

# ZR User API

This is a quick guide to the functions used to control a SPHERES satellite in Zero Robotics. These functions do not change from game to game.

All C functions are accessed as methods of the *api* class (except for the DEBUG and mathematical functions); that is, they are called as: **api.function( arguments )**. Most of the MATLAB functions are also part of the *api* class, but some are part of the standard MATLAB library; the actual calling syntax is the one shown.

## BASIC FUNCTIONS

<b>setPositionTarget</b>  Sets a point as the position target	<b>C</b>	<b>void setPositionTarget( float posTarget[3] )</b>	
		<a href="#">posTarget</a>	array of three floats—x, y, and z position
		<a href="#">Return value</a>	None
	<b>MATLAB</b>	<b>api.setPositionTarget( posTarget )</b>	
		<a href="#">posTarget</a>	three-elements vector—x, y, and z position
		<a href="#">Return value</a>	None
<b>setAttitudeTarget</b>  Sets a unit vector direction for the satellite to point toward	<b>C</b>	<b>void setAttitudeTarget( float attTarget[3] )</b>	
		<a href="#">attTarget</a>	array of three floats—x, y, and z components of unit vector
		<a href="#">Return value</a>	None
	<b>MATLAB</b>	<b>api.setAttitudeTarget( attTarget )</b>	
		<a href="#">posTarget</a>	three-elements vector—x, y, and z components of unit vector
		<a href="#">Return value</a>	None
<b>setVelocityTarget</b>  Sets the closed-loop x, y, and z components of the target velocity vector	<b>C</b>	<b>void setVelocityTarget( float velTarget[3] )</b>	
		<a href="#">posTarget</a>	array of three floats—x, y, and z position
		<a href="#">Return value</a>	None
	<b>MATLAB</b>	<b>api.setVelocityTarget( velTarget )</b>	
		<a href="#">posTarget</a>	three-elements vector—x, y, and z velocity
		<a href="#">Return value</a>	None
<b>setAttRateTarget</b>  Sets the closed-loop target rotation rate components on the body frame	<b>C</b>	<b>void setAttRateTarget( float attRateTarget[3] )</b>	
		<a href="#">posTarget</a>	array of three floats—rotation rates about the x, y, and z axes
		<a href="#">Return value</a>	None
	<b>MATLAB</b>	<b>api.setAttRateTarget( attRateTarget )</b>	
		<a href="#">posTarget</a>	three-elements vector—rotation rates about the x, y, and z axes
		<a href="#">Return value</a>	None
<b>setForces</b>  Sets the open-loop x, y, and z forces to be applied to the satellite	<b>C</b>	<b>void setForces( float forces[3] )</b>	
		<a href="#">forces</a>	array of three floats—x, y, and z forces
		<a href="#">Return value</a>	None
	<b>MATLAB</b>	<b>api.setForces( forces )</b>	
		<a href="#">forces</a>	three-elements vector—x, y, and z forces
		<a href="#">Return value</a>	None

