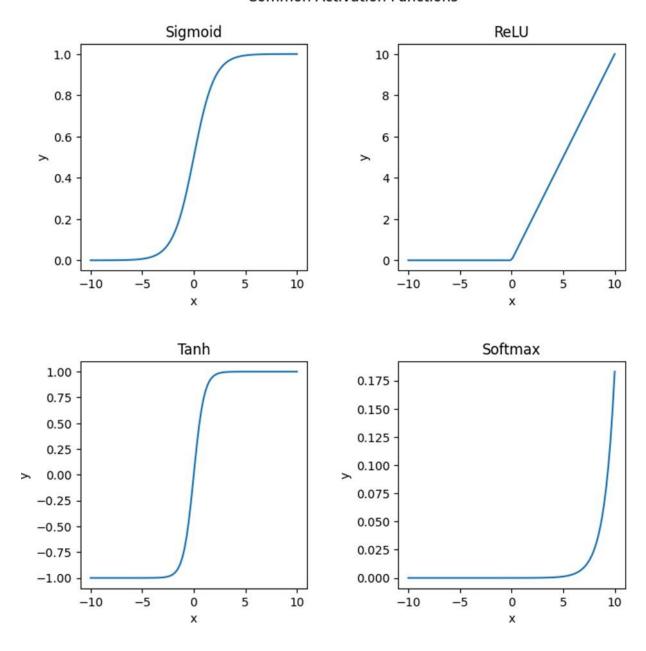
Name- Thorve Avishkar Shrikrushna

Roll No- 63

Title- Activation functions that are being used in neural networks.

```
import numpy as np import
matplotlib.pyplot as plt def
sigmoid(x): return 1 / (1 +
np.exp(-x)) def relu(x): return
np.maximum(0, x) def
tanh(x): return np.tanh(x) def
softmax(x):
   return np.exp(x) / np.sum(np.exp(x)) x =
np.linspace(-10, 10, 100) axs[0, 0].plot(x,
sigmoid(x)) axs[0, 0].set title('Sigmoid')
axs[0, 1].plot(x, relu(x)) axs[0,
1].set title('ReLU') axs[1, 0].plot(x,
tanh(x)) axs[1, 0].set_title('Tanh') axs[1,
1].plot(x, softmax(x)) axs[1,
1].set_title('Softmax') fig.suptitle('Common
Activation Functions') for ax in axs.flat:
  ax.set(xlabel='x', ylabel='y')
plt.subplots adjust(left=0.1, bottom=0.1, right=0.9, top=0.9, wspace=0.4, hspace=0.4) plt.show()
```

Common Activation Functions



Name- Thorve Avishkar Shrikrushna

Roll No- 63

Title-AND NOT function using Mc Culloch-Pitts Neural Net.

```
import numpy as np def
linear_threshold_gate(dot, T):
   "'Returns the binary threshold output" if
   dot >= T: return 1 else:
      return 0 input_table
= np.array([
   [0,0],
   [0,1],
   [1,0],
   [1,1]
])
print(finput
                   table:\n{input table}')
weights = np.array([1,-1]) dot_products =
input_table @ weights T = 1 for i in
range(0,4):
        activation = linear_threshold_gate(dot_products[i], T)
        print(f'Activation: {activation}')
```

input table: [[0 0]

[0 1]

[10]

[1 1]]
Activation: 0

Activation: 0

Activation: 1

Activation: 0

Name- Thorve Avishkar Shrikrushna

Roll No- 63

Title- Perceptron Neural Network to recognize even and odd numbers. Given numbers are in ASCII from 0 to 9.

```
import numpy as np class
Perceptron:
   def_init_(self, input_size, lr=0.1): self.W = np.zeros(input_size
      + 1) self.lr = lr
   def activation fn(self, x):
      return 1 if x \ge 0 else 0
   def predict(self, x):
      x = np.insert(x, 0, 1) z =
      self.W.T.dot(x)
      a = self.activation_fn(z)
      return a
   def train(self, X, Y, epochs): for _
      in range(epochs):
         for i in range(Y.shape[0]): x =
            y = self.predict(x) e = Y[i] - y self.W = self.W
            + self.lr * e * np.insert(x, 0, 1)
X = np.array([
   [0,0,0,0,0,0,1,0,0,0], # 0
   [0,0,0,0,0,0,0,1,0,0], # 1
   [0,0,0,0,0,0,0,0,1,0], # 2
   [0,0,0,0,0,0,0,0,0,1], # 3
   [0,0,0,0,0,0,1,1,0,0], #4
```

```
[0,0,0,0,0,0,1,0,1,0], # 5
   [0,0,0,0,0,0,1,1,1,0], \# 6
   [0,0,0,0,0,0,1,1,1,1], # 7
   [0,0,0,0,0,0,1,0,1,1], #8
   [0,0,0,0,0,0,0,1,1,1], \# 9
])
Y = \text{np.array}([0, 1, 0, 1, 0, 1, 0, 1, 0, 1])
# Create the perceptron and train it perceptron
= Perceptron(input_size=10) perceptron.train(X,
Y, epochs=100)
# Test the perceptron on some input data test X
= np.array([
   [0,0,0,0,0,0,1,0,0,0], # 0
   [0,0,0,0,0,0,0,1,0,0], # 1
   [0,0,0,0,0,0,0,0,1,0], # 2
   [0,0,0,0,0,0,0,0,0,1], # 3
   [0,0,0,0,0,0,1,1,0,0], #4
   [0,0,0,0,0,0,1,0,1,0], # 5
   [0,0,0,0,0,0,1,1,1,0], \# 6
   [0,0,0,0,0,0,1,1,1,1], # 7
   [0,0,0,0,0,0,1,0,1,1], #8
   [0,0,0,0,0,0,0,1,1,1], #9
```

```
for i in range(test_X.shape[0]): x = test_X[i]

y = perceptron.predict(x) print(f'\{x\} is

{"even" if y == 0 else "odd"}')
```

