

MEL2040 PROJECT DATA-DRIVEN ANALYSIS OF FLUID FLOWS

Fluid Mechanics

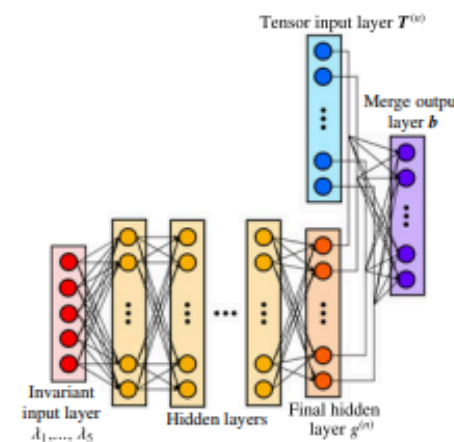


Avinash Kumar (B22ME014)

Deep learning in fluid dynamics

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It was only a matter of time before deep neural networks (DNNs) – deep learning – made their mark in turbulence modelling, or more broadly, in the general area of high-dimensional, complex dynamical systems. In the last decade, DNNs have become a dominant data mining tool for big data applications. Although neural networks have been applied previously to complex fluid flows, the article featured here (Ling *et al.*, *J. Fluid Mech.*, vol. 807, 2016, pp. 155–166) is the first to apply a true DNN architecture, specifically to Reynolds averaged Navier Stokes turbulence models. As one often expects with modern DNNs, performance gains are achieved over competing state-of-the-art methods, suggesting that DNNs may play a critically enabling role in the future of modelling complex flows.

Key words: computational methods, low-dimensional models, turbulence modelling

1. Introduction

Neural networks were inspired by the Nobel prize winning work of Hubel and Wiesel on the primary visual cortex of cats (Hubel & Wiesel 1962). Their seminal experiments showed that neuronal networks were organized in hierarchical layers of cells for processing visual stimulus. The first mathematical model of a neural network, termed the Neocognitron in 1980 (Fukushima 1980), had many of the characteristic features of today's deep neural networks (DNNs), which are typically between 7–10 layers, but more recently have been scaled to hundreds of layers for certain applications. The recent success of DNNs has been enabled by two critical components: (i) the continued growth of computational power and (ii) exceptionally large labelled data sets which take advantage of the power of a multi-layer (deep) architecture. Indeed, although the theoretical inception of DNNs has an almost

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REVIEW OF MACHINE LEARNING IN FLUIDS

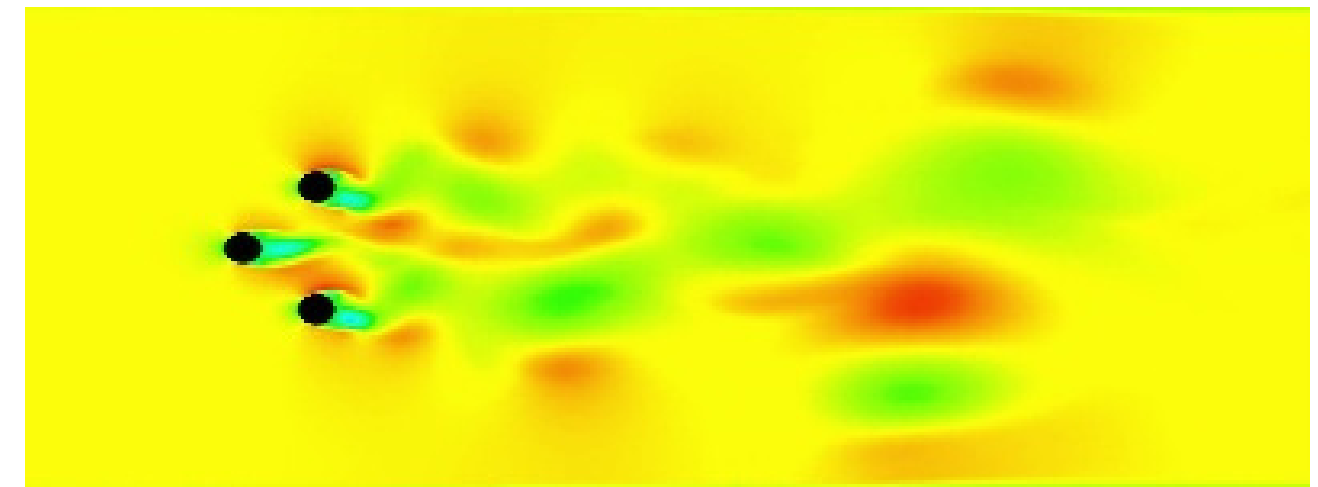
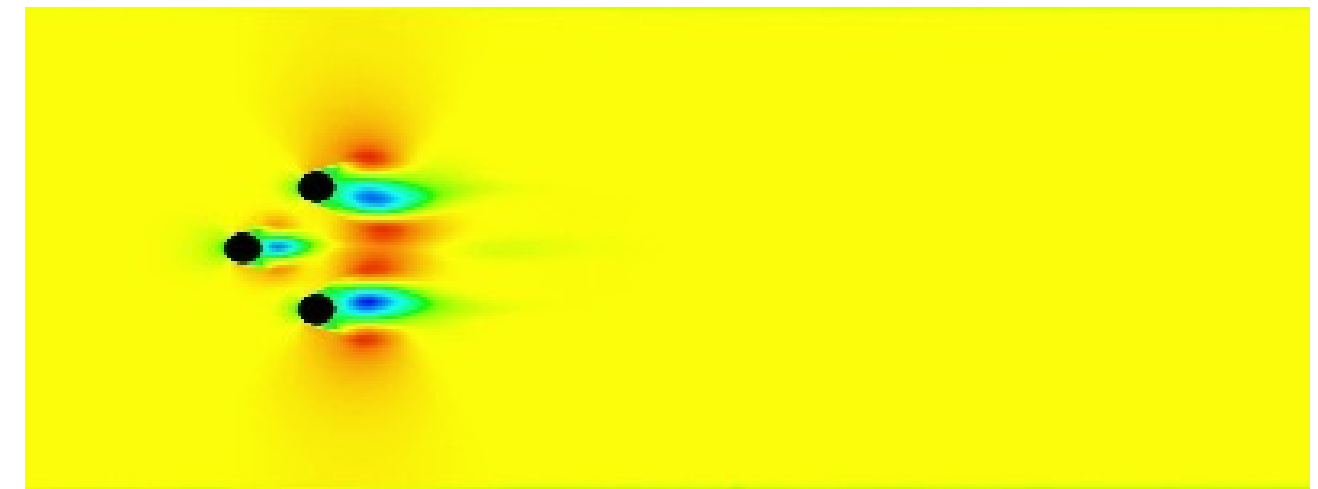
This article outlines the impact of deep neural networks (DNNs) on fluid dynamics, particularly in turbulence modeling. It emphasizes DNNs' superior accuracy in predicting complex flows and suggests improvements such as addressing potential challenges and providing clearer explanations and training methods.

NEW IDEAS

- 1. Turbulence Modeling using Generative Adversarial Networks (GANs):** Utilize GANs to develop generative models of turbulent flow fields, addressing the limitations of classical turbulence models.
- 2. Physics-Informed Neural Networks (PINNs) for Fluid Flow Simulations:** Employ PINNs to efficiently simulate fluid flows by learning the underlying physics from data, particularly useful for complex geometries and boundary conditions.
- 3. Anomaly Detection in Fluid Flow Data Using Autoencoders:** Use autoencoders to detect anomalies in fluid systems, crucial for condition monitoring and fault detection, by learning a low-dimensional representation of normal flow data and identifying deviations.
- 4. Reduced-Order Modeling of Fluid Flows Using Variational Autoencoders (VAEs):** Employ VAEs to derive compact, probabilistic representations of fluid flow data for efficient reduced-order modeling, overcoming limitations of traditional techniques like POD and DMD.

IMAGE GENRATION

- We take image with fram rate 40fps and we got around 1300 image as our dataset
- We also need to resize the image to 150x400 pixel, as there is some Memory error maybe because of large dataset



APPLYING POD

apply POD methods to all our images and taken out modes from it. modes are the concentrated information from the dataset i.e eigenvectors

