Deep Learning for NLP

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Overview

Summary

Language modeling

Convolutional language models

Normalization and dropout

Recurrent language models

Transformer language model

Sequence-to-sequence

Text-conditional language model

Neural architectures for seq-to-seq

Decoding

Sub-word segmentation

Representation learning

Masked language models

BERT

Word embeddings

Word embeddings from language modeling

Previous part

- Supervised machine learning
 - Linear classifiers
 - ► Logistic regression
 - Softmax regression
 - Deep neural networks
 - Fully-connected
 - Convolutional
- ► Training algorithms
 - Stochastic gradient descent
 - Stochastic gradient descent with momentum
 - Backpropagation to compute gradient
- Processing text as input
 - Preprocessing
 - Vectorization

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 - Estimate the probability distribution of pieces of a sentence

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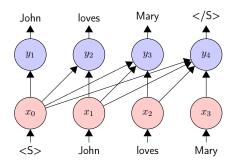
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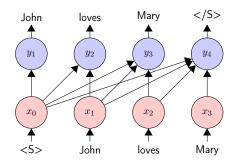
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- ▶ a sentence T of length M is a sequence of tokens $t_1, \ldots, t_n \in [1, \ldots, V]$
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- Autoregressive decomposition: estimate the probability of each token given its prefix

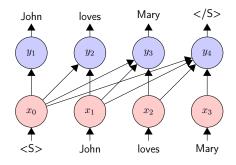
$$p(t_1,\ldots,t_M) = \prod_{i=1}^M p(t_i|t_1,\ldots,t_{i-1})$$
 (chain rule)



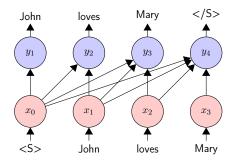
- Similar to a sequence tagging task
 - ► Each position is tagged with the next token
 - ► Special start-of-sentence and end-of-sentence tokens
 - Causality
 - each position only depends on the past



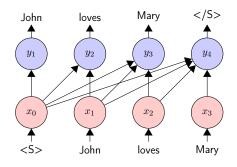
- Applications
 - Text generation



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 - ► Text generation usually from a prefix (e.g. autocomplete)

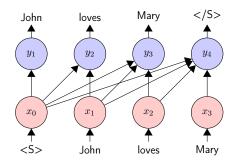


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- ► Text generation conditional on an input (e.g. image, text in another language)
- Scoring
- Representation learning (embeddings)

Language modeling with neural networks

Estimate probabilities with a neural network

$$p(t_i = k | t_1, \dots, t_{i-1}) = f_k(t_1, \dots, t_{i-1}; \theta)$$

• f is a neural network with parameters θ that computes a vector of V probabilities

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- general structure:

$$f(t1, \dots, t_{i-1}) = \operatorname{softmax}(Proj(Seq(Emb(t_1), \dots, Emb(t_{i-1})))))$$

- \blacktriangleright $Emb(k) = W_{\cdot k}^{Emb}$: word embeddings $W^{Emb} \in \mathcal{R}^{d \times V}$
- ► $Seq(x_1, ..., x_{i-1})$: sequence combinator ► $Proj(s) = W^{Out} \cdot s$: output projection $W^{Out} \in \mathcal{R}^{V \times d}$.

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 - usually $W^{Out} = \text{transpose}(W^{Emb})$ [Press and Wolf, 2017]

Training

- Maximum Likelihood Estimation
 - lacktriangle maximize the log-likelihood of the training set $\{T^{(j)}\}$ under the model

$$\underset{\theta}{\operatorname{argmax}} \sum_{j} \sum_{i=1}^{n^{(j)}} \log p(t_i^{(j)} | t_1^{(j)}, \dots, t_{i-1}^{(j)})$$

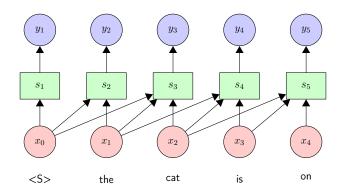
- mini-batch stochastic gradient descent
- ▶ adaptive learning rate and momentum (e.g. RMSProp, Adam)

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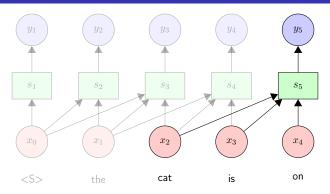
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- mini-batch stochastic gradient descent
- adaptive learning rate and momentum (e.g. RMSProp, Adam)
- other training criteria can be used (e.g. reinforcement learning, GANs)
 - in practice it's hard to do better than MLE



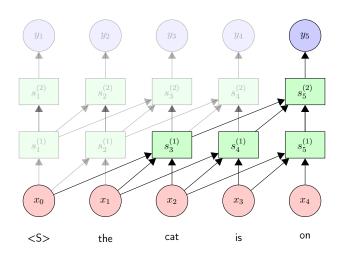
Fixed width sliding window of lenth L



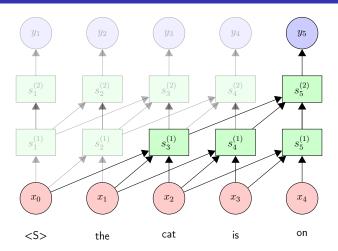
Fixed width sliding window of lenth ${\cal L}$

$$Seq(x_1, \dots, x_{i-1}) = Seq(x_{i-L}, \dots, x_{i-1})$$

$$= ReLU(b^{conv} + \sum_{j=1}^{L} W_{:,:,j}^{conv} \cdot x_{i-j})$$



Multiple layers increase both depth and window size



- pro: training can be parallelized over words
- con: strong Markovian independence assumption

