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### 1) Three Sum Problem

- i. Use 3 for loops. **t.c =  $n^3$ , s.c = 1**
- ii. Using HashSet and It can be found. **t.c =  $n^2$ , s.c = n**
- iii. Use Sorting and two pointer approach

```
public List<List<Integer>> threeSum(int[] nums) {  
    List<List<Integer>> answer = new ArrayList<>();  
    if(nums.length<3)  
        return answer;  
  
    Arrays.sort(nums);  
    int i=0;
```

```

while(i<nums.length-2){

    int left = i+1, right = nums.length-1;

    while(left<right){

        int sum = nums[left]+nums[right];

        if(-nums[i]==sum){
            List<Integer> temp = new ArrayList<>();
            temp.add(nums[i]);
            temp.add(nums[left]);
            temp.add(nums[right]);
            answer.add(temp);
            left++;
            right--;
            while(left<right && nums[left-1]==nums[left])
                left++;
            while(right>left && nums[right+1]==nums[right])
                right--;
        }

        else if(sum<(-nums[i]))
            left++;
        else
            right--;
    }

    i++;
    while(i<nums.length-2 && nums[i-1]==nums[i])
        i++;
}
return answer;
}

```

**t.c =  $O(n^2)$ , s.c = 1**

## 2) Trapping Rain Water

- i. Maintain two array finding the maximum on left and right side. Water stored is summation of  $a[i] - \max(\text{right}[i], \text{left}[i])$ . **t.c = n, s.c = n**
- ii. Here in the above solution a pattern can be found so use pointers.

```

static int trappingWater(int a[], int n) {
    if(a.length<3)
        return 0;

    int leftMax = 0, rightMax = 0;
    int left = 0, right = a.length-1;
    int answer = 0;

```

```

while(left<=right){
    if(a[left]<a[right]){
        if(a[left]>leftMax)
            leftMax = a[left];
        answer = answer + leftMax - a[left];
        left++;
    }
    else{
        if(a[right]>rightMax)
            rightMax = a[right];

        answer = answer + rightMax - a[right];
        right--;
    }
}
return answer;
}

```

**t.c = n, s.c = 1**

### 3) Remove Duplicate from Sorted array

- i. Using Extra space
- ii. Use Two Pointer Approach

```

public int removeDuplicates(int[] nums) {
    if(nums.length<2)
        return nums.length;

    int i=0;
    for(int j=1;j<nums.length ;j++)
        if(nums[i]!=nums[j])
            nums[++i] = nums[j];

    return i+1;
}

```

**T.c = n, s.c = 1**

### 4) Max continuous number of 1's

- i. Use two for loop and find it. **t.c = n<sup>2</sup>, s.c = 1**
- ii. Use Two pointer approach

```

public int findMaxConsecutiveOnes(int[] nums) {
    if(nums.length<1)
        return 0;

    int i =0;
    while(i<nums.length && nums[i]!=1)

```

```

        i++;

    int j = i;
    int answer = 0;
    while(j<nums.length){
        while(j<nums.length && nums[j]==1)
            j++;
        answer = Math.max(answer ,j-i);
        while(j<nums.length && nums[j]==0)
            j++;
        i = j;
    }
    return answer;
}

```

**t.c = n, s.c = 1**

### 5) Max continuous number of 1's if m 0's are allowed to be flipped

- i. Use two for loops and find number of 0's in every subarray. If they are less than or equal to m then ans = max(ans, subarray.length). **t.c = n<sup>2</sup>, s.c = 1**
- ii. Using an extra space of n
  - i. First find the number of 0's in the array a
  - ii. For every 0, find number of consecutive 1's on left and right of it and store them in 2 different arrays
  - iii. Store the indices of the 0's in another array
  - iv. From the zeroIndices array, for every consecutive m indices find the sum of 1's. And take the maximum of it and return the answer

