

CMPE 258, Deep Learning

Coding for CNN

April 3, 2018

DMH 149A

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Group Project Proposal

Title submission deadline: April 9th

- Project title
- List of Members
- Preferred presentation day: 4/12 or 4/24



Group Project Proposal

Content during proposal

- Justification for the project
- Background: any relevant previous work
- How to collect data set
- Which algorithms / platform will be used
- What is the role for each team member.



Mid-term Exam_2

Start Morning on April 12th. End the midnight on April 15th

Image classification using CNN



Assignment_5

Due April 8th, 2018

Deadline for re-submitting is April 15th, 2018

Grading policy:

The code is supposed to be executable without any extra effort and produce reasonable result within 50 minutes.

If the code cannot be executable with any error or taking more than 50 minutes, 50 points will be assigned.

If the code can be executable without any error within 50 minutes, score will be assigned as following formula.

Score =
$$(10 - \cos t) * 10$$

Re-submitting is available until March 15th, but 10 point will be deducted every re-submitting after March 8th.

If extra effort is needed to get reasonable result (whatever it is), 5 to 10 points will be deducted.

You may use your trained weights and bias (transfer learning). In this case, please make sure to submit the trained weights and bias as one separate file (para_yourFirstName_LastName.hdf5)



HDF5

Hierarchical Data Format 5

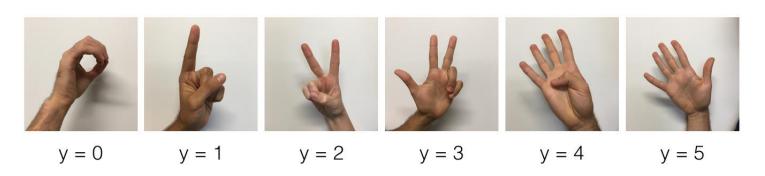
Create dataset

Load dataset



Assignment_5

Data set: SIGNS Dataset from Coursera (Deep Learning specialization)

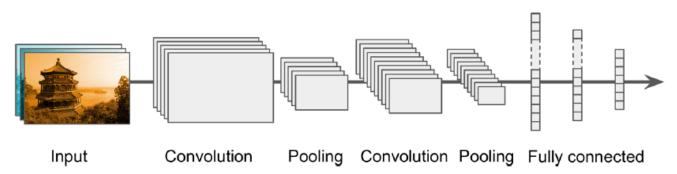


Each picture is a RGB image with 64 by 64 pixels. 1020 pictures.

Image classification using CNN

CNN architecture

- 2 Convolution layers
- 2 Pooling layers
- 2 Fully connected layers



<Hands-on ML, Aurelien Geron>

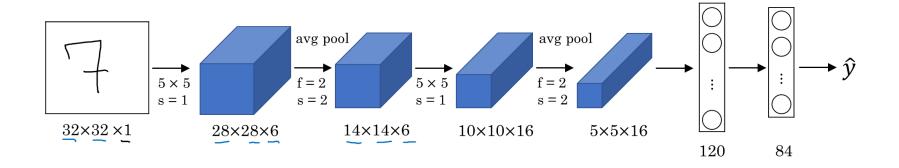


One example of CNN model

Layer	Туре	Size	Channels	Kernel size	Stride	Padding	Function
0	Input	64 x 64	3				
1	Convolution (C1)	32 x 32	8	4 x 4	2	1	ReLU
1	Pooling (P1)	28 x 28	8	5 x 5	1	0	max
2	Convolution (C2)	13 x 13	16	4 x 4	2	0	ReLU
2	Pooling (P2)	9 x 9	16	5 x 5	1	0	Avg
3	Flatten (F3)	1296					
4	Fully connected (F4)	108					ReLU
5	Fully connected (F5)	6					Sigmoid



LeNet-5



<Deep Learning, Andrew Ng>

LeCun et al., 1998. Gradient-based learning applied to document recognition



LeNet-5

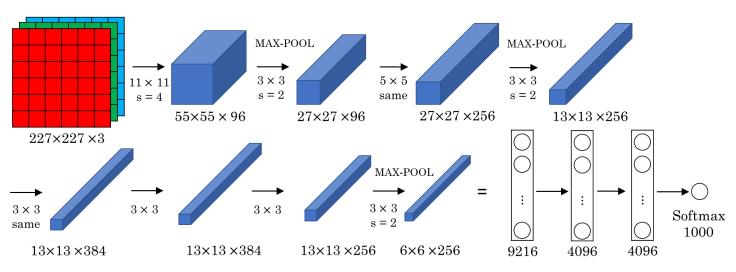
created by Yann LeCun in 1998 and widely used for handwritten digit recognition (MNIST)

