2D Grid

Adjacency, Directional Array and DFS/BFS

2D grid is simply an array of array. Therefore, it is called 2-Dimensional array or 2D grid.

2D grid is simply an array of array. Therefore, it is called 2-Dimensional array or 2D grid.

1-Dimensional Array



2D grid is simply an array of array. Therefore, it is called 2-Dimensional array or 2D grid.

1-Dimensional Array



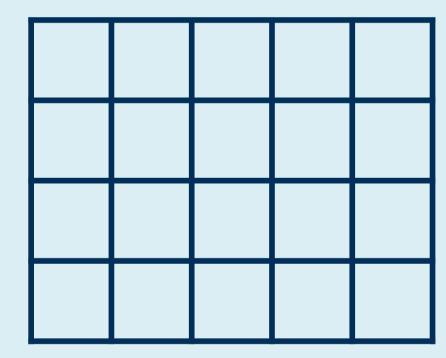
Declaration: int A[5];

2D grid is simply an array of array. Therefore, it is called 2-Dimensional array or 2D grid.





2-Dimensional Array



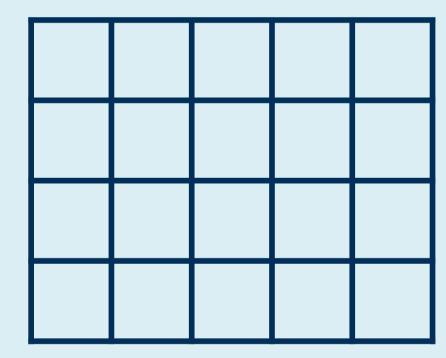
Declaration: int A[5];

2D grid is simply an array of array. Therefore, it is called 2-Dimensional array or 2D grid.





2-Dimensional Array

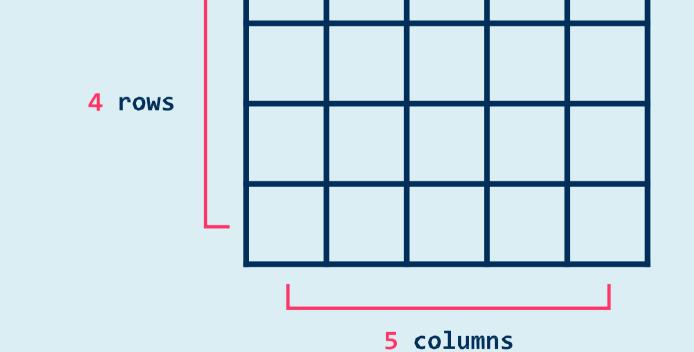


Declaration: int A[5];

Declaration: int A[4][5];

2D grid is simply an array of array. Therefore, it is called 2-Dimensional array or 2D grid.





Declaration: int A[5];

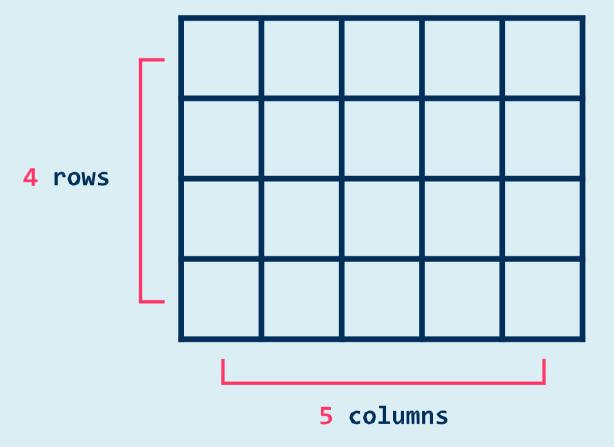
Declaration: int A[4][5];

2-Dimensional Array

2D grid is simply an array of array. Therefore, it is called 2-Dimensional array or 2D grid.

```
/*
  We created
  an array of size 4
  Where every index contains
  an array of size 5
*/
```

2-Dimensional Array



Declaration: int A[4][5];

Working with 2D Grid

We use a linear loop to get input to or print output of an 1D Array.

```
for (int i = 0; i < n; i++){
    // input/output of A[i]
}</pre>
```

Working with 2D Grid

We use a linear loop to get input to or print output of an 1D Array.

```
for (int i = 0; i < n; i++){
    // input/output of A[i]
}</pre>
```

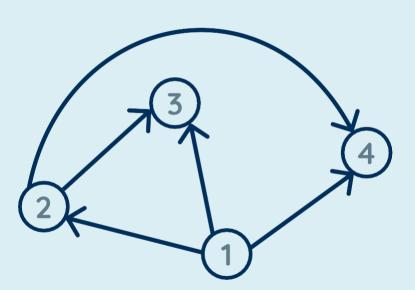
We use a nested loop to get input to or print output of a 2D Array.

```
for (int i = 0; i < row; i++){
    for (int j = 0; j < col; j++){
        // input/output of A[i][j]
    }
}</pre>
```

> We need list of adjacent nodes/grid cells for every cell

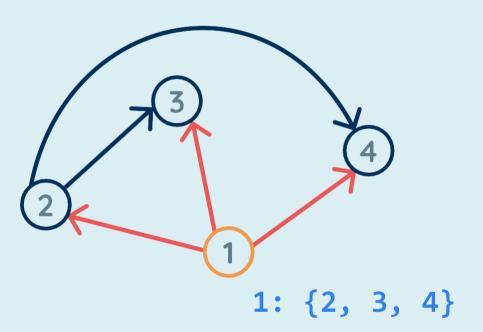
> We need list of adjacent nodes/grid cells for every cell

For explicit graphs, we are given edge information, and we store the adjacent nodes in adjacency list



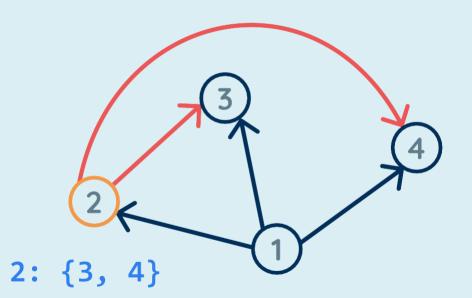
> We need list of adjacent nodes/grid cells for every cell

For explicit graphs, we are given edge information, and we store the adjacent nodes in adjacency list



> We need list of adjacent nodes/grid cells for every cell

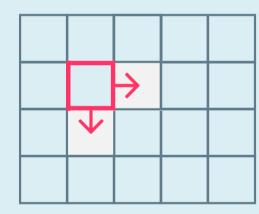
For explicit graphs, we are given edge information, and we store the adjacent nodes in adjacency list



> We need list of adjacent nodes/grid cells for every cell

In grid, edges are not explicitly defined. Instead, a formula is given on who are the adjacent cell(s) of the current cell.

