

180

Quantitative Variables :-

- Center (measures of Center)
- spread (measures of Spread)
- shape
- outliers

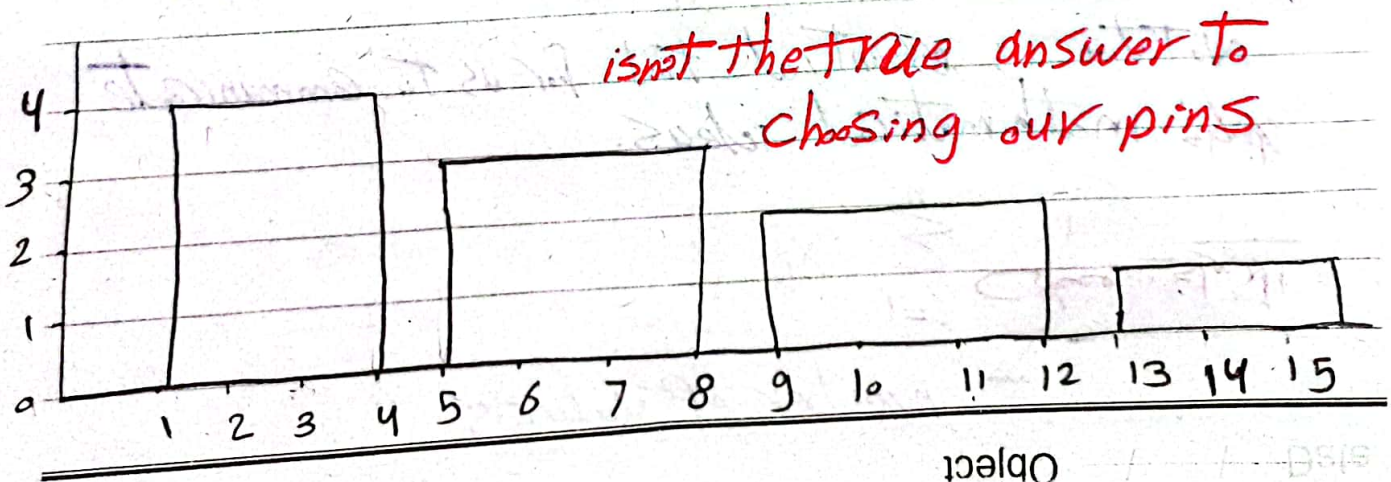
spread → استبعاد النقطة عن النقطة الأخرى

Measures of spread :- How far are points from one another.

- Range
- Interquartile Range (IQR)
- Standard deviation
- Variance

Histogram :- The most common visual for quantitative data

1, 2, 2, 4 5, 7, 8 9, 12 15
 4 3 2 1
 1-4 5-8 9-12 13-16

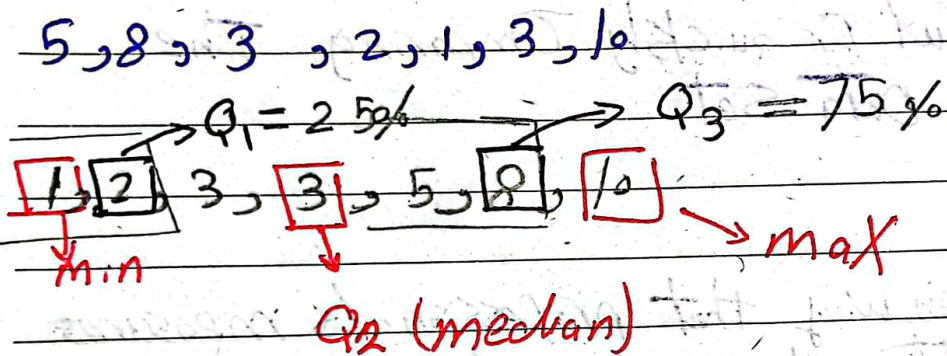


Date

1807
* one of the most common ways to measure the spread is Five number Summary

five number Summary:-

- first quartile
- second " (median)
- Third "
- minimum
- maximum



$$\text{Range} = \text{max} - \text{min} = 10 - 1 = 9$$
$$\text{IQR} = Q_3 - Q_1 = 8 - 2 = 6$$