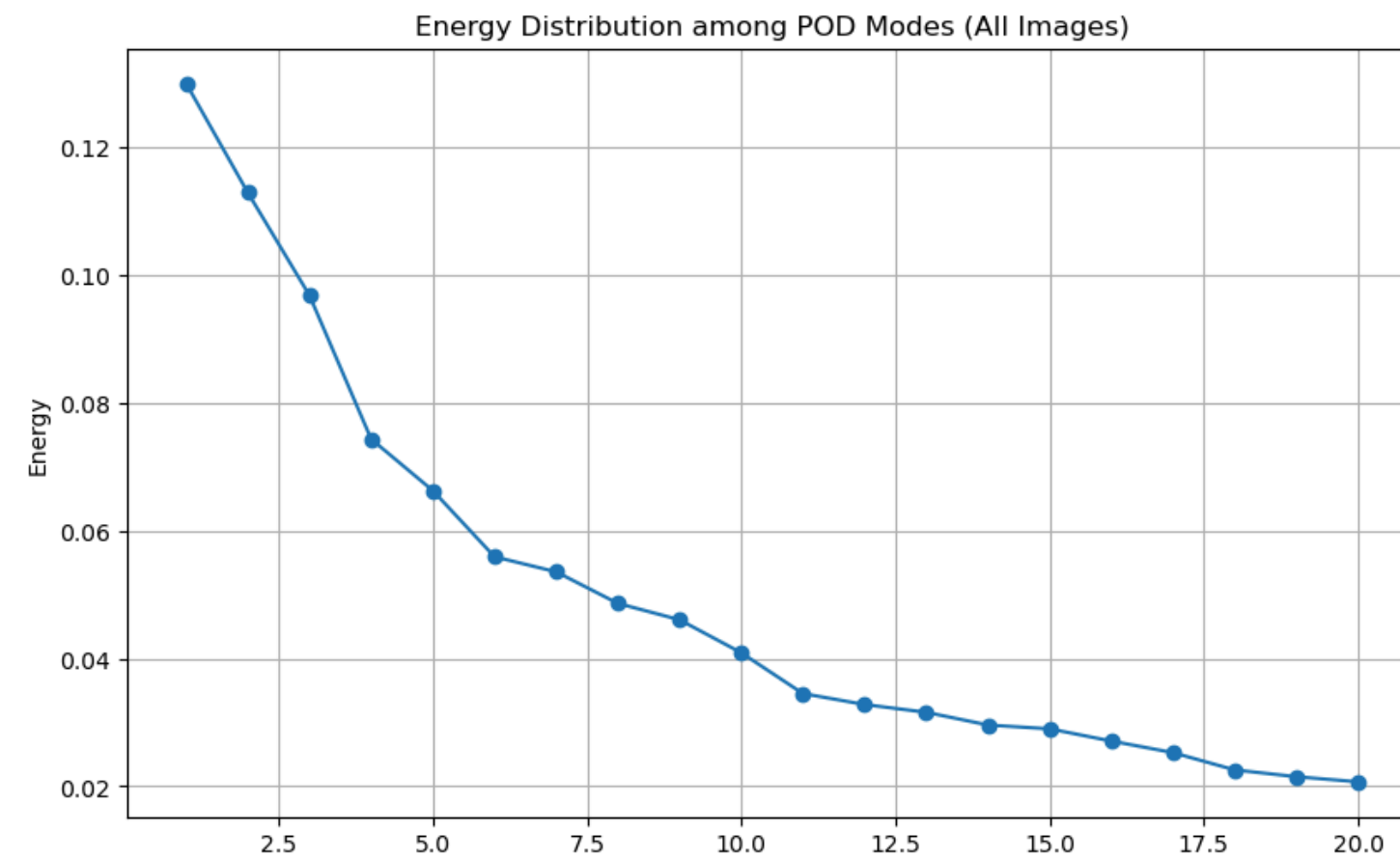
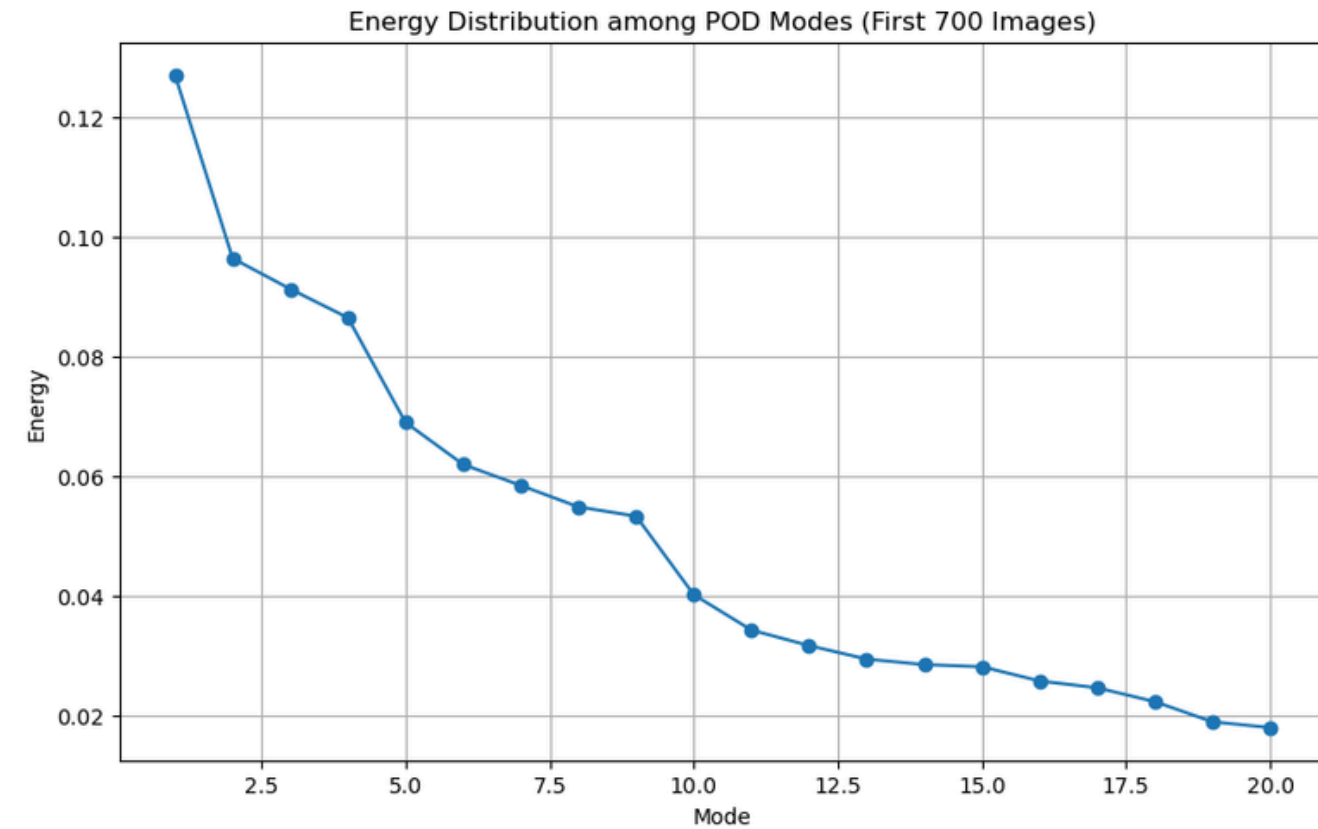
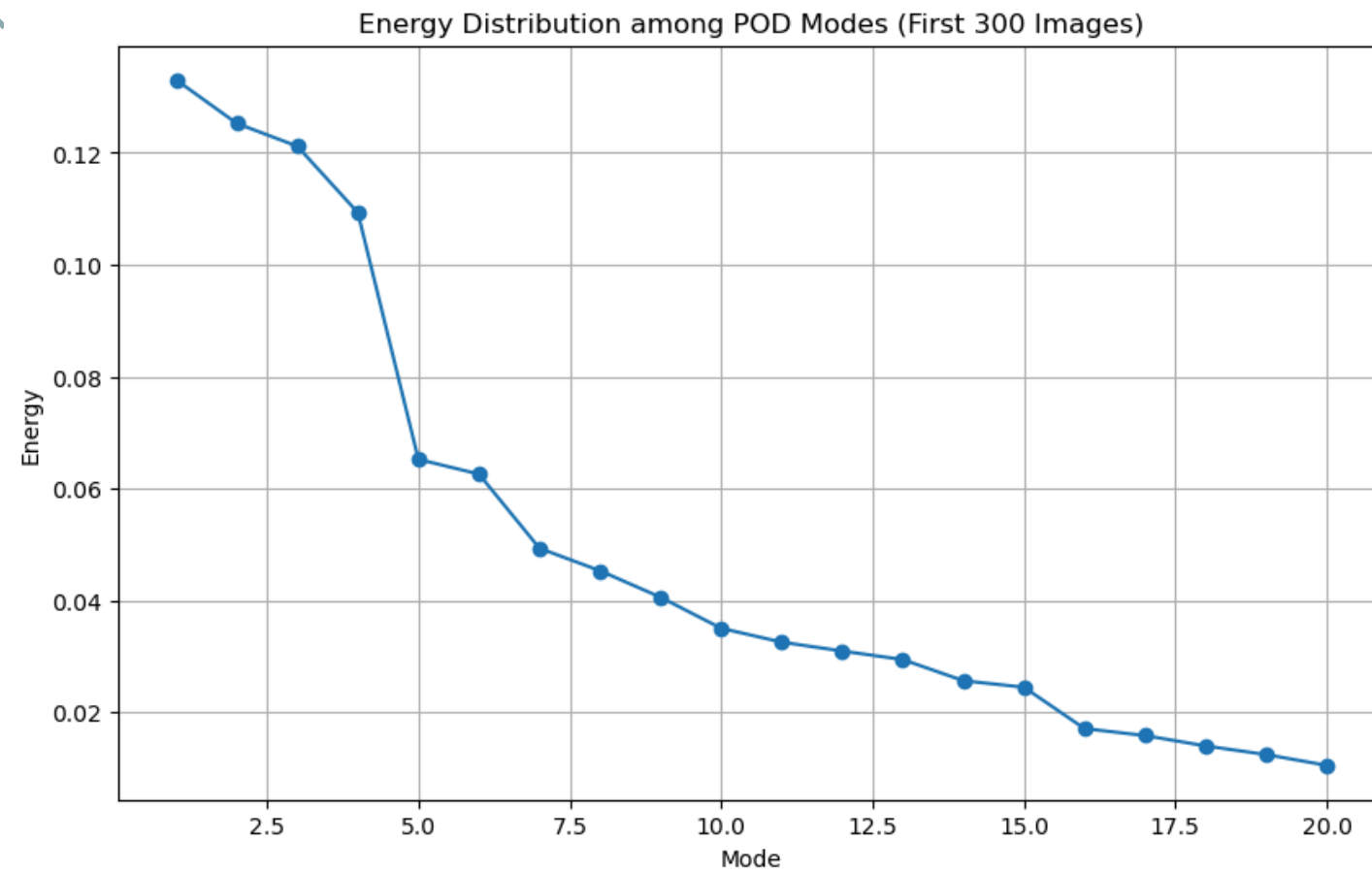
we have used SVD method for POD application

$$A = U * S * V^T$$

U and V are orthogonal matrix and S diagonal matrix.

we have saved our modes in .npy format (format used to store Numpy array)

