Report on Tic-Tac-Toe Solver in Python

1. Introduction

Tic-Tac-Toe is a classic two-player game often used to teach basic programming concepts. The game involves a 3x3 grid, and each player alternates placing their mark (usually an "X" or "O") on the grid. The objective is to place three of the player's marks in a row, either horizontally, vertically, or diagonally.

A **Tic-Tac-Toe solver** is a program that can determine the optimal move in any given board state or can even predict the winner of the game given a particular configuration. The game can either end in a win for one of the players or a draw if no player wins. This report explains the approach to creating a Tic-Tac-Toe solver using Python, covering the game mechanics, the algorithm used, and the implementation details.

2. Problem Definition

The task of solving a Tic-Tac-Toe game involves two main objectives:

- 1. **Determine if a player has won**: This is determined by checking if any row, column, or diagonal contains three identical marks ("X" or "O").
- 2. **Predict optimal moves**: Using an algorithm like the **Minimax algorithm**, the solver should predict the best possible move for the current player, considering the opponent's optimal moves.

3. Game Mechanics

A Tic-Tac-Toe game typically follows these steps:

- 1. **Board Setup**: A 3x3 grid where each cell is either empty, contains an "X", or contains an "O".
- 2. Turns: Two players take alternate turns to place their mark ("X" or "O") on an empty cell.
- 3. Win Condition: The game ends when one player places three of their marks consecutively in a row, column, or diagonal, or if all cells are filled with no winner, resulting in a draw.
- 4. End Game: The game ends when there is a winner or all cells are filled (draw).

4. Solving Approach

To solve the Tic-Tac-Toe game programmatically, we need to:

- **Evaluate the board**: The solver should be able to evaluate if a given board is in a winning or draw state.
- **Simulate moves**: The solver must simulate different board configurations resulting from possible moves and predict the winner.
- Optimal Strategy: Implement an algorithm like Minimax that helps choose the best move by simulating future moves and choosing the one that maximizes the player's chances of winning while minimizing the opponent's chances.
- Minimax Algorithm:
- The **Minimax algorithm** is a decision-making algorithm often used in two-player games like Tic-Tac-Toe. The core idea is:
- 1. <u>Maximizing Player (X)</u>: The player who is trying to win will try to maximize their score (taking the best possible move).

2. Minimizing Player (O): The opponent will try to minimize the score of the maximizing player (taking the best move to block or prevent a win).

The algorithm simulates all possible moves and chooses the one that maximizes the chance of winning for the maximizing player while minimizing the opponent's potential.

Steps of Minimax:

- Evaluate the board recursively.
- Assign a score for each possible end state (win, loss, draw).
- Propagate the scores back through the decision tree.
- Select the optimal move based on the maximum score for the current player.

Implementation

for row in range(3):

The implementation of the Tic-Tac-Toe solver involves creating a function to evaluate the board, a function to implement the Minimax algorithm, and a function to determine the best move based on the current board.