[0 0 0 0 0 0 1 0 0 0] is even [0

0 0 0 0 0 0 1 0 0] is odd

[0 0 0 0 0 0 0 0 1 0] is even [0

 $0\ 0\ 0\ 0\ 0\ 0\ 0\ 1]$ is odd

[0 0 0 0 0 0 1 1 0 0] is even

[0 0 0 0 0 0 1 0 1 0] is even

[0 0 0 0 0 0 1 1 1 0] is even

[0 0 0 0 0 0 1 1 1 1] is even

 $[0\ 0\ 0\ 0\ 0\ 0\ 1\ 0\ 1\ 1] \ is \ even$

 $[0\ 0\ 0\ 0\ 0\ 0\ 1\ 1\ 1]$ is odd

Name- Thorve Avishkar Shrikrushna

Roll No- 63

Title- Demonstrate the Perceptron learning law with its decision regions.

```
import numpy as np import
 matplotlib.pyplot as plt from
 sklearn.datasets import load iris iris
 = load iris()
X = iris.data[:, [0, 2]] y =
iris.target y = np.where(y == 0,
0, 1) w = np.zeros(2) b = 0 lr =
0.1 \text{ epochs} = 50 \text{ def}
perceptron(x, w, b): z =
np.dot(x, w) + b return
np.where(z \ge 0, 1, 0)
 for epoch in range(epochs): for i
    in range(len(X)):
       x = X[i] target
       = y[i]
       output = perceptron(x, w, b) error
       = target - output w
       += lr * error * x
```

```
b += lr * error x_min, x_max = X[:, 0].min() - 0.5, X[:, 0].max() + 0.5

y_min, y_max = X[:, 1].min() - 0.5, X[:, 1].max() + 0.5 xx,

yy = np.meshgrid(np.arange(x_min, x_max, 0.02),

np.arange(y_min, y_max, 0.02))

Z = perceptron(np.c_[xx.ravel(), yy.ravel()], w, b) Z

= Z.reshape(xx.shape) plt.contourf(xx, yy, Z,

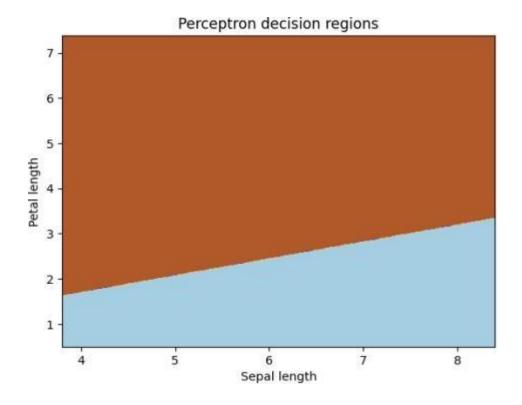
cmap=plt.cm.Paired) plt.scatter(X[:, 0], X[:, 1], c=y,

cmap=plt.cm.Paired) plt.xlabel('Sepal length')

plt.ylabel('Petal length')

plt.title('Perceptron decision regions')

plt.show()
```



Name- Thorve Avishkar Shrikrushna

Roll No-63

Title-Bidirectional Associative Memory with two pairs of vectors.

Program:

```
\label{eq:continuous_problem} \begin{split} & import numpy \ as \ np \ x1=np.array([1,1,1,-1]) \ y1=np.array([1,-1]) \ x2=np.array([-1,-1,1]) \ y2=np.array([-1,1]) \\ & W=np.outer(y1,x1)+np.outer(y2,x2) \\ & def \ bam(x): \ y=np.dot(W,x) \\ & y=np.where(y>=0,1,-1) \ return \ y \\ & x\_test=np.array([1,-1,-1,-1]) \\ & y\_test=bam(x\_test) \ print("Input \ x:",x\_test) \\ & print("Output:",y\_test) \end{split}
```

```
Input x: [ 1 -1 -1 -1]
Output: [ 1 -1]
```

Name- Thorve Avishkar Shrikrushna

Roll No-63

Title- Artificial Neural Network trining process of Forward Propagation, Back Propagation.