An Empirical Evaluation of Generic Convolutional and Recurrent Networks for Sequence Modeling

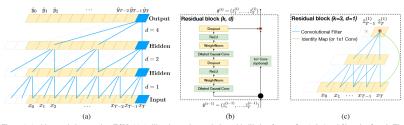


Figure 1. Architectural elements in a TCN. (a) A dilated causal convolution with dilation factors d = 1, 2, 4 and filter size k = 3. The receptive field is able to cover all values from the input sequence. (b) TCN residual block. An Ix1 convolution is added when residual input and output have different dimensions. (c) An example of residual connection in a TCN. The blue lines are filters in the residual function, and the green lines are identity mappings.

- Extensions [Bai et al., 2018]
 - residual connections
 - dilated convolutions
 - normalization layers
 - weight norm, layer norm, batch norm
 - dropout

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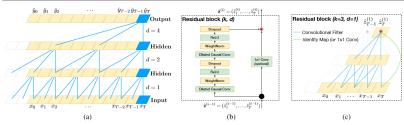


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- Dilated convolutions
 - skip over words

$$\sum_{j=1}^{L} W_{:,:,j}^{conv} \cdot x_{i-(j\cdot D)}$$

dilation factor D

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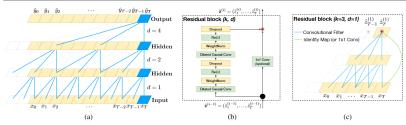


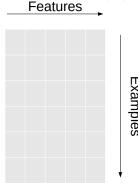
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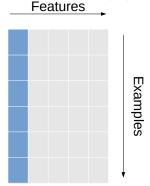
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- dilation factor D
- Increase dilation exponentially over layers

- In a linear model is beneficial to normalize the input
 - Can be done as a preprocessing step

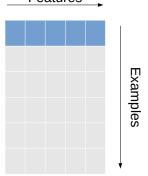


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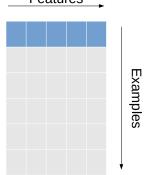
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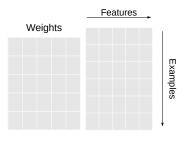


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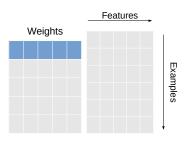
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- Solution: normalization layers



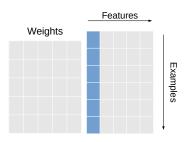
$$z = W \cdot X + b$$

Base linear layer



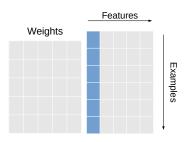
$$\begin{split} z &= \hat{W} \cdot X + b \\ \hat{W} &= g \cdot \mathsf{NormalizeRows}(W) \end{split}$$

- ► Weight normalization
 - Normalize the rows of the weight matrix L2 norm equal to 1
 - ightharpoonup Multiply by a trainable gain $g \in \mathcal{R}^d$
 - q is initialized to 1



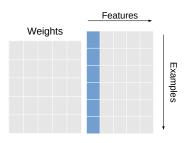
$$z = W \cdot g \cdot \mathsf{NormalizeCols}(X) + b$$

- Batch normalization
 - Normalize the features over a minibatch to mean 0 and sd. 1
 - Multiply by a trainable gain $g \in \mathcal{R}^d$ and add a trainable bias b
 - g is initialized to 1, b is initalized to 0



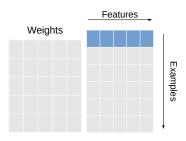
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 - ► Save running mean and sd for inference



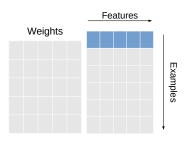
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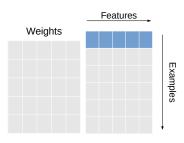
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- Layers normalization
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 - ► Train and inference are the different
 - Common in image processing
- Layer normalization
 - Guarantees bounded activations always
 - Non-linear function
 - Train and inference are the same
 - Common in NLP

- Dropout regularization
- During training
 - lacktriangle Randomly choose activation components with probability p and set them to 0
 - lacktriangle Multiply the other by 1/p to keep the mean approx. the same

$$\mathsf{Dropout}(z) = \frac{\mathsf{mask}}{p} \cdot z$$

- ▶ where mask $\in \mathbb{R}^d$, mask_j \sim Bernoulli(1-p)
- ► Independent over components and examples
- \triangleright p is a hyperparameter, usually between 0.1 and 0.5
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 - ightharpoonup Multiply the other by 1/p to keep the mean approx. the same

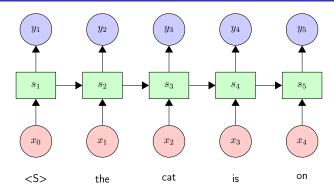
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- ► Can be also be applied to whole tokens (Word dropout) or weights (Dropconnect)