Layer	Туре	Maps	Size	Kernel size	Stride	Activation
0ut	Fully Connected	-	10	-	-	RBF
F6	Fully Connected	-	84	_	-	tanh
C5	Convolution	120	1×1	5×5	1	tanh
S4	Avg Pooling	16	5×5	2×2	2	tanh
C3	Convolution	16	10×10	5×5	1	tanh
S2	Avg Pooling	6	14×14	2×2	2	tanh
C 1	Convolution	6	28×28	5×5	1	tanh
In	Input	1	32 × 32	-	-	-

<Hands-on ML, Aurelien Geron>



AlexNet



<Deep Learning, Andrew Ng>



AlexNet

won the 2012 ImageNet ILSVRC challenge with 83% accuracy.

Layer	Туре	Maps	Size	Kernel size	Stride	Padding	Activation
0ut	Fully Connected	-	1,000	-	-	_	Softmax
F9	Fully Connected	_	4,096	_	-	_	ReLU
F8	Fully Connected	-	4,096	_	-	_	ReLU
C7	Convolution	256	13×13	3×3	1	SAME	ReLU
C 6	Convolution	384	13×13	3×3	1	SAME	ReLU
C5	Convolution	384	13×13	3×3	1	SAME	ReLU
S4	Max Pooling	256	13×13	3×3	2	VALID	_
C3	Convolution	256	27×27	5×5	1	SAME	ReLU
S2	Max Pooling	96	27×27	3×3	2	VALID	_
C1	Convolution	96	55 × 55	11 × 11	4	SAME	ReLU
In	Input	3 (RGB)	224 × 224	_	_	_	

<Hands-on ML, Aurelien Geron>



[&]quot;ImageNet Classification with Deep Convolutional Neural Networks," A. Krizhevsky et al. (2012)

Functions for CNN

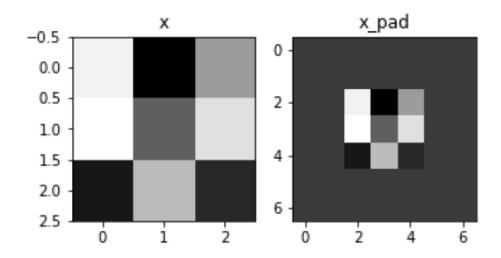
- Zero pad
- Convolution with single step
- Convolution forward (for all data)
- Pooling forward (max, average)
- Convolution backward (for all data)
- Pooling backward (max, average)



Zero pad

Input: (m, n_H, n_W, n_C)

Output: (m, n_H + 2*pad, n_W + 2*pad, n_C)





Zero pad

np.pad

```
In [4]:
Out[4]: array([[0, 1, 2],
                    [3, 4, 5]])
In [7]: np.pad(a, (1,1), 'constant', constant_values=(0))
Out[7]: array([[0, 0, 0, 0, 0],
                  [0, 0, 1, 2, 0],
[0, 3, 4, 5, 0],
                  [0, 0, 0, 0, 0]])
In [8]: np.pad(a, (2,2), 'constant', constant values=(0))
Out[8]: array([[0, 0, 0, 0, 0, 0, 0],
                  [0, 0, 0, 0, 0, 0, 0],
[0, 0, 0, 1, 2, 0, 0],
[0, 0, 3, 4, 5, 0, 0],
                  [0, 0, 0, 0, 0, 0, 0],
                  [0, 0, 0, 0, 0, 0, 0]])
```

Convolution with single step

Input:

a_slice: slice of input data of shape (f, f, n_c)

W: Weight parameters contained in a window - matrix of shape (f, f, n_c)

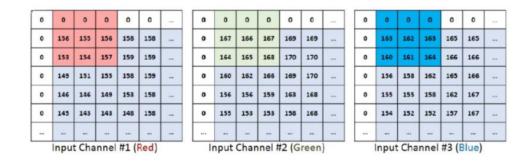
b: Bias parameters contained in a window - matrix of shape (1, 1, 1)