**T.C = n\*m, S.C = n**

iii. There is another efficient Approach

### 6) N meeting in one room

```

class Room{
    int st;
    int end;
    int pos;
    public Room(int st, int end, int pos){
        this.st = st;
        this.end = end;
        this.pos = pos;
    }
}

```

```

class meetingComparator implements Comparator<Room>{
    public int compare(Room o1,Room o2){
        if(o1.end<o2.end)
            return -1;
    }
}

```

```

        else if(o1.end>o2.end)
            return 1;
        else if(o1.pos<o2.pos)
            return -1;

        return 1;
    }
}

class Meeting {

    public static int maxMeetings(int start[], int end[], int n) {
        ArrayList<Room> meet = new ArrayList<>();
        for(int i=0;i<n;i++){
            meet.add(new Room(start[i],end[i],i+1));

            meetingComparator mc = new meetingComparator();
            Collections.sort(meet, mc);

            int count = 1;
            int endTime = meet.get(0).end;
            for(int i=1;i<n;i++){
                if(meet.get(i).st>endTime){
                    count++;
                    endTime = meet.get(i).end;
                }
            }
            return count;
        }
    }
}

```

**t.c =  $n \log n$  , s.c =  $n$**

## 7) Fractional Knapsack

```

/*
class Item {
    int value, weight;
    Item(int x, int y){
        this.value = x;
        this.weight = y;
    }
}
*/

class AllItems{
    int value;
    int weight;
    double density;
    AllItems(int x ,int y, double z){
        value = x;
    }
}

```

```

        weight = y;
        density = z;
    }
}
class knapsackComparator implements Comparator<AllItems>{
    public int compare(AllItems o1,AllItems o2){
        if(o1.density<o2.density)
            return 1;
        else if(o1.density>o2.density)
            return -1;
        else if(o1.weight<o2.weight)
            return -1;
        return 1;
    }
}
class Solution{
    double fractionalKnapsack(int w, Item a[], int n) {
        ArrayList<AllItems> array = new ArrayList<>();

        for(int i=0;i<n;i++){
            double x = (double)(a[i].value);
            double y = (double)(a[i].weight);
            array.add(new AllItems(a[i].value, a[i].weight,(double)(x/y)));
        }
        knapsackComparator kc = new knapsackComparator();
        Collections.sort(array, kc);

        double answer = findTheTotalValue(array, n, w);
        return answer;
    }
    double findTheTotalValue(ArrayList<AllItems> a, int n, int weight){
        double profit = 0;
        int i=0;
        while(weight>0 && i<n){
            if(weight<=a.get(i).weight){
                profit+=a.get(i).value;
                weight-=a.get(i).weight;
            }
            else{
                break;
            }

            i++;
        }
        if(i<n && weight>0){
            double x = (double)(weight*a.get(i).value);
            double y = (double)a.get(i).weight;
            double temp = (double)(x/y);
            profit+=temp;
        }
        return profit;
    }
}

```

```

    }
}

```

**t.c =  $n \log n$ , s.c = 1**

## 8) Minimum Number of Platforms

```

static int findPlatform(int arr[], int dep[], int n)
{
    Arrays.sort(arr);
    Arrays.sort(dep);
    int platform = 0, minPlatform = 0;

    int i=0,j=0;

    while(i<n && j<n){
        if(arr[i]<=dep[j]){
            platform++;
            i++;
        }
        else if(arr[i]>dep[j]){
            platform--;
            j++;
        }
        if(minPlatform<platform)
            minPlatform = platform;
    }
    return minPlatform;
}

```

**t.c =  $n \log n$ , s.c = 1**

## 9) Job Sequencing problem

```

int[] JobScheduling(Job a[], int n){

    int jobs = 0, profit = 0;
    int maxTime = 0;
    for(int i=0;i<n;i++){
        maxTime = Math.max(maxTime, a[i].deadline);

        boolean timeArray[] = new boolean[maxTime];

        Arrays.sort(a, (x, y)-> y.profit-x.profit);
        for(int i=0;i<n;i++){

            for(int j = Math.min(maxTime-1,a[i].deadline-1);j>=0;j--){
                if(timeArray[j]==false){
                    timeArray[j] = true;
                    jobs++;
                }
            }
        }
    }
}