Recurrent language model [Mikolov et al., 2010]

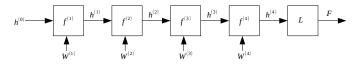


Recurrent decomposition

$$Seq(x_1, ..., x_{i-1}) = \mathsf{RNN}(Seq(x_1, ..., x_{i-2}), x_{i-1})$$

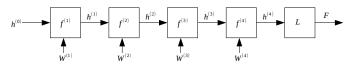
 $s_0 = 0$
 $s_i = \mathsf{RNN}(s_{i-1}, x_{i-1})$

Backpropagation algorithm



- ► Forward pass:
 - ightharpoonup For k in range [1, K]
 - Store in memory $h^{(k-1)}$
 - ▶ Store in memory $h^{(K)}$
 - Return $L(h^{(K)})$

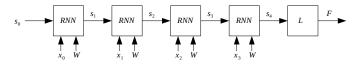
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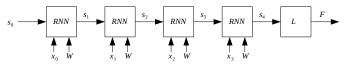
- ► Forward pass:
 - ▶ For k in range [1, K]
 - Store in memory $h^{(k-1)}$
 - $\begin{array}{c}
 h^{(k)} := \\
 f^{(k)}(h^{(k-1)}, W^{(k)})
 \end{array}$
 - ▶ Store in memory $h^{(K)}$
 - Return $L(h^{(K)})$

► Backward pass:

- $ightharpoonup h^{(K)} := \text{retrieve from memory}$
- ightharpoonup adjoint $:= \frac{\mathrm{d}L}{\mathrm{d}h^{(K)}}$
- For k in range [K, 1]
 - $h^{(k-1)} := \text{retrieve from memory}$
 - $\begin{array}{l} \bullet \quad \frac{\mathrm{d}F}{\mathrm{d}W^{(k)}} := \\ \mathrm{adjoint} \cdot \frac{\mathrm{d}}{\mathrm{d}W^{(k)}} f^{(k)}(h^{(k-1)}, W^{(k)}) \end{array}$
 - adjoint := $\frac{\mathrm{d}}{\mathrm{d}h^{(k-1)}}f^{(k)}(h^{(k-1)},W^{(k)})$
- ▶ Return $\frac{dF}{dW^{(k)}}$ for all k

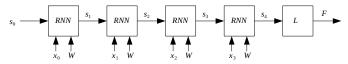


- ► Forward pass:
 - For k in range [1, M]
 - Store in memory
 - s_{k-1} $s_k :=$
 - $s_k := \mathsf{RNN}(s_k, x_k, W)$
 - lacktriangle Store in memory s_M
 - Return $L(s_M)$

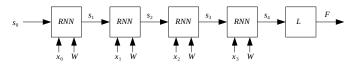


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 - $\begin{array}{l}
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 s_k := \\
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 \end{array}$
 - ightharpoonup Store in memory s_M
 - Return $L(s_M)$

- ► Backward pass:
 - $ightharpoonup \frac{\mathrm{d}F}{\mathrm{d}W} := 0$
 - $ightharpoonup s_M := \text{retrieve from memory}$
 - ightharpoonup adjoint := $\frac{\mathrm{d}L}{\mathrm{d}s_M}$
 - For k in range [M,1]
 - $ightharpoonup s_{k-1} := \text{retrieve from memory}$
 - $\stackrel{\mathrm{d}F}{=} \frac{\mathrm{d}F}{\mathrm{d}W} + = \\ \mathrm{adjoint} \cdot \frac{\partial}{\partial W} \mathsf{RNN}(s_{k-1}, x_k, W)$
 - adjoint := $\underset{\text{adjoint}}{\operatorname{adjoint}} \cdot \underset{\operatorname{ds}_{k-1}}{\overset{\operatorname{d}}{\operatorname{RNN}}} (s_{k-1}, x_k, W)$
 - ightharpoonup Return $\frac{\mathrm{d}F}{\mathrm{d}W}$

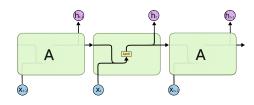


- Deep Learning frameworks handle arbitrary DAGs
- You can freely mix feed-forward and recurrent components
- ► But beware of memory usage



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- You can freely mix feed-forward and recurrent components
- ► But beware of memory usage
- Truncated BPTT
 - ► Split the sequence up to a given maximum length and run the forward and backward passes on the chunks
 - ▶ But keep the intermediate state instead of resetting
 - ► Heuristic approximation, works well in practice

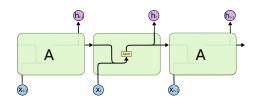
RNN variants



$$\mathsf{RNN}(s_{i-1}, x_{i-1}) = \mathsf{tanh}(W_{\mathsf{state}} \cdot s_{i-1} + W_{\mathsf{in}} \cdot x_{i-1} + b)$$

- ► Elman's RNN
 - Simple
 - Very similar to a MLP
 - In theory can compute any arbitrary FSA

RNN variants



$$\mathsf{RNN}(s_{i-1}, x_{i-1}) = \mathsf{tanh}(W_{\mathsf{state}} \cdot s_{i-1} + W_{\mathsf{in}} \cdot x_{i-1} + b)$$