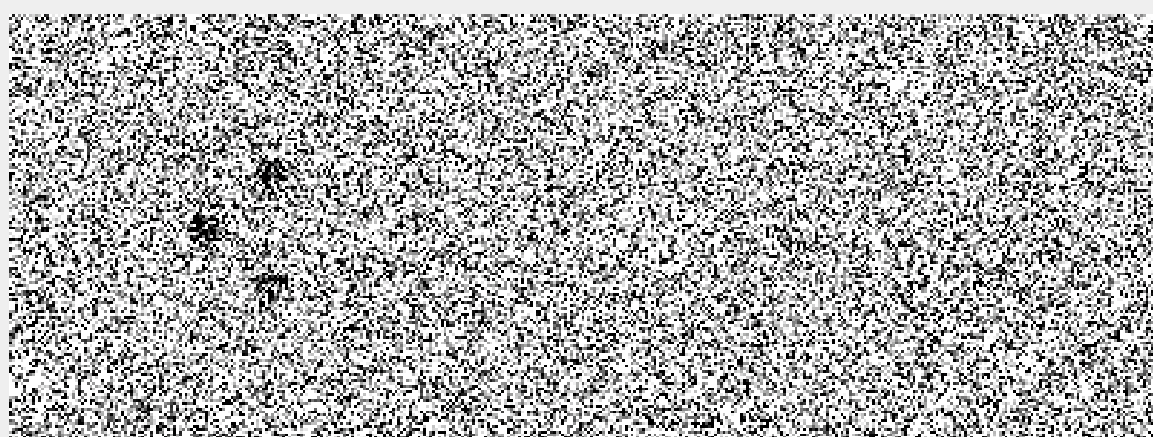
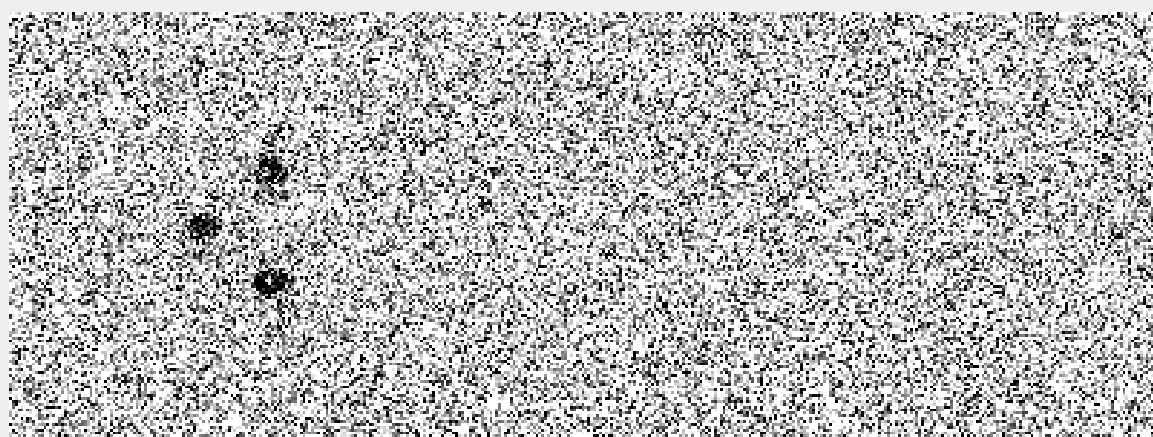
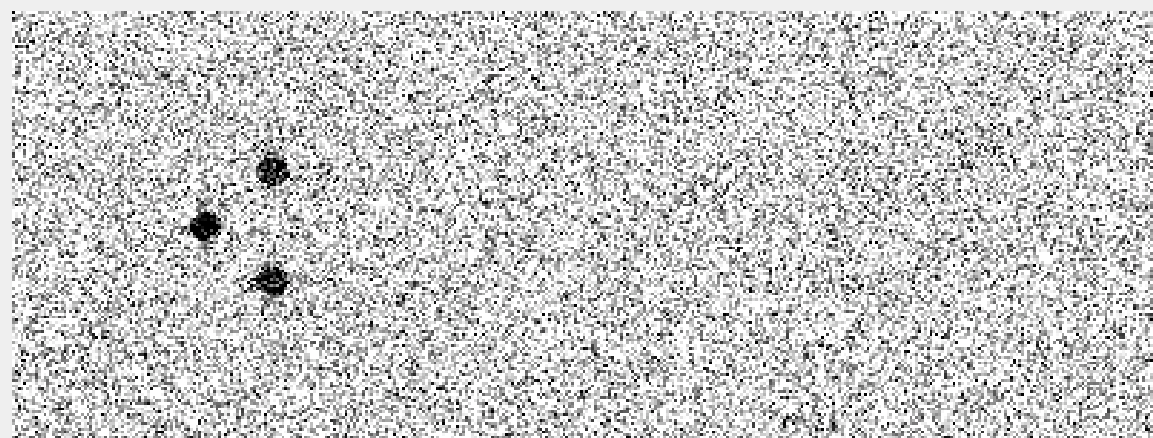
ANALYSIS OF THIS MODES



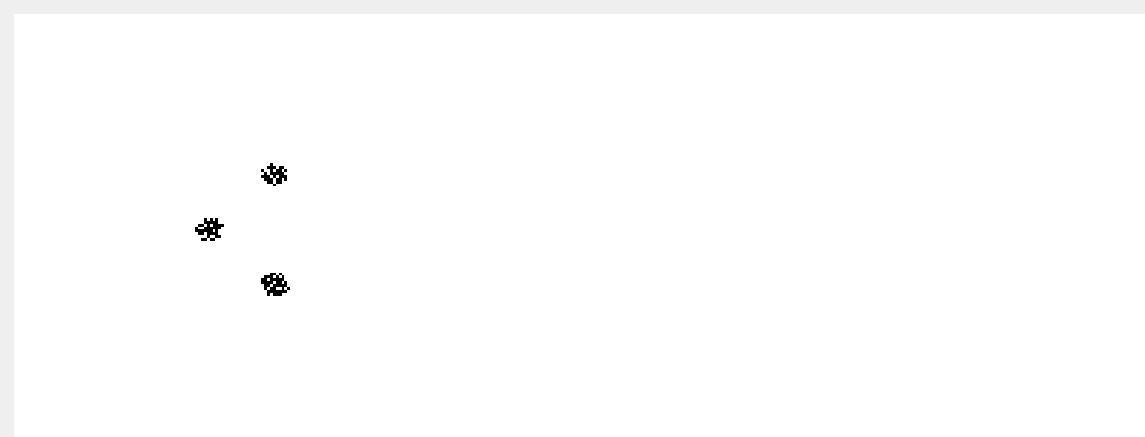
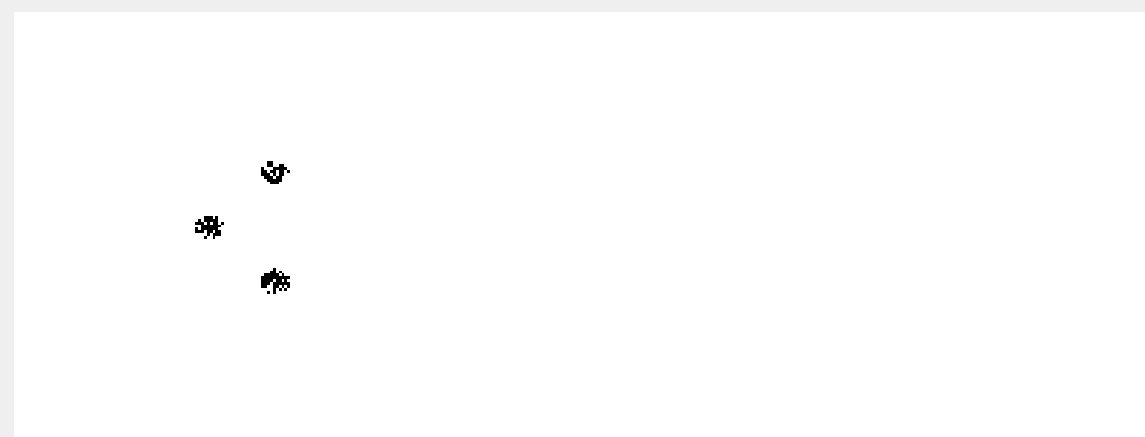
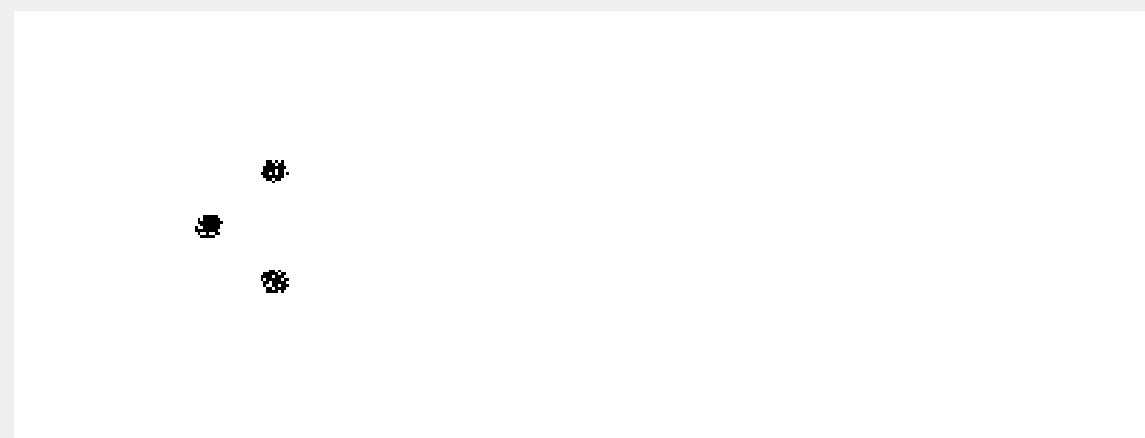
more even
distributed energy

ADDING NOISE

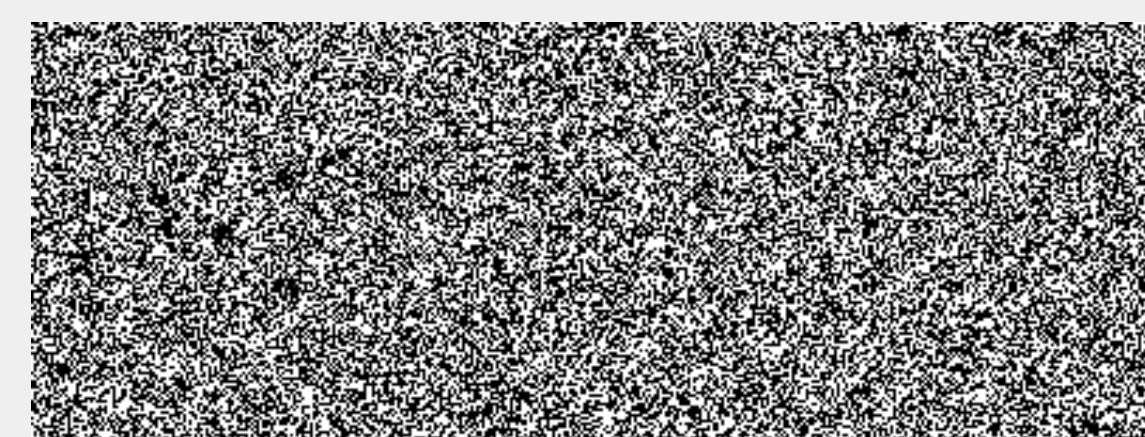
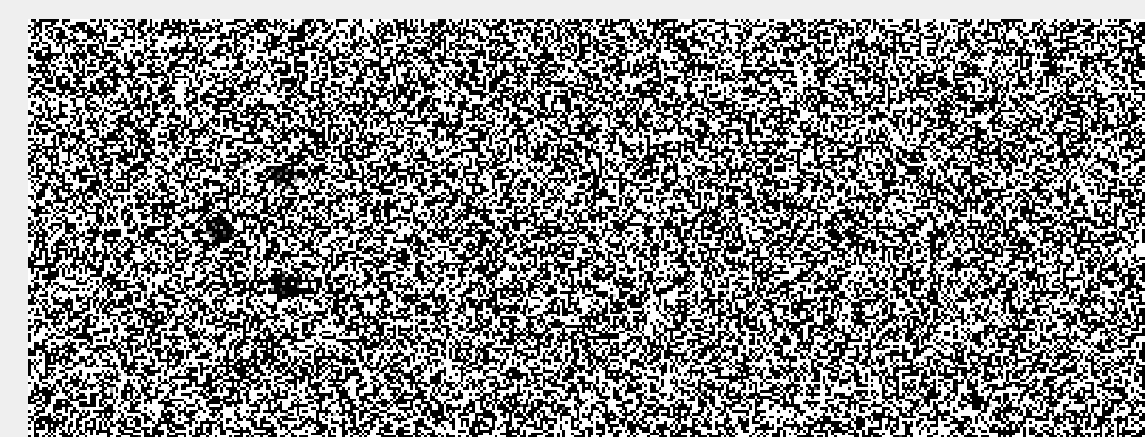
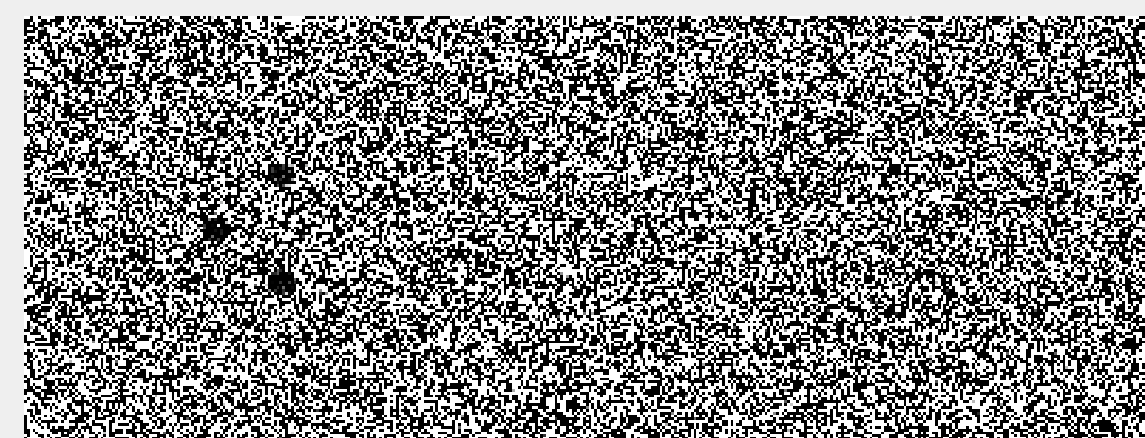
GAUSSIAN