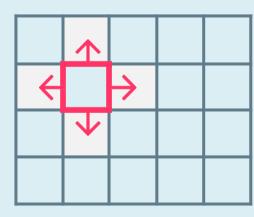
1. From any cell (x, y), you can move to only right and bottom.



> We need list of adjacent nodes/grid cells for every cell

In grid, edges are not explicitly defined. Instead, a formula is given on who are the adjacent cell(s) of the current cell.

- 1. From any cell (x, y), you can move to only right and bottom.
- 2. From any cell, you can move to any neighboring cell that shares a side.



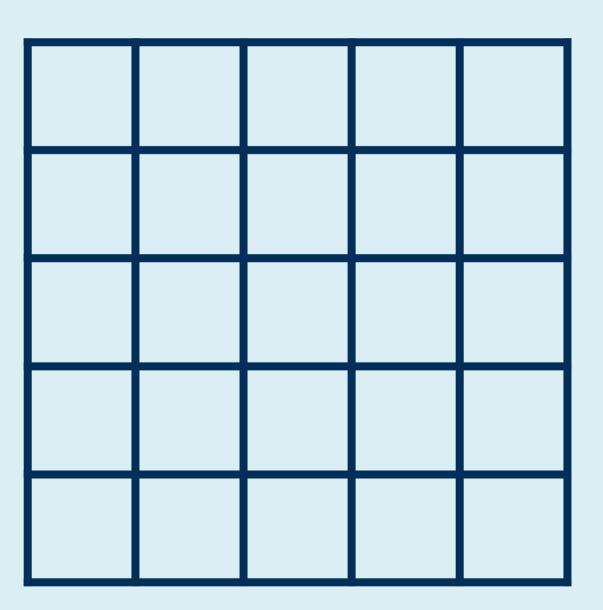
> We need list of adjacent nodes/grid cells for every cell

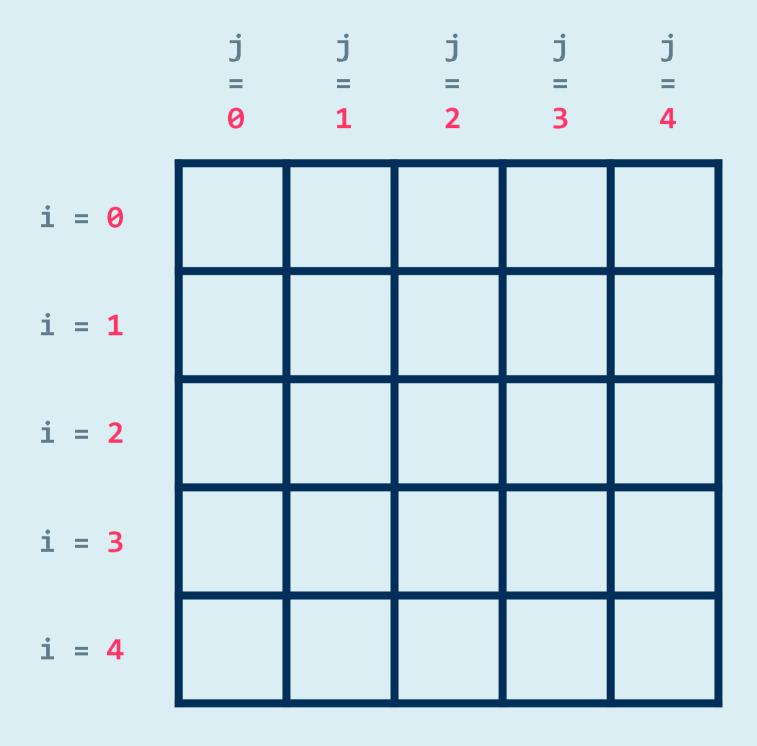
In grid, edges are not explicitly defined. Instead, a formula is given on who are the adjacent cell(s) of the current cell.

- 1. From any cell (x, y), you can move to only right and bottom.
- 2. From any cell, you can move to any neighboring cell that shares a side.

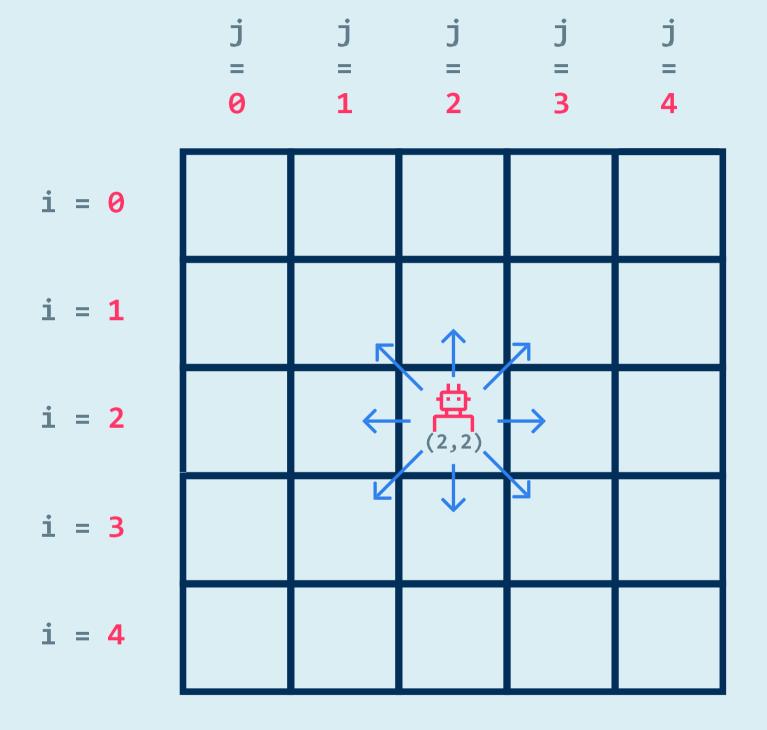
	1		
(\rightarrow	
	$\overline{\mathbf{A}}$		