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 - Very similar to a MLP
 - ► In theory can compute any arbitrary FSA
 - But it's often hard to train
 - Especially on long sequences with long-term dependencies

Christopher Olah http://colah.github.io/posts/2015-08-Understanding-LSTMs/

- Consider a simplified version
 - No non-linearity
 - Scalar state and input

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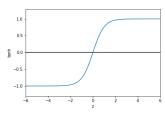
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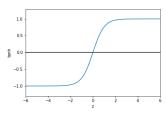
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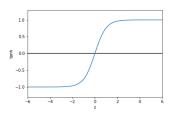
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- Solves the exploding activations problem
- But can kill the gradients when saturated



RNN variants

What about a residual connection?

$$\mathsf{RNN}(s_{i-1}, x_{i-1}) = \mathsf{tanh}(W_{\mathsf{state}} \cdot s_{i-1} + W_{\mathsf{in}} \cdot x_{i-1} + b) + s_{i-1}$$

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► Solves vaninshing gradients, but brings back exploding activations



▶ Bound the skip connection using another trainable function ("gate")

- Bound the skip connection using another trainable function ("gate")
- Tied Recurrent Highway Network

$$\begin{split} \tilde{s} &= \tanh(W_{\mathsf{state}} \cdot s_{i-1} + W_{\mathsf{in}} \cdot x_{i-1} + b) \\ f &= \sigma(W_{\mathsf{state}}^f \cdot s_{i-1} + W_{\mathsf{in}}^f \cdot x_{i-1} + b^f) \\ \mathsf{RHN}(s_{i-1}, x_{i-1}) &= \tilde{s} \cdot (1-f) + s_{i-1} \cdot f \end{split}$$

- \triangleright \tilde{s} : "proposal"gate
- f: "forget"gate

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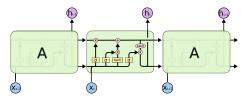
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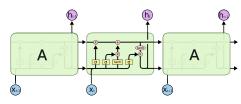
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- Works well, but it is neither the oldest nor the best gated RNN

RNN variants



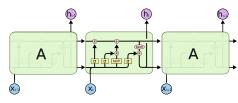
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- ► Long-Short Term Memory (LSTM)
 - ► Oldest and most complex gated RNN
 - Two state vectors
 - Multiple gates
 - ► Computes FSA + counters
 - ► Empirically the strongest
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- TL;DR Use a LSTM, unless you really want a small model

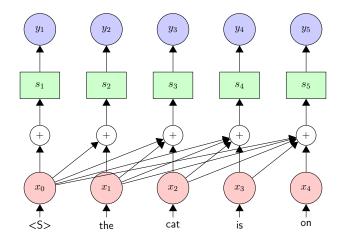
Recurrent language model

- pros & cons
 - pro: can capture long distance dependencies
 - pro: can represent arbitrary FSAs (+ counting)
 - con: inherently sequential even during training
 - con: hidden state can become a bottleneck

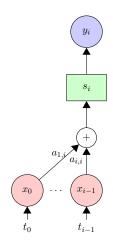
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- extensions
 - stacked depth and transition depth [Miceli Barone et al., 2017]
 - residual connections
 - normalization layers (layer norm)
 - dropout
 - etc.

Transformer language model [Vaswani et al., 2017]

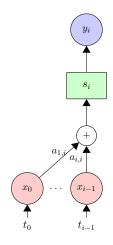


Causal self-attention



causal self-attention

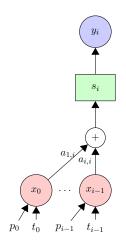
$$\begin{split} e_{j,i} &= x_{j-1}^{\dagger} \cdot W^K \cdot W^Q \cdot x_{i-1} \text{ (dot product attention)} \\ a_{j,i} &= \text{softmax}(e_{j,i}) \\ c_i &= \sum_{j=1}^i a_{j,i} W^V \cdot x_{j-1} \\ s_i &= b^{(2)} + W^{(2)} \cdot \mathsf{ReLU}(b^{(1)} + W^{(1)} \cdot c_i) \end{split}$$



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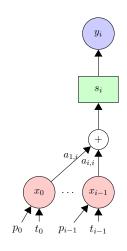


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what about word order? $x_i = x_i^{word} + x_i^{pos}$

transformer in practice



$$\begin{split} x_i &= x_i^{word} + x_i^{pos} \text{ (position embedding)} \\ e_{j,i}^{(h)} &= x_{j-1}^\dagger \cdot W^{K_h} \cdot W^{Q_h} \cdot x_{i-1} \\ a_{j,i}^{(h)} &= \operatorname{softmax}(e_{j,i}^{(h)}) \\ c_i^{(h)} &= \sum_{j=1}^i a_{j,i}^{(h)} W^{V_h} \cdot x_{j-1} \\ \widetilde{c}_i &= \operatorname{concat}(c_i^{(h)}) \text{ (multi-head attention)} \\ c_i &= \operatorname{layerNorm}(x_i + \widetilde{c}_i) \text{ (residual and layernorm)} \\ \widetilde{s}_i &= b^{(2)} + W^{(2)} \cdot \operatorname{ReLU}(b^{(1)} + W^{(1)} \cdot c_i) \\ s_i &= \operatorname{layerNorm}(c_i + \widetilde{s}_i) \text{ (residual and layernorm)} \end{split}$$

- pros & cons
 - pro: SOTA on everything
 - pro: can capture long distance dependencies
 - pro: training can be parallelized over words
 - con: theoretical complexity increases at each step
 - not an issue for single sentences
 - con: tricky to train
 - requires dropout, learning rate warmup, label smoothing, etc.
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- extensions
 - Transformer-XL [Dai et al., 2019]
 - recurrent over sentences
 - dynamic convolutions [Wu et al., 2019]
 - etc.