<b>setTorques</b>		<b>C void setTorques( float torques[3] )</b>	
Sets the open-loop x, y, and z torques to be applied to the satellite		<a href="#">torques</a>	array of three floats—torques about the x, y, and z axes
		<a href="#">Return value</a>	None
		<b>MATLAB api.setTorques( torques )</b>	
		<a href="#">torques</a>	three-elements vector—torques about the x, y, and z axes
		<a href="#">Return value</a>	None
<b>getMyZRState</b>		<b>C void getMyZRState( float myState[12] )</b>	
Gets the current state of the satellite in the following format:		<a href="#">myState</a>	Array of 12 floats where the state will be stored
		<a href="#">Return value</a>	None
C indices	0-2 Position	<b>MATLAB myState = api.getMyZRState()</b>	
	3-5 Velocity	<a href="#">Return value</a>	12-elements vector with state
	6-8 Attitude vector	<b>Remarks</b>	MATLAB uses 1-based indexing. E.g., position is in indices 1-3.
	9-11 Rotation rates		
<b>getOtherZRState</b>		<b>C void getOtherZRState( float otherState[12] )</b>	
Gets the current state of the <i>opponent's</i> satellite in the following format:		<a href="#">otherState</a>	Array of 12 floats where the state will be stored
		<a href="#">Return value</a>	None
C indices	0-2 Position	<b>MATLAB otherState = api.getOtherZRState()</b>	
	3-5 Velocity	<a href="#">Return value</a>	12-elements vector with state
	6-8 Attitude vector	<b>Remarks</b>	MATLAB uses 1-based indexing. E.g., position is in indices 1-3.
	9-11 Rotation rates		
<b>getTime</b>		<b>C unsigned int getTime()</b>	
Gets the time (in seconds) elapsed since the beginning of the game		<a href="#">Return value</a>	Time in seconds
		<b>MATLAB time = api.getTime()</b>	
		<a href="#">Return value</a>	Time in seconds
<b>DEBUG</b>		<b>C DEBUG(( "Hello World!" ))</b>	
Prints the supplied text to the console. Accepts formatted strings in the same format as the standard C printf function.		<b>DEBUG(( "Hello %s!", name ))</b>	
		<b>DEBUG(( const char *message, ... ))</b>	
		<a href="#">message</a>	String to be printed or format string using standard C format specifiers
		<a href="#">...</a>	Arguments to be substituted in format specifiers
		<a href="#">Return value</a>	None
		<b>Remarks</b>	Make sure to use double parentheses. Do not type <i>api.</i> before this function.
		<b>MATLAB api.DEBUG( 'Hello World!' )</b>	
		<b>api.DEBUG( 'Hello %s!', name )</b>	
		<b>api.DEBUG( message, ... )</b>	
		<a href="#">message</a>	String to be printed or format string using standard C format specifiers
		<a href="#">...</a>	Arguments to format specifiers
		<a href="#">Return value</a>	None
		<b>Remarks</b>	Use a single parenthesis and do type <i>api.</i> before this function.

## ADVANCED

<b>setQuatTarget</b>		<b>C</b>	<b>void setQuatTarget( float quat[4] )</b>	
Specifies a SPHERES quaternion attitude target for the satellite			<a href="#">quat</a>	target quaternion in [vector scalar] representation
			<a href="#">Return value</a>	None
		<b>MATLAB</b>	<b>api.setQuatTarget( quat )</b>	
			<a href="#">quat</a>	target quaternion in [vector scalar] representation
			<a href="#">Return value</a>	None
<b>getMySphState</b>		<b>C</b>	<b>void getMySphState( float myState[13] )</b>	
Gets the current SPHERES state (with quaternion attitude) of the satellite in the following format:			<a href="#">myState</a>	Array of 13 floats where the state will be stored
			<a href="#">Return value</a>	None
		<b>MATLAB</b>	<b>myState = api.getMySphState()</b>	
			<a href="#">Return value</a>	13-elements vector with state
<b>C indices</b>		<b>Remarks</b>		MATLAB uses 1-based indexing. E.g., position is in indices 1-3.
0-2	Position			
3-5	Velocity			
6-9	Attitude quaternion			
10-12	Rotation rates			
<b>getOtherSphState</b>		<b>C</b>	<b>void getOtherSphState( float otherState[13] )</b>	
Gets the current SPHERES state (with quaternion attitude) of the <i>opponent's</i> satellite in the following format:			<a href="#">otherState</a>	Array of 13 floats where the state will be stored
			<a href="#">Return value</a>	None
		<b>MATLAB</b>	<b>otherState = api.getOtherSphState()</b>	
			<a href="#">Return value</a>	13-elements vector with state
<b>C indices</b>		<b>Remarks</b>		MATLAB uses 1-based indexing. E.g., position is in indices 1-3.
0-2	Position			
3-5	Velocity			
6-9	Attitude quaternion			
10-12	Rotation rates			
<b>spheresToZR</b>		<b>C</b>	<b>void spheresToZR( float stateSph[13], float stateZR[12] )</b>	
Converts a 13-elements state SPHERES state to a 12-elements ZR state			<a href="#">stateSph</a>	13-elements input array
			<a href="#">stateZR</a>	12-elements output array
			<a href="#">Return value</a>	None
		<b>MATLAB</b>	<b>stateZR = api.spheresToZR( stateSph )</b>	
			<a href="#">stateSph</a>	13-elements state vector
			<a href="#">stateZR</a>	12-elements state vector
<b>attVec2Quat</b>		<b>C</b>	<b>void attVec2Quat( float refVec[3], float attVec[3], float baseQuat[4], float quat[4] )</b>	
Finds the quaternion that rotates the unit vector <i>refVec</i> to <i>attVec</i> .			<a href="#">refVec</a>	unit vector that specifies the body direction corresponding to no rotation. In ZR this is typically the velcro (-X) face of the satellites, so refVec is {-1,0,0}
<i>baseQuat</i> defines the orientation of the satellite when <i>refVec</i> points in the desired direction. Setting <i>baseQuat</i> to something other than [0,0,0,1] allows the satellite to be rotated around the reference vector. In ZR,			<a href="#">attVec</a>	target attitude vector
			<a href="#">baseQuat</a>	base quaternion (see description)
			<a href="#">quat</a>	output computed quaternion
			<a href="#">Return value</a>	None
		<b>Remarks</b>		All quaternions are in [vector scalar] representation

