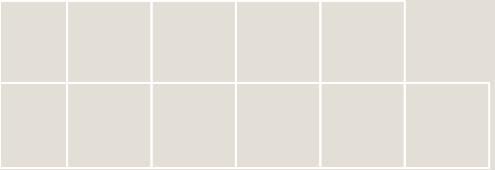


Bennett
2026/Q1/7

Geomatics Hackathon

Our journey through the ups and downs of GeoHacks 2026



Activate the encryption key: Save the world.

Our task was simple.

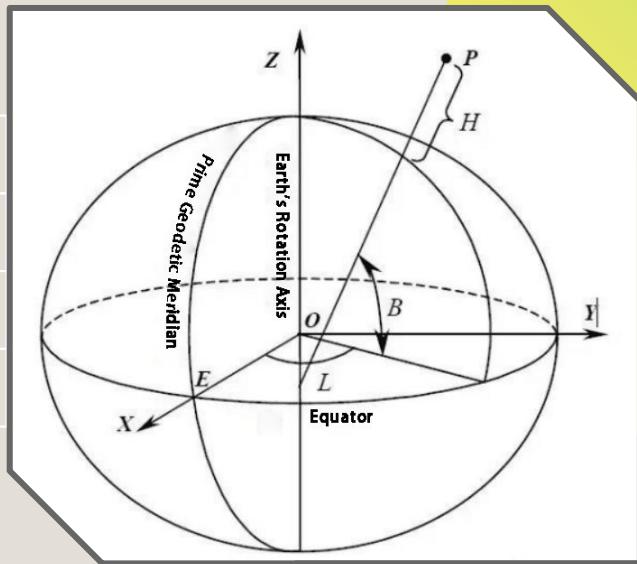
Starting from a point of reference on campus, we were to follow the clues to translate, transpose, and track six final points. From there, we would analyze the spatial activation key ensure protection of the Intelligent Positioning System.



Project roadmap



How do we look at the world around us?



Geodetically:

- Earth is not a perfect sphere
- Complications when measuring height
- Done by measuring angle from center to surface of Earth

Global Cartesian:

- The X,Y,Z plane, with the origin at the Earth's center of mass and Z being the axis of rotation

Geodetic, Global Cartesian, Local Frame

Geodetic
(Global, Lat, Lon, H)

Mathematical formula
using WGS84
ellipsoid

$$X = \left(\frac{a}{\sqrt{1 - e^2 \sin^2 \phi}} + h \right) \cos \phi \cos \lambda$$
$$Y = \left(\frac{a}{\sqrt{1 - e^2 \sin^2 \phi}} + h \right) \cos \phi \sin \lambda$$
$$Z = \left(\frac{a(1 - e^2)}{\sqrt{1 - e^2 \sin^2 \phi}} + h \right) \sin \phi$$

Local Cartesian
(E, N, U)

Rotation matrix
multiplication

$$R_{To}^{From}$$
$$R_{NEU}^{XYZ} = \begin{bmatrix} -\sin \varphi \cos \lambda & -\sin \varphi \sin \lambda & \cos \varphi \\ -\sin \lambda & \cos \lambda & 0 \\ \cos \varphi \cos \lambda & \cos \varphi \sin \lambda & \sin \varphi \end{bmatrix}$$
$$R_{XYZ}^{NEU} = R_{NEU}^{XYZ}{}^T$$

Global Cartesian
(X, Y, Z)

Building Blocks for Every Solution

- Developed individual functions to convert coordinates
- Allowed for use of common functions to be modular
- Link to github is here: [Team Bennett Github](#)

Programmatically parse a log entry to extract data

Convert a local bearing to ENU

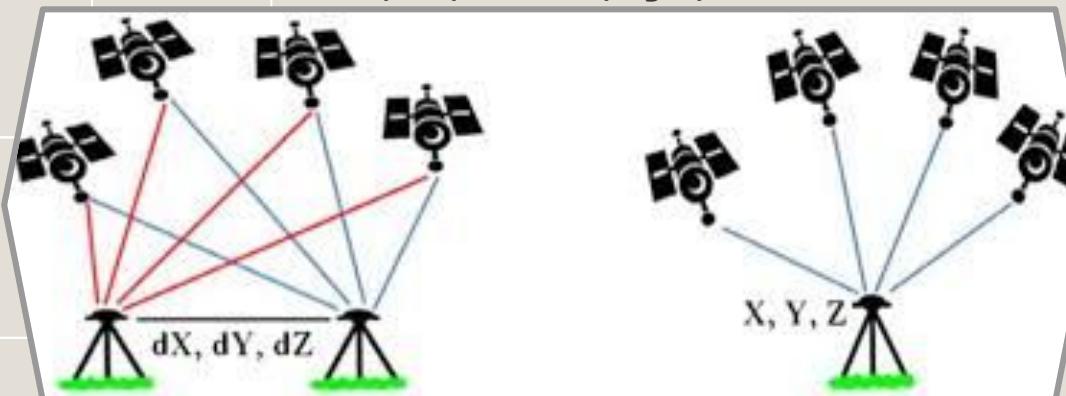
Convert between a Global Cartesian point and a Geodetic point