POISSON

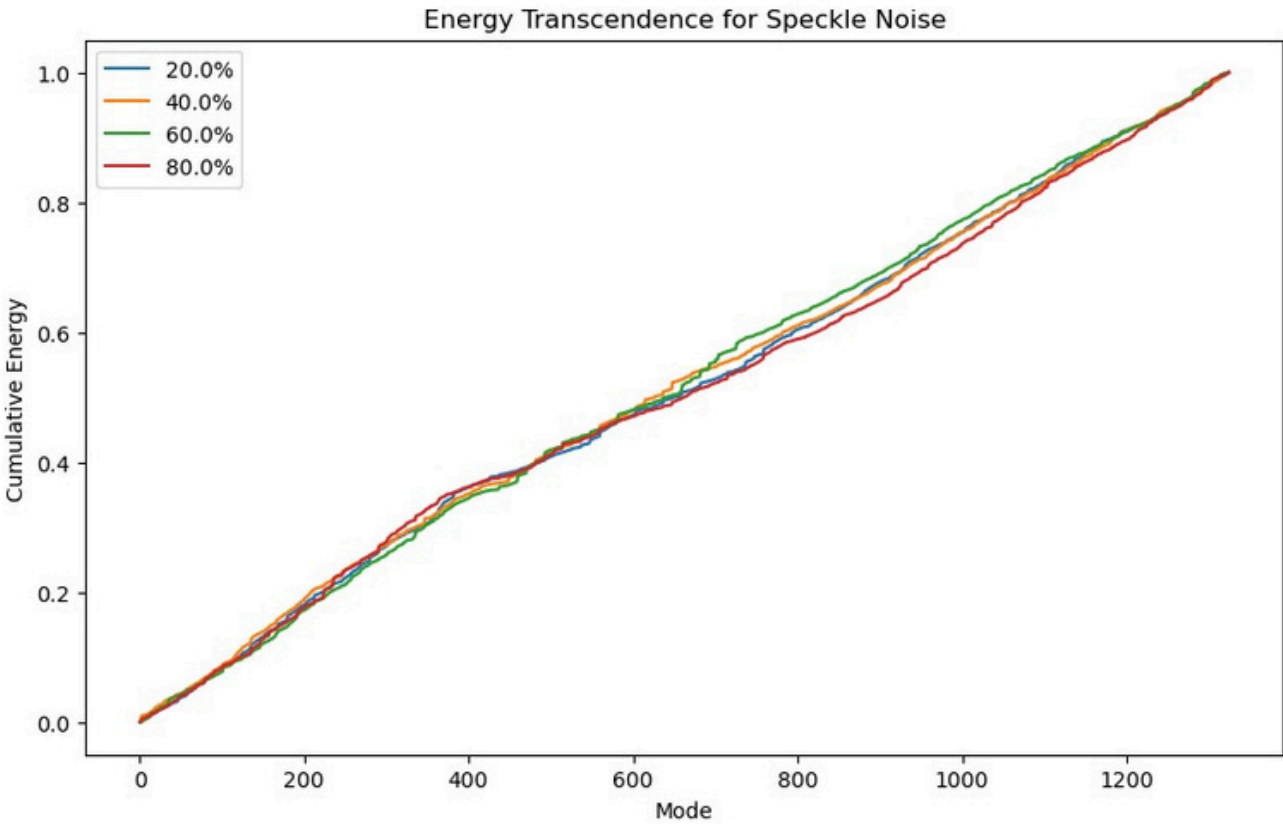
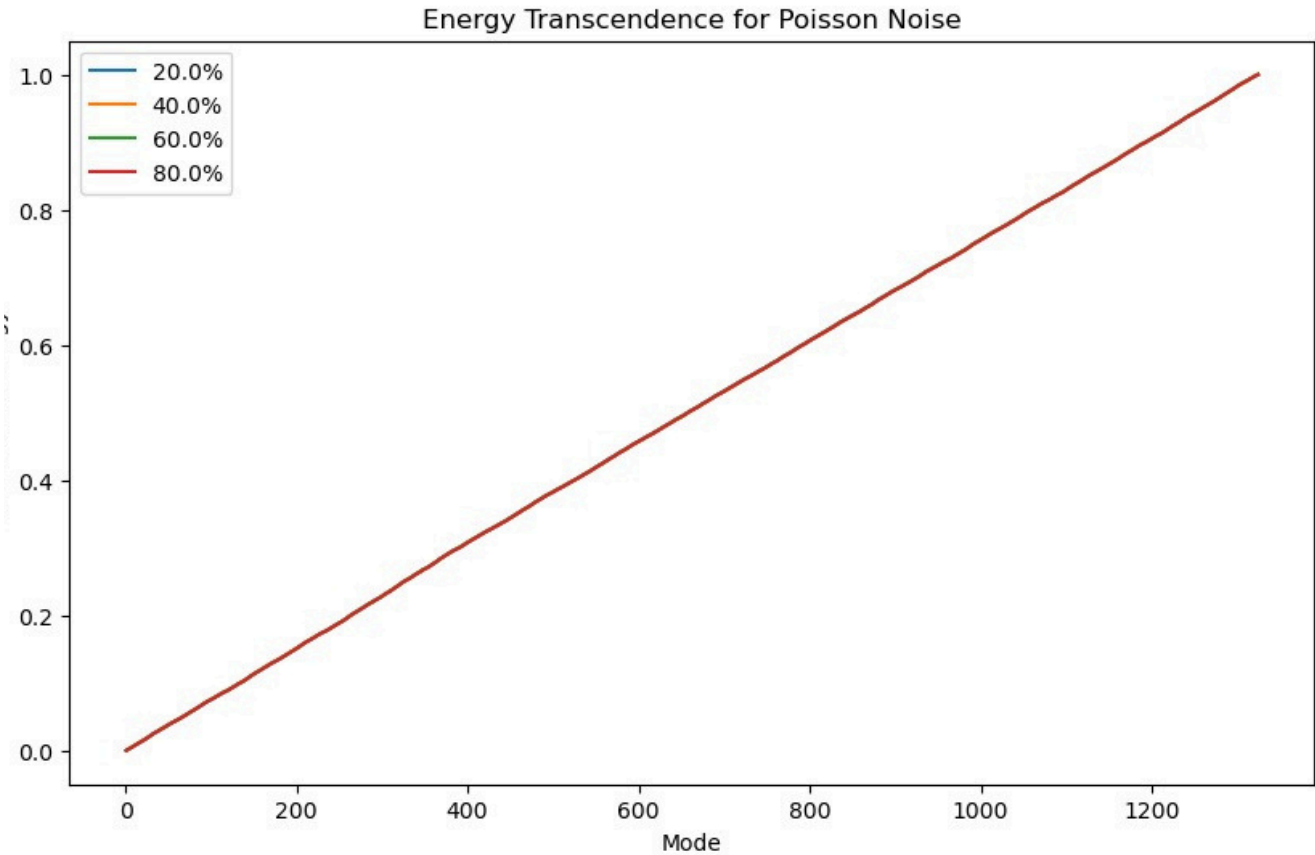
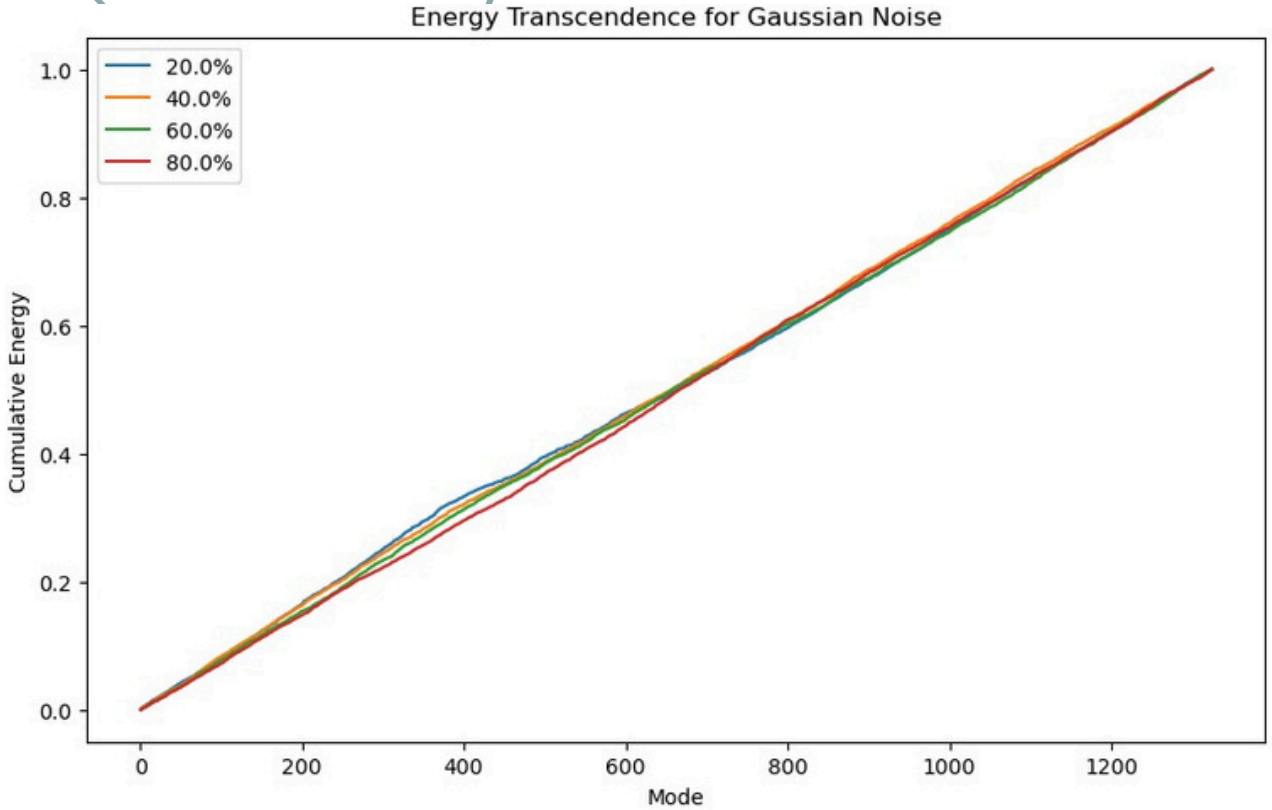