Sequence-to-sequence

- Generate an output sequence based on an input sequence
 - Machine translation
 - Summarization
 - etc., very flexible framework

Sequence-to-sequence

- Generate an output sequence based on an input sequence
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 - etc., very flexible framework
- Suppose that we have:
 - ightharpoonup a source sentence S of length m (x_1,\ldots,x_m)
 - ▶ a target sentence T of length n (y_1, \ldots, y_n)
- We can express translation as a probabilistic model

$$T^* = \arg\max_{T} p(T|S)$$

Expanding using the chain rule gives

$$p(T|S) = p(y_1, \dots, y_n | x_1, \dots, x_m)$$

= $\prod_{i=1}^{n} p(y_i | y_1, \dots, y_{i-1}, x_1, \dots, x_m)$

Differences Between Translation and Language Model

► Target-side language model:

$$p(T) = \prod_{i=1}^{n} p(y_i|y_1, \dots, y_{i-1})$$

Translation model:

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- ▶ We could just treat sentence pair as one long sequence, but:
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 - ▶ We may want different vocabulary, network architecture for source text

Differences Between Translation and Language Model

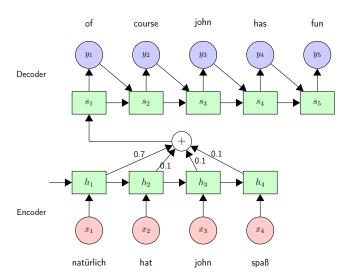
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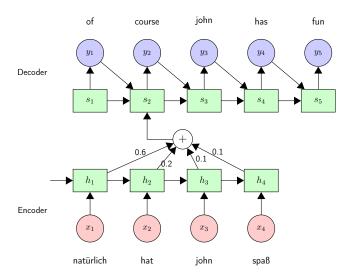
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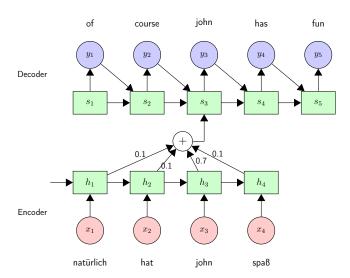
Translation model:

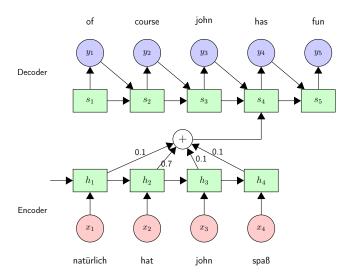
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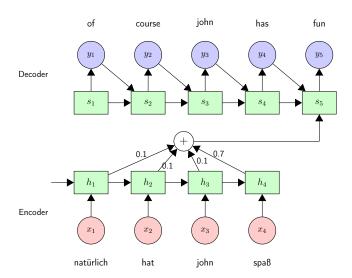
- ▶ We could just treat sentence pair as one long sequence, but:
 - ightharpoonup We do not care about p(S)
 - ▶ We may want different vocabulary, network architecture for source text
- ightarrow Use separate neural networks for source and target with an attention mechanism











Recurrent Attentional encoder-decoder

encoder

$$\begin{split} \overrightarrow{h}_j &= \begin{cases} 0, & \text{, if } j = 0 \\ \mathsf{RNN}(h_{j-1}, x_j) & \text{, if } j > 0 \end{cases} \\ \overleftarrow{h}_j &= \begin{cases} 0, & \text{, if } j = T_x + 1 \\ \mathsf{RNN}(h_{j+1}, x_j) & \text{, if } j \leq T_x \end{cases} \\ h_j &= (\overrightarrow{h}_j, \overleftarrow{h}_j) \end{split}$$

Recurrent Attentional encoder-decoder

decoder

$$\begin{split} s_i &= \begin{cases} \tanh(W_s \overleftarrow{h}_i), & \text{, if } i = 0 \\ \text{RNN}(s_{i-1}, y_{i-1}, c_i) & \text{, if } i > 0 \end{cases} \\ t_i &= \tanh(U_o s_i + W^{out} E_y y_{i-1} + C_o c_i) \\ y_i &= \text{softmax}(V_o t_i) \end{split}$$

cross-attention

$$\begin{aligned} e_{i,j} &= h_j^\dagger \cdot W^K \cdot W^Q \cdot s_{i-1} \\ a_{i,j} &= \text{softmax}(e_{i,j}) \\ c_i &= \sum_{i=1}^{T_x} a_{i,j} W^V \cdot h_j \end{aligned}$$