*baseQuat* is typically [1,0,0,0] (a 180° rotation about X) to point the tank toward global +Z.

When using this function to find the minimal rotation from the current attitude to a target attitude, it is advised to supply:

- the current pointing direction in *refVec*,
- the desired attitude in *attVec*,
- the current quaternion attitude in *baseQuat*.

Since one of the degrees of freedom is unconstrained, using another approach can result in unexpected rotations about the pointing direction.

**MATLAB** `quat = api.attVec2Quat( refVec, attVec, baseQuat )`

<a href="#"><u>refVec</u></a>	unit vector that specifies the body direction corresponding to no rotation. In ZR this is typically the velcro (-X) face of the satellites, so refVec is [-1,0,0]
<a href="#"><u>attVec</u></a>	target attitude vector
<a href="#"><u>baseQuat</u></a>	base quaternion (see description)
<a href="#"><u>quat</u></a>	output computed quaternion
<b>Remarks</b>	All quaternions are in [vector scalar] representation

#### quat2AttVec

Converts a quaternion into a ZR attitude vector by rotating the supplied unit vector *refVec* with *quat* to determine *attVec*

**C** `void quat2AttVec( float refVec[3], float quat[4], float attVec[3] )`

<a href="#"><u>refVec</u></a>	unit vector that specifies the body direction corresponding to no rotation. In ZR this is typically the velcro (-X) face of the satellites, so refVec is {-1,0,0}
<a href="#"><u>quat</u></a>	quaternion rotation applied to refVec
<a href="#"><u>attVec</u></a>	output attitude vector
<a href="#"><u>Return value</u></a>	None
<b>Remarks</b>	This function cannot do an in-place rotation, refVec and attVec should be two different variables. All quaternions are in [vector scalar] representation.

**MATLAB** `attVec = api.quat2AttVec( refVec, quat )`

<a href="#"><u>refVec</u></a>	unit vector that specifies the body direction corresponding to no rotation. In ZR this is typically the velcro (-X) face of the satellites, so refVec is {-1,0,0}
<a href="#"><u>quat</u></a>	quaternion rotation applied to refVec
<a href="#"><u>attVec</u></a>	output attitude vector
<b>Remarks</b>	All quaternions are in [vector scalar] representation

#### setPosGains

Sets the gains for the position controller

**C** `void setPosGains( float P, float I, float D )`

<a href="#"><u>P</u></a>	proportional position gain
<a href="#"><u>I</u></a>	integral position gain
<a href="#"><u>D</u></a>	derivative position gain
<a href="#"><u>Return value</u></a>	None

**MATLAB** `api.setPosGains( P, I, D )`

<a href="#"><u>P</u></a>	proportional position gain
<a href="#"><u>I</u></a>	integral position gain
<a href="#"><u>D</u></a>	derivative position gain

