

Week10_Course

Database System-Schema+Design part4



Schema Design and Refinement

- How do we obtain a good design?
- Functional dependencies & keys
- Desirable properties of schema refinement
- Boyce Codd Normal Form (BCNF)
- Third Normal Form (3NF)
- Fourth Normal Form (4NF)

Persons with several phones:

Name	SSN	Phone
Fred	123-321-99	(201) 555-1234
Fred	123-321-99	(206) 572-4312
Joe	909-438-44	(908) 464-0028
Joe	909-438-44	(212) 555-4000





1		SSN	Phone
SSN	Name	123-321-99	(201) 555-1234
123-321-99	Fred	123-321-99	(206) 572-4312
909-438-44	Joe	909-438-44	(908) 464-0028
		909-438-44	(212) 555-4000

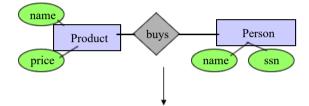
(SSN,Name) (Name,Phone)?





Relational Schema Design (or Logical Design)

Conceptual Model:



Relational Model:

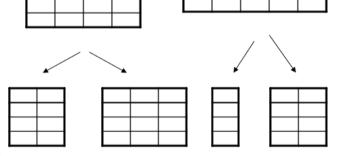
- create tables
- specify FD's
- find keys

Normalization

- use FDs to

decompose tables

to achieve better design





Desirable Properties of Schema Refinement

- 1) minimize redundancy
- 2) avoid info loss
- 3) preserve dependency
- 4) ensure good query performance





Recall: Relation Decomposition

Break the relation into two:

The original relation schema

Name	SSN	Phone
Fred	123-321-99	(201) 555-1234
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SSN	Name
123-321-99	Fred
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SSN	Phone
123-321-99	(201) 555-1234
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Desirable Property #1: Minimize redundancy



Decompositions in General

Let R be a relation with attributes $A_1, A_2, ... A_n$

Create two relations R_1 and R_2 with attributes

$$B_1, B_2, \ldots B_m$$
 $C_1, C_2, \ldots C_t$

Such that:

$$B_1, B_2, \dots B_m \cup C_1, C_2, \dots C_t = A_1, A_2, \dots A_n$$

And

- -- R_1 is the projection of R on $B_1, B_2, ... B_m$
- -- R_2 is the projection of R on $C_1, C_2, \ldots C_t$



Certain Decomposition May Cause Problems

Name	Price	Category
Gizmo	19.99	Gadget
OneClick	24.99	Camera
DoubleClick	29.99	Camera

Decompose on: Name, Category and Price, Category

Name	Category
Gizmo	Gadget
OneClick	Camera
DoubleClick	Camera



Price	Category
19.99	Gadget
24.99	Camera
29.99	Camera

When we put it back:

Cannot recover information

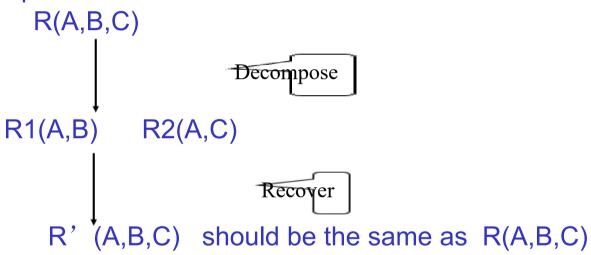
Name	Price	Category
Gizmo	19.99	Gadget
OneClick	24.99	Camera
OneClick	29.99	Camera
DoubleClick	24.99	Camera
DoubleClick	29.99	Camera





Lossless Decomposition (无损分解)

A decomposition is *lossless* if we can recover:



R' is in general larger than R. Must ensure R' = R

Desirable Property #2: Lossless decomposition



Put Another Way: "Lossless" Joins

- The main idea: if you decompose a relation schema, then join the parts of an instance via a natural join, you might get more rows than you started with, i.e., spurious tuples
 - This is bad!
 - Called a "lossy join".
- Goal: decompositions which produce only "lossless" joins
 - "non-additive" join is more descriptive





Dependency Preserving

(保持函数依赖)

- Given a relation R and a set of FDs S
- Suppose we decompose R into R1 and R2
- Suppose
 - R1 has a set of FDs S1
 - R2 has a set of FDs S2
 - S1 and S2 are computed from S
- We say the decomposition is dependency preserving if by enforcing S1 over R1 and S2 over R2, we can enforce S over R
- $(S1 \cup S2)^+ = S^+$





An Example



FD's: Unit → Company; Company, Product → Unit

So, there is a BCNF violation, and we decompose.