```

```

        profit+=a[i].profit;
        break;
    }
}
}

return new int[]{jobs, profit};
}

```

**t.c =  $n^2$ , s.c = Max(deadline)**

## 10) N-Queens Problem

```

class Solution{
    static int[] a;
    static ArrayList<ArrayList<Integer>> answer;

    static ArrayList<ArrayList<Integer>> nQueen(int n) {
        a = new int[n+1];
        answer = new ArrayList<>();

        place(1,n);
        return answer;
    }
    static boolean isSafe(int row, int col){

        for(int i=1;i<row ;i++){
            if(a[i]==col)
                return false;
            else if(Math.abs(row-i)==Math.abs(a[i]-col))
                return false;
        }
        return true;
    }
    static void add(int n){

        ArrayList<Integer> temp = new ArrayList<>();
        for(int i=1;i<=n;i++)
            temp.add(a[i]);
        answer.add(temp);
    }
    static void place(int row, int n){

        for(int col=1; col<=n; col++){
            if(isSafe(row, col)){
                a[row] = col;
                if(row==n)
                    add(n);
            }
        }
    }
}

```



```

        else
            place(row+1,n);
    }
}
}
}

```

**t.c = n!, s.c = n**

**Time complexity :**

**$O(N!)$ .** There is  $N$  possibilities to put the first queen, not more than  $N(N-2)$  to put the second one, not more than  $N(N-2)(N-4)$  for the third one etc. In total that results in  $O(N!)$  time complexity.

**Space complexity :  $O(N)$**  to keep an information about diagonals and rows

### 11) Solve the Sudoku

```

static boolean isSafe(int grid[],int row, int col, int num){

    for(int i=0;i<grid.length;i++){
        if(grid[i][col]==num)
            return false;

    }

    for(int i=0;i<grid[0].length;i++){
        if(grid[row][i]==num)
            return false;

    }

    int sqrt = (int)Math.sqrt(grid.length);

    int r = row - row%sqrt;
    int c = col - col%sqrt;

    for(int i=r;i<r+sqrt;i++){
        for(int j=c;j<c+sqrt;j++){
            if(grid[i][j]==num)
                return false;
        }
    }

    return true;
}

static boolean SolveSudoku(int grid[])
{
    int row = -1;
    int col = -1;

    for(int i=0;i<grid.length;i++){
        for(int j=0;j<grid[0].length;j++){
            if(grid[i][j]==0){
                row = i;
                col = j;
            }
        }
    }
}

```

```

        break;
    }
}
}

if(row==-1 || col==-1)
    return true;

for(int num=1; num<=grid.length; num++){
    if(isSafe(grid, row, col, num)){
        grid[row][col] = num;
        if(SolveSudoku(grid))
            return true;
        else
            grid[row][col] = 0;
    }
}
return false;
}

```

**Time Complexity:  $O(9^N \cdot N)$ .**

**Auxiliary Space:  $O(N \cdot N)$**

## 12) M coloring Problem

Approach:

Start from the first index and for every color from 1 to Number(n) if i can be used to color the cur index i.e if non of it's adjacent has same color if yes then use else move and do it recursively.