Output

Z: a scalar value



Convolution with single step



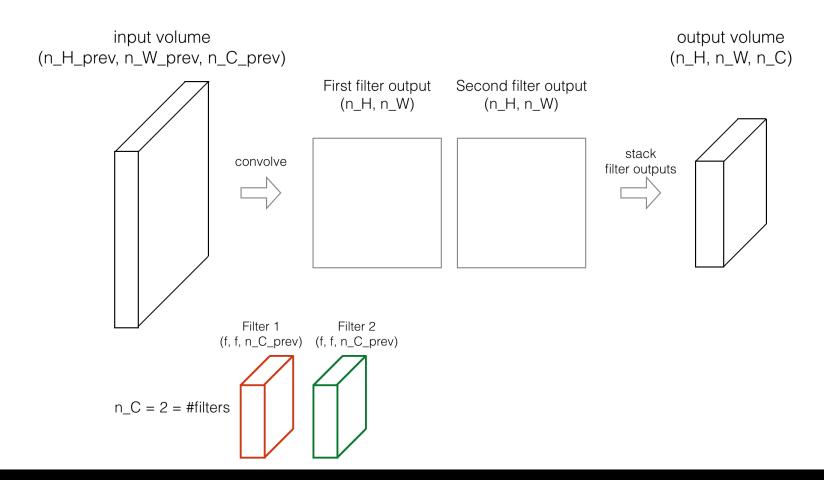
W						
1	0	0				
0	-1	0				
0 0 1						

Size: 3 x 3

<image Convolution>
Machinelearninguru.com/computer_vision/basics/convolution/image_convolution_1.html

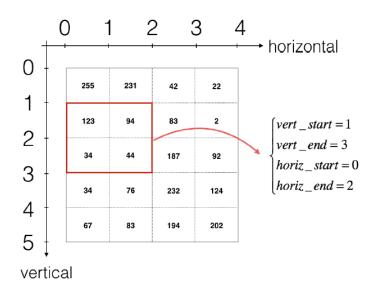


How do convolutions work?



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Convolution forward





Summary of convolutions

- n x n image
- f x f filter
- padding p
- stride s

Output size:

$$\left[\frac{n+2p-f}{s}+1\right] \times \left[\frac{n+2p-f}{s}+1\right]$$



Summary of convolution

If layer l is a convolution layer:

$$s^{[l]} = stride$$

Weights:
$$f^{[l]} \times f^{[l]} \times n_c^{[l-1]} \times n_c^{[l]}$$

bias:
$$1 \times 1 \times 1 \times n_c^{[l]}$$

Input size:
$$n_H^{[l-1]} \times n_W^{[l-1]} \times n_c^{[l-1]}$$

output size:
$$n_H^{[l]} \times n_W^{[l]} \times n_c^{[l]}$$

$$n_H^{[l]} = \frac{n_H^{[l-1]} + 2p^{[l]} - f^{[l]}}{s^{[l]}} + 1$$

$$n_W^{[l]} = \frac{n_W^{[l-1]} + 2p^{[l]} - f^{[l]}}{S^{[l]}} + 1$$



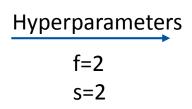
Convolution forward

```
for i in range(m):
                                                   # loop over the batch of training examples
    a prev pad = A prev pad[i,:]
                                                   # Select ith training example's padded activation
                                                   # loop over vertical axis of the output volume
   for h in range(n H):
                                                   # loop over horizontal axis of the output volume
        for w in range(n W):
                                                   # loop over channels (= #filters) of the output volume
           for c in range(n C):
                # Find the corners of the current "slice"
               vert start = h*stride
               vert end = h*stride + f
                horiz start = w*stride
               horiz end = w*stride + f
                # Use the corners to define the (3D) slice of a prev pad (See Hint above the cell).
                a slice prev = a prev pad[vert start:vert end, horiz start:horiz end,:]
                # Convolve the (3D) slice with the correct filter W and bias b, to get back one output neuron.
               Z[i, h, w, c] = conv single step(a slice prev, W[:,:,:,c], b[:,:,:,c])
```



Pooling

2	3	1	9
4	7	3	5
8	2	2	2
1	3	4	5







Size of Pooling

- Hyperparameters
 - f: filter size
 - s:stride
 - p : padding (usually p=0)
- Max or average pooling
- No parameters to learn