Unit	Company	_
		Unit → Company

Unit Product No FDs



So What's the Problem?

Unit	Company	Unit	Product
Galaga99	UI	Galaga99	databases
Bingo	UI	Bingo	databases

No problem so far. All *local* FD's are satisfied.

Let's put all the data back into a single table again:

Unit	Company	Product	
Galaga99	UI	databases	_
Bingo	UI	databases	

Violates the dependency: company, product -> unit!





Preserving FDs

- What if, when a relation is decomposed, the X of an X→Y ends up only in one of the new relations and the Y ends up only in another?
- Such a decomposition is not "dependency-preserving."
- Desirable Property #3: always have FD-preserving decompositions
- We will talk about "Desirable Property #4: Ensure Good Query Performance" later





Review

- When decomposing a relation R, we want to decomposition to
 - minimize redundancy
 - avoid info loss
 - preserve dependencies (i.e., constraints)
 - ensure good query performance
- These objectives can be conflicting
- Various normal forms achieve parts of the objectives





互动交流一

已知关系模式: 学生 (身份证号, 学号, 姓名, 籍贯, 家庭住址)

将其分解为两个关系模式: 学生身份(身份证号, 姓名, 籍贯)

学生信息(学号,姓名,家庭住址)

下面哪个描述是正确的? (多选题)

▲ 这个分解是无损分解

R 这个分解不是无损分解

这是保持无损连接的分解

这不是保持无损连接的分解



互动交流二

已知关系模式: 学生(身份证号, 学号, 姓名, 籍贯, 家庭住址)

将其分解为两个关系模式: 学生身份 (身份证号, 姓名, 籍贯)

学生信息(学号,姓名,家庭住址)

下面哪个描述是正确的?

- 这个分解是保持函数依赖的分解
- 这个分解是丢失函数依赖的分解

提交 m - Nankai



互动交流三

已知关系模式: 学生 (身份证号, 学号, 姓名, 籍贯, 家庭住址)

将其分解为两个关系模式: 学生身份(身份证号, 姓名, 籍贯)

学生信息(学号,身份证号,家庭住址)

下面哪个描述是正确的? (多选题)

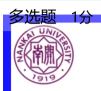
▲ 这个分解是无损分解

B 这个分解不是无损分解

这是保持无损连接的分解

这不是保持无损连接的分解





互动交流四

已知关系模式: 学生(身份证号, 学号, 姓名, 籍贯, 家庭住址)

将其分解为两个关系模式: 学生身份 (身份证号, 姓名, 籍贯)

学生信息 (学号,身份证号,家庭住址)

下面哪个描述是正确的?

这个分解是保持函数依赖的分解

B 这个分解是丢失函数依赖的分解





互动交流五

Consider a relation R = (A, B, C, D, E) with FD's $A \rightarrow C$,

 $CD \rightarrow B$, $B \rightarrow E$ and $E \rightarrow D$.

We decompose R into $R_1(B, C, D)$ and $R_2(A, C, E)$.

What are the FD's that hold in R_1 and R_2 ?

What are the keys of R_1 and R_2 ?

请用弹幕回答



Week10_Course

Database System-Schema+Design part5



Schema Design and Refinement

- How do we obtain a good design?
- Functional dependencies & keys
- Desirable properties of schema refinement



- Boyce Codd Normal Form (BCNF)
- Third Normal Form (3NF) and 3NF Decomposition
- Fourth Normal Form (4NF)





Normal Forms

First Normal Form = all attributes are atomic Second Normal Form (2NF) = old and obsolete

Boyce Codd Normal Form (BCNF) **Third Normal Form** (3NF) **Fourth Normal Form** (4NF)



Others...

