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1. Count number of subset with given sum

```
public int perfectSum(int a[], int n, int sum)
{
    Arrays.sort(a);
    int dp[][] = new int[n+1][sum+1];

    int mod = 1000000007;

    for(int i=0;i<dp[0].length ;i++)
        dp[0][i] = 0;

    for(int i=0;i<dp.length; i++)
        dp[i][0] = 1;

    for(int i=1;i<=n;i++){
        for(int j=1;j<=sum; j++){
            if(j<a[i-1])
                dp[i][j] = dp[i-1][j];

            else
                dp[i][j] = (dp[i-1][j]%mod + dp[i-1][j-a[i-1]]%mod)%mod;
        }
    }
    return dp[n][sum];
}
```

t.c = n X sum
s.c = n X sum

2. Partition Equal Subset Sum

```
static int equalPartition(int n, int a[])
{
    int sum = 0;
    for(int i=0;i<n;i++)
        sum = sum + a[i];

    if((sum&1)!=0)
        return 0;

    sum = sum/2;
    return checkTheSum(a, n, sum)?1:0;
}
static boolean checkTheSum(int a[],int n, int sum){
    boolean dp[][] = new boolean[n+1][sum+1];

    for(int i=0;i<=sum ;i++)
        dp[0][i] = false;

    for(int i=0;i<=n;i++)
        dp[i][0] = true;

    for(int i=1;i<=n;i++){
        for(int j=1;j<=sum; j++){
            if(j<a[i-1])
                dp[i][j] = dp[i-1][j];
            else
                dp[i][j] = dp[i-1][j] || dp[i-1][j-a[i-1]];
        }
    }
    return dp[n][sum];
}
```

t.c = n X sum
s.c = n X sum

3. Minimum sum partition

```
public int minDiffernce(int a[], int n)
{
    int sum = 0;
    for(int i=0;i<n;i++)
        sum+=a[i];

    int s = sum;
    sum/=2;
    boolean dp[][] = new boolean[n+1][sum+1];
```

```

        checkSum(a,n ,sum, dp);
        int second=0, first=0;

        for(int i=sum ;i>=0;i--)
            if(dp[n][i]){
                first = i;
                break;
            }

        second = s - first;
        return Math.abs(first-second);
    }
    void checkSum(int a[],int n, int sum, boolean dp[][]){

        for(int i=0;i<=sum ;i++)
            dp[0][i] = false;

        for(int i=0;i<=n;i++)
            dp[i][0] = true;

        for(int i=1;i<=n;i++)
        {
            for(int j=1;j<=sum ;j++){
                if(j<a[i-1])
                    dp[i][j] = dp[i-1][j];
                else
                    dp[i][j] = dp[i-1][j] || dp[i-1][j-a[i-1]];
            }
        }
    }
}

```

t.c = n X sum
s.c = n X sum

4) Target Sum

You are given a list of non-negative integers, a_1, a_2, \dots, a_n , and a target, S . Now you have 2 symbols $+$ and $-$. For each integer, you should choose one from $+$ and $-$ as its new symbol.

Find out how many ways to assign symbols to make sum of integers equal to target S .

i/p: 0 0 0 0 0 0 0 1
 1
 o/p : 256

(if 0's are not taken care then o/p is one)
 (also $(\text{sum} + \text{diff}) \% 2 = 0$ for all valid conditions)

```

public int findTargetSumWays(int[] nums, int diff) {
    int sum = 0, count=0;

```

```

int n = nums.length;
for(int i=0;i<n;i++){
    sum+=nums[i];
    if(nums[i]==0)
        count0++;
}
if(sum<diff || (sum-diff)%2==1)
    return 0;

int s1 = (diff+sum)/2;
int ans = countWays(nums, n, s1);
return (int)Math.pow(2, count0)*ans;
}
public int countWays(int a[],int n, int sum){
    int dp[][] = new int[n+1][sum+1];

    for(int i=0;i<=sum ;i++)
        dp[0][i] = 0;
    for(int i=0;i<=n;i++)
        dp[i][0] = 1;

    for(int i=1;i<=n;i++){
        for(int j=1;j<=sum ;j++){
            if(a[i-1]==0)
                dp[i][j] = dp[i-1][j];
            else if(j<a[i-1])
                dp[i][j] = dp[i-1][j];
            else
                dp[i][j] = dp[i-1][j] + dp[i-1][j-a[i-1]];
        }
    }
    return dp[n][sum];
}