> So we need to calculate neighbors cell coordinates based on current cell



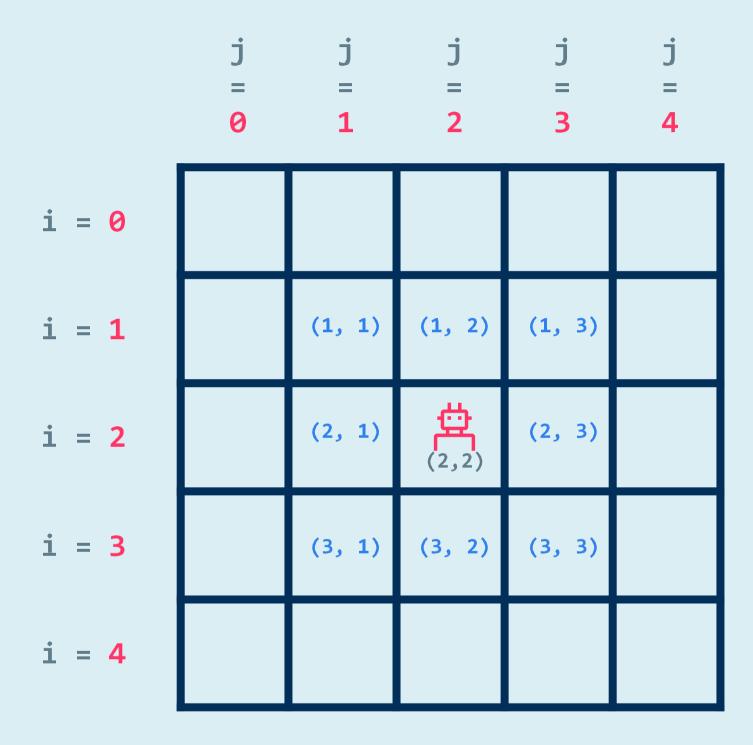


```
// identified rows as i
// and columns as j
```



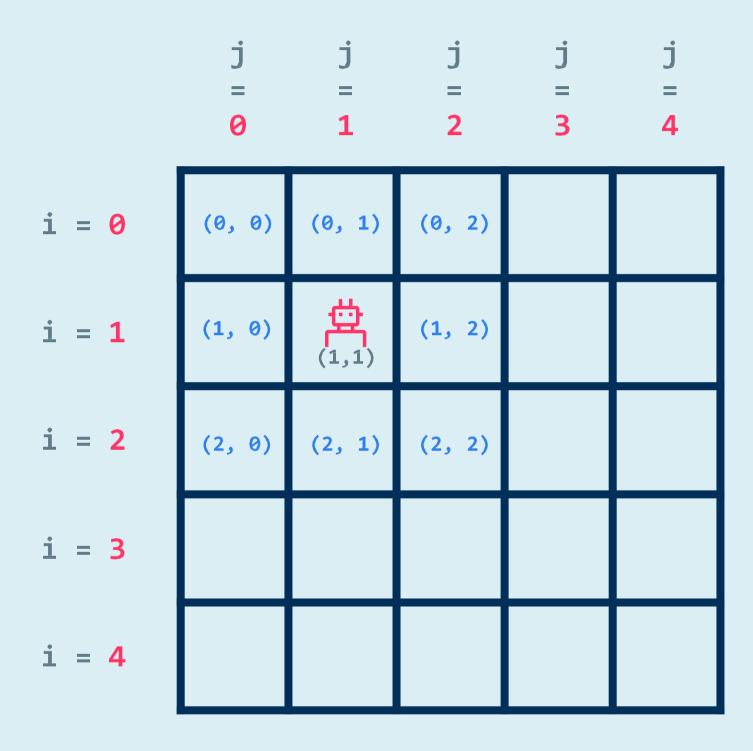
```
// selected A[2][2] is
// current cell

// assume in the problem,
// it is given that you can
// move to any cell within
// the board that is one step
// away from current cell
// horizontally, vertically
// or diagonally
```

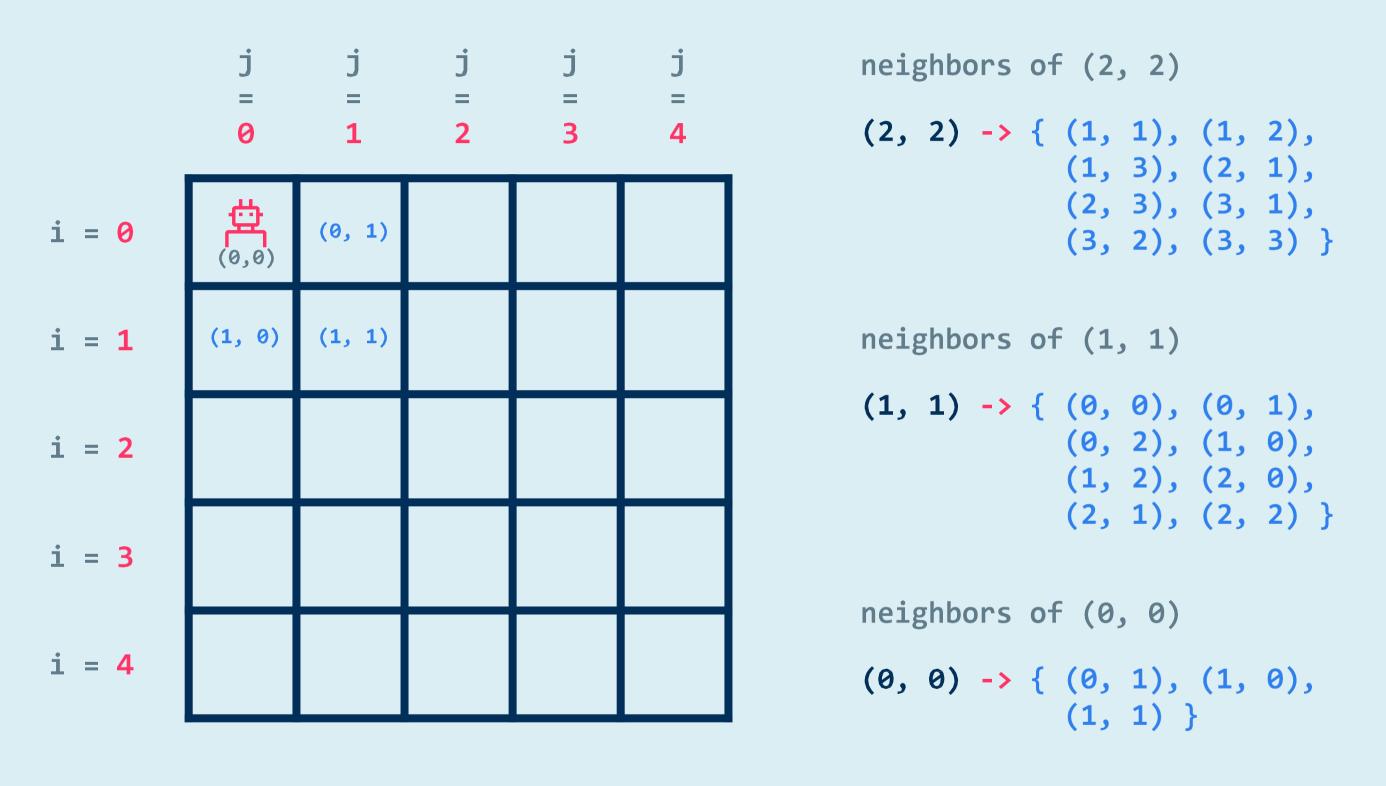


```
neighbors of (2, 2)

(2, 2) -> { (1, 1), (1, 2), (1, 3), (2, 1), (2, 3), (3, 1), (3, 2), (3, 3) }
```