Convert between a Global Cartesian point and an ENU point

RTK V.S. PPP

- Valued fast connection speed of RTK & designed our workflow for RTK
- Used NAD83
- Got both PPP and RTK data from ENGG rover station
- Difference between the two measurements averaged to be 0.002 meters (2 mm)

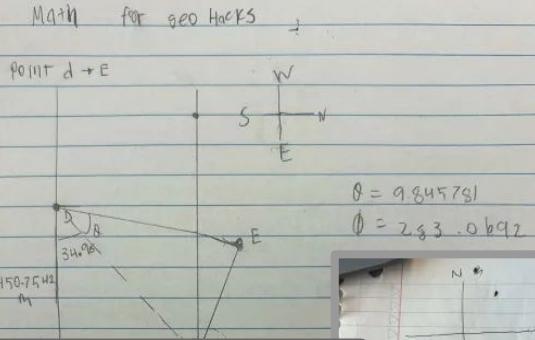
RTK (Left) v.s. PPP (Right)



NovAtel Antenna offsets for our measurements in antenna calibration

Logic & Problem Solving

Our sketches of Clue 4



Translating written solution to Python

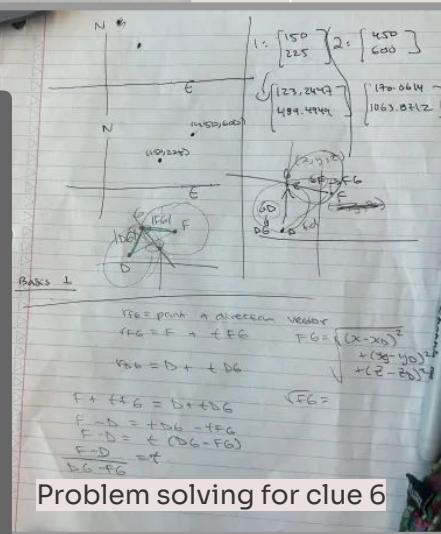
```
File Edit Selection View Go Run
File Edit Selection View Go Run
# Geodetic calculations
# Author: [redacted]
# Date: [redacted]
# Description: [redacted]
# This script calculates distances and bearings between points on Earth's surface
# using the Haversine formula and vector arithmetic.

# Global variables
lat = 40.7128
lon = -74.0060
pi = 3.141592653589793
r = 6371000 # Earth radius in meters

# Function to calculate distance between two points
def distance(lat1, lon1, lat2, lon2):
    # Convert coordinates from degrees to radians
    lat1, lon1, lat2, lon2 = map(radians, [lat1, lon1, lat2, lon2])
    # Haversine formula
    dlat = lat2 - lat1
    dlon = lon2 - lon1
    a = sin(dlat/2)**2 + cos(lat1) * cos(lat2) * sin(dlon/2)**2
    c = 2 * atan2(sqrt(a), sqrt(1-a))
    return r * c

# Function to calculate bearing between two points
def bearing(lat1, lon1, lat2, lon2):
    # Convert coordinates from degrees to radians
    lat1, lon1, lat2, lon2 = map(radians, [lat1, lon1, lat2, lon2])
    # Vector arithmetic
    dlon = lon2 - lon1
    y = sin(dlon) * cos(lat2)
    x = cos(lat1) * sin(lat2) - sin(lat1) * cos(lat2) * cos(dlon)
    brng = atan2(y, x)
    brng = degrees(brng) % 360
    return brng

# Example usage
print("Distance between New York City and London: ", distance(lat, lon, 51.5, 0))
print("Bearing from New York City to London: ", bearing(lat, lon, 51.5, 0))
```



Problem solving for clue 6

- Started by reading through clues and finding important data
- Figured out what needed to be done to the measurements to find the next point
- Did most of problem setup on paper, then translated it to code
- Tested code, then used it to generate our coordinates in the geodetic frame
- Plotted our coordinates in Google Earth