```

t.c = n X sum

s.c = n X sum

5) Josephus Problem

Recursive

```

int josephus(int n, int k)
{
    if(n==1)
        return 1;

    return (josephus(n-1, k) + k -1) %n+1;
}

```

Iterative

```
List<Integer>
```

```
int josephus(List<Integer> a, int start, int k)
{
    if(a.size()==0)
        return a.get(0);

    start = (start + k)%a.size();
    a.remove(start);

    return josephus(a, start, k);
}
```

6. Breadth First Search

```
List<Integer> bfs(ArrayList<ArrayList<Integer>> adj, int v)
{
    List<Integer> answer = new ArrayList<>();
    Queue<Integer> q = new LinkedList<>();

    boolean visited[] = new boolean[v];
    q.add(0);
    visited[0] = true;

    while(!q.isEmpty())
    {
        int cur = q.remove();
        answer.add(cur);

        for(int i=0; i<adj.get(cur).size(); i++)
        {
            if(!visited[adj.get(cur).get(i)])
            {
                q.add(adj.get(cur).get(i));
                visited[adj.get(cur).get(i)] = true;
            }
        }
    }

    return answer;
}
```

T.C = $O(V+E)$

S.C = $O(V)$

7) Depth First Search

```
public ArrayList<Integer> dfsOfGraph(int v, ArrayList<ArrayList<Integer>> adj)
{
    ArrayList<Integer> answer = new ArrayList<>();
```

```

        boolean visited[] = new boolean[v];
        dfs(adj, answer, 0, visited);
        return answer;
    }

```

```

    public void dfs(ArrayList<ArrayList<Integer>> adj, ArrayList<Integer> answer ,int src,
boolean v[]){
        v[src] = true;
        answer.add(src);

        for(int i=0;i<adj.get(src).size();i++){
            int cur = adj.get(src).get(i);
            if(!v[cur]){
                dfs(adj, answer, cur, v);
            }
        }
    }
}

```

T.C = $O(V+E)$

S.C = $O(V)$

8) Balance Parenthesis

```

public boolean isValid(String s) {
    Stack<Character> stack = new Stack<>();

    for(int i=0;i<s.length();i++){
        char c = s.charAt(i);
        if(c=='(' || c=='[' || c=='{')
            stack.push(c);
        else if(stack.isEmpty())
            return false;
        else{
            if(c==')' && stack.peek()=='(')
                stack.pop();
            else if(c==']' && stack.peek()=='[')
                stack.pop();
            else if(c=='}' && stack.peek()=='{')
                stack.pop();
            else
                return false;
        }
    }
    if(!stack.isEmpty())
        return false;
    return true;
}

```

T.C = $s.length()$

S.C = $s.length()$

9) Next Greater Element (Variations)

i. NGS in Linear array

```
public static long[] nextLargerElement(long[] a, int n) {
    Stack<Integer> stack = new Stack<>();
    long ans[] = new long[n];
    ans[n-1] = -1;
    stack.push(n-1);
    for(int i=n-2;i>=0;i--){
        while(!stack.isEmpty() && a[stack.peek()]<=a[i])
            stack.pop();
        if(stack.isEmpty())
            ans[i] = -1;
        else
            ans[i] = a[stack.peek()];
        stack.push(i);
    }
    return ans;
}
```

T.C = n

S.C = n

ii. NGS in Circular array (Leetcode)

Given a circular array find the next greater element of each index

Eg: i/p: 8 6 0 1 3

o/p: -1 8 1 3 8

Approachs:

a. If it is a Circular array then copy the elements of the into another array twice.

double array: 8 6 0 1 3 8 6 0 1 3

Now find NGS of this using brute force.

double array has copied elements

```
for(int i=0; i<a.length; i++)
{
    res[i] = -1;

    for(int j = i+1; j<double.length; j++)
    {
        if(double[i]<double[j])
        {
```

```

        res[i] = double[j];
        break;
    }
}
}