SPECKLE



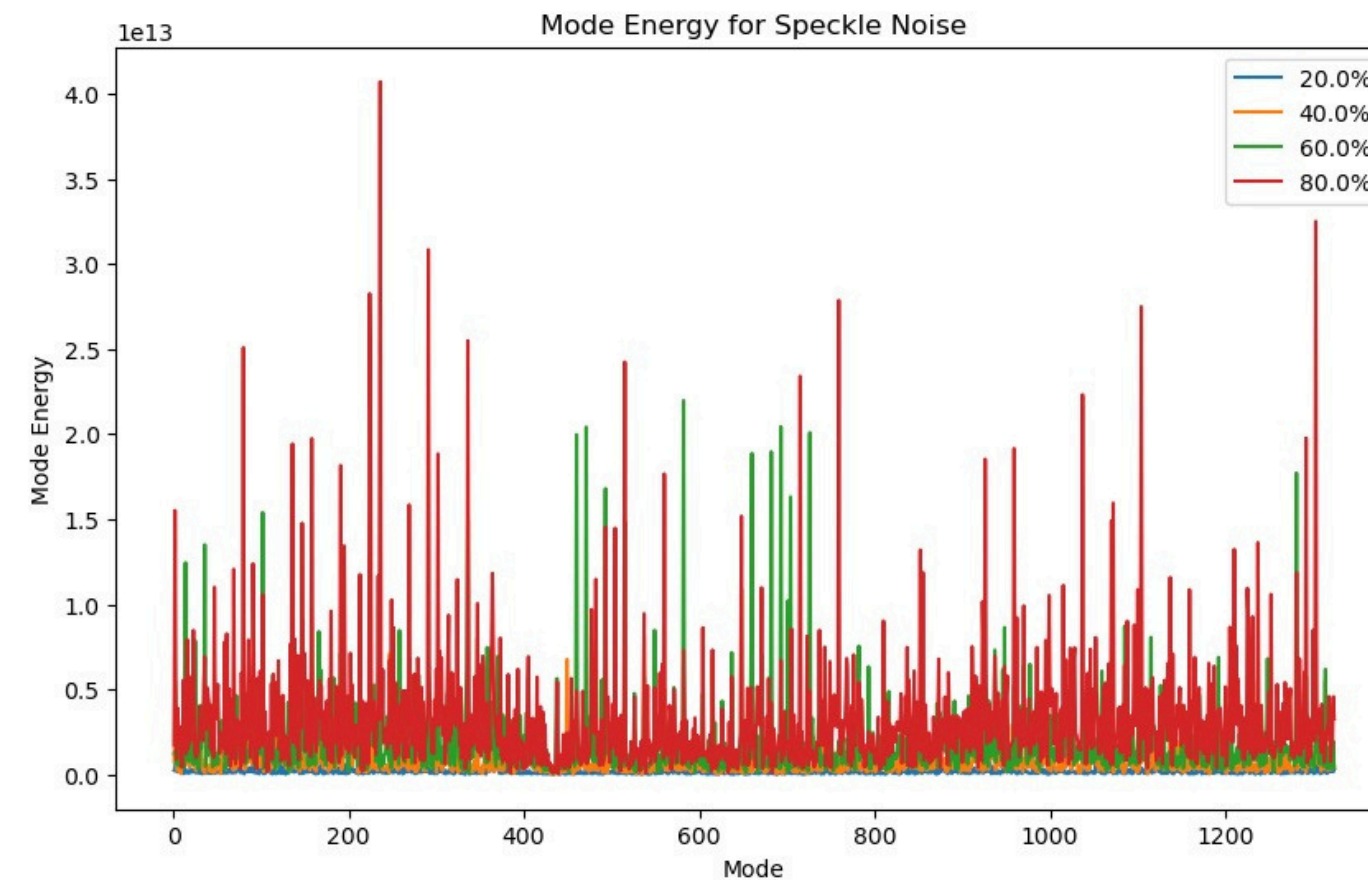
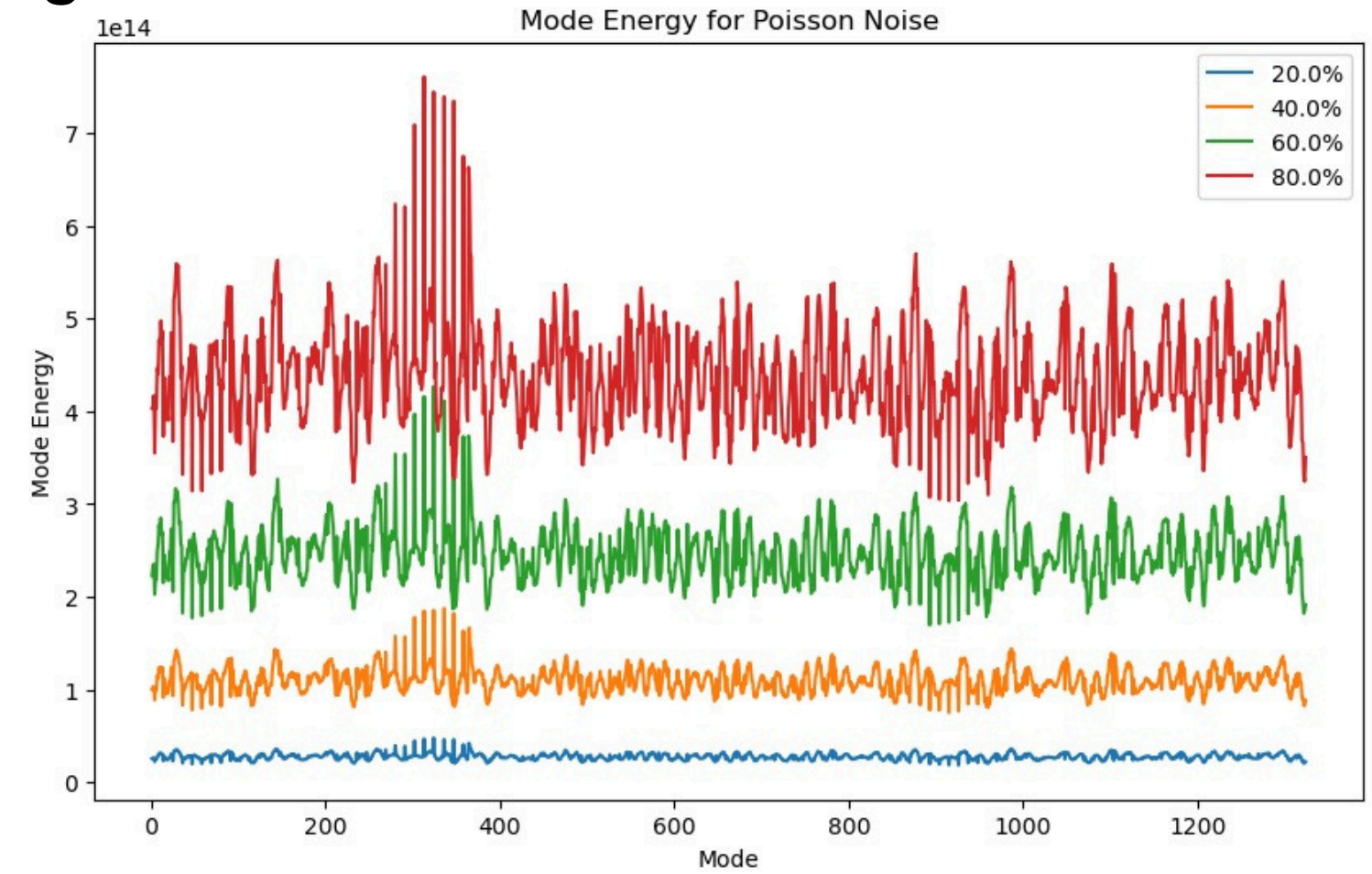
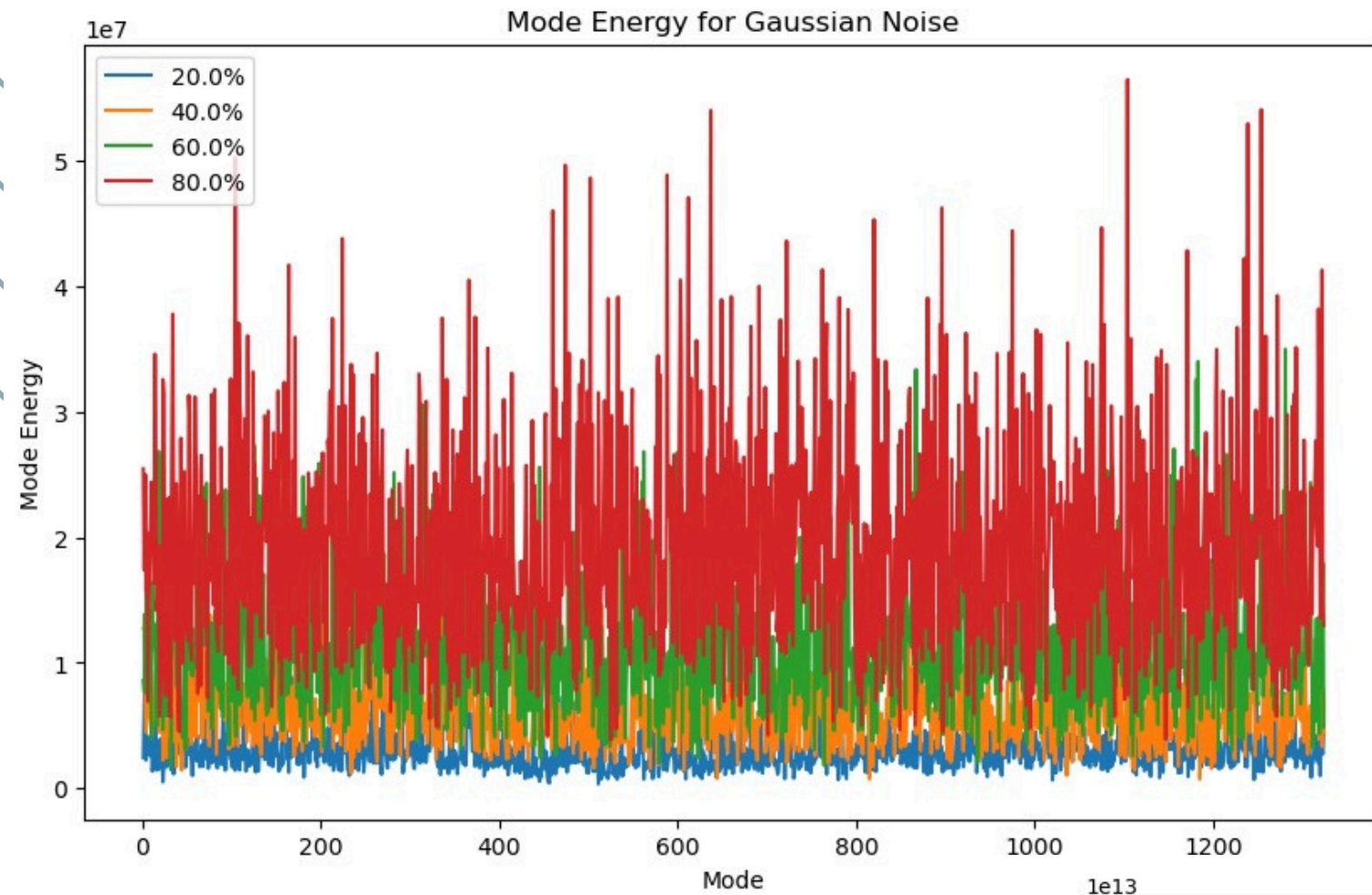
EFFECT ON POD MODES