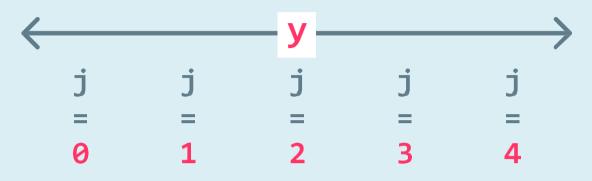
```
neighbors of (2, 2)
(2, 2) \rightarrow \{ (1, 1), (1, 2), 
             (1, 3), (2, 1),
             (2, 3), (3, 1),
             (3, 2), (3, 3) }
neighbors of (1, 1)
(1, 1) \rightarrow \{ (0, 0), (0, 1), 
             (0, 2), (1, 0),
             (1, 2), (2, 0),
             (2, 1), (2, 2) }
```

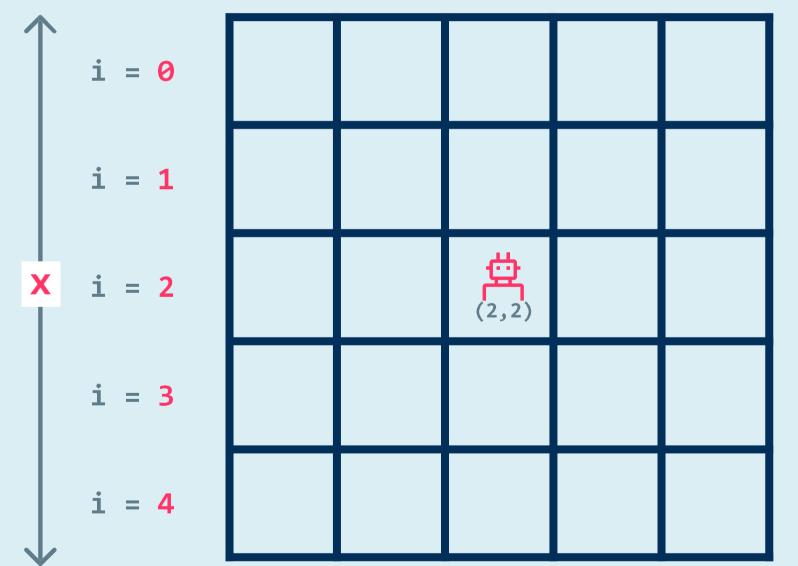


Finding Co-ordinate Pattern

	j = 0	j = 1	j = 2	j = 3	j = 4
i = 0					
i = 1					
i = 2			(2,2)		
i = 3					
i = 4					

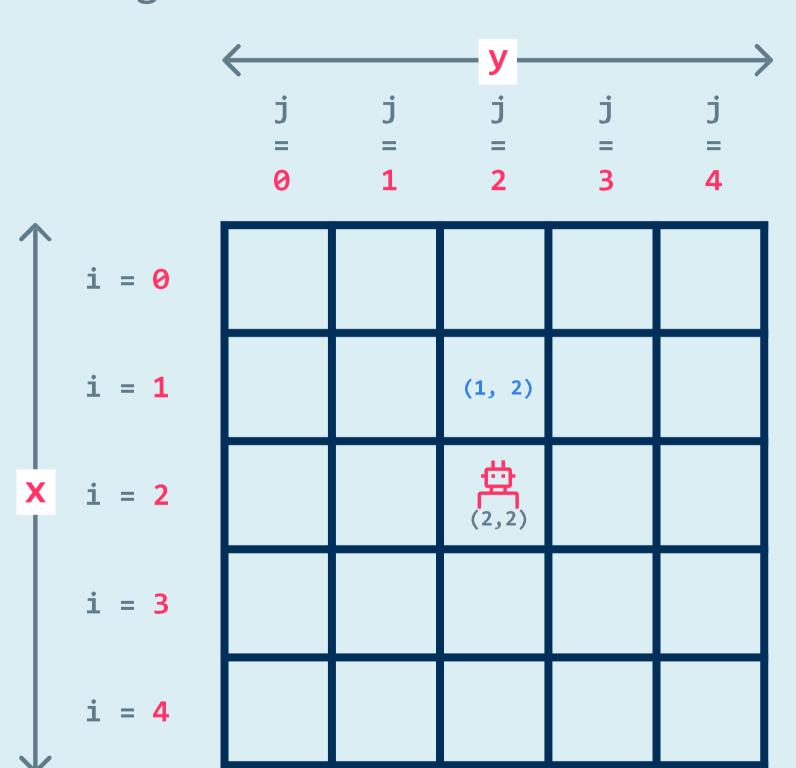
Finding Co-ordinate Pattern





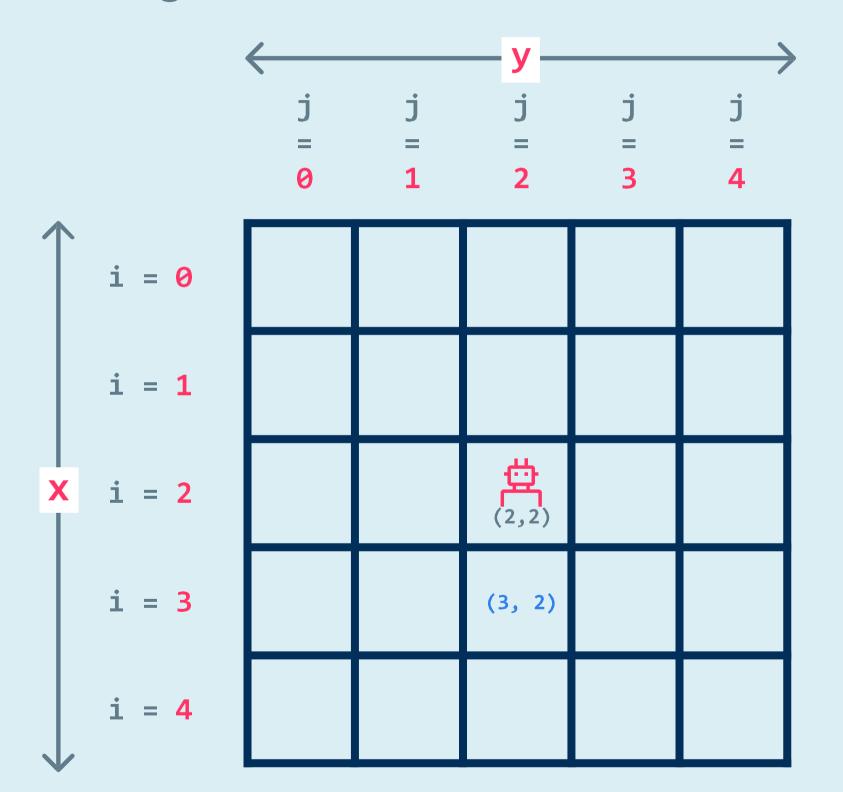
adjacent cell change in x change in y co-ordinate (dx) (dy)