Graph is 0 - based indexed and is represented as array of list

List<Integer> graph[] = new ArrayList[V];

Arrays.fill(color, 0 );

static boolean graphColoring(List<Integer> g[], int color[], int curVertex, int num)

```

{
    if(curVertex>=g.length)
        return true;

    for(int i=1; i<=num; i++)
    {
        if(isSafe(g, color, curVertex, i))
        {
            color[curVertex] = i;

            if(graphColoring(g, color, curVertex+1, num)
                return true;
            else
                color[curVertex] = 0;
        }
    }
}

```

```

        return false;
    }

    static boolean isSafe(List<Integer> g[], int color[], int curVertex, int num)
    {
        for(int i=0; i< g[curVertex].size(); i++)
            if(color[g[curVertex].get(i)]==num)
                return false;

        return true;
    }

```

**Time Complexity:  $O(M^N)$ .**

**Auxiliary Space:  $O(N)$**

### 13) Rat in a maze Problem

```

public static ArrayList<String> findPath(int[][] m, int n) {

    String s = "";
    ArrayList<String> answer = new ArrayList<>();
    traversePath(m, n, 0, 0, s, answer);

    Collections.sort(answer);
    return answer;
}

static void traversePath(int a[][], int n, int i, int j, String s, ArrayList<String> answer){
    if(i<0 || i>=n || j<0 || j>=n)
        return;

    if(a[i][j]!=1)
        return;

    if(i==n-1 && j==n-1 && a[i][j]==1){
        answer.add(s);
        return;
    }

    a[i][j] = 0;

    traversePath(a, n, i+1, j, s+"D", answer);
    traversePath(a, n, i, j-1, s+"L", answer);
    traversePath(a, n, i, j+1, s+"R", answer);
    traversePath(a, n, i-1, j, s+"U", answer);

    a[i][j] = 1;
}

```

**Time Complexity:**  $O(3^{(n^2)})$ .

As there are  $N^2$  cells from each cell there are 3 unvisited neighbouring cells. So the time complexity  $O(3^{(N^2)})$ .

**Auxiliary Space:**  $O(3^{(n^2)})$ .

As there can be atmost  $3^{(n^2)}$  cells in the answer so the space complexity is  $O(3^{(n^2)})$ .

#### 14) Permutations of a given string

Approach 1: Using HashMap

```
public List<List<Integer>> permute(int[] nums) {
    List<List<Integer>> answer = new ArrayList<>();
    List<Integer> ds = new ArrayList<>();
    boolean visited[] = new boolean[nums.length];

    recursion(nums, ds, answer, visited);
    return answer;
}

public void recursion(int nums[], List<Integer> ds, List<List<Integer>> answer, boolean
visited[]){

    if(ds.size()==nums.length){
        answer.add(new ArrayList<>(ds));
        return;
    }

    for(int i=0;i<nums.length ;i++){
        if(!visited[i]){
            visited[i] = true;
            ds.add(nums[i]);
            recursion(nums, ds, answer ,visited);
            ds.remove(ds.size()-1);
            visited[i] = false;
        }
    }
}
```

**Time Complexity:**  $O(n \cdot n!)$  Note that there are  $n!$  permutations and it requires  $O(n)$  time to print a permutation

**Space Complexity:**  $O(n) + O(n)$

#### Approach 2:

```
List<String> answer = new ArrayList<>();
```

```
public List<String> find_permutation(String s) {
    allPermutations(s,0,s.length()-1);
    Collections.sort(answer);
    return answer;
}
```

```

void allPermutations(String s ,int i, int r){
    if(i==r){
        if(!answer.contains(s))
            answer.add(s);
        return;
    }

    for(int i=i;i<=r;i++){
        s = swap(s, i, i);
        allPermutations(s, i+1,r);
        s = swap(s,i, i);
    }
}

```

```

String swap(String s ,int i, int r){
    char c[] = s.toCharArray();
    char t = c[i];
    c[i] = c[r];
    c[r] = t;

    return String.valueOf(c);
}

```

**Time Complexity:**  $O(n \cdot n!)$  Note that there are  $n!$  permutations and it requires  $O(n)$  time to print a permutation