Energy transcend through modes



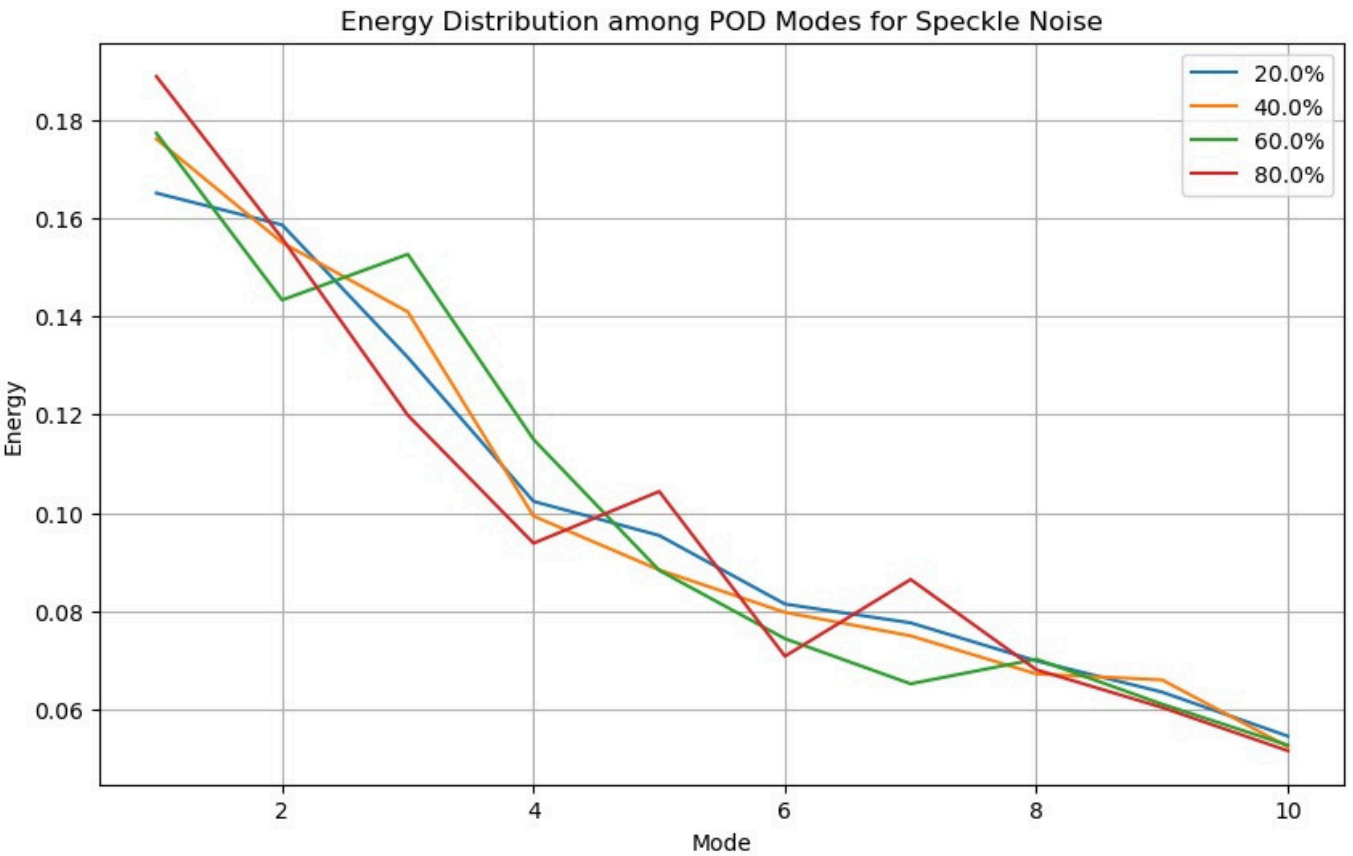
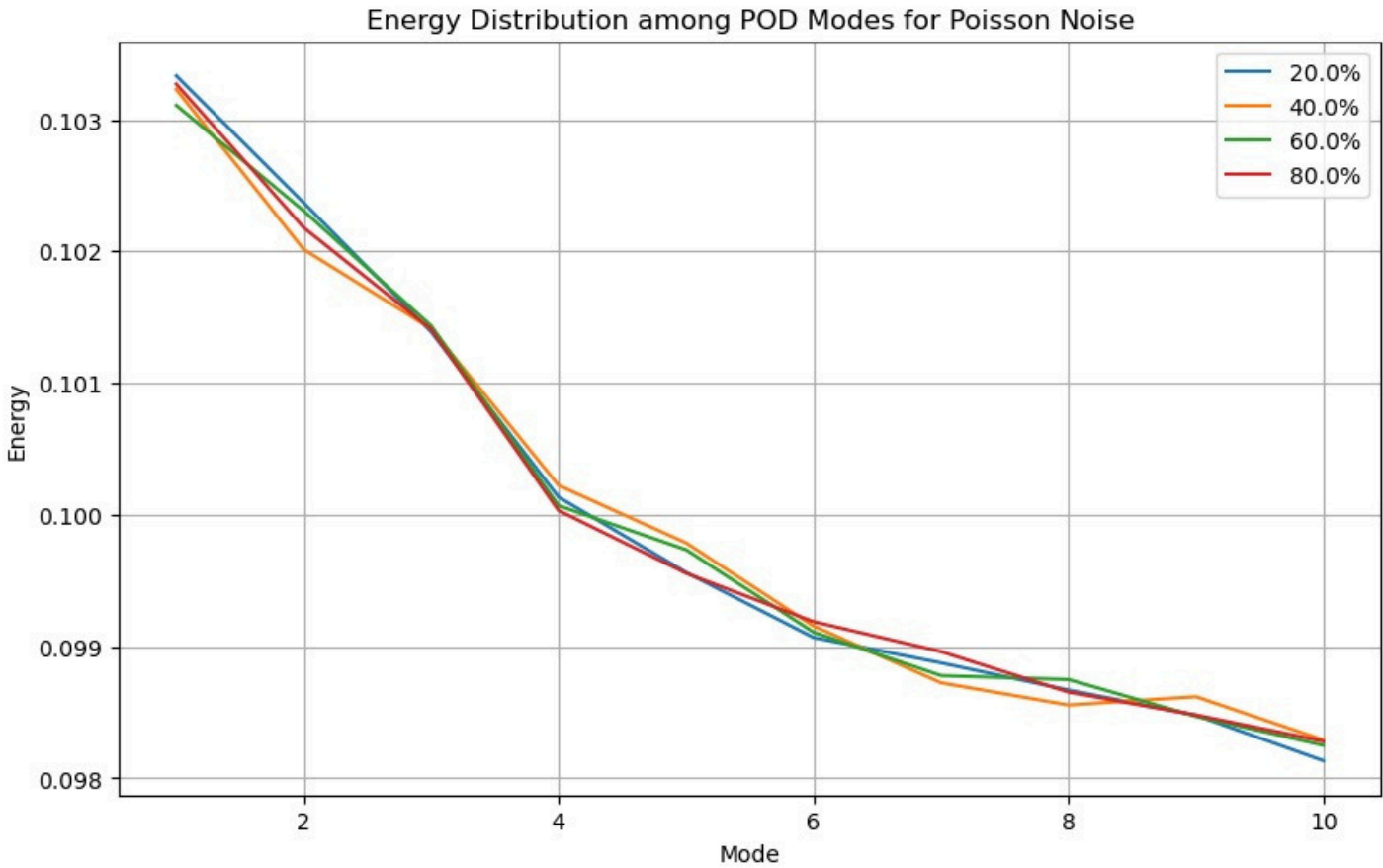
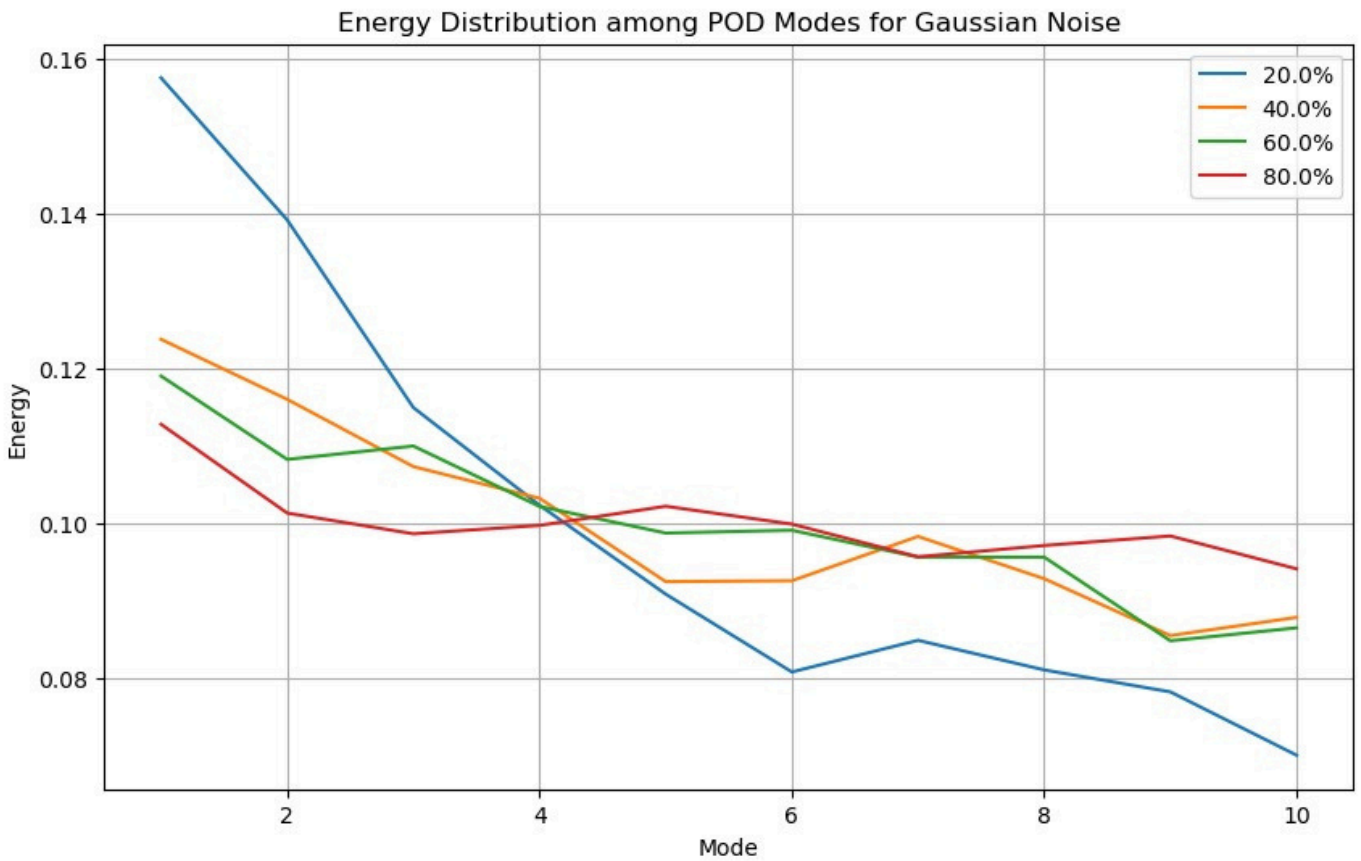
EFFECT ON POD MODES