<b>setAttGains</b>	<b>C</b>	<b>void setAttGains( float P, float I, float D )</b>	
Sets the gains for the position controller		<u>P</u>	proportional attitude gain
		<u>I</u>	integral attitude gain
		<u>D</u>	derivative attitude gain
		<u>Return value</u>	None
	<b>MATLAB</b>	<b>api.setAttGains( P, I, D )</b>	
		<u>P</u>	proportional attitude gain
		<u>I</u>	integral attitude gain
		<u>D</u>	derivative attitude gain
<b>setCtrlMeasurement</b>	<b>C</b>	<b>void setCtrlMeasurement( float myState[13] )</b>	
Sets the state measurement to be used in the standard ZR controllers instead of the default from <b>getMySphState</b>		<u>myState</u>	13-elements state array
		<u>Return value</u>	None
	<b>MATLAB</b>	<b>api.setCtrlMeasurement( myState )</b>	
		<u>myState</u>	13-elements state vector
<b>setControlMode</b>	<b>C</b>	<b>void setControlMode( CTRL_MODE posCtrl, CTRL_MODE attCtrl )</b>	
Sets the control mode for position and attitude. The default is PD for position and PID for attitude.		<u>posCtrl</u>	either CTRL_PD or CTRL_PID
		<u>attCtrl</u>	either CTRL_PD or CTRL_PID
		<u>Return value</u>	None
	<b>MATLAB</b>	<b>api.setControlMode( posCtrl, attCtrl )</b>	
		<u>posCtrl</u>	either CTRL_MODE.CTRL_PD or CTRL_MODE.CTRL_PID
		<u>attCtrl</u>	either CTRL_MODE.CTRL_PD or CTRL_MODE.CTRL_PID
<b>setDebug</b>	<b>C</b>	<b>void setDebug( float values[7] )</b>	
Adds an array of 7 user-defined debugging values to the satellite telemetry. The data can then be plotted with the ZR plotting tools.		<u>values</u>	7 debug values array
		<u>Return value</u>	None
	<b>MATLAB</b>	<b>api.setDebug( myState )</b>	
		<u>values</u>	7 debug values vector

## VECTOR, MATRIX FUNCTIONS

<b>mathSquare</b>	<b>C</b> <b>float</b> <b>mathSquare( float a )</b>	
Calculates the square of a scalar number	<u>a</u>	input scalar float
	<u>Return value</u>	square of input
	<b>MATLAB</b> <b>b = a^2</b>	
	<u>a</u>	input scalar
	<u>b</u>	squared value
<b>mathMatMatMult</b>	<b>C</b> <b>void</b> <b>mathMatMatMult( float *c, float *a, float *b, int nra, int nca, int ncb )</b>	
Matrix multiply: $c = a * b$	<u>c</u>	output matrix
	<u>a</u>	left matrix
	<u>b</u>	right matrix
	<u>nra</u>	number of rows in matrix a
	<u>nca</u>	number of columns in matrix a
	<u>ncb</u>	number of columns in matrix b
	<u>Return value</u>	None
	<b>MATLAB</b> <b>c = a * b</b>	
	<u>a, b</u>	left, right matrices
	<u>c</u>	output matrix
<b>mathMatMatTransposeMult</b>	<b>C</b> <b>void</b> <b>mathMatMatTransposeMult( float *c, float *a, float *b, int nra, int nca, int nrb )</b>	
Matrix vector multiply with transpose: $c = a * b^T$	<u>c</u>	output matrix
	<u>a</u>	left matrix
	<u>b</u>	right matrix
	<u>nra</u>	number of rows in matrix a
	<u>nca</u>	number of columns in matrix a
	<u>ncb</u>	number of rows in matrix b (and columns in b')
	<u>Return value</u>	None
	<b>MATLAB</b> <b>c = a * b'</b>	
	<u>a, b</u>	left, right matrices
	<u>c</u>	output matrix
<b>mathMatTransposeMatMult</b>	<b>C</b> <b>void</b> <b>mathMatTransposeMatMult( float *c, float *a, float *b, int nra, int nca, int nrb )</b>	
Matrix vector multiply with transpose: $c = a^T * b$	<u>c</u>	output matrix
	<u>a</u>	left matrix
	<u>b</u>	right matrix
	<u>nra</u>	number of rows in matrix a (and rows in b)
	<u>nca</u>	number of columns in matrix a
	<u>ncb</u>	number of columns in matrix b
	<u>Return value</u>	None
	<b>MATLAB</b> <b>c = a' * b</b>	
	<u>a, b</u>	left, right matrices
	<u>c</u>	output matrix

