```
% PART 1: Projectile motion for fixed angle (\theta = 45^{\circ})
% Constants
v = 20;
              % initial speed in m/s
theta = 45;
                 % launch angle in degrees
              % gravity in m/s^2
g = 9.8;
% Convert angle to radians
theta_rad = deg2rad(theta);
% Time of flight
T_flight = 2 * v * sin(theta_rad) / g;
% Time array
t = linspace(0, T_flight, 500);
% Equations of motion
x = v * cos(theta_rad) * t;
y = v * sin(theta_rad) * t - 0.5 * g * t.^2;
figure;
subplot(3,1,1)
plot(t, x, 'b','LineWidth', 1.5);
xlabel('Time','FontSize',10);
xlim([min(t) max(t)])
ylabel('Horizontal Distance (m)','FontSize',10);
title('Horizontal distance with time','FontSize',12);
subplot(3,1,2)
plot(t, y, 'r','LineWidth', 1.5);
xlabel('Time','FontSize',10);
xlim([min(t) max(t)])
ylabel('Vertical height (m)','FontSize',10);
title('Height with time','FontSize',12);
subplot(3,1,3)
plot(x, y, 'k','LineWidth', 1.5);
xlabel('Horizontal distance (m)','FontSize',10);
x\lim([\min(x)\max(x)])
ylabel('Vertical height (m)','FontSize',10);
title('Horizontal distance vs height','FontSize',12);
% PART 2: Projectile motion for multiple launch angles
% Parameters
v = 40; % initial speed in m/s
g = 9.8;
angles = [0 15 30 45 60 75 90]; % in degrees
% Create figure for all trajectories
figure;
hold on;
% Use color scheme
colors = lines(length(angles));
% Loop over angles
for i = 1:length(angles)
```

```
theta = angles(i);
 theta_rad = deg2rad(theta);
  % Time of flight for current angle
 T = 2 * v * sin(theta_rad) / g;
 t = linspace(0, T, 300);
  % Trajectory
 x = v * cos(theta_rad) * t;
 y = v * sin(theta_rad) * t - 0.5 * g * t.^2;
  % Plot trajectory
  plot(x, y, 'Color', colors(i,:), 'LineWidth', 1.5, ...
    'DisplayName', sprintf('\\theta = %do', theta));
 % Compute and display max height
 y_max = max(y); % numerical value from trajectory
 fprintf('Angle: %2d° → Max Height: %.2f m\n', theta, y_max);
end
% Final plot settings
xlabel('Horizontal Distance (m)');
ylabel('Vertical Height (m)');
title('Projectile Trajectories for Various Launch Angles');
legend('Location', 'best');
grid on;
axis equal;
```

## Q2

## % Damped Harmonic Oscillator: Varying Amplitude A

```
% Fixed parameters
gamma = 0.2;
                 % Damping coefficient
omega = 2;
                % Angular frequency (rad/s)
T = 10;
            % Total time duration
t = linspace(0, T, 500); % Time array
% Different amplitudes to compare
A_values = [0.5, 1.0, 1.5, 2.0, 5.0];
% Create figure
figure;
hold on;
% Loop over amplitudes and plot each x(t)
for i = 1:length(A_values)
 A = A_values(i);
 x = A * exp(-gamma * t) .* cos(omega * t);
 plot(t, x, 'LineWidth', 1.5, 'DisplayName', sprintf('A = %.1f', A));
end
% Axis labeling and title
xlabel('Time (s)', 'FontSize', 12);
ylabel('Displacement x(t)', 'FontSize', 12);
title('Damped Harmonic Oscillator: Effect of Amplitude A', 'FontSize', 14);
legend('Location', 'northeast');
```

## % Damped Harmonic Oscillator: Underdamped, Critically Damped, Overdamped

```
% Natural frequency
omega0 = 2; % rad/s
% Time array
t = linspace(0, 10, 500);
% Damping values for three regimes
gamma_values = [0.5, 2.0, 4.0];
% Create figure
figure;
hold on;
for i = 1:length(gamma_values)
 gamma = gamma_values(i);
 if gamma < omega0 % Underdamped
   omega_d = sqrt(omega0^2 - gamma^2);
   x = \exp(-gamma * t) .* (cos(omega_d * t) + (gamma / omega_d) * sin(omega_d * t));
   label = sprintf('Underdamped (\\gamma = %.1f)', gamma);
 elseif gamma == omega0 % Critically damped
   x = (1 + gamma * t) .* exp(-gamma * t);
   label = sprintf('Critically Damped (\\gamma = %.1f)', gamma);
 else % Overdamped
   lambda1 = gamma + sqrt(gamma^2 - omega0^2);
   lambda2 = gamma - sqrt(gamma^2 - omega0^2);
   % Solve D1 and D2 using:
   % D1 + D2 = 1
   % -lambda1*D1 - lambda2*D2 = 0
   A = [1, 1; -lambda1, -lambda2];
   b = [1; 0];
   D = A \ b; % Solves for D1 and D2
   D1 = D(1);
   D2 = D(2);
   x = D1 * exp(-lambda1 * t) + D2 * exp(-lambda2 * t);
   label = sprintf('Overdamped (\\gamma = %.1f)', gamma);
  end
 plot(t, x, 'LineWidth', 1.8, 'DisplayName', label);
end
% Plot settings
xlabel('Time (s)', 'FontSize', 12);
ylabel('Displacement x(t)', 'FontSize', 12);
title('Damped Harmonic Oscillator: Three Damping Regimes', 'FontSize', 14);
legend('Location', 'northeast');
grid on;
```

```
% Number of days and measurements per day
numDays = 5;
numMeasurements = 3;
\% Generate random energy measurements (e.g., values between 5 and 15)
\% Each row corresponds to a day, each column to a measurement
Energy = 5 + 10 * rand(numDays, numMeasurements);
% Plot the grouped bar chart
%bar(Energy, 'stacked');
bar(Energy, 'grouped');
title('Energy Measurements Over 5 Days');
xlabel('Day');
ylabel('Energy (arb. units)');
% Label x-axis ticks
xticklabels({'Day 1', 'Day 2', 'Day 3', 'Day 4', 'Day 5'});
% Add legend for measurement categories
legend({'Measurement 1', 'Measurement 2', 'Measurement 3'}, 'Fontsize',8,...
   'Location', 'northwest');
total_energy = sum(Energy, 2); % sum across columns (measurements)
[maxEnergy, maxDay] = max(total_energy);
fprintf('Day %d has the highest total energy: %.2f units\n', maxDay, maxEnergy);
```