```

t.c = n^2

s.c = n

b. Similar to above approach but don't use extra space

```

for(int i=0; i<a.length; i++)
{
    res[i] = -1;
    for(int j=1; j<a.length; j++)
    {
        if(a[i] < a[(i+j)%a.length])
        {
            res[i] = a[(i+j)%a.length];
            break;
        }
    }
}

```

t.c = n^2

s.c = 1 (if result is not considered)

c. Do the exact same stack approach but do it twice

```

for(int i = n-1; i>=0; i- -)
{
    while(!s.isEmpty() && a[i]>=a[s.peek()])
        s.pop();

    res[i] = s.isEmpty()? -1:a[s.peek()];
    s.push(i);
}

for(int i = n-1; i>=0; i- -)
{
    while(!s.isEmpty() && a[i]>=a[s.peek()])
        s.pop();

    res[i] = s.isEmpty()? -1:a[s.peek()];
    s.push(i);
}

```

t.c = n + n

s.c = n

d. Doing it in one Pass

```
for(int i=2*n-1 ; i>=0; i- -)
{
    while(!s.isEmpty() && a[s.peek()]<=a[i%a.length])
        s.pop();
    res[i%a.length] = s.isEmpty()? -1:a[s.peek()];
    s.push(i%a.length);
}
```

t.c = n

s.c = n

10). LRU Cache

```
static Deque<Integer> dequeue;
static HashMap<Integer,Integer> map;
static int capacity;
LRUCache(int cap)
{
    dequeue = new LinkedList<>();
    map = new HashMap<>();
    capacity = cap;
}

// this function should return value corresponding to key
static int get(int key)
{
    if(!map.containsKey(key))
        return -1;

    int value = map.get(key);
    dequeue.remove(key);
    dequeue.addFirst(key);
    return value;
}

// storing key, value pair
static void set(int key, int value)
{
    if(!map.containsKey(key)){
        if(dequeue.size()==capacity){
            int last = dequeue.removeLast();
            map.remove(last);
        }
    }
    else{
        dequeue.remove(key);
    }
}
```

```

        dequeue.addFirst(key);
        map.put(key, value);
    }

```

T.C = $O(1)$

S.C = $O(n)$

11) Largest rectangle in histogram

i. Brute Force

Calculate every subarray and then in every iteration find the min and multiply it with the length.

```

{
int answer = 0;

for(int i=0; i<n; i++)
{
    int min = Integer.MAX_VALUE;
    for(int j=i; j<n; j++)
    {
        min = Math.min(a[j], min);
        int len = j - i + 1;

        ans = Math.max(ans, len*min);
    }
}

return ans;
}

```

T.C = $O(n^2)$

S.C = $O(1)$

ii. Using Stack

```

public static long getMaxArea(long a[], long n) {

    Stack<Integer> s = new Stack<>();

    int i = 0;
    long ans = 0;
    while(i<a.length)
    {
        while(!s.isEmpty() && a[s.peek()]>a[i])
        {
            int top = s.pop();
            long cur = a[top];

```

```

        if(s.isEmpty())
            ans = Math.max(ans, i*cur);
        else
            ans = Math.max(ans, cur*(i-s.peek()-1));
    }
    s.push(i++);
}

while(!s.isEmpty())
{
    long cur = a[s.pop()];
    if(s.isEmpty())
        ans = Math.max(ans, i*cur);
    else
    {
        int len = i - s.peek() - 1;
        ans = Math.max(ans, len*cur);
    }
}
return ans;
}

```

T.C = $O(n)$

S.C = $O(n)$

12) Sliding Window maximum

i. Brute Force Approach

```

int[] slidingWindow(int a[], int k, int n)
{
    int answer[] = new int[n-k+1];

    for(int i=0; (i+k)<n; i++)
    {
        int max = Integer.MIN_VALUE;
        for(int j=i; j<i+k; j++)
        {
            max = Math.max(max, a[j]);
        }
        answer[i] = max;
    }

    return answer;
}