<b>mathMatAdd</b>	<b>C</b> <b>void mathMatAdd( float *c, float *a, float *b, int nrows, int ncols )</b>
Matrix addition: $c = a + b$	<div><u>c</u> output matrix</div> <div><u>a</u> left matrix</div> <div><u>b</u> right matrix</div> <div><u>nrows</u> number of rows in matrices a, b, and c</div> <div><u>ncols</u> number of columns in matrices a, b, and c</div> <div><u>Return value</u> None</div>
	<div><b>MATLAB</b> <b>c = a + b</b></div> <div><u>a, b</u> input matrices (or vectors)</div> <div><u>c</u> output matrix (or vector)</div>
<b>mathInvert3x3</b>	<b>C</b> <b>int mathInvert3x3( float inv[3][3], float mat[3][3] )</b>
Inverts a 3×3 matrix	<div><u>inv</u> inverted output matrix</div> <div><u>mat</u> input matrix</div> <div><u>Return value</u> 0 if successful</div>
	<div><b>MATLAB</b> <b>c = inv( a )</b></div> <div><u>a</u> input matrix</div> <div><u>c</u> output matrix</div> <div><b>Remarks</b> Accepts all matrix sizes.</div>
<b>mathSkewSymmetric</b>	<b>C</b> <b>void mathSkewSymmetric( float *a, float *s )</b>
Creates the skew symmetric matrix S(A), where: $A = \begin{bmatrix} x & y & z \end{bmatrix}$ $S(A) = \begin{bmatrix} 0 & -z & y \\ z & 0 & -x \\ -y & x & 0 \end{bmatrix} = -S(A)^T$	<div><u>a</u> vector of length 3 (x, y, z)</div> <div><u>s</u> output array of length 9 that represents matrix S</div> <div><u>Return value</u> 0 if successful</div>
	<div><b>MATLAB</b> <b>s = [ 0 -a(3) a(2) ; a(3) 0 -a(1) ; -a(2) a(1) 0 ]</b></div> <div><u>a</u> vector of length 3 (x, y, z)</div> <div><u>s</u> output 3×3 matrix S</div>
<b>mathMatVecMult</b>	<b>C</b> <b>void mathMatVecMult( float *c, float *a, float *b, int rows, int cols )</b>
Matrix vector multiply: $c = a * b$	<div><u>c</u> output vector (of length rows)</div> <div><u>a</u> input matrix (of size rows×cols)</div> <div><u>b</u> input vector (of length cols)</div> <div><u>rows</u> number of matrix rows</div> <div><u>cols</u> number of matrix cols</div> <div><u>Return value</u> None</div>
	<div><b>MATLAB</b> <b>c = a * b</b></div> <div><u>a</u> input matrix (n×m)</div> <div><u>b</u> input vector (m×1)</div> <div><u>c</u> output vector (n×1)</div>
<b>mathVecAdd</b>	<b>C</b> <b>void mathVecAdd( float *c, float *a, float *b, int n )</b>
Vector addition: $c = a + b$	<div><u>c</u> output vector</div> <div><u>a</u> left vector</div> <div><u>b</u> right vector</div> <div><u>n</u> length of vectors</div> <div><u>Return value</u> None</div>
	<div><b>MATLAB</b> <b>c = a + b</b></div> <div><u>a, b</u> input vectors (or matrices)</div> <div><u>c</u> output vector (or matrix)</div>

<b>mathVecSubtract</b>	C <b>void</b> mathVecSubtract( <b>float *c, float *a, float *b, int n</b> )
Vector subtraction: $c = a - b$	<u>c</u> output vector <u>a</u> left vector <u>b</u> right vector <u>n</u> length of vectors <u>Return value</u> None
	MATLAB <b>c = a - b</b> <u>a, b</u> input vectors (or matrices) <u>c</u> output vector (or matrix)
<b>mathVecOuter</b>	C <b>void</b> mathVecOuter( <b>float *c, float *a, float *b, int nrows, int ncols</b> )
Outer product of column vectors: $c = a * b^T$	<u>c</u> output matrix (of size $nrows \times ncols$ ) <u>a</u> input vector (of length $rows$ ) <u>b</u> input vector (of length $cols$ ) <u>rows</u> number of rows in output matrix <u>cols</u> number of columns in output matrix <u>Return value</u> None
	MATLAB <b>c = a * b'</b> <u>a</u> input column vector (length $n$ ) <u>b</u> input column vector (length $m$ ) <u>c</u> output vector (size $n \times m$ )
<b>mathVecInner</b>	C <b>float</b> mathVecInner( <b>float *a, float *b, int n</b> )
Inner product of column vectors: $c = a^T * b$	<u>a</u> input vector (of length $n$ ) <u>b</u> input vector (of length $n$ ) <u>n</u> length of vectors <u>Return value</u> scalar result of inner product
	MATLAB <b>c = a' * b</b> <u>a, b</u> input column vectors <u>c</u> output scalar
<b>mathVecMagnitude</b>	C <b>float</b> mathVecMagnitude( <b>float *a, int n</b> )
Calculates the magnitude of the supplied vector	<u>a</u> input vector <u>n</u> length of vector (number of elements) <u>Return value</u> Magnitude of vector
	MATLAB <b>r = norm( a )</b> <u>a</u> input vector <u>Return value</u> Magnitude of vector
<b>mathVecNormalize</b>	C <b>float</b> mathVecNormalize( <b>float *a, int n</b> )
Normalizes the supplied vector	<u>a</u> input vector <u>n</u> length of vector (number of elements) <u>Return value</u> Magnitude of vector before normalization – useful when simultaneously computing direction and distance
	MATLAB <b>a = a ./ norm( a )</b> <u>a</u> input vector