CODE:

```
# Tic Tac Toe Solver using Minimax Algorithm
# Constants for the players
PLAYER X = 'X'
PLAYER O = 'O'
<u>EMPTY = ' '</u>
# Function to print the current board state
def print_board(board):
 """Prints the Tic Tac Toe board in a readable format."""
for row in range(3):
print("|".join(board[row]))
if row < 2:
 print("-" * 5)
__print()
# Function to check if the game is over (win or draw)
def is game over(board):
 """Returns True if the game is over (win or draw), False otherwise."""
# Check for winning condition
for row in range(3):
if board[row][0] == board[row][1] == board[row][2]!= EMPTY: # Check rows
return True
for col in range(3):
if board[0][col] == board[1][col] == board[2][col] != EMPTY: # Check columns
     return True
 if board[0][0] == board[1][1] == board[2][2]!= EMPTY: # Check diagonals
  return True
if board[0][2] == board[1][1] == board[2][0] != EMPTY:
 return True
# Check for a draw (if no empty spaces remain)
```

```
<u>for col in range(3):</u>
if board[row][col] == EMPTY:
       return False # Game is not over yet, as there are empty spots
return True # It's a draw if no empty spots
# Function to evaluate the score of the current board
def evaluate(board):
 """Evaluates the board and returns a score."""
 # Check rows, columns, and diagonals for a winner
for row in range(3):
if board[row][0] == board[row][1] == board[row][2]:
if board[row][0] == PLAYER_X:
return 10
elif board[row][0] == PLAYER_O:
    return -10
for col in range(3):
 if board[0][col] == board[1][col] == board[2][col]:
if board[0][col] == PLAYER X:
return 10
 elif board[0][col] == PLAYER_O:
 return -10
<u>if board[0][0] == board[1][1] == board[2][2]:</u>
if board[0][0] == PLAYER_X:
return 10
 elif board[0][0] == PLAYER_O:
  return -10
<u>if board[0][2] == board[1][1] == board[2][0]:</u>
if board[0][2] == PLAYER_X:
return 10
 elif board[0][2] == PLAYER_O:
return -10
return 0 # No winner yet, return 0
# Minimax function to determine the best move
def minimax(board, depth, is_maximizing):
 Minimax algorithm to choose the best possible move.
:param board: current state of the board
:param depth: current depth of the recursion (how many moves ahead)
:param is maximizing: True if the current player is maximizing (X), False if minimizing
(O)
 :return: the score of the board after evaluating
score = evaluate(board)
# If the game is over, return the score
<u>if score == 10 or score == -10:</u>
  return score
```

```
<u>if is_game_over(board):</u>
return 0
<u>if is_maximizing: # Maximize for PLAYER_X</u>
  <u>best = -float('inf')</u>
for row in range(3):
 for col in range(3):
if board[row][col] == EMPTY:
        board[row][col] = PLAYER X # Make the move
         best = max(best, minimax(board, depth + 1, not is maximizing))
        board[row][col] = EMPTY # Undo the move
  return best
else: # Minimize for PLAYER_O
  best = float('inf')
for row in range(3):
for col in range(3):
    if board[row][col] == EMPTY:
        board[row][col] = PLAYER O # Make the move
        best = min(best, minimax(board, depth + 1, not is maximizing))
        board[row][col] = EMPTY # Undo the move
 return best
# Function to find the best move for the current player
def find_best_move(board):
Finds the best move for the current player (PLAYER_X).
 :param board: current state of the board
 :return: the best move as a tuple (row, col)
 best val = -float('inf')
 best move = (-1, -1)
# Loop through all empty spots to evaluate the best move
for row in range(3):
for col in range(3):
if board[row][col] == EMPTY:
    board[row][col] = PLAYER_X # Make the move
   move_val = minimax(board, 0, False) # Call minimax for minimizing player (O)
      board[row][col] = EMPTY # Undo the move
if move_val > best_val:
        best move = (row, col)
        best_val = move_val
return best move
# Main function to run the game
def play_game():
 """Function to play the game, showing the board and the moves."""
<u>board = [[EMPTY for _ in range(3)] for _ in range(3)] # Initialize an empty board</u>
```

```
while not is game over (board):
____print_board(board)
# Player X's turn
print("Player X's turn:")
row, col = find_best_move(board)
board[row][col] = PLAYER_X
<u>if is_game_over(board):</u>
print_board(board)
print("Player X wins!")
return
____print_board(board)
  # Player O's turn (Human or AI)
print("Player O's turn (enter row and col):")
 try:
row, col = map(int, input().split())
if board[row][col] != EMPTY:
print("Invalid move, try again.")
continue
board[row][col] = PLAYER_O
 except (ValueError, IndexError):
print("Invalid input. Please enter two numbers between 0 and 2.")
continue
_ print_board(board)
print("It's a draw!")
# Run the game
if _name_ == "_main_":
__play_game()
```