Statistical evidence of the energy changes in the modes



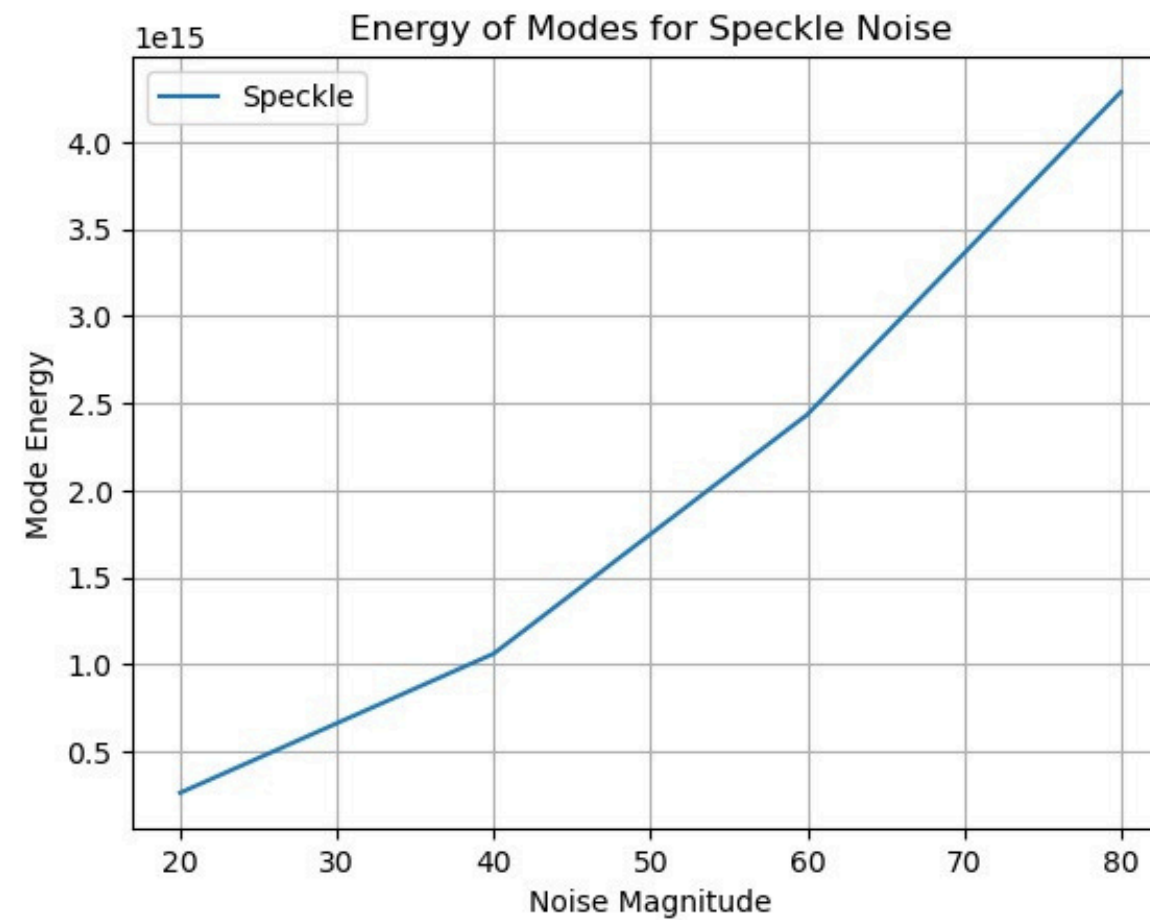
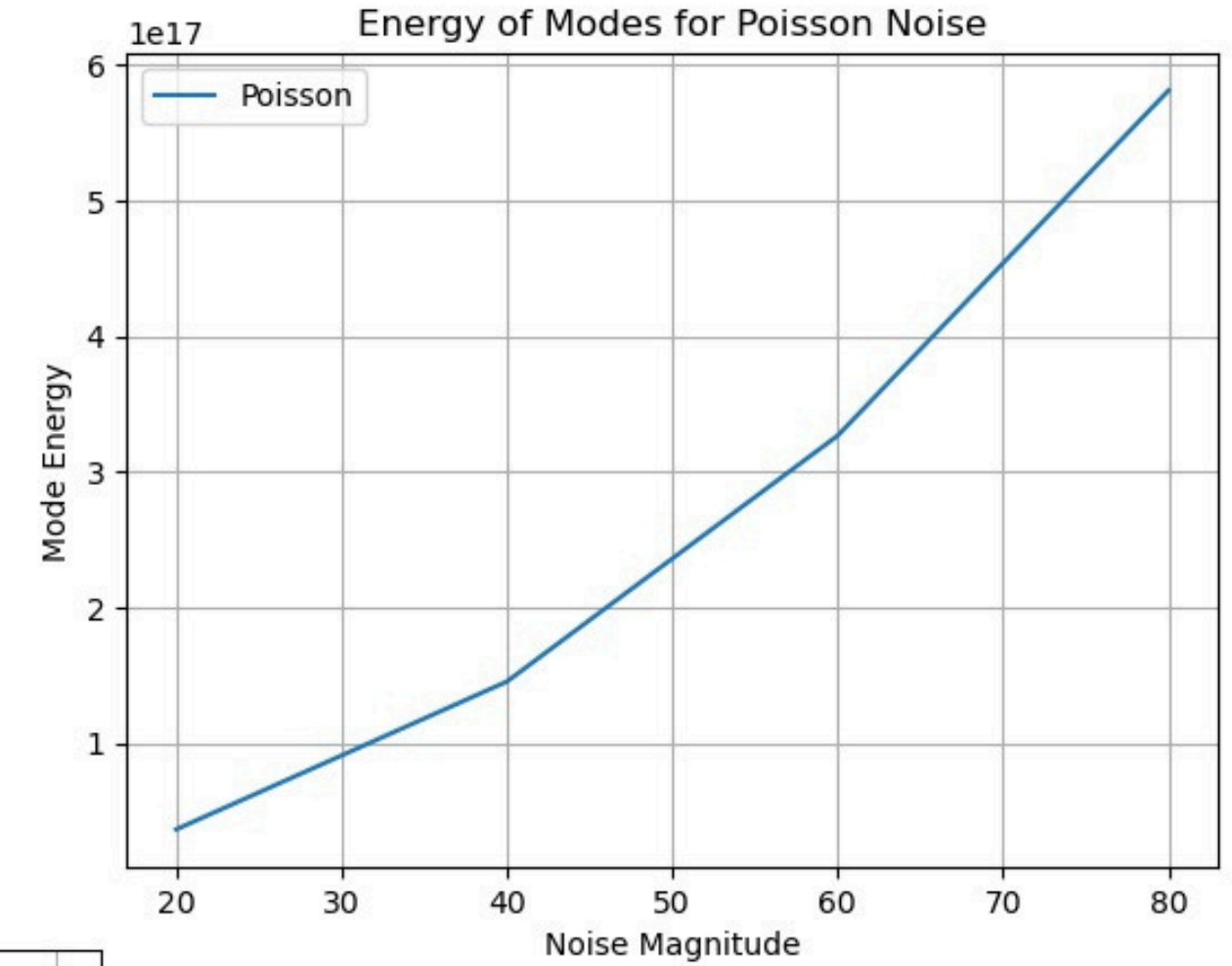
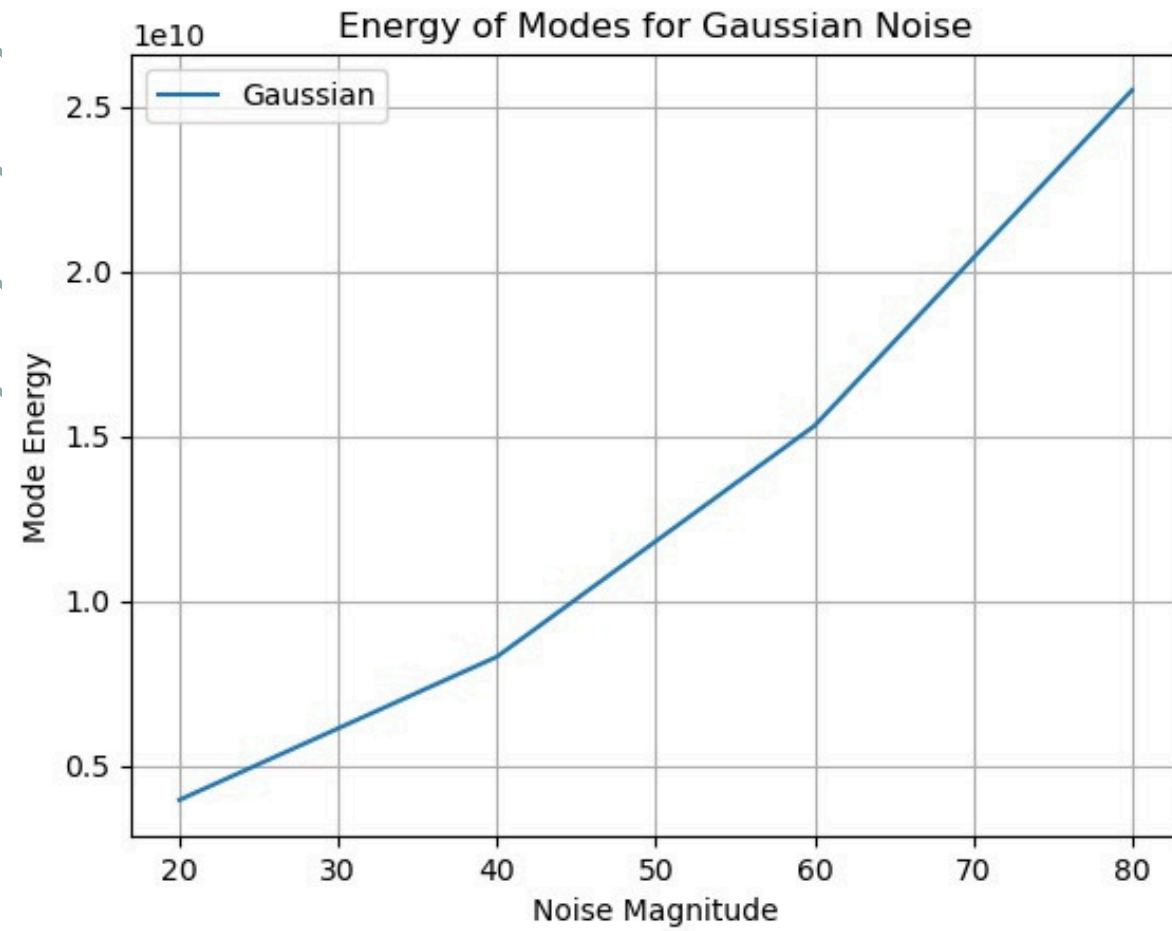
EFFECT ON POD MODES