```

T.C = $O(n*k)$

S.C = $O(n)$

ii. Using Deque

```

int slidingWindow(int a[], int k, int n)
{
    Deque<Integer> dq = new LinkedList<>();
    int answer[] = new int[n-k+1];
    int index = 0;
    int i=0;
    while(i<k)
    {
        while(!dq.isEmpty() && a[dq.peekLast()]<=a[i])
            dq.pollLast();
        dq.offerLast(i);
        i++;
    }

    while(i<n)
    {
        int cur = dq.peekFirst();
        answer[index++] = a[cur];

        while(!dq.isEmpty() && dq.peekFirst()<=(i-k))
            dq.pollFirst();

        while(!dq.isEmpty() && a[dq.peekLast()]<=a[i])
            dq.pollLast();
        dq.offerFirst(i);
        i++;
    }

    answer[index] = dq.peekFirst();
    return answer;
}

```

T.C = $O(n)$

S.C = $O(n)$

13) Implement Min Stack

i. Using Another stack

It takes space of n

T.C = n

S.C = n

ii. By putting decoded values into the same stack

```

class MinStack {

    long min = Integer.MAX_VALUE;

```

```

Stack<Long> s;
public MinStack() {
    s = new Stack<>();
}

public void push(int val) {
    if(s.isEmpty()){
        s.push((long)val);
        min = val;
    }
    else if(val>=min){
        s.push((long)val);
    }
    else{
        s.push((long)val+val-min);
        min = val;
    }
}

public void pop() {
    if(s.peek()>=min)
        s.pop();
    else
        min = min + min -s.pop();
}

public int top() {
    if(s.peek()>min)
        return (int)(long)s.peek();
    return (int)min;
}

public int getMin() {
    return (int)min;
}
}

```

T.C = 1

S.C = n

14) Rotten Oranges

i. Use brute force approach

Traverse the array and every time u encounter change all it's neighbouring 1's to -1 and it's value to 0. Now in the second iteration change all neighbours of -1 to -2 and so on do it till all the oranges are rotten. Every time you change keep a count variable to track . Finally return the count.

T.C = n^2

S.C = 1

ii. Using BFS

```
class Pair{
    int x;
    int y;
    int t;
    Pair(int a, int b, int c){
        x=a;
        y=b;
        t=c;
    }
}

public boolean isSafe(int i, int j, int n, int m, int a[][]){
    if(i>=n || i<0 || j>=m || j<0)
        return false;
    if(a[i][j]==0 || a[i][j]==2)
        return false;

    a[i][j] = 2;
    return true;
}

public boolean check(int a[][]){

    for(int i=0;i<a.length; i++)
        for(int j=0;j<a[0].length; j++)
            if(a[i][j]==1)
                return false;

    return true;
}

public int orangesRotting(int[][] a)
{
    Queue<Pair> q = new LinkedList<>();

    for(int i=0;i<a.length; i++)
        for(int j=0;j<a[0].length; j++)
            if(a[i][j]==2)
                q.add(new Pair(i, j, 0));

    int count = 0;
    while(!q.isEmpty()){
        Pair temp = q.remove();
        int i = temp.x;
        int j = temp.y;
        int time = temp.t;

        if(isSafe(i-1,j, a.length, a[0].length, a) ){
```

```

        q.add(new Pair(i-1 ,j, time+1));
    }
    if(isSafe(i+1,j, a.length, a[0].length, a) ){
        q.add(new Pair(i+1 ,j, time+1));
    }
    if(isSafe(i, j-1, a.length ,a[0].length ,a) ){
        q.add(new Pair(i, j-1, time+1));
    }
    if(isSafe(i, j+1, a.length, a[0].length, a)){
        q.add(new Pair(i, j+1, time+1));
    }

    count = Math.max(count, time);
}

if(!check(a))
    return -1;

return count;
}

```

T.C = $O(n^2)$

S.c = $O(n)$

15) Sort Stack Using recursion

```

static void sortStack(Stack<Integer> stack, int n){
    if(stack.size()<=1)
        return;

    int top = stack.pop();
    sortStack(stack, n-1);
    insert(stack, top);
    return;
}
static void insert(Stack<Integer> stack, int element){
    if(stack.size()==0 || stack.peek()<=element){
        stack.push(element);
        return;
    }

    int curTop = stack.pop();
    insert(stack, element);
    stack.push(curTop);
    return;
}

```

T.C = $O(n^2)$

S.C = $O(1)$