Finding Co-ordinate Pattern



adjacent cell co-ordinate	change in x (dx)	change in y (dy)
Top (1, 2)	-1	0

Finding Co-ordinate Pattern

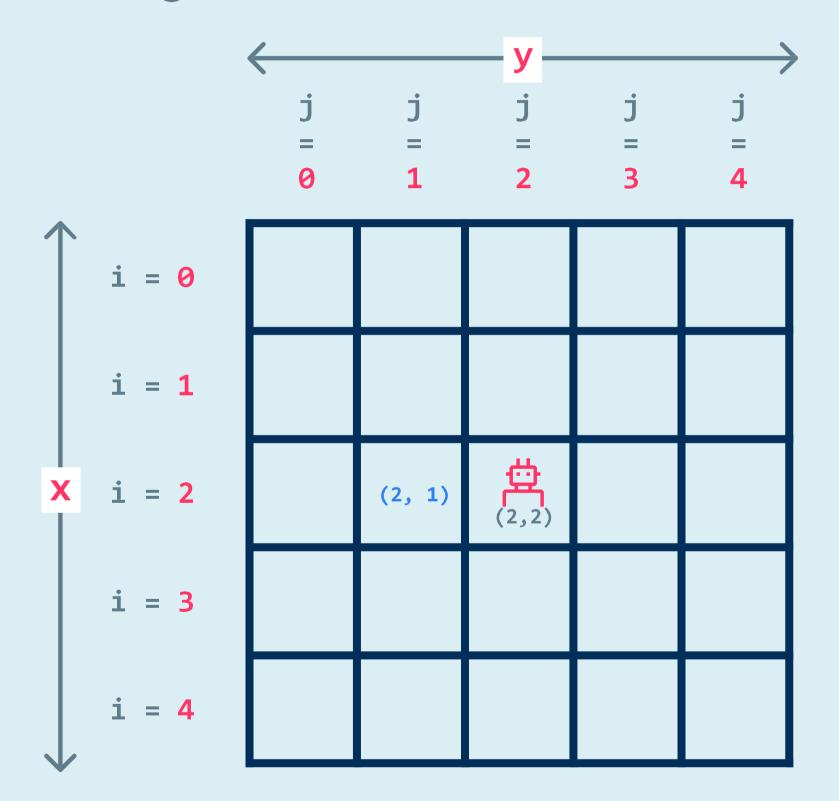


adjacent cell change in x change in y co-ordinate (dx) (dy)

