

# Compiler Project

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## Phase2: Parser Generator

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# Data Structure

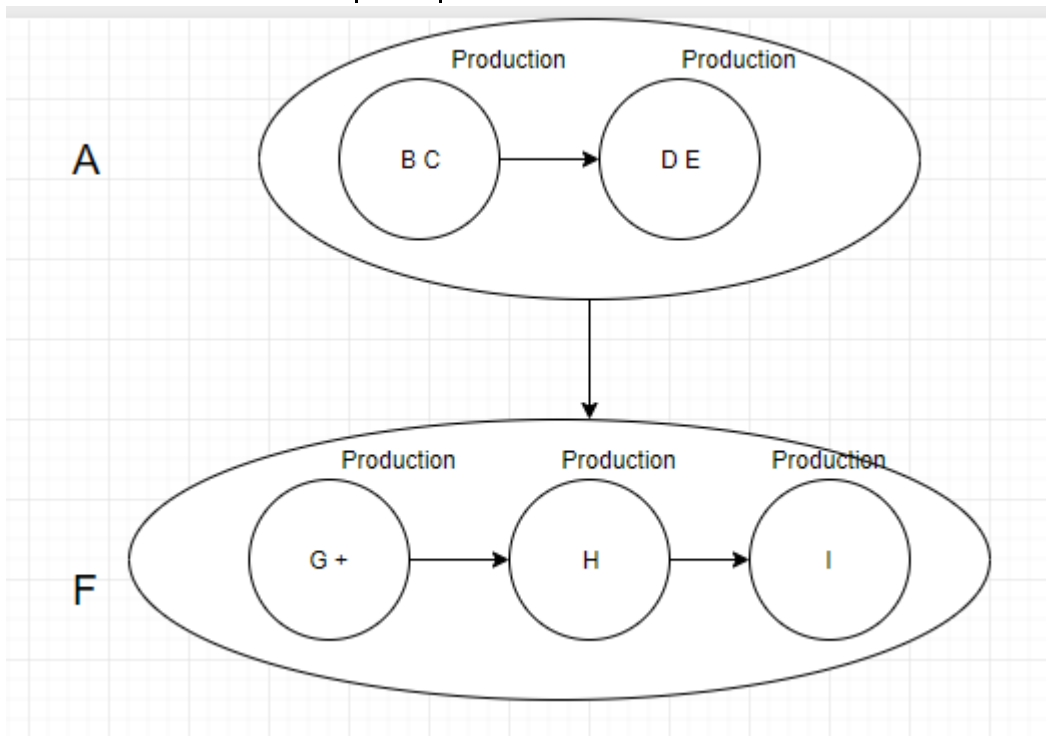
## 2D vector for grammar

To represent grammar scanned from grammarFile, we use 2D vector of production.

For example

#A = B C | D E

#F = G '+' | H | I



## HashMap

HashMap is used to hold terminal and non-terminal names with their indexes.

So each terminal and non-terminal is easily represented by index.

