SIR Model Predictions Visualization

This notebook visualizes the performance of a trained MLP model on SIR simulation data, highlighting prediction accuracy for susceptible (S), infected (I), and recovered (R) compartments.

Selected β-γ Pair Visualization

We show the model predictions against the true values for selected (β , γ) pairs, along with R² scores for each compartment.

Composite Plot

Here, we visualize multiple (β, γ) combinations in a single figure grid for a holistic understanding of the model's behavior.

Residual Distributions

We plot the residuals (true - predicted) for S, I, and R across all samples to understand prediction errors.

```
In [ ]:
        import pandas as pd
        import numpy as np
        import torch
        import torch.nn as nn
        import matplotlib.pyplot as plt
        from sklearn.preprocessing import StandardScaler
        from sklearn.metrics import r2_score, mean_absolute_error, mean_squared_e
        import argparse
        import os
        # Load data and model path (modify as needed)
        data_path = "../data/processed/sir_mean.csv"
        model_path = "../models/sir_mlp.pt"
        # Load and preprocess data
        df = pd.read_csv(data_path)
        X = df[["beta", "gamma", "time"]].values
        y = df[["S", "I", "R"]].values
        scaler X = StandardScaler()
        scaler_y = StandardScaler()
```

```
X scaled = scaler X.fit transform(X)
y_scaled = scaler_y.fit_transform(y)
X_tensor = torch.tensor(X_scaled, dtype=torch.float32)
# Define Model
class SIRNet(nn.Module):
    def __init__(self):
        super().__init__()
        self.net = nn.Sequential(
            nn.Linear(3, 128),
            nn.ReLU(),
            nn.Dropout(0.2),
            nn.Linear(128, 64),
            nn.ReLU(),
            nn.Dropout(0.1),
            nn.Linear(64, 3)
        )
    def forward(self, x):
        return self.net(x)
# Load model
model = SIRNet()
model.load_state_dict(torch.load(model_path))
model.eval()
# Make predictions
with torch.no_grad():
    y pred scaled = model(X tensor).numpy()
    y_pred = scaler_y.inverse_transform(y_pred_scaled)
# Evaluation metrics
r2 = [r2\_score(y[:, i], y\_pred[:, i])  for i in range(3)]
mae = [mean_absolute_error(y[:, i], y_pred[:, i]) for i in range(3)]
rmse = [np.sqrt(mean_squared_error(y[:, i], y_pred[:, i])) for i in range
print("\n Evaluation Metrics:")
for i, label in enumerate(["S", "I", "R"]):
    print(f"\n{label}:")
    print(f" R2 : {r2[i]:.4f}")
    print(f" MAE : {mae[i]:.2f}")
    print(f" RMSE : {rmse[i]:.2f}")
# Create output directory for figures
output_dir = "../figures/sir_predictions"
os.makedirs(output_dir, exist_ok=True)
# Visualization for selected \beta-\gamma pairs
cmap = plt.get cmap("tab10")
unique_pairs = df.groupby(['beta', 'gamma']).groups
pairs_to_plot = list(unique_pairs.items())[:5]
```

```
for (beta, gamma), indices in pairs to plot:
    idx = list(indices)
    time = df.iloc[idx]["time"].values
    true_vals = y[idx]
    pred vals = y pred[idx]
    r2s = [r2 score(true vals[:, i], pred vals[:, i]) for i in range(3)]
    plt.figure(figsize=(18, 5))
    for i, label in enumerate(["S", "I", "R"]):
        plt.subplot(1, 3, i + 1)
        plt.plot(time, true_vals[:, i], label="True", color=cmap(0), line
        plt.plot(time, pred_vals[:, i], label="Predicted", color=cmap(1),
        plt.fill_between(time, true_vals[:, i], pred_vals[:, i], color='g
        plt.title(f"{label}(t) | R2: {r2s[i]:.4f}", fontsize=13)
        plt.xlabel("Time", fontsize=11)
        plt.ylabel(label, fontsize=11)
        plt.grid(True, linestyle='--', alpha=0.5)
        plt.legend(fontsize=10)
    plt.suptitle(f"SIR Dynamics: \beta = \{beta\}, \gamma = \{gamma\}", fontsize=16, w
    plt.tight_layout(rect=[0, 0.03, 1, 0.92])
    fig_filename = f"sir_pred_beta_{beta:.3f}_gamma_{gamma:.3f}.png".repl
    plt.savefig(os.path.join(output_dir, fig_filename), dpi=300)
    plt.show()
```

Evaluation Metrics:

S:

R² : 0.6408 MAE : 1.10 RMSE : 5.64

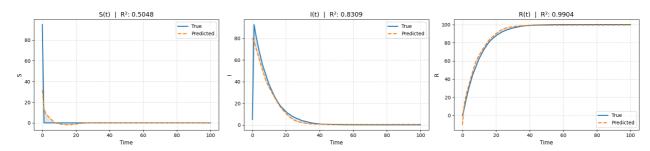
I:

