SOLUCIÓN TRABAJO PRACTICO Nº 5 - RENTAS INMEDIATAS

Punto 1

Valor Actual Renta Inmediata Vencida

$$vVo = \alpha \left(\frac{1 - (1 + i)^{-n}}{i} \right)$$

$$vVo = \alpha \left(\frac{1 - (1+i)^{-n}}{i} \right) \qquad vVo = \$ 4.500,00 \left(\frac{1 - (1+0.24)^{-5}}{0.24} \right) = \frac{\$ 12.354,23}{0.24}$$

Valor Actual Renta Inmediata Adelantada

aVo =
$$\alpha \left(\frac{1 - (1 + i)^{-n}}{i}\right)^* (1 + i)$$
 aVo= \$4.500,00 $\left(\frac{1 - (1 + 0.24)^{-5}}{0.24}\right)^* (1 + 0.24) = \frac{15.319.25}{0.24}$

Punto 2

Valor Final Renta Inmediata Vencida

Vn = ? C= \$ 800,00 n= 3 años i= 0,02

m=p=1

$$vVn = \alpha \left(\frac{(1+i)^n - 1}{i} \right)$$

$$vVn = \alpha \left(\underbrace{(1+i)^n - 1}_{i} \right) \qquad vVn = \$ 800,00 \left(\underbrace{(1+0,02)^{36} - 1}_{0,02} \right) = \frac{\$ 41.595,49}{0,02}$$

Valor Final Renta Inmediata Adelantada

Vn = ? C= \$800,00 n= 3 años i= 0,02 m=p=1

$$aVn = \alpha \left(\frac{(1+i)^n - 1}{i} \right)^* (1+i) \quad aVn = \$800,00 \left(\frac{(1+0,02)^{36} - 1}{0,02} \right)^* (1+0,02) = \frac{\$42.427,40}{0,02}$$

Valor Actual Renta Inmediata Vencida

Vo = ? C = \$800,00

n= 3 años i= 0,02 m=p=1

$$vVo = \alpha \left(\frac{1 - (1+i)^{-n}}{i} \right) \qquad vVo = \$800,00 \quad \left(\frac{1 - (1+0,02)^{-36}}{0,02} \right) = \frac{\$20.391,07}{0,02}$$

Valor Actual Renta Inmediata Adelantada

Vo = ? C = \$800,00

n= 3 años i= 0,02 m=p=1

$$aVo = \alpha \left(\frac{1 - (1+i)^{-n}}{1 - (1+i)^{-n}} \right)^* (1+i) \qquad aVo = \$800,00 \quad \left(\frac{1 - (1+0,02)^{-36}}{1 - (1+0,02)^{-36}} \right)^* (1+0,02) = \frac{\$20.798,90}{1 - (1+0,02)^{-36}}$$

i 0.02

Punto 3

Valor Final Renta Inmediata Vencida

$$vVn = \alpha \left(\underbrace{(1+i/m)^{n^*m} -1}_{i/m}\right)$$

$$vVn= \$ 500,00 \left(\frac{(1+0.20/12)^{10^*12} - 1}{0.20/12} \right) = \frac{\$ 188.047,65}{10.20/12}$$

Punto 4

Valor Final Renta Inmediata Adelantada

C=? n= 84 meses i= 0,18 anual m=
$$p\neq1$$

$$aVn = \alpha \left(\frac{(1+i/m)^{n^*m} - 1}{i/m} \right) * (1+i/m)$$

$$aVn = \alpha \left[\underbrace{(1+i/m)^{n^*m} - 1}_{i/m} \right] * (1+i/m)$$

$$1.000.000 = C \left[\underbrace{(1+0,18/12)^{12^*8412} - 1}_{0,18/12} \right] * (1+0,18/12) = \boxed{\$ 5.928,90}$$

Punto 5

Valor Actual Renta Inmediata Vencida

$$V_0 = 7$$

$$i=0,15$$
 anual

$$vVo = \alpha \left(\frac{1 - (1 + i/m)^{-n^*m}}{i/m} \right)$$

aVo=
$$$2.800,00 \left(\frac{1 - (1+0,15/12)^{-12^*1}}{0,15/12} \right) = \frac{$31.022,07}{}$$

Punto 6

Valor Actual Renta Inmediata Vencida

$$vVo = ?$$

$$vVo = ?$$
 $C = $750,00$

$$m=p\neq 1$$

$$vVo = \alpha \left(\frac{1 - (1 + i/m)^{-n^*m}}{i/m} \right)$$

$$vVo= \$750,00 \left(\frac{1 - (1+0.22/6)^{-6^{+}4}}{0.22/6} \right) = \frac{\$11.835,67}{}$$

Valor Final Renta Inmediata Vencida

$$vVn =$$
\$ 11.835,67 * (1+ 0,22/6)^{6*4} $vVn =$ \$ 28.088,73

Punto 7

Valor Final Renta Inmediata Adelantada

$$Vn = ?$$

$$C = $10.000,00$$

$$aVn = \alpha \left(\frac{(1+i/m)^{n^*m} - 1}{(1+i/m)^{m/p} - 1} \right)^* (1+i/m)^{m/p} \quad aVn = 10.000,00 \left(\frac{(1+0,12/2)^{2^*6} - 1}{(1+0,12/2)^{2/4} - 1} \right)^* (1+0,12/2)^{2/4} = \frac{\$ \ 352.508,05}{(1+0,12/2)^{2/4} - 1}$$