Program:

```
import numpy as np class NeuralNetwork:
init (self, input size, hidden size, output size):
self.W1 = np.random.randn(input size, hidden size)
self.b1 = np.zeros((1, hidden size))
     self.W2 = np.random.randn(hidden size, output size)
     self.b2 = np.zeros((1, output size)) def
sigmoid(self, x):
                      return 1/(1 + np.exp(-
x)) def sigmoid_derivative(self, x):
return x * (1 - x) def
forward_propagation(self, X):
                                   self.z1 =
np.dot(X, self.W1) + self.b1
                                 self.a1 =
self.sigmoid(self.z1)
                          self.z2 =
np.dot(self.a1, self.W2) + self.b2
                                      y hat =
self.sigmoid(self.z2)
     return y hat def
backward propagation(self, X, y, y hat):
    self.error = y - y hat
     self.delta2 = self.error * self.sigmoid derivative(y hat)
self.a1 error = self.delta2.dot(self.W2.T)
     self.delta1 = self.a1 error * self.sigmoid derivative(self.a1 self.W2 += self.a1.T.dot(self.delta2)
self.b2 += np.sum(self.delta2, axis=0, keepdims=True)
                                                            self.W1 += X.T.dot(self.delta1)
self.b1 += np.sum(self.delta1, axis=0) def train(self, X, y, epochs, learning_rate=0.1) for i in
range(epochs):
       y_hat = self.forward_propagation(X)
self.backward propagation(X, y, y hat)
i \% 1000 == 0:
         print("Error at epoch", i, ":", np.mean(np.abs(self.error)))
def predict(self, X):
    return self.forward propagation(X) X
= np.array([[0, 0], [0, 1], [1, 0], [1, 1]]) y
= np.array([[0], [1], [1], [0]])
nn = NeuralNetwork(input size=2, hidden size=4, output size=1)
nn.train(X, y, epochs=10000) predictions = nn.predict(X)
print("\nPredictions:\n", predictions)
```

```
[[5.55111512e-16]
[6.66666667e-63]
[6.66666667e-63]
[6.66666667e-63]]
```

Name- Thorve Avishkar Shrikrushna

Roll No-63

Title: Python program to show back propagationnetwork for XOR function with Binary Input and Output.

Program:

```
import numpy as np class
XORNetwork: def init (self):
self.W1 = np.random.randn(2, 2)
self.b1 = np.random.randn(2)
self.W2 = np.random.randn(2, 1)
self.b2 = np.random.randn(1) def
sigmoid(self, x):
                      return 1 / (1 +
np.exp(-x)) def
sigmoid derivative(self, x):
     return x * (1 - x) def forward(self, X):
self.z1 = np.dot(X, self.W1) + self.b1
self.a1 = self.sigmoid(self.z1)
                                   self.z2 =
np.dot(self.a1, self.W2) + self.b2
                                      self.a2 =
self.sigmoid(self.z2)
                          return self.a2 def
backward(self, X, y, output):
self.output\_error = y - output
     self.output_delta = self.output_error * self.sigmoid_derivative(output)
self.z1 error = self.output delta.dot(self.W2.T)
     self.zl delta = self.zl error * self.sigmoid derivative(self.al)
self.W1 += X.T.dot(self.z1 delta)
                                       self.b1 +=
np.sum(self.zl delta, axis=0)
                                   self.W2 +=
self.a1.T.dot(self.output delta)
                                    self.b2 +=
np.sum(self.output delta, axis=0) def train(self, X, y, epochs):
for in range(epochs):
       output = self.forward(X)
self.backward(X, y, output)
predict(self, X):
                     return
self.forward(X) xor_nn =
XORNetwork()
X = \text{np.array}([[0, 0], [0, 1], [1, 0], [1, 1]]) y
= np.array([[0], [1], [1], [0]])
xor nn.train(X, y, epochs=10000)
predictions = xor nn.predict(X)
print(predictions)
```

```
[[0.63075848]
[0.98777524]
[0.9877705]
[0.63148649]]
```

Name- Thorve Avishkar Shrikrushna

Roll No-63

Title- Program for creating a back propagation feed-forward neural network.

```
import numpy as np def
sigmoid(x):
  return 1/(1 + np.exp(-x)) def
sigmoid_derivative(x):
  return x * (1 - x)
X = \text{np.array}([[0, 0], [0, 1], [1, 0], [1, 1]]) y
= np.array([[0], [1], [1], [0]])
learning rate = 0.1
num_epochs = 100000
hidden weights = 2 * np.random.random((2, 2)) - 1
output\_weights = 2 * np.random.random((2, 1)) - 1
for _ in range(num_epochs):
  hidden layer = sigmoid(np.dot(X, hidden weights))
  output_layer = sigmoid(np.dot(hidden_layer, output_weights))
  output error = y - output layer
  output delta = output error * sigmoid derivative(output layer)
  hidden error = output delta.dot(output weights.T)
  hidden_delta = hidden_error * sigmoid_derivative(hidden_layer)
  output_weights += hidden_layer.T.dot(output_delta) * learning_rate
hidden weights += X.T.dot(hidden delta) * learning rate
print("Input:") print(X)
print("Output:")
print(output layer)
```

Output: Input: [[00] [0 1] [1 0] [1 1]] Output: [[0 61385986] [0.63944088]

[0.8569871] [0.11295854]]