

Introduce Machine Learning

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Types of Machine Learning

Types of Machine Learning

- Supervised Learning
- Unsupervised Learning
- Reinforcement Learning
- Evolutionary Learning



We will divide ML by two ways

- Statistical Learning (Based on Statistics)
- Deep Learning (Based on Induction)

For Statistical Learning,

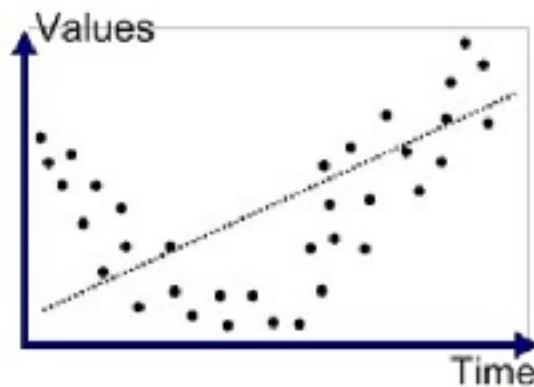
- Statistics
- R (or Scipy or Julia)
- DIY (Do It Yourself with your own languages)

For Deep Learning,

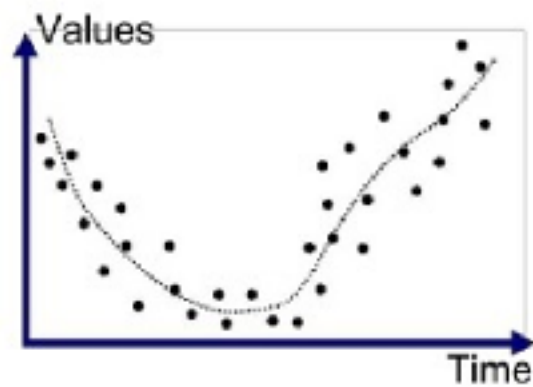
- Tensorflow
- Torch / PyTorch
- MXNet or Other frameworks