R² : 0.7672 MAE : 1.09 RMSE : 4.78

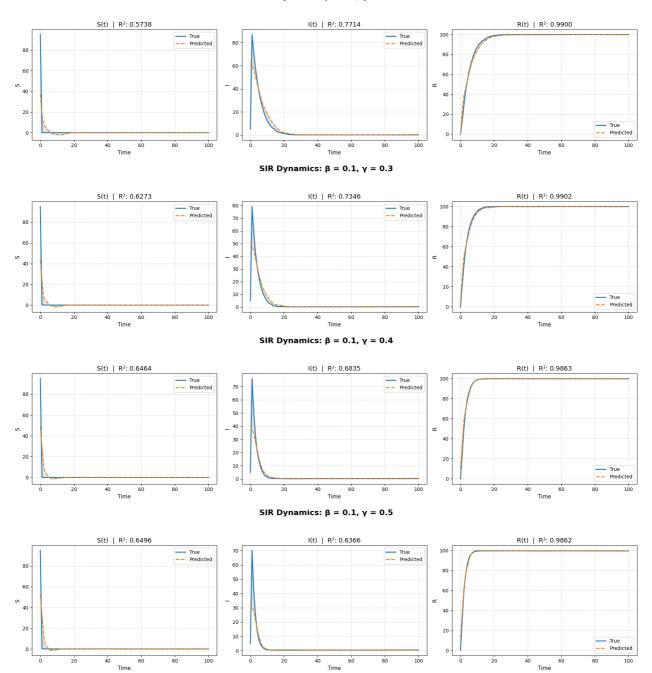
R:

R² : 0.9747 MAE : 0.65 RMSE : 2.20

SIR Dynamics: β = 0.1, γ = 0.1



SIR Dynamics: $\beta = 0.1$, $\gamma = 0.2$



Residual Distribution and Composite Plots

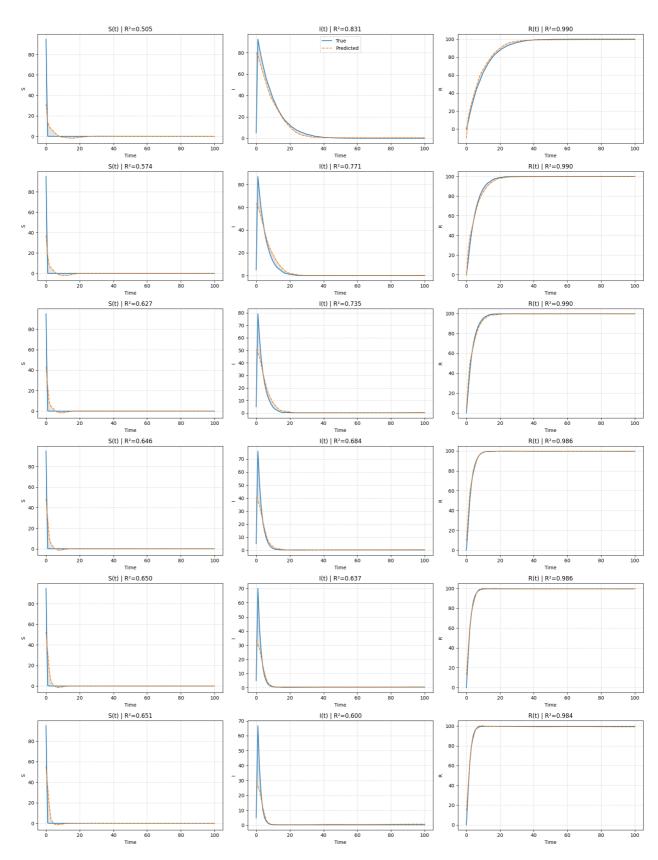
```
In []: # Composite subplot grid for multiple β-γ pairs
   pairs_to_plot = list(unique_pairs.items())[:6] # adjust as needed
   fig, axes = plt.subplots(len(pairs_to_plot), 3, figsize=(18, 4 * len(pair

   for row, ((beta, gamma), indices) in enumerate(pairs_to_plot):
        idx = list(indices)
        time = df.iloc[idx]["time"].values
        true_vals = y[idx]
        pred_vals = y_pred[idx]
        r2s = [r2_score(true_vals[:, i], pred_vals[:, i]) for i in range(3)]
```

```
for col, label in enumerate(["S", "I", "R"]):
    ax = axes[row, col]
    ax.plot(time, true_vals[:, col], label="True", color=cmap(0))
    ax.plot(time, pred_vals[:, col], label="Predicted", color=cmap(1)
    ax.fill_between(time, true_vals[:, col], pred_vals[:, col], color
    ax.set_title(f"{label}(t) | R²={r2s[col]:.3f}")
    ax.set_xlabel("Time")
    ax.set_ylabel(label)
    ax.grid(True, linestyle='--', alpha=0.5)
    if row == 0 and col == 1:
        ax.legend(loc='upper center')

plt.suptitle("Composite View: SIR Dynamics for Selected β-γ Pairs", fonts plt.tight_layout()
plt.show()
```