The change on energy wrt the modes



EFFECT ON POD MODES

The noise magnitude affect on the modal energy

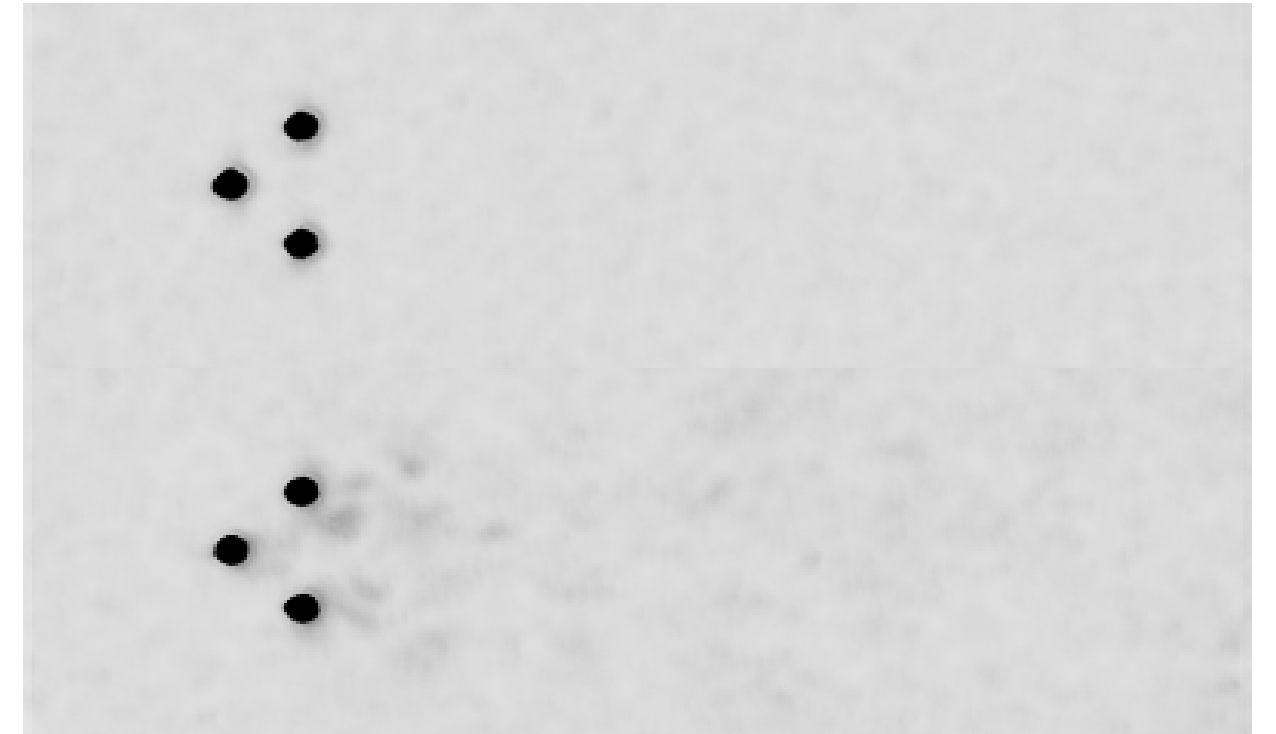


DENOISING IMAGES

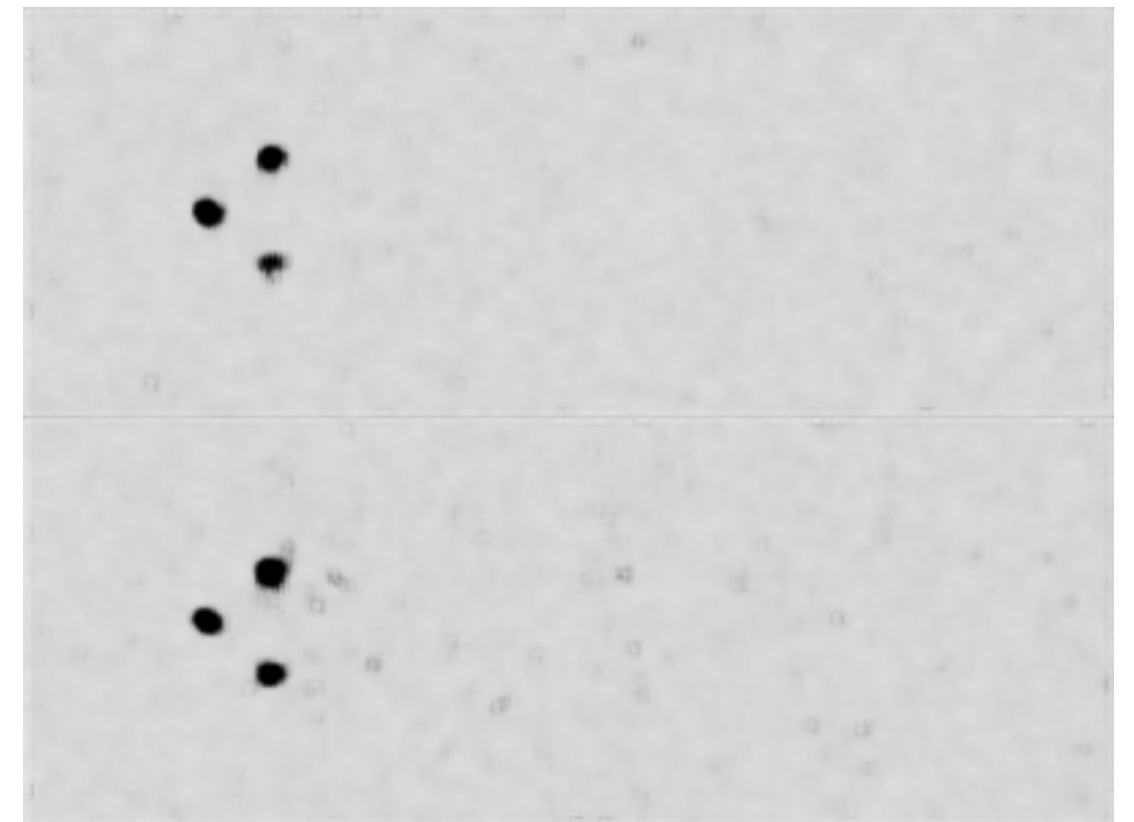
We are using CNN model to denoised images.
We trained our model with noisy and clean images using MSE loss function

i have used gaussian images with magnitude 20 and 80

denoised image
of gaussian
magnitude 20%



denoised image
of gaussian
magnitude 80%



DENOISING IMAGES

gaussian images with magnitude 20:-

```
Average PSNR: 28.6157526517026
Average SSIM: 0.8682079712361356
Average MSE: 41.762583333333333
Average MAE: 144.94845000000007
```

gaussian images with magnitude 80:-

```
Average PSNR: 26.916430985610337
Average SSIM: 0.8451103671961434
Average MSE: 41.762583333333333
Average MAE: 144.94845000000007
```


The image features a light gray background with the text "THANK YOU" centered in a bold, blue, sans-serif font. The corners are decorated with abstract geometric patterns. The top-left corner has a series of parallel diagonal lines in a light blue-gray color. The top-right corner features a cluster of overlapping semi-circles in yellow, red, and teal. The bottom-left corner shows a similar cluster of overlapping semi-circles in red, teal, and blue. The bottom-right corner contains a large, light blue-gray arc with several parallel diagonal lines extending from its base.

THANK YOU