x(i);
  value = val2(i+1)-val2(i);
```

```
res = value/div

val3(i) = res;

end

disp("Fourth d.d:-")

for i = 1:1

div = x(i+3)-x(i);

value = val2(i+1)-val2(i);

res = value/div

val3(i) = res;

end
```