Attention model

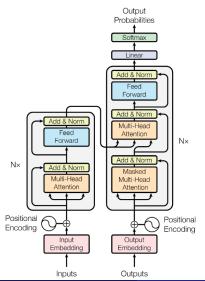
attention model

- side effect: we obtain alignment between source and target sentence
- information can also flow along recurrent connections, so there is no guarantee that attention corresponds to alignment
- applications:
 - visualisation
 - replace unknown words with back-off dictionary [Jean et al., 2015]
 - **...**



Kyunghyun Cho http://devblogs.nvidia.com/parallelforall/introduction-neural-machine translation.gous.nart-3

Transformer encoder-decoder [Vaswani et al., 2017]



attention is all you need

- acausal self-attention in encoder
- causal self-attention in decoder
- cross-attention between encoder and decoder

Application of Encoder-Decoder Model

```
Scoring (a translation) p(\text{La, croissance, \'economique, s'est, ralentie, ces, dernières, années, . }| Economic, growth, has, slowed, down, in, recent, year, .) = ?
```

```
Decoding ( a source sentence)
```

Generate the most probable translation of a source sentence $y^* = \mathop{\rm argmax}\nolimits_y p(y|{\sf Economic,\ growth,\ has,\ slowed,\ down,\ in,\ recent,\ year,\ .})$

Decoding

exact search

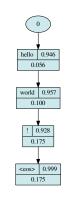
- ightharpoonup generate every possible sentence T in target language
- ightharpoonup compute score p(T|S) for each
- pick best one

- ightharpoonup intractable: $|vocab|^N$ translations for output length N
 - \rightarrow we need approximative search strategy

Decoding

approximative search/1: greedy search

- at each time step, compute probability distribution $P(y_i|S, y_{< i})$
- \triangleright select y_i according to some heuristic:
 - \triangleright sampling: sample from $P(y_i|S, y_{< i})$
 - greedy search: pick $\operatorname{argmax}_{y} p(y_i|S, y_{\leq i})$
- continue until we generate <eos>



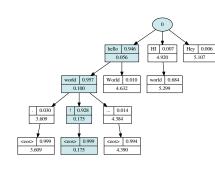
efficient, but suboptimal

Decoding

approximative search/2: **beam** search

- maintain list of K hypotheses (beam)
- ▶ at each time step, expand each hypothesis k: $p(y_i^k|S, y_{< i}^k)$
- select K hypotheses with highest total probability:

$$\prod_{i} p(y_i^k | S, y_{\leq i}^k)$$



$$K = 3$$

- relatively efficient . . . beam expansion parallelisable
- currently default search strategy in neural machine translation
- lacktriangle small beam (Kpprox 10) offers good speed-quality trade-off

Subwords for NLP: Motivation

Real text is an open-vocabulary

- compounding and other productive morphological processes
 - ► they charge a carry-on bag fee.
 - ► sie erheben eine Hand gepäck gebühr.
- names
 - Obama(English; German)
 - ▶ Обама (Russian)
 - ▶ オバマ (o-ba-ma) (Japanese)
- technical terms, numbers, etc.

... but neural architectures require a small token vocabulary

Subword units

segmentation algorithms: wishlist

- open-vocabulary seq-to-seq: encode all words through small vocabulary
- encoding generalizes to unseen words
- small text size
- good translation quality

- starting point: character-level representation
 - \rightarrow computationally expensive
- compress representation based on information theory
 - \rightarrow byte pair encoding [Gage, 1994]
- repeatedly replace most frequent symbol pair ('A','B') with 'AB'
- hyperparameter: when to stop
 - → controls vocabulary size

word	freq	
'l o w '	5	vocabulary:
'I o w e r $'$	2	low ernstid
'n e w e s t $'$	6	
'w i d e s t $'$	3	

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- open-vocabulary: operations learned on training set can be applied to unknown words
- compression of frequent character sequences improves efficiency
 - ightarrow trade-off between text length and vocabulary size

'I o w e s t
$$'$$

$$\begin{array}{cccc} e \ s & \rightarrow & es \\ es \ t & \rightarrow & est \\ est \ & \rightarrow & est \\ I \ o & \rightarrow & Io \\ Io \ w & \rightarrow & Iow \end{array}$$

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Applications

- ▶ Some form of BPE is used in most neural NLP architectures
- Extensions usually add stochasticity
 - Sentencepiece [Kudo, 2018]
 - BPE-Dropout [Provilkov et al., 2019]

Limitations of supervised learning

- For most tasks, annotated data is scarce
 - ► High quality data annotation is expensive
 - ▶ Data annotated by crowdsourcing or scraped from the web is noisy
- ► Even high quality annotated data can be out-of-domain
 - Sampling bias
 - Distribution shift over time
 - ► Different topics, styles, dialects, etc.

