

```

1 %% Jacobi Method
2 %% Solution of x in Ax=b using Jacobi Method
3 % * _Initialize 'A' 'b' & intial guess 'x'*_
4 %%
5
6 A=[ 5 -2 3 0; -3 9 1 -2; 2 -1 -7 1; 4 3 -5 7]
7 b=[-1 2 3 0.5]'
8 x=[0 0 0 0]'
9
10 A=[ 17 -2 -3;
11      -5 21 -2;
12      -5 -5 22]
13 b=[500 200 30]'
14 x=[0 0 0]'
15
16 n=size(x,1);
17 normVal=Inf;
18 %%
19 % * _Tolerance for method*_
20 tol=1e-5; itr=0;
21 %% Algorithm: Jacobi Method
22 %%
23 while normVal>tol
24     xold=x;
25
26     for i=1:n
27         sigma=0;
28
29         for j=1:n
30             if j~=i
31                 sigma=sigma+A(i,j)*x(j);
32             end
33         end
34
35         x(i)=(1/A(i,i))*(b(i)-sigma);
36     end
37
38     itr=itr+1;
39     normVal=abs(xold-x);
40 end
41
42 %%
43 fprintf('Solution of the system is : \n%f\n%f\n%f\n%f in %d\n',
44         x(1),x(2),x(3),x(4),itr);
45

```

Command Window

ELIMINACION GAUSSIANA SIMPLE (SOLUCION POR ETAPAS)

Ingrese la matriz A =
[1 , 2, 3 ;
3, 3, 4]

Ingrese el vector b, correspondiente a los terminos independientes b=
[2, 2;
2, 5]

La Matriz C, que corresponde a la matriz aumentada [Ab] es =

1	2	3	2	2
3	3	4	2	5

ERROR: La matriz NO es cuadrada

SOLUCION:

La matriz Ab final:

1	2	3	2	2
3	3	4	2	5

>> jacobi

A =

5	-2	3	0
-3	9	1	-2
2	-1	-7	1
4	3	-5	7

b =

-1.0000000000000000
2.0000000000000000
3.0000000000000000
0.5000000000000000

x =

0
0
0
0

A =

17	-2	-3
-5	21	-2
-5	-5	22

b =

500
200
30

x =

0
0
0

Solution of the system is :
33.996312
18.892826
13.383895
8.000000 in