<b>mathVecCross</b>	<b>C</b> <b>void mathVecCross( float c[3], float a[3], float b[3] )</b>	
Calculates the 3×3 cross product: $c = a \times b$	<u>c</u> <u>a</u> <u>b</u> <u>Return value</u>	output vector left vector right vector None
	<b>MATLAB</b> <b>c = cross( a, b )</b>	
	<u>a</u> <u>b</u> <u>Return value</u>	input vector input vector output vector
<b>mathBody2Global</b>	<b>C</b> <b>void mathBody2Global( float body2Glo[3][3], float *state )</b>	
Creates a body to global frame rotation matrix. The output matrix converts body frame vectors to global vectors.	<u>body2Glo</u> <u>state</u> <u>Return value</u>	3×3 rotation matrix output 13-elements state vector returned by <b>getMySphState</b> None
	<b>MATLAB</b> <b>b2g = api.mathBody2Global( state )</b>	
	<u>state</u> <u>Return value</u>	13-elements state vector returned by <b>getMySphState</b> 3×3 rotation matrix
<b>quat2matrixOut</b>	<b>C</b> <b>void quat2matrixOut( float mat[3][3], float quat[4] )</b>	
Calculates the rotation matrix needed to transform a vector from <i>body frame</i> → to <i>global frame</i> from a given attitude quaternion.	<u>mat</u> <u>quat</u> <u>Return value</u>	3×3 rotation matrix output quaternion in [vector scalar] representation None
	<b>MATLAB</b> <b>mat = api.quat2matrixOut( quat )</b>	
	<u>quat</u> <u>Return value</u>	quaternion in [vector scalar] representation 3×3 rotation matrix
<b>quat2matrixIn</b>	<b>C</b> <b>void quat2matrixIn( float mat[3][3], float quat[4] )</b>	
Calculates the rotation matrix needed to transform a vector from <i>global frame</i> → to <i>body frame</i> from a given attitude quaternion.	<u>mat</u> <u>quat</u> <u>Return value</u>	3×3 rotation matrix output quaternion in [vector scalar] representation None
	<b>MATLAB</b> <b>mat = api.quat2matrixIn( quat )</b>	
	<u>state</u> <u>Return value</u>	quaternion in [vector scalar] representation 3×3 rotation matrix
<b>quatMult</b>	<b>C</b> <b>void quatMult( float *q3, float *q1, float *q2 )</b>	
Calculates the quaternion multiplication: $q_3 = q_1 q_2$ This is equivalent to the composition of rotation matrices $R_3 = R_1 * R_2$	<u>q3</u> <u>q1</u> <u>q2</u> <u>Return value</u> <b>Remarks</b>	quaternion product output left quaternion input right quaternion input None All quaternions are in [vector scalar] representation
	<b>MATLAB</b> <b>q3 = api.quatMult( q1, q2 )</b>	
	<u>q1</u> <u>q2</u> <u>Return value</u> <b>Remarks</b>	left quaternion right quaternion quaternion product All quaternions are in [vector scalar] representation

## MATHEMATICAL FUNCTIONS

These are standard library functions and are not part of the *api* class, so they are called without prepending “api.”