Composite View: SIR Dynamics for Selected β - γ Pairs



In []: # Residual Distributions
import seaborn as sns
import matplotlib.pyplot as plt

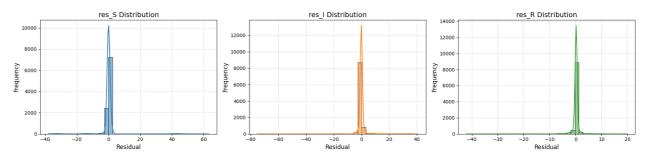
Compute residuals (true - predicted)

```
residuals = y - y_pred
residuals_df = pd.DataFrame(residuals, columns=["res_S", "res_I", "res_R"

# Plot residual histograms with KDE
plt.figure(figsize=(18, 5))
for i, label in enumerate(["res_S", "res_I", "res_R"]):
    plt.subplot(1, 3, i + 1)
    sns.histplot(residuals_df[label], kde=True, bins=40, color=cmap(i))
    plt.title(f"{label} Distribution", fontsize=14)
    plt.xlabel("Residual", fontsize=12)
    plt.ylabel("Frequency", fontsize=12)
    plt.grid(True, linestyle='--', alpha=0.5)

plt.suptitle("Distribution of Residuals for S, I, R", fontsize=16, weight plt.tight_layout(rect=[0, 0.03, 1, 0.95])
plt.show()
```

Distribution of Residuals for S, I, R



Interactive Visual Exploration

```
In [ ]: import ipywidgets as widgets
        from IPython.display import display
        # Get sorted unique beta and gamma values
        beta_values = sorted(df["beta"].unique())
        gamma values = sorted(df["gamma"].unique())
        def plot_interactive(beta, gamma):
            indices = unique_pairs.get((beta, gamma), [])
            if len(indices) == 0:
                 print("No data for selected pair.")
                 return
            idx = list(indices)
            time = df.iloc[idx]["time"].values
            true_vals = y[idx]
            pred_vals = y_pred[idx]
            r2s = [r2_score(true_vals[:, i], pred_vals[:, i]) for i in range(3)]
            plt.figure(figsize=(18, 5))
            for i, label in enumerate(["S", "I", "R"]):
                 plt.subplot(1, 3, i + 1)
```

```
plt.plot(time, true_vals[:, i], label="True", color=cmap(0), line
                 plt.plot(time, pred_vals[:, i], label="Predicted", color=cmap(1),
                 plt.fill_between(time, true_vals[:, i], pred_vals[:, i], color='g
                 plt.title(f"{label}(t) | R<sup>2</sup>: {r2s[i]:.4f}", fontsize=13)
                 plt.xlabel("Time", fontsize=11)
                 plt.ylabel(label, fontsize=11)
                 plt.grid(True, linestyle='--', alpha=0.5)
                 plt.legend(fontsize=10)
             plt.suptitle(f"SIR Dynamics: \beta = \{beta\}, \gamma = \{gamma\}", fontsize=16, w
             plt.tight_layout(rect=[0, 0.03, 1, 0.92])
            plt.show()
             plt.figure(figsize=(16, 4))
             for i, label in enumerate(["S", "I", "R"]):
                 plt.subplot(1, 3, i + 1)
                plt.plot(time, true_vals[:, i], label="True", color=cmap(0))
                 plt.plot(time, pred_vals[:, i], label="Predicted", color=cmap(1),
                 plt.fill_between(time, true_vals[:, i], pred_vals[:, i], color='g
                 plt.title(f"{label}(t) | R2={r2s[i]:.3f}")
                 plt.xlabel("Time")
                 plt.ylabel(label)
                 plt.grid(True, linestyle='--', alpha=0.4)
                 plt.legend()
             plt.suptitle(f"Interactive View: \beta = \{beta\}, y = \{gamma\}", fontsize=1
             plt.tight_layout()
             plt.show()
        # Interactive widgets
        beta_widget = widgets.Dropdown(options=beta_values, description='β:')
        gamma_widget = widgets.Dropdown(options=gamma_values, description='y:')
        widgets.interact(plot_interactive, beta=beta_widget, gamma=gamma_widget)
       interactive(children=(Dropdown(description='β:', options=(np.float64(0.1),
       np.float64(0.2), np.float64(0.3), n...
Out[]: <function __main__.plot_interactive(beta, gamma)>
```

Conclusion

This notebook demonstrates that a neural network can approximate deterministic SIR dynamics with high accuracy, especially for recovered individuals. Such methods could be extended to other stochastic differential systems.

This serves as a strong base for future work in scientific machine learning, symbolic regression, or neural differential equations.

GSoC Category: Human-Al Collaboration with Scientific Systems **Evaluation Test Completed:** SIRA (Learning from Stochastic SIR Simulations)