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 - ▶ Different topics, styles, dialects, etc.
- Non-annotated data
 - Readily available
 - Easier to find in-domain datasets

Semi-supervised learning

▶ Solution: learn from both unannotated and annotated data

Semi-supervised learning

Solution: learn from both unannotated and annotated data "When we're learning to see, nobody's telling us what the right answers are—we just look. Every so often, your mother says 'that's a dog,' but that's very little information. You'd be lucky if you got a few bits of information—even one bit per second—that way. The brain's visual system requires 10^{14} connections. And you only live for 10^9 seconds. So it's no use learning one bit per second. You need more like 10^5 bits per second. And there's only one place you can get that much information—from the input itself." - Geoffrey Hinton

Semi-supervised learning

- Mix unannotated and annotated data
 - Computationally expensive
- Or learn an unsupervised model on unannotated data, then transfer to a supervised task
 - Amortizes the cost of learning the unsupervised model
 - Can be more robust

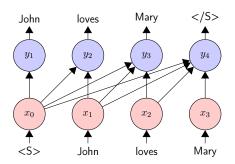
Representation learning

- Learn an encoding $h(x;\theta)$ on unannotated data
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 - Learn a task model ("head") that takes the encoded data as input $f(h(x;\theta);\phi)$
 - ightharpoonup Either keep the encoder parameters θ fixed
 - Fast
 - Small memory consumption
 - Less risk of overfitting
 - ightharpoonup Or finetune θ alongside ϕ
 - ▶ Potentially better quality, assuming no overfitting
 - Many forward and backward passes through the encoder

Masked language models

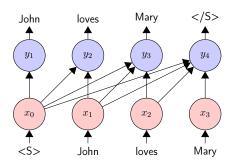


► Recall the autoregressive decomposition

$$p(t_1, \dots, t_M) = \prod_{i=1}^{M} p(t_i|t_1, \dots, t_{i-1})$$

▶ Based on the chain rule of probability

Masked language models

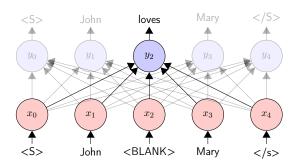


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$$p(t_1, \dots, t_M) = \prod_{i=1}^{M} p(t_i|t_1, \dots, t_{i-1})$$

- Based on the chain rule of probability
- But the joint probability can be decomposed in other ways

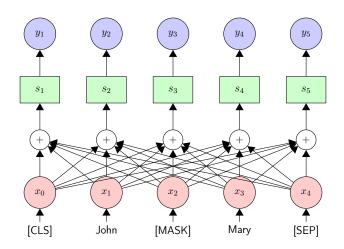
Masked language models



Gap prediction

$$p(t_1, \dots, t_M) = p(t_i | t_1, \dots, t_{i-1}, t_{i+1}, \dots, t_M) \cdot p(t_1, \dots, t_{i-1}, t_{i+1}, \dots, t_M)$$

- ▶ No closed form for the joint probability
- But representation learning we don't care



Transformer encoder trained on the MLM objective

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- Transformer encoder
 - Very large and deep
 - Sub-word tokenization (wordpiece)
 - ► Trainable position embeddings
- ► (Approximate) Masked LM training
 - ► For each example in each training step randomly choose 15% of tokens as target tokens
 - ► For each target token
 - Mask with 80% prob.
 - ▶ Randomly substitute with 10% prob.
 - Leave the same with 10% prob.
 - Training loss
 - $-\sum_{i \in \mathsf{targets}} \log p(t_i | t_1', \dots, t_M)$

- ▶ BERT is actually trained on sentence pairs
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- BERT is pretrained on a large English corpus (BookCorpus + Wikipedia)
- Versions of BERT in other languages or multilingual also exist

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- Task
 - Tagging: subword representations
 - Sentence classification: [CLS] representation
 - ► Sentence pair classification: [CLS] and [SEP] representation
- Use as fixed representations or finetune on the supervised task
- Supervised head: linear model or shallow MLP

Pretrained representation learning models

- BERT-like
 - RoBERTa
 - ALBERT
 - DistilBERT
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 - XLM
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- Autoregressive
 - ► ELMo
 - ► GPT, GPT-2
 - Transformer-XL
 - XLNet
 - Can be used in autoregressive mode or bidirectional mode
 - Trained on permutations

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 - ▶ "He <MASK> vase. <SEP> The cat <MASK> table. " \rightarrow "The cat jumped on the table. <SEP> He knocked over the vase."
- ► The intuition is that the model learns the syntax and semantics of language while maintaing a predominantly copying behavior
- Pretrained models
 - BART, mBART
 - MASS
 - ► T5

Word embeddings

- Transformer-based LMs produce highly informative contextual representations
- ➤ The representation of each token depends on how it relates to all the other tokens
- ➤ Word embeddings of old (2013) just assign a fixed vector to each word in the vocabulary
- ▶ Is there a reason to still use word embeddings?

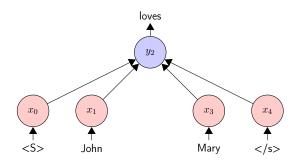
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- For analysis
 - Relations between words
 - How words change over time
 - or over domains

Continuous bag of words [Mikolov et al., 2013]



Log-bilinear model with fixed window L

$$\begin{aligned} p(t_i|t_1,\ldots,t_{i-1},t_{i+1},\ldots,t_M) &\approx p(t_i|t_{i-L},\ldots,t_{i-1},t_{i+1},\ldots,t_{i+L}) \\ &= \mathsf{softmax}_i(W^{Out} \cdot s) \\ s &= \sum_{i \neq i}^{[-L,L]} W^{Emb}_{:,t_j} \end{aligned}$$

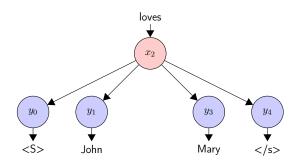
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▶ Log-bilinear model with fixed window L