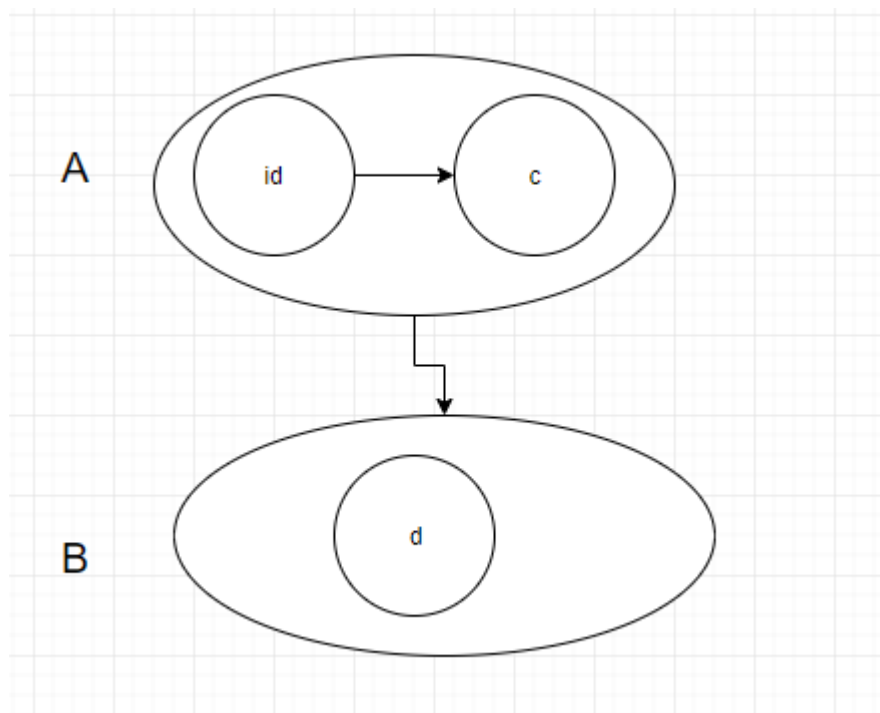
## 2D vector for first terminals

We use 2D vector of integers to hold the first terminal of each non terminal.

For example

#A = 'id' B | 'c'

#B = 'd' F



## 2D vector for follow terminals

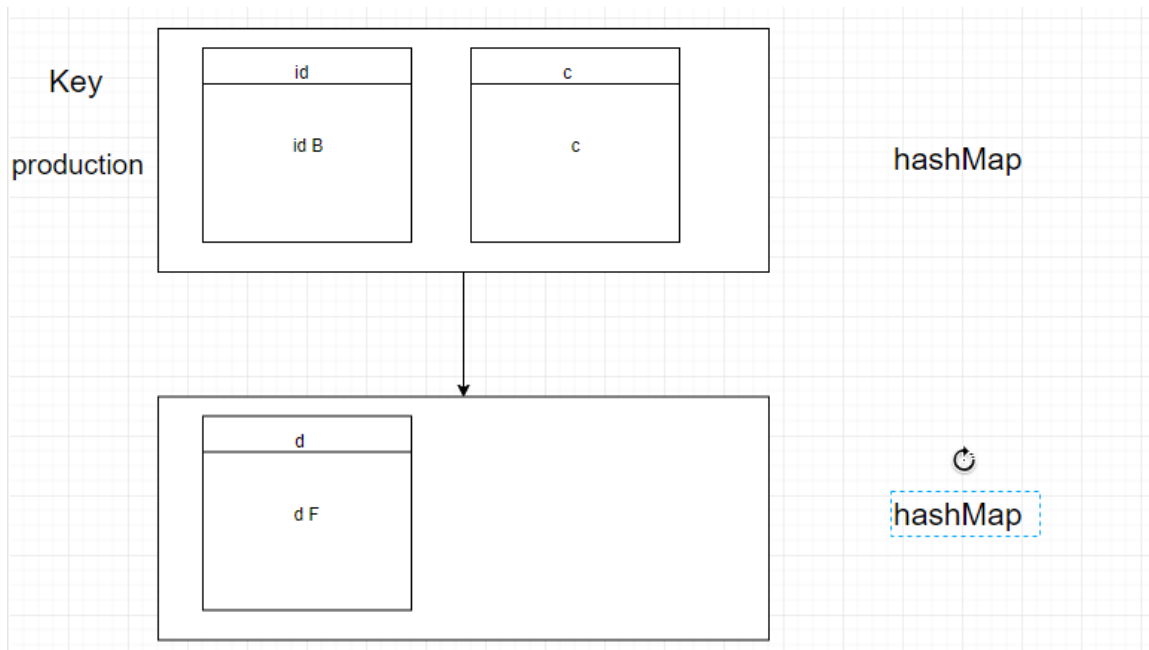
The same strategy as first terminals.

## Vector of hashmap for parsing table

For example:

#A = 'id' B | 'c'

#B = 'd' F



# Algorithms and Techniques

## Detecting left recursion

For detecting left recursion, we used DFS traversal for the grammar so we could detect indirect left recursion.

## First computation

For 'first' computation, we used algorithm described in lecture.

- If  $X$  is a terminal symbol  $\rightarrow \text{FIRST}(X) = \{X\}$
- If  $X$  is a non-terminal symbol and  $X \rightarrow \epsilon$  is a production rule  
 $\rightarrow \epsilon$  is in  $\text{FIRST}(X)$ .
- If  $X$  is a non-terminal symbol and  $X \rightarrow Y_1 Y_2 \dots Y_n$  is a production rule
  - $\rightarrow$  if a terminal  $a$  in  $\text{FIRST}(Y_i)$  and  $\epsilon$  is in all  $\text{FIRST}(Y_j)$  for  $j=1, \dots, i-1$  then  $a$  is in  $\text{FIRST}(X)$ .
  - $\rightarrow$  if  $\epsilon$  is in all  $\text{FIRST}(Y_j)$  for  $j=1, \dots, n$  then  $\epsilon$  is in  $\text{FIRST}(X)$ .