Top (1, 2) -1 0

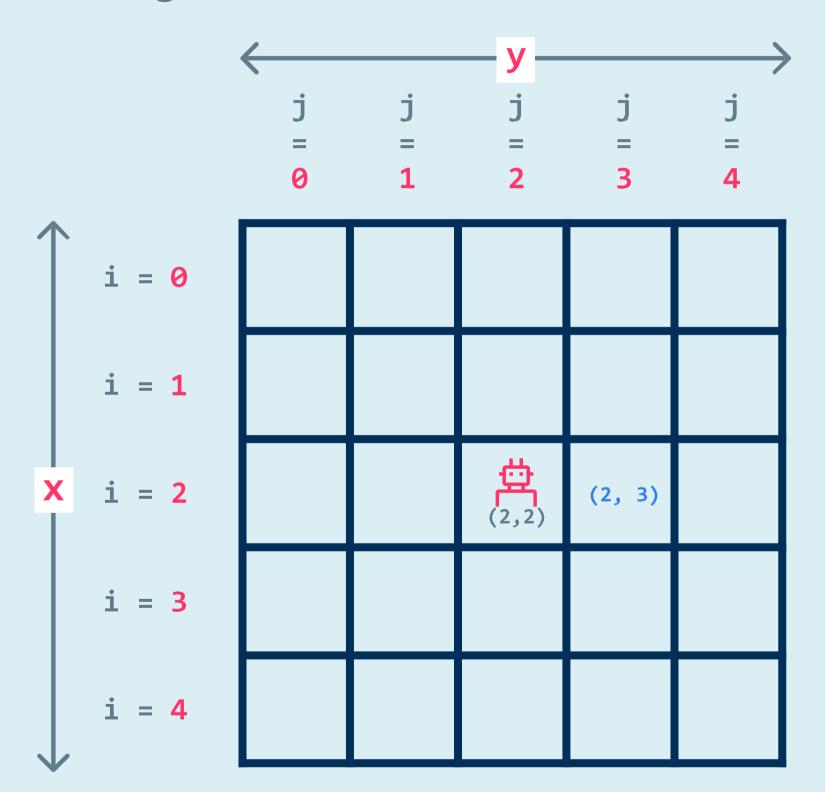
Bottom (3, 2) +1 0

Finding Co-ordinate Pattern



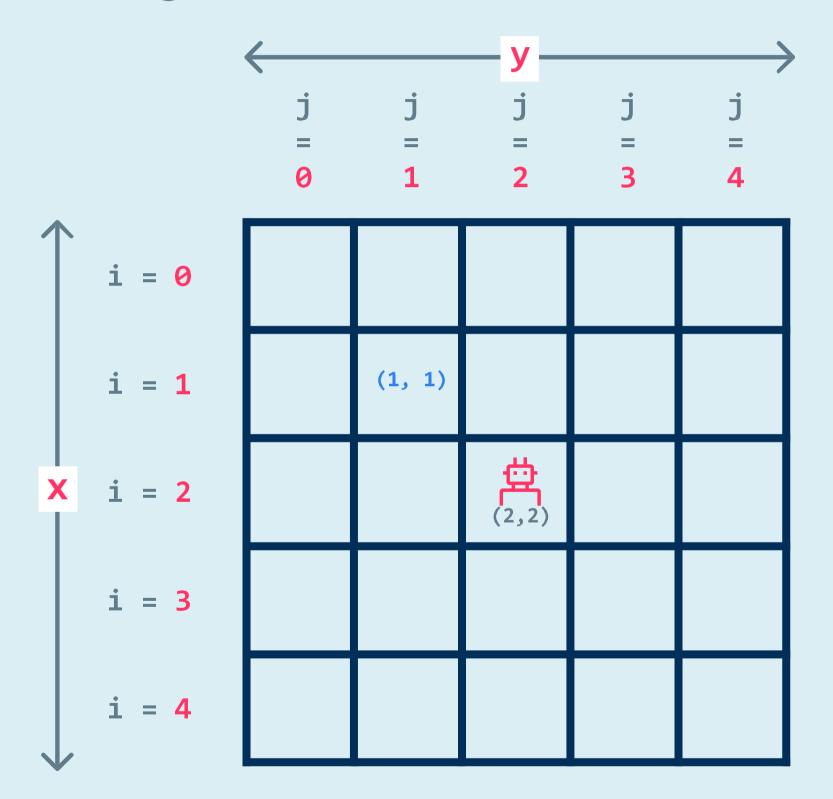
adjacent cell co-ordinate	change in x (dx)	change in y (dy)
Top (1, 2)	-1	0
Bottom (3, 2)	+1	0
Left (2, 1)	0	-1

Finding Co-ordinate Pattern



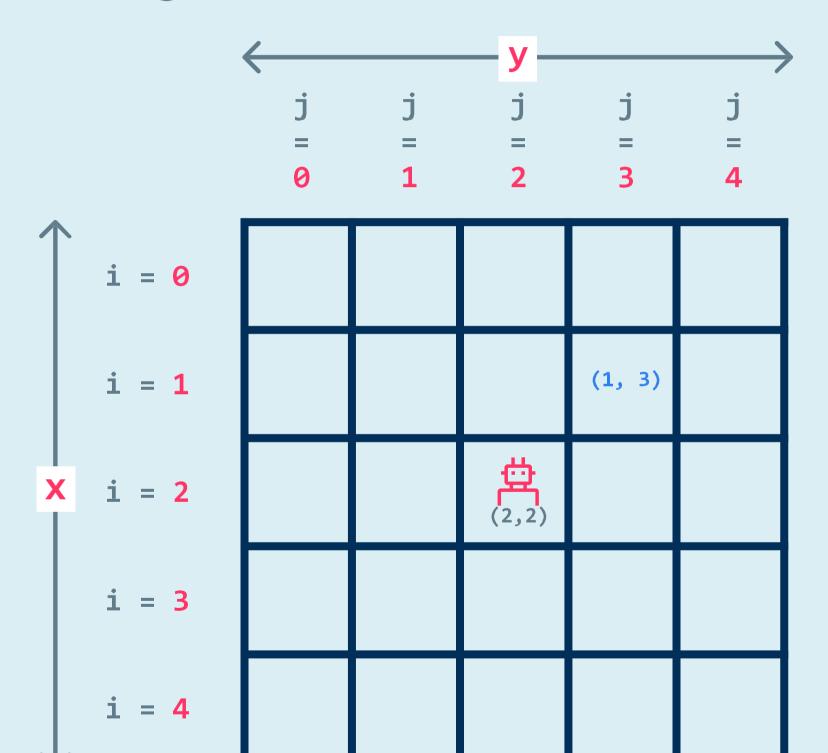
adjacent cell co-ordinate	change in x (dx)	change in y (dy)
Top (1, 2)	-1	0
Bottom (3, 2)	+1	0
Left (2, 1)	0	-1
Right (2, 3)	0	+1

Finding Co-ordinate Pattern



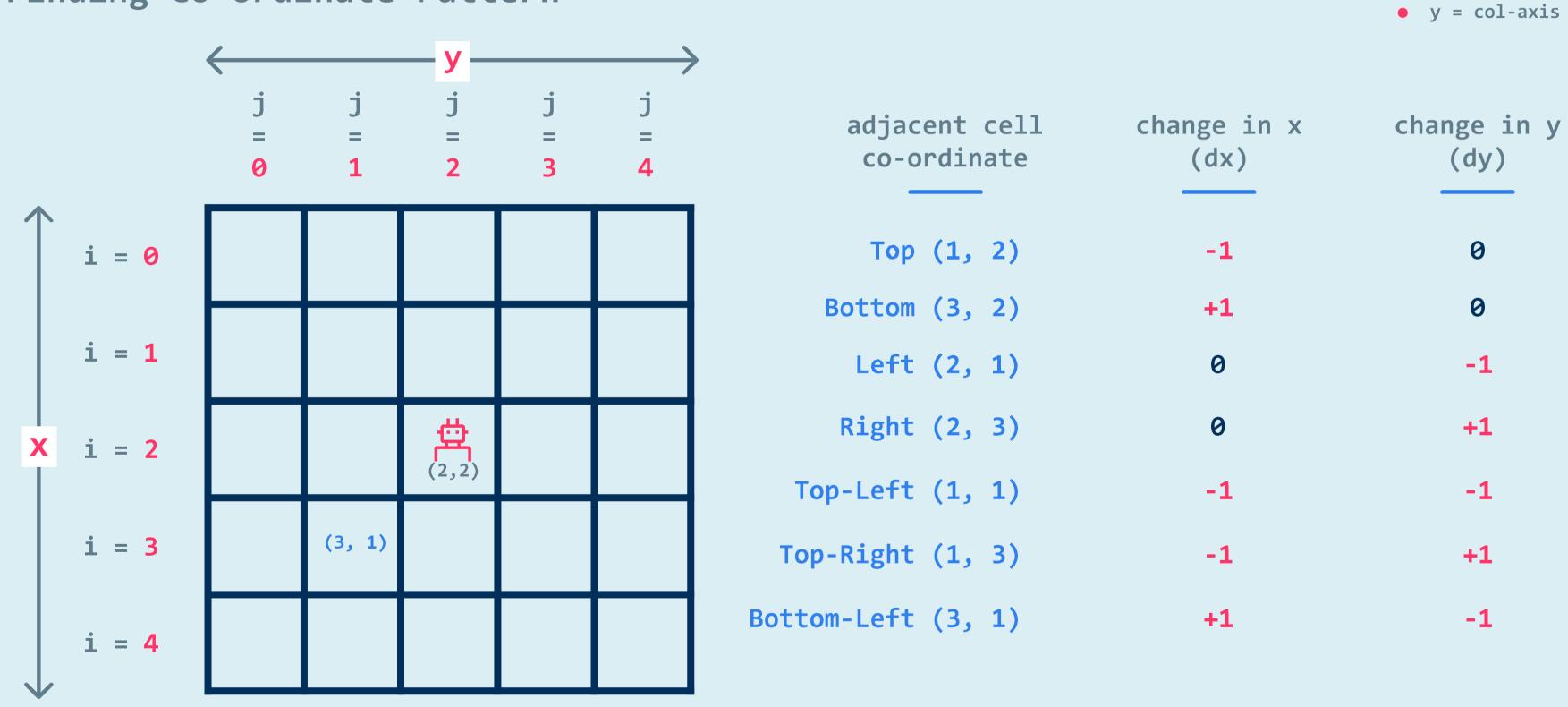
_	ent c		change in x (dx)	change in y (dy)
Тор	(1, 2	2)	-1	0
Bottom	(3, 2	2)	+1	0
Left	(2, 1	L)	0	-1
Right	(2, 3	3)	0	+1
op-Left	(1, 1	L)	-1	-1