Valor Final Renta Inmediata Vencida

$$C = $10.000,00$$

n= 6 años i= 0,12 anual cap. semestral

$$vVn = \alpha \left(\underbrace{\frac{(1+i/m)^{n^*m} - 1}{(1+i/m)^{m/p} - 1}} \right)$$

$$vVn= 10.000,00 \left(\frac{(1+0,12/2)^{2+6} -1}{(1+0,12/2)^{2/4} -1} \right) = \frac{\$ 342.386,09}{\$ 342.386,09}$$

Punto 8

Valor Actual Renta Inmediata Adelantada

$$Vo = ?$$

n= 8 años i= 0,10 anual cap. bimestral

m≠p≠1

$$aVo = \alpha \left(\frac{1 - (1 + i/m)^{-n^*m}}{(1 + i/m)^{m/p}} \right)^* (1 + i/m)^{m/p} \qquad aVo = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^* (1 + 0,10/6)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6^*8}}{(1 + 0,10/6)^{6/2} - 1} \right)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6/6}}{(1 + 0,10/6)^{6/2} - 1} \right)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6/6}}{(1 + 0,10/6)^{6/2}} \right)^{6/2} = (\$2.200,00^*6) \left(\frac{1 - (1 + 0,10/6)^{-6/6}}{(1 + 0,10/6)^{6/2}} \right)^{6/2} = (\$2.200,00^*6) \left($$

Punto 9

Precio de Contado: \$1.500.000,00 <u>: \$ 120.000,00</u> \$ 1.620.000,00 Gastos 8%

Valor Actual Renta Inmediata Vencida

$$C=?$$

$$vVo = \alpha \left(\begin{array}{c} \frac{1 - (1 + i/m)^{-n^*m}}{i/m} \end{array} \right)$$

$$vVo = \alpha \left(\frac{1 - (1 + i/m)^{-n^*m}}{i/m} \right) \qquad 1.620.000,00 = \quad C \left(\frac{1 - (1 + 0.40/12)^{-12^*3}}{0.40/12} \right) = \frac{\$ 77.938,44}{0.40/12}$$

Punto 10

Valor Final Renta Inmediata Vencida

$$Vn = 500.000,00$$

$$C = \$?$$

$$i = 0.0225$$

$$m=p=1$$

$$vVn = \alpha \left(\frac{(1+i)^n -1}{i} \right)$$

$$500.000,00 = C \left(\underbrace{(1+0,0225)^{10^*12} -1}_{0,0225} \right) = \$837,00$$

Valor Final Renta Inmediata Adelantada

$$Vn = 500.000,00$$

$$C =$$
 ?

$$i = 0.0225$$

$$m=p=1$$

$$aVn = \alpha \left(\underbrace{(1+i)^n - 1}_{i} \right)^* (1+i) \quad 500.000,00 = C \left(\underbrace{(1+0,0225)^{10^*12} - 1}_{0,0225} \right)^* (1+0,0225) = \$818,57$$

Punto 11

Valor Final Renta Inmediata Adelantada

$$Vn = ? C= \$ \ 15.000,00 n= 12 \ meses i_1= 0,028 \ i_{2=} \ 0,035 m=p=1$$

Inciso a:

$$aVn = \alpha \left(\frac{(1+i)^n - 1}{i} \right) * (1+i) \quad aVn = \$ 15.000,00 \left(\frac{(1+0.028)^{12} - 1}{0.028} \right) * (1+0.028) = \frac{\$ 216.371,11}{0.028}$$

Inciso b:

aVn= \$15.000,00
$$\left(\frac{(1+0.028)^6 - 1}{0.028}\right)^* (1+0.028)^* (1+0.035)^6 = \frac{121.995,38}{0.028}$$

aVn= \$15.000,00 $\left(\frac{(1+0.035)^6 - 1}{0.035}\right)^* (1+0.035) = \frac{101.691,11}{0.035}$

Punto 12

Valor Final Renta Inmediata Vencida

$$Vn = ? C_{1} = $5.000,00 n_{1} = 12 meses C_{2} = $6.000,00 n_{2} = 18 meses i' = 0,0975 ef. trimestral m=p=1$$

$$(1+i_m)^{12} = (1+0.0975)^4$$
 $i_m = 0.031497491$

$$vVn = \alpha \quad \underbrace{(1+i)^n \quad -1}_{i} \qquad \qquad vVn = \$ \ 5.000,00 \\ \underbrace{\left(\frac{(1+0,031497491)^{12} \ -1}{0,031497491}\right)^*}_{} * (1+0,031497491)^{18} = \underbrace{\$ \ 125.065,96}_{}$$

$$vVn = \alpha \quad \underbrace{(1+i)^n \quad -1}_{i} \qquad \qquad vVn = \ \$ \ 6.000,00 \ \underbrace{\left(\frac{(1+0,031497491)^{18} \ -1}{0,031497491}\right)}_{} = \ \underbrace{\$ \ 142.399,95}_{}$$

vVn= \$ 125.065,96 + \$ 142.399,95 = **\$ 267.465,91**