 $R \in 4NF \gg R \in BCNF \gg R \in 3NF \gg R \in 2NF \gg R \in 1NF$





What We Want to Do with Normal Forms

- Take a relation schema…
- Test it against a normalization criterion…
- If it passes, fine!
 - Maybe test again with a higher criterion
- If it fails, decompose into smaller relations
 - Each of them will pass the test
 - Each can then be tested with a higher criterion

Persons with several phones:

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SSN	Name
123-321-99	Fred
909-438-44	Joe

SSN	Phone
123-321-99	(201) 555-1234
123-321-99	(206) 572-4312
909-438-44	(908) 464-0028
909-438-44	(212) 555-4000



Boyce-Codd Normal Form

A relation R is in BCNF if and only if:

Whenever there is a nontrivial FD $A_1, A_2, ... A_n \rightarrow B$

for R, it is the case that $\{A_1, A_2, ... A_n\}$ is a super-key for R.

Remember: *nontrivial* means A is not a member of set X. $(X \rightarrow A)$

Remember, a *superkey* is any superset of a key (not necessarily a proper superset).

In English (though a bit vague):

Whenever a set of attributes of R is determining another attribute, it should determine all attributes of R.



Example

Name	SSN	Phone
Fred	123-321-99	(201) 555-1234
Fred	123-321-99	(206) 572-4312
Joe	909-438-44	(908) 464-0028
Joe	909-438-44	(212) 555-4000

Person(Name, SSN, Phone)

 $FDs:{SSN \rightarrow Name}$

What are the dependencies?

SSN → Name

What are the keys?

Is it in BCNF?



Decompose it into BCNF

SSN	Name
123-321-99	Fred
909-438-44	Joe

FDs: SSN → Name

如果一个关系模式只含有两个属性, 它是不

是BCNF范式?

SSN	Phone
123-321-99	(201) 555-1234
123-321-99	(206) 572-4312
909-438-44	(908) 464-0028
909-438-44	(212) 555-4000

FDs: No

如果一个关系模式没有函数依赖,它是不是 BCNF范式?



Decomposition into BCNF

- Given: relation R with FD' s F.
- Look among the given FD's for a BCNF violation X→B.
 - If any FD following from F violates BCNF, then there will surely be an FD in F itself that violates BCNF.
- Compute X +.
 - Not all attributes, or else X is a superkey.





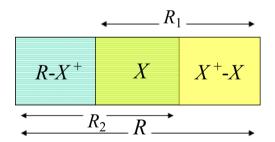
Decompose R Using $X \rightarrow B$

- Replace R by relations with schemas:
 - 1. $R_1 = X^+$.
 - 2. $R_2 = R (X^+ X)$.

Project given FD' s F onto the two new relations.

- 3. Compute the *closure* of F = all nontrivial FD's that follow from F.
- 4. Use only those FD's whose attributes are all in R_1 or all in R_2 .

Decomposition Picture





BCNF Decomposition

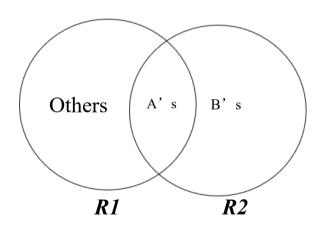
Find a dependency that violates the BCNF condition:

$$A_1, A_2, \dots A_n \rightarrow B_1, B_2, \dots B_m$$

Heuristics: choose B_1 , B_2 ,... B_m "as large as possible"

Decompose:

Any 2-attribute relation is in BCNF.



Continue until there are no BCNF violations left.



Example

Drinkers(name, addr, beersLiked, manf, favBeer)

 $F = \text{name} \rightarrow \text{addr}, \text{ name} \rightarrow \text{favBeer}, \text{ beersLiked} \rightarrow \text{manf}$

- Pick BCNF violation name → addr.
- Close the left side: {name}⁺ = {name, addr, favBeer}.
- Decomposed relations:
 - 1. Drinkers1(<u>name</u>, addr, favBeer)
 - 2. Drinkers2(<u>name</u>, <u>beersLiked</u>, manf)





Example, Continued

- We are not done; we need to check Drinkers1 and Drinkers2 for BCNF.
- Projecting FD's is complex in general, easy here.
- For Drinkers1(<u>name</u>, addr, favBeer), relevant FD's are
 name → addr and name → favBeer.



Thus, {name} is the only key and Drinkers1 is in BCNF.



