$$i = 2^{k}$$

$$2^{k} = \log n$$

$$\log(2^{k}) = \log(\log n)$$

$$k = \log(\log n)$$

$$\mathcal{E} = \log(\log n)$$

for on times if > Nn times i' inner { B(1) = B(i3) if = 0 (1/n) outer: { (OCI)+OCi3) = Q(n) + \( \hat{2} \text{ } \ 2 O(1) + 2 { (EN-)3  $(47-)^{3} \begin{cases} \sqrt{5} \\ \sqrt{3} \end{cases} = (\sqrt{5} - \sqrt{5})^{2} \sqrt{5}$ glz most sig = n<sup>2</sup>1 2N~+n · n/~+n + 2n 2+ n<sup>2</sup>N~ min C) for > n times for > n times if of the atmost a times (m) for > log or Hours m= 1, 2, 4, 9, 26 A[ =] =1 2 = : 1 ACIJ=1 K= (0g n A[2] >1 4[... \$] > 1 Assume contents of ACT dont charge happers from thres  $\int_{i=1}^{\infty} \hat{\mathcal{L}}(\theta(i) + \hat{\theta}(\sum_{n=1}^{\infty} \theta(i)))$ S θ(-) + S θ(65-) = θ(n2) + θ (nlegn) = (0 (n2))

$$= \int_{i=0}^{\infty} \left( G(i) + O\left( \underbrace{Si}_{i=1}^{\infty} \Phi(i) \right) \right)$$

$$\int_{i=0}^{\infty} c^{i} = \frac{c^{-i/2}}{c^{-1}} = \Theta(c^{-1})$$

$$= \log \frac{\pi}{2} = \frac{1}{2}$$

$$= O(c^{-1}) + O(O(c^{-1})) = O(c^{-1})$$

$$= O(c^{-1})$$

$$= O(c^{-1})$$