**Space Complexity:**  $O(1)$

## 15) Word Break - 1

### Approach:

1. BackTracking takes more time  $t.c = 2^n$

```

public static int wordBreak(String s, ArrayList<String> a)
{
    HashSet<String> set = new HashSet<>();
    for(String str: a)
        set.add(str);

    if(segment(s, s.length(),set))
        return 1;
    return 0;
}

public static boolean segment(String s, int n,HashSet<String> set){
    if(n==0)
        return true;

    for(int i = 1;i<=n;i++){
        String temp = s.substring(0,i);
        if(set.contains(temp)){

```

```

        if(segment(s.substring(i,n),n-i, set))
            return true;
    }
}
return false;
}

```

## 2. Using DP

- Maintain a dp array in which dp[i] is true if the substring of s from i to n can be segmented into valid words.
- And a middle word can be valid only if its next word is valid as we are traversing backwards

```

public boolean wordBreak(String s, List<String> wordDict) {
    HashSet<String> dictionary = new HashSet<>();

    for(String str:wordDict)
        dictionary.add(str);

    int n = s.length();
    boolean dp[] = new boolean[s.length()+1];
    dp[n] = true;

    for(int i=n-1;i>=0;i--){
        for(int j=i; j<n ;j++){
            if(dictionary.contains(s.substring(i, j+1)) && dp[j+1]){
                dp[i] = true;
                break;
            }
        }
    }
    return dp[0];
}

```

**t.c =  $n^2$**

**s.c = n**

## 16) Word Break - 2 (Print all the combinations)

```

static List<String> wordBreak(int n, List<String> dict, String s)
{
    List<String> answer = new ArrayList<>();
    HashSet<String> set = new HashSet<>();
    for(int i=0;i<dict.size();i++)
        set.add(dict.get(i));

    partitionString(s, set, answer,"");
    return answer;
}

```

```

static void partitionString(String s, HashSet<String> set, List<String> answer, String
temp){
    if(s.length()==0){
        answer.add(temp.substring(0, temp.length()-1));
        return;
    }

    for(int i=1;i<=s.length();i++){
        if(set.contains(s.substring(0,i))){
            partitionString(s.substring(i, s.length()),set, answer, temp+s.substring(0,i)+" ");
        }
    }
}

```

**Time Complexity:**  $O(n^n)$ . Because there are  $n^n$  combinations in The Worst Case.

**Auxiliary Space:**  $O(n^2)$ . Because of the Recursive Stack of wordBreakUtil(...) function in The Worst Case.

## 17) Combination sum-1

### 1. Without Duplicates in the array

```

public List<List<Integer>> combinationSum(int[] candidates, int target) {
    List<List<Integer>> answer = new ArrayList<>();
    findCombination(candidates, 0, target, answer, new ArrayList<>());
    return answer;
}

public void findCombination(int a[],int index, int target,List<List<Integer>>
answer,ArrayList<Integer> ds){

    if(index==a.length){
        if(target==0){
            answer.add(new ArrayList<>(ds));
        }
        return;
    }

    if(a[index]<=target){
        ds.add(a[index]);
        findCombination(a, index, target-a[index],answer, ds);
        ds.remove(ds.size()-1);
    }
    findCombination(a, index+1, target, answer, ds);
}

```

### 2. With Duplicates

**Here Remove all the duplicates using HashSet**

```

static ArrayList<ArrayList<Integer>> combinationSum(ArrayList<Integer> A, int B)
{
    ArrayList<ArrayList<Integer>> answer = new ArrayList<>();
    HashSet<Integer> set = new HashSet<>(A);
    A.clear();
    A.addAll(set);
    findCombination(A, 0, B, answer, new ArrayList<>());

    return answer;
}

```

```

static void findCombination(ArrayList<Integer> a, int index, int
target, ArrayList<ArrayList<Integer>> answer, ArrayList<Integer> ds){

    if(index==a.size()){
        if(target==0){
            answer.add(new ArrayList<>(ds));
        }
        return;
    }

    if(a.get(index)<=target){
        ds.add(a.get(index));
        findCombination(a, index, target-a.get(index), answer, ds);
        ds.remove(ds.size()-1);
    }
    findCombination(a, index+1, target, answer, ds);
}