Scoring Machine Learning Algorithm

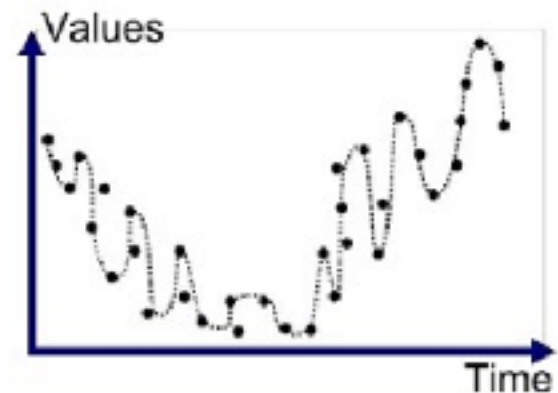
1. Overfitting



Underfitted



Good Fit/Robust



Overfitted

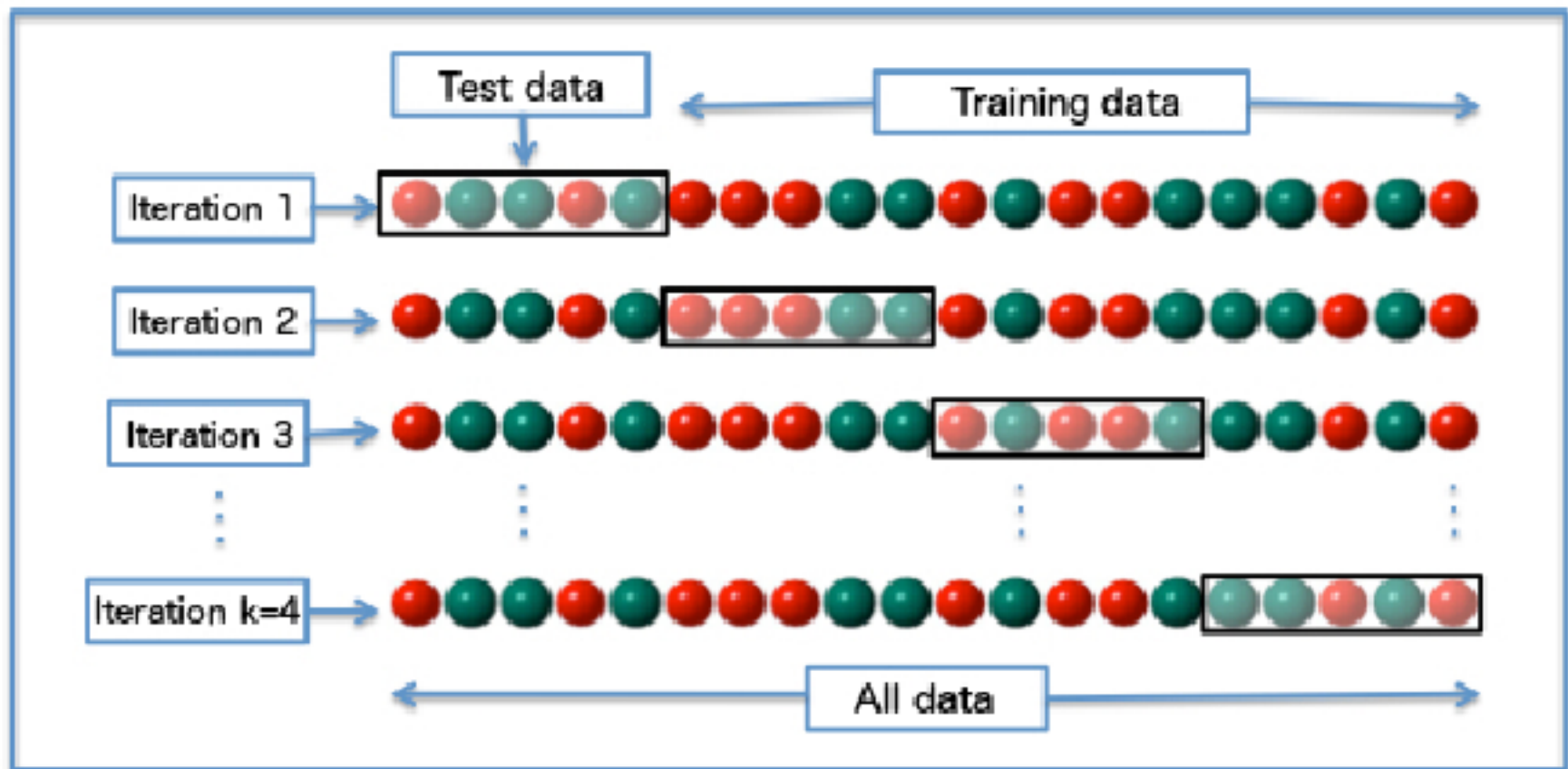
We need third data sets - **validation set**. This procedure called **Cross Validation**.

But in some cases, we can't get enough labeled data. So, we need **semi-supervised learning**.

There are some ways :

- Leave Some Out (Leave one out)
- Multifold cross validation

Example : Multifold cross validation



2. Confusion Matrix

Actual \ Predicted	Cat	Dog	Rabbit
Cat	5	3	0
Dog	2	3	1
Rabbit	0	2	11

		Prediction outcome		
		positive	negative	
Actual value	positive	TP	FN	$TP + FN$
	negative	FP	TN	$FP + TN$
		$TP + FP$	$FN + TN$	

Predicted \ Actual	Cat	Non-cat
Cat	5 TP	3 FN
Non-cat	2 FP	17 TN

- Notations

$$P = TP + FN, N = FP + TN$$

- Accuracy

$$ACC = \frac{TP + TN}{P + N}$$

- Sensitivity, Recall, True positive rate

$$TPR = \frac{TP}{P}$$

- Specificity, True negative rate

$$TNR = \frac{TN}{N}$$

- Precision, Positive predictive value

$$PPV = \frac{TP}{TP + FP}$$

- High Recall \rightarrow the class is correctly recognized (small FN)
- High Precision \rightarrow an example labeled as positive is indeed positive (small FP)
- High Recall, Low Precision \rightarrow Miss a lot of positive examples, but those we predict as positive are indeed positive (low FP)

- F-measure

$$F = \frac{1}{\alpha \frac{1}{PPV} + (1 - \alpha) \frac{1}{TPR}} = \frac{(\beta^2 + 1)PPV \times TPR}{\beta^2 PPV + TPR}$$

- F_1 -measure ($\beta = 1$)

$$F_1 = 2 \times \frac{TPR \times PPV}{TPR + PPV}$$

- $F_1 \rightarrow 1$: Best!
- $F_1 \rightarrow 0$: Worst!