## Follow computation

For 'first' computation, we used algorithm described in lecture.

- If  $S$  is the start symbol  $\rightarrow$   $\$$  is in  $\text{FOLLOW}(S)$
- if  $A \rightarrow \alpha B \beta$  is a production rule  
 $\rightarrow$  everything in  $\text{FIRST}(\beta)$  is  $\text{FOLLOW}(B)$  except  $\epsilon$
- If (  $A \rightarrow \alpha B$  is a production rule ) or  
(  $A \rightarrow \alpha B \beta$  is a production rule and  $\epsilon$  is in  $\text{FIRST}(\beta)$  )  
 $\rightarrow$  everything in  $\text{FOLLOW}(A)$  is in  $\text{FOLLOW}(B)$ .

We apply these rules until nothing more can be added to any follow set.

## Parsing table construction

For 'first' computation, we used algorithm described in lecture.

- for each production rule  $A \rightarrow \alpha$  of a grammar  $G$ 
  - for each terminal  $a$  in  $\text{FIRST}(\alpha)$   
 $\rightarrow$  add  $A \rightarrow \alpha$  to  $M[A, a]$
  - If  $\epsilon$  in  $\text{FIRST}(\alpha)$   
 $\rightarrow$  for each terminal  $a$  in  $\text{FOLLOW}(A)$  add  $A \rightarrow \alpha$  to  $M[A, a]$
  - If  $\epsilon$  in  $\text{FIRST}(\alpha)$  and  $\$$  in  $\text{FOLLOW}(A)$   
 $\rightarrow$  add  $A \rightarrow \alpha$  to  $M[A, \$]$
- All other undefined entries of the parsing table are error entries.

## Error handling

For matching error handling, we used panic-mode error recovery as it is described in the lecture.

- So, a simple panic-mode error recovery for the LL(1) parsing:
  - For each nonterminal  $A$ , mark the entries  $M[A,a]$  as ***synch*** if  $a$  is in the follow set of  $A$ . So, for an empty entry, the input symbol is discarded. This should continue until either:
    - 1) an entry with a production is encountered. In the case, parsing is continued as usual.
    - 2) an entry marked as ***synch*** is encountered. In this case, the parser will pop that non-terminal  $A$  from the stack. The parsing continues from that state.
  - To handle unmatched terminal symbols, the parser pops that unmatched terminal symbol from the stack and it issues an error message saying that that unmatched terminal is inserted.

## Parsing table example

```
1 #E = T E1
2 #E1 = '+' T E1 | \L
3 #T = F T1
4 #T1 = '*' F T1 | \L
5 #F = '(' E ')' | 'id'
```

Console X

```
<terminated> lexWin6.exe [C/C++ Application] E:\cpp\lexWin
3 prod.PSymbo1s.size()
printParsingTable
E :(: T E1
E :id: T E1
T :(: F T1
T :id: F T1
E1 :+: + T E1
E1 :): \L
E1 :$: \L
F :(: ( E )
F :id: id
T1 :+: \L
T1 :*: * F T1
T1 :): \L
T1 :$: \L
```



# Main Functions

## **createProductionGrammer()**

It parses grammar file and set productions, terminal and non-terminal in 'grammar' 3D.

## **detectLeftRecursion()**

Use DFS algorithms to detect direct and indirect left recursion in the 'grammar'.

## **createFirstTable()**

It initializes 'first' vector and 'prodFirst' vector and fill them with first terminal of non-terminals and production.

## **createFollowTable()**

Using 'grammar', 'first' and 'prodFirst' vectors, it fills 'follow' vector with the follow terminals of each non terminal.

## **createParsingTable()**

Using 'first' and 'follow' vectors, this method create parsing tree and detect if there is ambiguity in the grammar.

## **matchTokens()**

This method parse the tokensFile then match it with the given grammar using the stack method and panic-mode error recovery method then print the left most derivation and productions used to parse the tokens.