```

**T.C = Exponential  $2^e \cdot k$  (  $k \rightarrow$  MaxSize of data structure)**

**S.C = hypothetical (dependent on number of combinations)  $k \cdot x$  ( $x \rightarrow$  Combinations)**

## 18) Combination sum-2

### Approach 1:

```

public List<List<Integer>> combinationSum2(int[] candidates, int target) {
    List<List<Integer>> answer = new ArrayList<>();
    Arrays.sort(candidates);
    findCombinations(candidates, 0, target, answer, new ArrayList<>());
    return answer;
}

public void findCombinations(int a[], int index, int target, List<List<Integer>>
answer, ArrayList<Integer> ds){
    if(target==0 && !answer.contains(ds)){
        answer.add(new ArrayList<>(ds));
        return;
    }
}

```



```

    if(index==a.length){
        return;
    }

    if(a[index]<=target){
        ds.add(a[index]);
        findCombinations(a, index+1, target-a[index], answer ,ds);
        ds.remove(ds.size()-1);
    }
    findCombinations(a, index+1, target, answer, ds);
}

```

**t.c =  $2^n * k * \log n$  (logn because we are using contains)**

**s.c =  $k * x$**

**In LeetCode with Above solution the Runtime is 488ms**

**Below approach takes 2ms**

## **Approach 2:**

Now see striver's video if you don't understand the code.

**Idea is that, if you have taken x as ith element ,jth then don't take same x as ith element if it is present in (j+1)th index**

```

public List<List<Integer>> combinationSum2(int[] candidates, int target) {
    List<List<Integer>> answer = new ArrayList<>();
    Arrays.sort(candidates);
    findCombinations(candidates, 0, target, answer, new ArrayList<>());
    return answer;
}

```

```

    public void findCombinations(int a[],int index, int target,List<List<Integer>>
    answer,ArrayList<Integer> ds){
        if(target==0){
            answer.add(new ArrayList<>(ds));
            return;
        }

        for(int i=index ;i<a.length ;i++){
            if(i>index && a[i]==a[i-1])
                continue;
            if(a[i]>target)
                break;

            ds.add(a[i]);
            findCombinations(a, i+1, target-a[i], answer, ds);
            ds.remove(ds.size()-1);
        }
    }

```

```

    }
}

```

**t.c = Same as above without the logn Factor**

**s.c = Same**

## 19) Palindrome Partitioning

Separate the given strings into palindrome segments and prints all combination

```

public List<List<String>> partition(String s) {
    List<List<String>> answer = new ArrayList<>();
    List<String> ds = new ArrayList<>();

    function(s, 0, answer, ds);
    return answer;
}

public void function(String s, int index, List<List<String>> answer, List<String> ds)
{
    if(index==s.length()){
        answer.add(new ArrayList<>(ds));
        return;
    }

    for(int i=index ;i<s.length();i++){
        if(sPalindrome(s, index, i)){
            ds.add(s.substring(index ,i+1));
            function(s, i+1, answer, ds );
            ds.remove(ds.size()-1);
        }
    }
}

public boolean isPalindrome(String s ,int start, int end){

    int x=start ,y=end;
    while(start<end){
        if(s.charAt(start++)!=s.charAt(end--))
            return false;
    }
    return true;
}

```

**t.c =  $2^n * n$**

**s.c = n**

## 20) Subset Sum -1 (Print sum of all subset)

```

ArrayList<Integer> subsetSums(ArrayList<Integer> arr, int N){
    ArrayList<Integer> answer = new ArrayList<>();

```

```

function(arr ,0, 0 ,answer);
Collections.sort(answer);
return answer;
}
void function(ArrayList<Integer> a, int ind, int sum,ArrayList<Integer> answer){
    if(ind==a.size()){
        answer.add(sum);
        return;
    }
    //Pick current element
    function(a, ind+1, sum+a.get(ind),answer);

    //Don't pick current element
    function(a, ind+1, sum, answer);
}