Input size: $n_H^{[l-1]} \times n_W^{[l-1]} \times n_c^{[l-1]}$

output size: $n_H^{[l]} \times n_W^{[l]} \times n_c^{[l]}$

$$n_H^{[l]} = \frac{n_H^{[l-1]} - f^{[l]}}{s^{[l]}} + 1$$

$$n_W^{[l]} = \frac{n_W^{[l-1]} - f^{[l]}}{S^{[l]}} + 1$$



Pooling forward

```
for i in range(m):
                                             # loop over the training examples
                                             # loop on the vertical axis of the output volume
    for h in range(n H):
        for w in range(n W):
                                             # loop on the horizontal axis of the output volume
            for c in range (n C):
                                             # loop over the channels of the output volume
                # Find the corners of the current "slice" (≈4 lines)
                vert start = h*stride
                vert end = h*stride + f
                horiz start = w*stride
                horiz end = w*stride + f
                # Use the corners to define the current slice on the ith training example of A prev, channel c.
                a prev slice = A prev[i,vert start:vert end, horiz start:horiz end,c]
                # Compute the pooling operation on the slice. Use an if statment to differentiate the modes.
                if mode == "max":
                    A[i, h, w, c] = np.max(a_prev_slice)
                elif mode == "avg":
                    A[i, h, w, c] = np.mean(a prev slice)
```



Forward propagation step

flatten
$$\rightarrow$$
 A3 \rightarrow Z4 \rightarrow A4 \rightarrow Z5 \rightarrow A5

W4

b4

W5

b5



Backward propagation step

```
convolution activation pooling convolution activation pooling X \leftarrow dZ1 \leftarrow dA1 \leftarrow dP1 \leftarrow dZ2 \leftarrow dA2 \leftarrow dP2
\begin{array}{c} dW1 \\ db1 \end{array}
```

```
flatten \overset{\text{linear}}{\leftarrow} dA3 \overset{\text{activation}}{\leftarrow} dA4 \overset{\text{linear}}{\leftarrow} dZ5 \overset{\text{activation}}{\leftarrow} dA5 dW4 db5
```



Pooling backward

average

dA := dP / (distribute_value) * np.ones of the shape

```
dP = 1 (scalar)
shape : (n_H, n_W) of the output matrix
distribute value = n H*n W
```



Pooling backward

```
max:
                 dA := mask*dP
                                      <Deep Learning, Andrew Ng>
                                              Pooling
         A = np.arange(4).reshape((2, 2))
In [28]:
                                                              In [31]:
                                                                         P = np.max(A)
                                              forward
Out[28]: array([[0, 1],
                                                              Out[31]: 3
                [2, 3]])
In [29]: mask = (A==np.max(A))
        mask
Out[29]: array([[False, False],
                                            Pooling
              [False, True]], dtype=bool)
                                                                        dA = mask*dP
                                                               In [33]:
                                             backward
                                                                        dΑ
                                   dP=1
                                                               Out[33]: array([[0, 0],
                                                                               [0, 1]])
```



Convolution layer backward

dA

<Deep Learning, Andrew Ng>

$$dA+=\sum_{h=0}^{n_H}\sum_{w=0}^{n_W}W_c imes dZ_{hw}$$

da [vert_start:vert_end, horiz_start:horiz_end, :] += W[:,:,:,c] * dZ[i, h, w, c]

dW

$$dW_c+=\sum_{h=0}^{n_H}\sum_{w=0}^{n_W}a_{slice} imes dZ_{hw}$$

dW[:,:,:,c] += a_slice * dZ[i, h, w, c]



Convolution layer backward

db

$$db = \sum_h \sum_w dZ_{hw}$$

$$db[:,:,:,c] += dZ[i, h, w, c]$$



Convolution backward

```
for h in range(n H):
                                       # loop over vertical axis of the output volume
                                       # loop over horizontal axis of the output volume
   for w in range(n W):
        for c in range(n C):
                                       # loop over the channels of the output volume
            # Find the corners of the current "slice"
            vert start = h*stride
            vert end = h*stride + f
            horiz start = w*stride
            horiz end = w*stride + f
            # Use the corners to define the slice from a prev pad
            a slice = a prev pad[vert start:vert end,horiz start:horiz end,:]
            # Update gradients for the window and the filter's parameters
            da_prev_pad[vert_start:vert_end, horiz_start:horiz_end, :] += W[:,:,:,c] * dZ[i,h,w,c]
            dW[:,:,:,c] += a_slice * dZ[i,h,w,c]
            db[:,:,:,c] += dZ[i,h,w,c]
```



Today's lesson

- Zero pad
- Convolution with single step
- Convolution forward (for all data)
- Pooling forward (max, average)
- Pooling backward (max, average)
- Convolution backward (for all data)