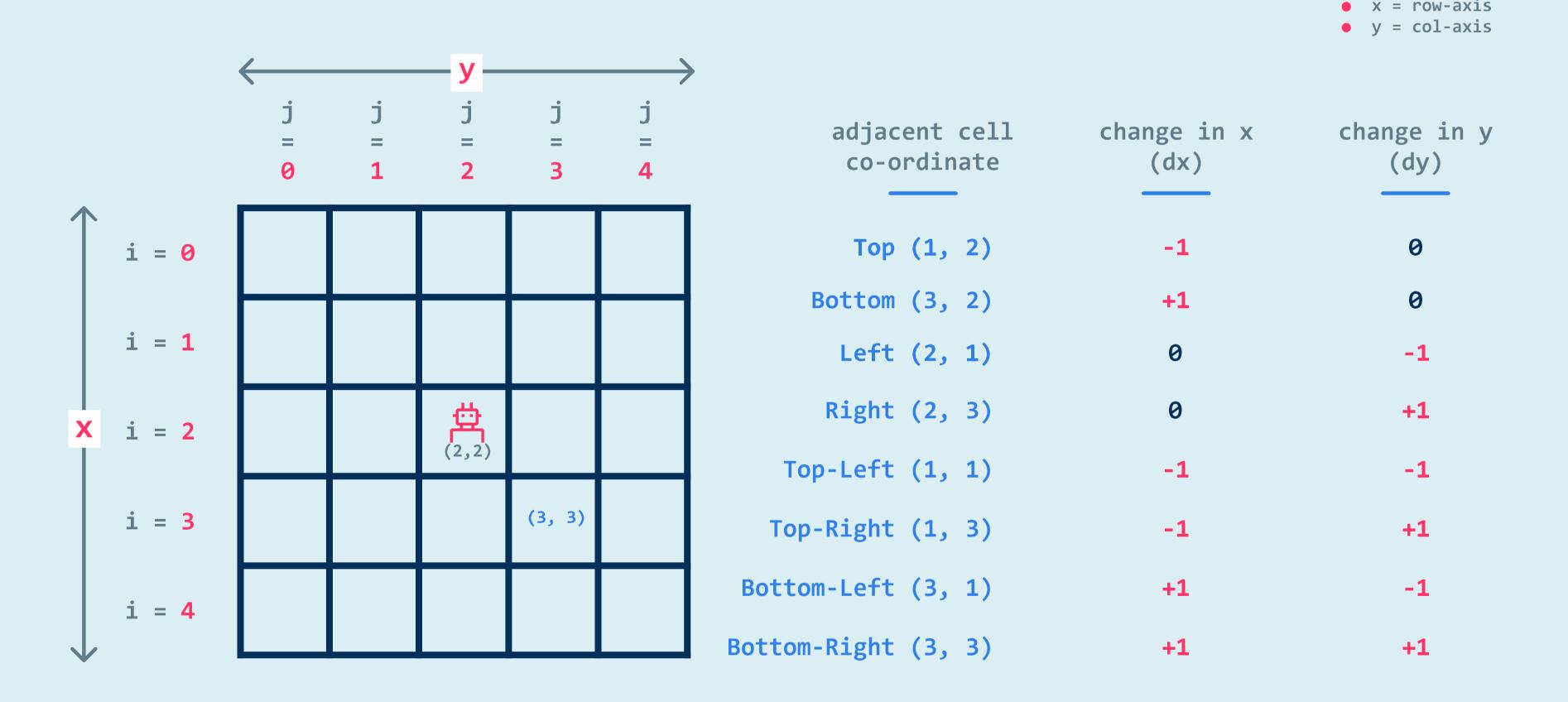
Finding Co-ordinate Pattern



adjacent cell co-ordinate	change in x (dx)	change in y (dy)
Top (1, 2)	-1	0
Bottom (3, 2)	+1	0
Left (2, 1)	0	-1
Right (2, 3)	0	+1
Top-Left (1, 1)	-1	-1
op-Right (1, 3)	-1	+1

Finding Co-ordinate Pattern





So, the neighbor calculations would be..

```
x = row-axisy = col-axis
```

```
void dfs(int x, int y){
    // make sure the cell falls within the grid
    // visit the cell
    dfs(x-1, y);
    dfs(x+1, y);
    dfs(x, y-1);
    dfs(x, y+1);
    dfs(x-1, y-1);
    dfs(x-1, y+1);
    dfs(x+1, y-1);
    dfs(x+1, y+1);
                                                   How can we simplify this?
```

Array to hold dx and dy so we can add the corresponding values to current cell value and get the neighbors.

x = row-axisy = col-axis

Array to hold dx and dy so we can add the corresponding values to current cell value and get the neighbors.

	x =	row-axis
•	y =	col-axis

	ent ce rdinat		change in y (dy)
Тор	(1, 2)	-1	0
Bottom	(3, 2)	+1	0
Left	(2, 1)	0	-1
Right	(2, 3)	0	+1
Top-Left	(1, 1)	-1	-1
Top-Right	(1, 3)	-1	+1
Bottom-Left	(3, 1)	+1	-1
Bottom-Right	(3, 3)	+1	+1

Array to hold dx and dy so we can add the corresponding values to current cell value and get the neighbors.

	X	=	row-axis
•	У	=	col-axis

	ent cell rdinate	change in x (dx)	change in (dy)
Тор	(1, 2)	-1	0
Bottom	(3, 2)	+1	0
Left	(2, 1)	0	-1
Right	(2, 3)	0	+1
Top-Left	(1, 1)	-1	-1
Top-Right	(1, 3)	-1	+1
Bottom-Left	(3, 1)	+1	-1
Bottom-Right	(3, 3)	+1	+1

$$dx[] = \{\}$$

$$dy[] = \{\}$$

Array to hold dx and dy so we can add the corresponding values to current cell value and get the neighbors.