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- ightharpoonup Output is $W_{:,t_i}^{Emb}$, not s
- $ightharpoonup W^{Emb}$ and W^{Out} are not tied
- lacktriangle $-\log \operatorname{softmax}_i(W^{Out} \cdot s)$ is approximated by Negative Sampling
 - Contrastive loss similar to NCE

Skipgram [Mikolov et al., 2013]



ightharpoonup Predict context from central word in a fixed window L

$$\begin{split} p(t_{j}|t_{i}) &= \mathsf{softmax}_{j}(W^{Out} \cdot W^{Emb}_{:,t_{i}}) \\ |i-j| &\leq L \end{split}$$

► Also with approximated by Negative Sampling

Word embeddings

- CBOW and Skipgram are implemented in word2vec
- fastText [Joulin et al., 2016] is also based on Skipgram, extended with character n-gram features
- GloVe [Pennington et al., 2014] is based on matrix factorization
 - In practice, similar to Skipgram [Levy and Goldberg, 2014]
- Word embeddings can be also extracted from the parameters of recurrent language models or machine translation models

What do word embeddings encode?

- Syntactic similarity "to" ≈ "from". "in". "on". . . .
- Semantic similarity "one" \approx "two", "three", "four", ... "Paris" \approx "London", "Rome", "Berlin", ...
- Analogies "Paris" - "France" + "UK" ≈ "London" "king" - "man" + "woman" \approx "queen"

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 "Paris" "France" + "UK" ≈ "London"
 "king" "man" + "woman" ≈ "queen"
 "doctor" "man" + "woman" ≈ "nurse"
 - Word Embeddings learn stereotypes

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- lacktriangle Given word embedding matrices W^X and W^Y

$$\mathrm{argmax}_{P,\theta} \sum_{i < V} ||W_{:,i}^Y - F(W_{:,P(i)}^X;\theta)||$$

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Word embeddings

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- \triangleright Find a permutation over the indices P and the parameter θ of a mapping function F that minimize the distance
 - Usually $F(\cdot;\theta)$ is parametrized as an orthogonal matrix Θ s.t. $\Theta^T \cdot \Theta = I$
 - Isometry assumption "king" - "man" + "woman" \approx "queen" "König" - "Mann" + "Frau " \approx "Königin"
 - Orthogonal transformations preserve angles

Aligning word embeddings [Ruder et al., 2019]

$$\mathrm{argmax}_{P,\Theta} \sum_{i < V} ||W^Y_{:,i} - \Theta \cdot W^X_{:,P(i)};||$$

- 1. Initialize permutation P from a seed dictionary
- 2. Repeat until convergence
 - 2.1 Find best orthogonal mapping Θ using the Orthogonal Procrustes method
 - 2.2 Find best permutation P

Orthogonal Procrustes method

$$\mathrm{argmax}_{\Theta}||\Theta\cdot A - B||$$

- ► Solution: $\Theta = U \cdot V^T$
- $\blacktriangleright \text{ where } B \cdot A^T = U \cdot S \cdot V^T$
 - Singular value decomposition

Open problems in Deep Learning

- Deep Learning revolutionized NLP and other fields
- Nevertheless, Deep Learning is no silver bullet
 - Out-of-distribution fragility
 - Adversarial examples
 - Fairness
 - Explainability

Out-of-distribution fragility

- Deep Learning models are very sensitive to distribution shift between training and inference
- ▶ In NLP a common form of distribution shift is word usage
 - E.g. Wikipedia vs. Twitter
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Out-of-distribution fragility

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- In NLP a common form of distribution shift is word usage
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- But even when word usage is similar deep learning models can struggle due to lack of compositionality

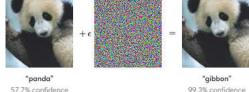
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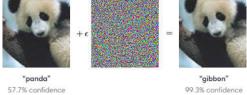
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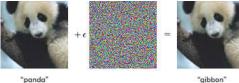
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- ► Adversarial perturbations don't need to be precise
 - Adversary transfer across models
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99.3% confidence



- ► Adversarial perturbations don't need to be precise
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 - [Eykholt et al., 2018]



Figure 1: The left image shows real graffiti on a Stop sign, something that most humans would not think is suspicious. The right image shows our a physical perturbation applied to a Stop sign. We design our perturbations to mimic graffiti.

57.7% confidence

- Image adversaries are usually generated by gradient descent in pixel space
- ► Is NLP safe from adversaries?

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- Is NLP safe from adversaries?
 - ► HotFlip: White-Box Adversarial Examples for Text Classification [Ebrahimi et al., 2017]
 - Universal Adversarial Triggers for Attacking and Analyzing NLP [Wallace et al., 2019]
 - ► Is BERT Really Robust? A Strong Baseline for Natural Language Attackon Text Classification and Entailment [Jin et al., 2019]

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 - Even if the data is accurate, if the model is not perfect it will make errors. What does it mean to err fairly?
- ▶ Different definition of fairness are mutually exclusive [Kleinberg et al., 2016]

Explainability

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Explainability

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- ► The European Union GDPR defines a "right to explanation and appeal"for any automated decision that significantly affects the interests of an EU citizen.
- Similar laws exist in the US for credit scoring

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