Example, Continued

- For Drinkers2(<u>name</u>, <u>beersLiked</u>, manf), the only FD is beersLiked->manf, and the only key is {name, beersLiked}.
 - Violation of BCNF.
- beersLiked⁺ = {beersLiked, manf}, so we decompose
 Drinkers2 into:
 - 1. Drinkers3(<u>beersLiked</u>, manf)
 - 2. Drinkers4(<u>name</u>, <u>beersLiked</u>)





Example, Concluded

- The resulting decomposition of *Drinkers*:
 - 1. Drinkers1(name, addr, favBeer)
 - 2. Drinkers3(beersLiked, manf)
 - 3. Drinkers4(<u>name</u>, <u>beersLiked</u>)
- w Notice: *Drinkers1* tells us about drinkers, *Drinkers3* tells us about beers, and *Drinkers4* tells us the relationship between drinkers and the beers they like.





Thus,

- BCNF removes certain types of redundancy
- For examples of redundancy that it cannot remove, see "multivalued redundancy" later
- BCNF avoids info loss





However

- BCNF is not always dependency preserving
- In fact, some times we cannot find a BCNF decomposition that is dependency preserving
- Can handle this situation using 3NF
- See next few slides for example

Summary: Boyce Codd Normal Form (BCNF)



单选题 1分

互动交流一

已知关系模式: 学生(学号、姓名、系、系主任) 它存在的函数依赖是: {学号→姓名,学号→系,系→系主任} 请确定它是否属于BCNF范式?

- **区属于BCNF范式**
- **P** 它不属于BCNF范式





互动交流二

已知关系模式: 学生(学号、姓名、系、系主任)

它存在的函数依赖是: 学号 → 姓名, 学号 → 系, 系 → 系主任

如果将它分解为: R1(学号、姓名、系主任), R2(学号、系、系主任)

, R1和R2中存在的函数依赖分别为:

A R1: {学号 → 姓名}

- R2: {学号→系,系→系主任}
- B R1: {学号→姓名, 学号→系主任}
- R2: {学号 → 系主任, 学号→系}

m - Nankai



互动交流三

已知关系模式: 学生(学号、姓名、系、系主任)

它存在的函数依赖是: 学号 → 姓名, 学号 → 系, 系 → 系主任

如果将它分解为: R1(学号、姓名、系主任), R2(学号、系、系主任)

, R1和R2的keys分别为:

R1的keys: 学号

R1的keys: (学号, 系主任)

R2的keys: 学号

R2的keys: (学号, 系)

m - Nankai

多选题 1分

互动交流四

已知关系模式: 学生(学号、姓名、系、系主任)

它存在的函数依赖是: 学号 → 姓名, 学号 → 系, 系 → 系主任

如果将它分解为: R1(学号、姓名、系主任), R2(学号、系、系主任),

请判断分解后的R1和R2是否属于BCNF范式?

A R1 ∈ BCNF 成立

- R2 ∈ BCNF 成立
- R1 ∈ BCNF 不成立 R2 ∈ BCNF 不成立

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单选题 1分

互动交流五

The following three questions refer to a relation R(A, B, C, D,E) with functional dependencies $A\rightarrow B$, $BC\rightarrow D$, and $E\rightarrow C$.

If we project R onto S(B, C, D, E), which of he following functional dependencies holds in S and also does not violate the BCNF condition for S?



$$BC \rightarrow D$$



 $BE \to D$



 $B \rightarrow E$



 $E \rightarrow C$



se System - Nankai

主观题 10分



互动交流六

已知关系模式: 学生(学号、姓名、系、系主任)

它存在的函数依赖是: 学号 → 姓名, 学号 → 系, 系 → 系主任

请按照课堂讲授的方法,将其分解为一组满足BCNF范式的关系模式。

提交 se System - Nankai



往年的期末考题

Consider a relation R = (A, B, C, D) with FD's $AB \rightarrow C$, $C \rightarrow D$, and $D \rightarrow B$

- List all keys for *R*.
- Is R in BCNF? If yes, briefly explain why. Otherwise,
- Write down two functional dependencies that causes this relation to violate BCNF.
- decompose further until all decomposed relations are in BCNF, and then show your final results.