	X	=	row-axis
•	У	=	col-axis

adjacent cell co-ordinate	change in x (dx)	change in y (dy)
Top (1, 2)	-1	0
Bottom (3, 2)	+1	0
Left (2, 1)	0	-1
Right (2, 3)	0	+1
Top-Left (1, 1)	-1	-1
Top-Right (1, 3)	-1	+1
Bottom-Left (3, 1)	+1	-1
Bottom-Right (3, 3)	+1	+1

$$dx[] = \{-1\}$$
 $dy[] = \{0\}$

Array to hold dx and dy so we can add the corresponding values to current cell value and get the neighbors.

	X	=	row-	axis
•	У	=	col-	axis

adjacent cell co-ordinate	change in x (dx)	change in y (dy)
Top (1, 2)	-1	0
Bottom (3, 2)	+1	0
Left (2, 1)	0	-1
Right (2, 3)	0	+1
Top-Left (1, 1)	-1	-1
Top-Right (1, 3)	-1	+1
Bottom-Left (3, 1)	+1	-1
Bottom-Right (3, 3)	+1	+1

$$dx[] = \{-1, 1\}$$

$$dy[] = \{0, 0\}$$

Array to hold dx and dy so we can add the corresponding values to current cell value and get the neighbors.

•	X	=	row-axis
•	У	=	col-axis

adjacent cell co-ordinate	change in x (dx)	change in y (dy)
Top (1, 2)	-1	0
Bottom (3, 2)	+1	0
Left (2, 1)	0	-1
Right (2, 3)	0	+1
Top-Left (1, 1)	-1	-1
Top-Right (1, 3)	-1	+1
Bottom-Left (3, 1)	+1	-1
Bottom-Right (3, 3)	+1	+1

$$dx[] = \{-1, 1, 0\}$$

$$dy[] = \{0, 0, -1\}$$

Array to hold dx and dy so we can add the corresponding values to current cell value and get the neighbors.

	X	=	row-axis
•	У	=	col-axis

adjacent cell co-ordinate	change in x (dx)	change in y (dy)
Top (1, 2)	-1	0
Bottom (3, 2)	+1	0
Left (2, 1)	0	-1
Right (2, 3)	0	+1
Top-Left (1, 1)	-1	-1
Top-Right (1, 3)	-1	+1
Bottom-Left (3, 1)	+1	-1
Bottom-Right (3, 3)	+1	+1

$$dx[] = \{-1, 1, 0, 0\}$$

$$dy[] = \{0, 0, -1, 1\}$$

Array to hold dx and dy so we can add the corresponding values to current cell value and get the neighbors.

•	X	=	row-	axis
•	У	=	col-	axis

adjacent cell co-ordinate	change in x (dx)	<pre>change in y (dy)</pre>
Top (1, 2)	-1	0
Bottom (3, 2)	+1	0
Left (2, 1)	0	-1
Right (2, 3)	0	+1
Top-Left (1, 1)	-1	-1
Top-Right (1, 3)	-1	+1
Bottom-Left (3, 1)	+1	-1
Bottom-Right (3, 3)	+1	+1

$$dx[] = \{-1, 1, 0, 0, -1\}$$

$$dy[] = \{0, 0, -1, 1, -1\}$$

Array to hold dx and dy so we can add the corresponding values to current cell value and get the neighbors.

X	=	row-	axis
У	=	col-	axis

	ent cell ordinate	change in x (dx)	change in y (dy)
Tan	(1 2)		•
	(1, 2)	-1	0
	(3, 2)	+1	0
Left	(2, 1)	0	-1
Right	(2, 3)	0	+1
Top-Left	(1, 1)	-1	-1
Top-Right	(1, 3)	-1	+1
Bottom-Left	(3, 1)	+1	-1
Bottom-Right	(3, 3)	+1	+1

$$dx[] = \{-1, 1, 0, 0, -1, -1\}$$

$$dy[] = \{0, 0, -1, 1, -1, 1\}$$

Array to hold dx and dy so we can add the corresponding values to current cell value and get the neighbors.

•	X	=	row-	axis
•	У	=	col-	axis

	ent cell rdinate	change in x (dx)	change in y (dy)
Тор	(1, 2)	-1	0
Bottom	(3, 2)	+1	0
Left	(2, 1)	0	-1
Right	(2, 3)	0	+1
Top-Left	(1, 1)	-1	-1
Top-Right	(1, 3)	-1	+1
Bottom-Left	(3, 1)	+1	-1
Bottom-Right	(3, 3)	+1	+1

$$dx[] = \{-1, 1, 0, 0, -1, -1, 1\}$$

$$dy[] = \{0, 0, -1, 1, -1, 1, -1\}$$

Array to hold dx and dy so we can add the corresponding values to current cell value and get the neighbors.

•	X	=	row-	axis
•	У	=	col-	axis

adjacent cell co-ordinate	change in x (dx)	change in y (dy)
Top (1, 2)	-1	0
Bottom (3, 2)	+1	0
Left (2, 1)	0	-1
Right (2, 3)	0	+1
Top-Left (1, 1)	-1	-1
Top-Right (1, 3)	-1	+1
Bottom-Left (3, 1)	+1	-1
Bottom-Right (3, 3)	+1	+1

$$dx[] = \{-1, 1, 0, 0, -1, -1, 1, 1\}$$

$$dy[] = \{0, 0, -1, 1, -1, 1, -1, 1\}$$

```
dx[] = \{-1, 1, 0, 0, -1, -1, 1, 1\}
dy[] = \{0, 0, -1, 1, -1, 1, -1, 1\}
dfs(x, y){
  // visit x,y
  // calculate neighbors
   for (i = 0; i < 8; i++){
       next_x = x + dx[i];
       next_y = y + dy[i];
       dfs(next_x, next_y);
```

```
x = row-axisy = col-axis
```

```
x = row-axisy = col-axis
```

$$dx[] = \{-1, 1, 0, 0, -1, -1, -1, 1\}$$

$$dy[] = \{0, 0, -1, 1, -1, 1\}$$

$$side \qquad diagonal \\ moves \qquad moves$$

• in some problems, only 4 side moves are allowed, so if we keep them in the first four indices, we can use the same directional array and iterate over first 4 indices instead of all 8

Directional Array for Knight Moves

```
x = row-axisy = col-axis
```

```
kx[] = \{1, 1, 2, 2, -1, -1, -2, -2\}

ky[] = \{2, -2, 1, -1, 2, -2, 1, -1\}
```

think how it is constructed!