```

**t.c =  $2^n$**   
**s.c =  $2^n$**

## 21) Print all non-duplicates subsets of the array

```

public List<List<Integer>> subsetsWithDup(int[] nums) {
    Arrays.sort(nums);
    List<List<Integer>> answer = new ArrayList<>();
    addSubset(nums, 0, answer, new ArrayList<>());
    return answer;
}
public void addSubset(int a[],int ind, List<List<Integer>> answer,ArrayList<Integer> ds){
    answer.add(new ArrayList<>(ds));

    for(int i=ind; i<a.length ;i++){
        if(i>ind && a[i]==a[i-1])
            continue;
        ds.add(a[i]);
        addSubset(a ,i+1, answer, ds);
        ds.remove(ds.size()-1);
    }
}

```

**t.c =  $2^n$**   
**s.c =  $2^n$**

## 22) Kth Permutation Sequence

### 1. Approach:

Find out all the possible permutation and then store it in some data structure. Sort the data structure and finally return the kth sequence

**t.c =  $n! * n + n! \log(n!)$  (to sort)**  
**s.c =  $n!$**

## 2. Approach

Given  $n = 4$  and  $k = 17$  ( 24 possible permutations)

Answer is 3 4 1 2

Process:

There are certain sequences which starts with 1, 2, 3, 4.

Sequence starting with 1

1 choose(2, 3, 4) - 6 combinations

Similarly for sequences starting with 2, 3, 4 there will be 6 combinations each.

Making 24 combinations in total

Notice that number of combinations starting with 1, 2, 3, 4 are  $(n-1)!$  each.

So if we index the sequences it will look as follows:

Starting with:	Index
1	0 - 5
2	6 - 11
3	12 - 17
4	18 - 23

Now I want the 17th combination i.e combination at 16th in zero base indexing.

**Array : 1 2 3 4**

**Index: 0 1 2 3**

$16/(n-1)!$  Gives the first index.

$16/6 = 2$ . (element at 2nd index i.e 3)

I got the starting number so remove it from array.

**Array : 1 2 4**

**Index: 0 1 2**

Repeat the same steps to get final answer.

$N = 3$ ,

Number of combinations with different starting numbers is  $(n-1)! = 2$ .

1 - (0-1)

2 - (2-3)

4 - (4-5)

I want  $16\%6 = 4$ th sequence after 12

i.e  $k = 4$

Starting with 4

$4/2 = 2$ (index)

Remove 4

**Array : 1 2**

**Index: 0 1**

4%2 = 0. Next k

i.e

1

And finally the remaining element

Answer = 3 4 1 2

```
String kThPermutation(int n, int k)
{
    StringBuffer ans = new StringBuffer();
    List<Integer> numbers = new ArrayList<>();
    int fact = 1;

    for(int i=1; i<n; i++)
    {
        fact = fact*i;
        numbers.add(i);
    }
    numbers.add(n);
    k = k-1;

    while(true)
    {
        answer.append(numbers.get(k/fact);
        numbers.remove(k/fact);

        if(numbers.size()==0)
            break;
        k = k%fact;
        fact = fact/numbers.size();
    }

    return answer.toString();
}
```

**t.c =  $(N^2)$**

**s.c = n**

## **24) Generate All Valid Parentheses**

```
public List<String> AllParenthesis(int n)
{
    List<String> answer = new ArrayList<>();
    validParenthesis(n, "", answer);
    return answer;
}
```

```

}
public void validParenthesis(int open, int close,String str, List<String> answer){
    if(open==0 && close==0){
        answer.add(str);
        return;
    }

    if(open!=0){
        validParenthesis(open-1, close, str+"(",answer);
    }
    if(close>open){
        validParenthesis(open, close-1, str+")",answer);
    }
}

```

**T.C = (2N \* N).**

**S.C = (2\*N\*X), X = Number of valid Parenthesis.**