## APPENDIX B. FUNCTION AUTOFAM

```
function [Sx,alphao,fo] = autofam(x,fs,df,dalpha)
        AUTOFAM(X,FS,DF,DALPHA) computes the spectral auto-correlation
        density function estimate of the signal X, by using the FFT
        Accumulation Method(FAM). Make sure that DF is much bigger
         than DALPHA in order to have a reliable estimate.
        INPUTS:
        Х
               - input column vector;
                - sampling rate;
        FS
                - desired frequency resolution; and
        DALPHA - desired cyclic frequency resolution.
        OUTPUTS:
        SX
                - spectral correlation density function estimate;
        ALPHAO - cyclic frequency; and
        FO
                - spectrum frequency.
        Author: E.L.Da Costa, 9/28/95.
if nargin ~= 4
  error('Wrong number of arguments.');
end
% Definition of Parameters %
%%%%%%%%%%%%%%%%%%%%%
                              % Number of input channels, defined
Np=pow2 (nextpow2 (fs/df));
                              % by the desired frequency
                              % resolution(df) as follows:
                              % Np=fs/df, where fs is the original
                              % data sampling rate. It must be a
                              % power of 2 to avoid truncation or
```

```
% zero-padding in the FFT routines;
                                % Offset between points in the same
L=Np/4;
                                % column at consecutive rows in the
                                % same channelization matrix. It
                                % should be chosen to be less than
                                % or equal to Np/4;
P=pow2(nextpow2(fs/dalpha/L)); % Number of rows formed in the
                                % channelization matrix, defined
                                % by the desired cyclic frequency
                                % resolution(dalpha) as follows:
                                % P=fs/dalpha/L.It must be a power
                                % of 2;
                                % Total number of points in the
N=P*L;
                                % input data.
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% Input Channelization %
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if length(x) < N
   x(N) = 0;
elseif length(x)>N
   x=x(1:N);
end
NN=(P-1)*L+Np;
xx=x;
xx(NN) = 0;
xx=xx(:);
X=zeros(Np,P);
for k=0:P-1
   X(:,k+1) = xx(k*L+1:k*L+Np);
end
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% Windowing %
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a=hamming(Np);
XW=diag(a) *X;
XW=X;
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% First FFT %
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XF1=fft(XW);
XF1=fftshift(XF1);
XF1=[XF1(:,P/2+1:P) XF1(:,1:P/2)];
%%%%%%%%%%%%%%%%%%%
% Downconversion %
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E=zeros(Np,P);
for k=-Np/2:Np/2-1
    for m=0:P-1
        E(k+Np/2+1,m+1) = exp(-i*2*pi*k*m*L/Np);
    end
{\tt end}
XD=XF1.*E;
XD=conj(XD');
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% Multiplication %
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XM=zeros(P,Np^2);
for k=1:Np
    for l=1:Np
        XM(:,(k-1)*Np+1) = (XD(:,k).*conj(XD(:,1)));
    end
end
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% Second FFT %
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XF2=fft(XM);
XF2=fftshift(XF2);
XF2 = [XF2(:,Np^2/2+1:Np^2) XF2(:,1:Np^2/2)];
XF2=XF2(P/4:3*P/4,:);
M=abs(XF2);
alphao=-1:1/N:1;
fo=-.5:1/Np:.5;
Sx=zeros(Np+1,2*N+1);
for k1=1:P/2+1
    for k2=1:Np^2
        if rem(k2,Np)==0
           1=Np/2-1;
        else
           l=rem(k2,Np)-Np/2-1;
        end
        k=ceil(k2/Np)-Np/2-1;
        p=k1-P/4-1;
        alpha=(k-1)/Np+(p-1)/L/P;
        f = (k+1)/2/Np;
        if alpha<-1 | alpha>1
           k2=k2+1;
        elseif f<-.5 | f>.5
           k2=k2+1;
        else
           kk=1+Np*(f+.5);
           ll=1+N*(alpha+1);
           Sx(kk, 11) = M(k1, k2);
        end
    end
end
```