

# Free-Fall in 10 different Languages



#### BACKGROUND

$$\dot{y} = g \cdot t$$

y: height

 $\dot{y}$ : fall rate

g: gravity acceleration, about 9.8

t: time

#### SOLUTION

$$y = y_0$$
$$y = y + g \cdot t \cdot dt$$

- A solution in the form of a numerical integration
- Not exact as analytical solution, but more flexible
- Let's go with it...

### 1. PYTHON



while t <= t\_max:

$$y += g * t * dt$$

$$t += dt$$

(simple Euler integration)

gravity (acceleration, 9.8)

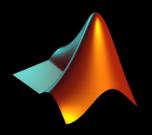
init with:

$$y = 1000$$
,  $t = 0$ ,  $dt = 0.01$ ,  $t_max = 15$ 

$$g = -9.8$$



#### 2. MATLAB



$$y = y + g * t * dt;$$
  
 $t = t + dt;$ 

$$t = t + dt$$
;

(dt is just the time step)

end

gravity (acceleration, 9.8)

#### init with:

$$y = 1000$$
,  $t = 0$ ,  $dt = 0.01$ ,  $t_max = 15$ 

$$g = -9.8$$

give me the gift!



#### 3. C



(remember that y is the height above ground)

#### gravity (acceleration, 9.8)

init with:





```
for (int i = 1; t < t_max; i++) {
    y += g * t * dt;
    t += dt;
}
```

gravity (acceleration, 9.8)

init with:

$$y = 1000$$
,  $t = 0$ ,  $dt = 0.01$ ,  $t_max = 15$   
 $g = -9.8$ 

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### 5. JAVA



```
for (int i = 1; t < t_max; i++) {
    y += g * t * dt;
    t += dt;
}
gravity (acceleration, 9.8)</pre>
```

init with:

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#### 6. C#



```
for (int i = 1; i <= t_max / dt; i++) {
    y += g * t * dt;
    t += dt;
}
```

#### gravity (acceleration, 9.8)

init with:



### 7. JAVASCRIPT



```
for (let i = 1; t < t_max; i++) {
    y += g * t * dt;
    t += dt;
}
```

gravity (acceleration, 9.8)

init with:

$$y = 1000$$
,  $t = 0$ ,  $dt = 0.01$ ,  $t_max = 15$   
 $g = -9.8$ 

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8. R



gravity (acceleration, 9.8)

init with:

$$y = 1000$$
,  $t = 0$ ,  $dt = 0.01$ ,  $t_max = 15$   
 $g = -9.8$ 

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## 9. JULIA



#### gravity (acceleration, 9.8)

init with:

$$y = 1000$$
,  $t = 0$ ,  $dt = 0.01$ ,  $t_max = 15$   
 $g = -9.8$ 



### 10. FORTRAN



do 
$$i = 1$$
,  $int(t_max / dt)$   
 $y = y + g * t * dt$   
 $t = t + dt$   
end do

gravity (acceleration, 9.8)

init with:



#### SPECIAL BONUS!

A beautiful python code doing a complete free fall model:

```
import C4dynamics as c4d
h0 = 1000
dt = 0.001
t = 0
g = -9.8
ball = c4d.datapoint(z = h0)
while ball.z >= 0:
    ball.run(dt, np.array([0, 0, g] * ball.m))
    ball.store(t)
    t += dt
ball.draw('z')
# for developers:
    1) try to change the initial altitude, h0, and re-run the program.
    2) draw also the trajectory in x axis: ball.draw('x')
        what do you see? why there is no motion in x?
    3) now, set initial velocity in x, change line 7 to: ball = c4d.datapoint(vx = 100,
#
          z = -h0
        run again and draw the x trajectory.
#
        what do you see now?
        what does it do to the motion in z axis? why?
    4) import C4dynamics as c4d in your project and use the object c4d.datapoint to
          model your physics.
#
    FAQ? contact zivmeri @ linkedin \ gmail, or C4dynamics at github.
##
```



### SPECIAL BONUS!

Want to make fun while developing cool algorithms for physical systems too?

Download \*now\* C4dynamics and run freefall.py. Follow the instructions there.

https://github.com/C4dynamics/C4dynamics/cs/blob/main/examples/freefall.py

C4dynamics is a cutting-edge, high-standard algorithms development framework.