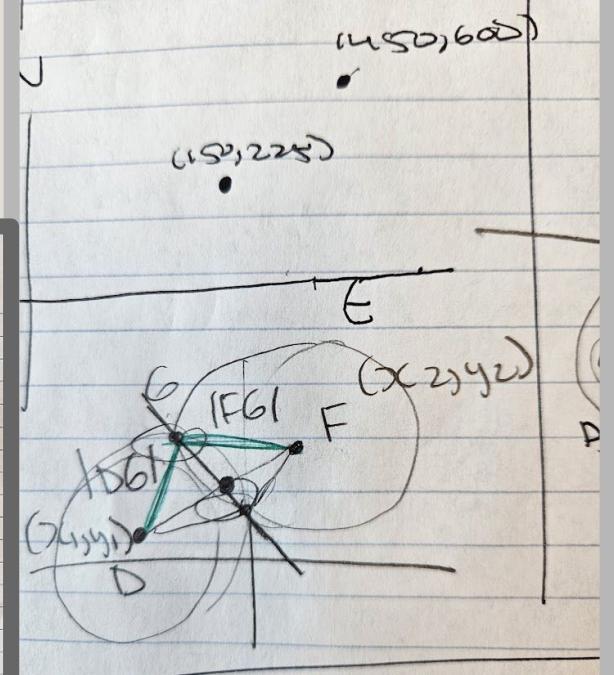
Math for Clue 6

$r(t) = (x)$
 $r(t) = (h + a \cos t)$



$r_F = (ht \cos t + h) + (k + a \sin t)$
 $x = h + a \cos t$
 $y = k + a \sin t$
 $\frac{x-h}{a} = \cos t$
 $\frac{y-k}{a} = \sin t$
 $\cos^2 t + (\sin t)^2 = 1$
 $\frac{(x-h)^2}{a^2} + \frac{(y-k)^2}{a^2} = 1$
 $(x-h)^2 + (y-k)^2 = a^2$
 $(x - 1712018)^2 + (y + 328266,8149)^2 = 8^2$

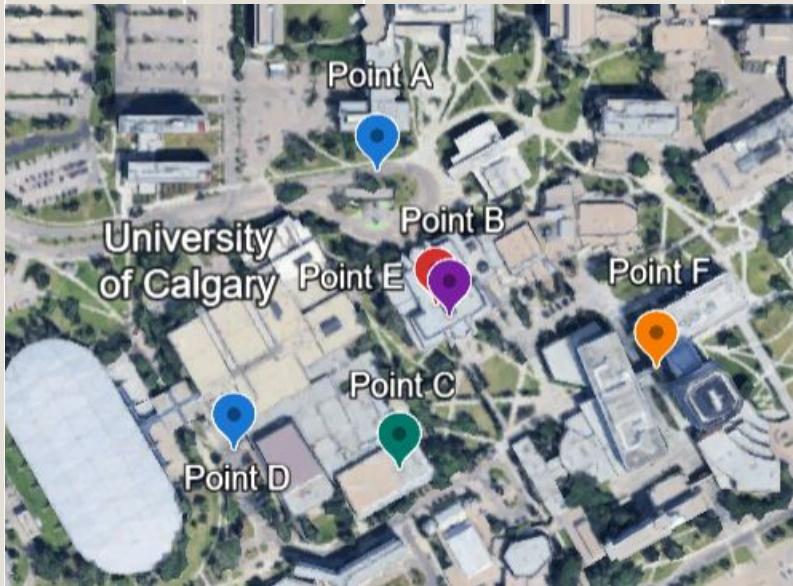
$r'(t) =$
 $(h_1 + a \cos t) + (k_1 + a_1 \sin t) = (h_2 + a_2 \cos t) + (k_2 + a_2 \sin t)$
 $h_1 + a_1(\cos t + \sin t) + k_1 = h_2 + a_2 \cos t + a_2 \sin t$
 $h_1 + a_1(\cos t + \sin t) - a_2(\cos t + \sin t) = h_2 + k_2$
 $+ k_1$
 $(\cos t + \sin t)(a_2 - a_1) = h_2 + k_2 - h_1 - k_1$
 $\cos t + \sin t = \frac{Ah + \Delta K}{a_2 - a_1}$
 $\sqrt{2} \sin\left(t + \frac{\pi}{4}\right) = \frac{Ah + \Delta K}{a_2 - a_1}$
 $\sin\left(t + \frac{\pi}{4}\right) = \frac{Ah + \Delta K}{\sqrt{2}(a_2 - a_1)}$
 $b = (h + a \cos(t)) + (k + a \sin(t))$
 $t + \theta_1 = \sin^{-1}\left(\frac{Ah + \Delta K}{\sqrt{2}(a_2 - a_1)}\right)$
 $= \sin^{-1}\left(\frac{Ah + \Delta K}{\sqrt{2}(a_2 - a_1)}\right) - \theta_1$



$r_{FG} = \text{point } + \text{direction}$

Visualization

Visualization of calculated points



Geodetic Point Coordinates

A is (51.07899643518, -114.13251416136, 1114.2977)

B is (51.077963288741124, -114.13169186367365, 1110.5887405816466)

C is (51.07687585204031, -114.13226076202659, 1110.0447396095842)

D is (51.07701380253775, -114.13413562901339, 1108.4798089712858)

E is (51.07845541586214, -114.13184531428247, 1115.4264941904694)

F is (51.077594601129166, -114.12934208399348, 1151.2811726192012)