<b>C:</b> <code>float sqrtf( float x )</code> <b>MATLAB:</b> <code>y = sqrt( x )</code>	Calculates the square root of x
<b>C:</b> <code>float expf( float x )</code> <b>MATLAB:</b> <code>y = exp( x )</code>	Calculates $e^x$
<b>C:</b> <code>float logf( float x )</code> <b>MATLAB:</b> <code>y = log( x )</code>	Calculates the natural logarithm of x: $\ln(x)$
<b>C:</b> <code>float log10f( float x )</code> <b>MATLAB:</b> <code>y = log10( x )</code>	Calculates the base 10 logarithm of x: $\log_{10}(x)$
<b>C:</b> <code>float powf( float x, float y )</code> <b>MATLAB:</b> <code>x^y</code>	Raises the base x to the power y: $x^y$
<b>C:</b> <code>float sinf( float x )</code> <b>MATLAB:</b> <code>y = sin( x )</code>	Computes the trigonometric sine function: $\sin(x)$
<b>C:</b> <code>float cosf( float x )</code> <b>MATLAB:</b> <code>y = cos( x )</code>	Computes the trigonometric cosine function: $\cos(x)$
<b>C:</b> <code>float tanf( float x )</code> <b>MATLAB:</b> <code>y = tan( x )</code>	Computes the trigonometric tangent function: $\tan(x)$
<b>C:</b> <code>float asinf( float x )</code> <b>MATLAB:</b> <code>y = asin( x )</code>	Computes the trigonometric arcsine function: $\sin^{-1}(x)$
<b>C:</b> <code>float acosf( float x )</code> <b>MATLAB:</b> <code>y = acos( x )</code>	Computes the trigonometric arccosine function: $\cos^{-1}(x)$
<b>C:</b> <code>float atanf( float x )</code> <b>MATLAB:</b> <code>y = atan( x )</code>	Computes the trigonometric arctangent function: $\tan^{-1}(x)$ The output is in the range $[-\pi/2, \pi/2]$
<b>C:</b> <code>float atan2f( float y, float x )</code> <b>MATLAB:</b> <code>y = atan2( x )</code>	Computes the four quadrant arctangent function: $\tan^{-1}(y/x)$ The output is in the range $[-\pi, \pi]$
<b>C:</b> <code>float sinh( float x )</code> <b>MATLAB:</b> <code>y = sinh( x )</code>	Computes the hyperbolic sine function: $\sinh(x)$
<b>C:</b> <code>float coshf( float x )</code> <b>MATLAB:</b> <code>y = cosh( x )</code>	Computes the hyperbolic cosine function: $\cosh(x)$
<b>C:</b> <code>float tanhf( float x )</code> <b>MATLAB:</b> <code>y = tanh( x )</code>	Computes the hyperbolic tangent function: $\tanh(x)$
<b>C:</b> <code>float ceilf( float x )</code>	Rounds the supplied float up to the nearest integer towards $+\infty$

<b>MATLAB:</b> <code>y = ceil( x )</code>		
<b>C:</b> <code>float floorf( float x )</code>		Rounds the supplied float down to the nearest integer towards $-\infty$
<b>MATLAB:</b> <code>y = floor( x )</code>		
<b>C:</b> <code>float fabsf( float x )</code>		Computes the absolute value of the argument: $ x $
<b>MATLAB:</b> <code>y = abs( x )</code>		
<b>C:</b> <code>float ldexpf( float mant, int exp )</code>		Calculates: $mant * 2^{exp}$
<b>MATLAB:</b> <code>y = mant * 2 ^ exp</code>		
<b>C:</b> <code>float frexpf( float value, int *exp )</code>		Separates the floating point argument <i>value</i> into a normalized mantissa (returned value in C) and exponent ( <i>exp</i> ) so that: $mant * 2 ^ exp = x$
<b>MATLAB:</b> <code>[mant, exp] = log2( value )</code>		
<b>C:</b> <code>float fmodf( float num, float den )</code>		Computes the floating point remainder of the operation $num/den$
<b>MATLAB:</b> <code>y = rem( num, den )</code>		
<b>C:</b> <code>float modff( float value, float *i )</code>		Separates the floating point argument <i>value</i> into fractional (returned value in C) and integral ( <i>i</i> ) parts. Note: Handling of $\pm Inf$ and NaN in C differs from MATLAB
<b>MATLAB:</b> <code>frac = rem( value, 1 )</code>		
<code>i = fix( value )</code>		