Q_2 (median) \rightarrow 50% of our Data fall below the middle value

$Q_1, Q_3 \rightarrow$ The median of the Data on either side of Q_2

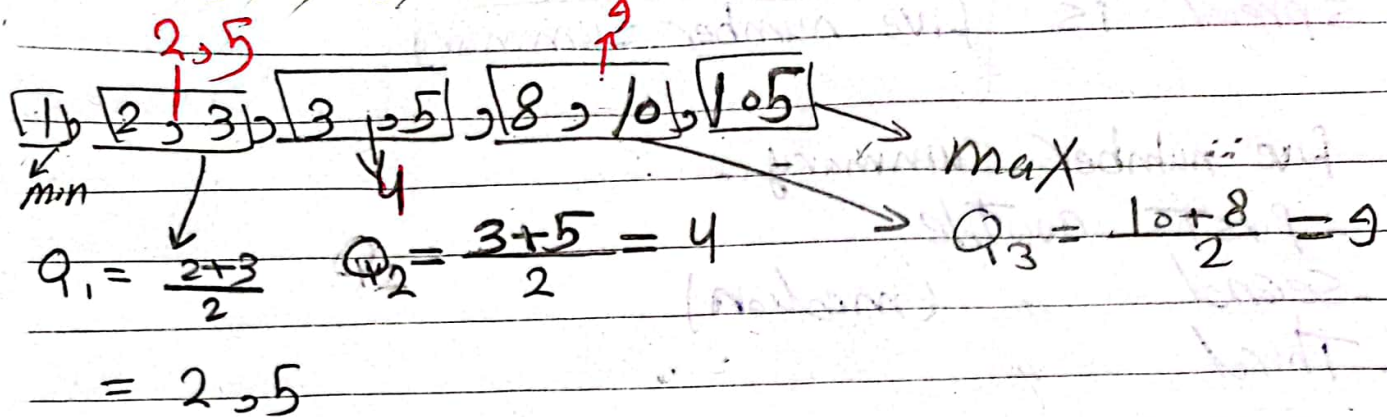
25% 75%

Object

Date

1.5

5, 8, 3, 2, 1, 3, 10, 10.5



$$IQR = Q_3 - Q_1 = 9 - 2.5 = 6.5$$

Box plot: - useful for quickly Comparing The Spread of two Data Set

*The most Common way that professionals measure the spread of A data with a single value is: Standard deviation and variance

Standard deviation: - on average, how much each point varies from the mean of the point

mean \bar{X}

↓ average $\frac{1}{n} \sum_{i=1}^n X_i$

Date

Object

1807 Data Set

10 6 14 6 10 6 6

$$\bar{X} = 10$$

mean

$$X_i - \bar{X} =$$

$$10 - 10 = 0$$

$$14 - 10 = 4$$

$$10 - 10 = 0$$

$$6 - 10 = -4$$

$$0 + 4 + 0 - 4 = 0 \quad X$$

There is no spread here we should make these values positive

Variance =

$$\frac{1}{n} \sum_{i=1}^n (X_i - \bar{X})^2 = \frac{1}{4} (16 + 16 + 0 + 0) = 8$$

$$SD = \sqrt{8} = 2.8$$

Variance: average Squared Difference of each observation from the mean

$$SD = \sqrt{\text{Variance}} = \sqrt{\frac{1}{n} \sum_{i=1}^n (X_i - \bar{X})^2}$$

S.D. used to compare the spread of different groups

Shape How to use Histograms to Determine Shape associated with Data

* Symmetric distribution = normal distribution
= Bell curve

mean = median = mode

* Left Skewed
mean < median

* Right Skewed
mean > median

Quick plot: when you are working with data you can build a quick plot to see the shape.

outliers: Data points that fall very far from the rest of the values in our Data set

mean X median → a better measure of center

Standard Deviation X

when Data includes outlier values S.D. & mean become more greater.

Statistics $\begin{cases} \text{descriptive} \\ \text{inferential} \end{cases}$

descriptive statistics describing collected data

inferential statistics Drawing conclusion About A population Based on Data collected from a sample of individuals from that population

* النسخة العشوائية من المجتمع \rightarrow Population
نمط على Sample

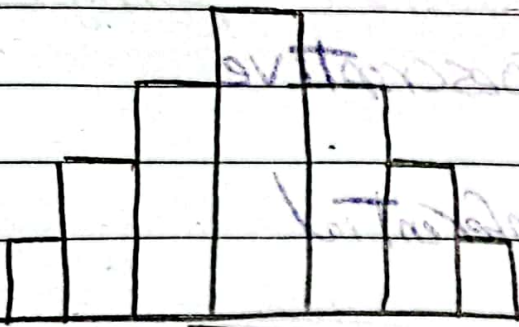
Any numeric summary calculated from the sample is called statistic

Any numeric " of the population is known as a parameter

Drawing conclusion regarding a parameter based on our statistics is known as inference.

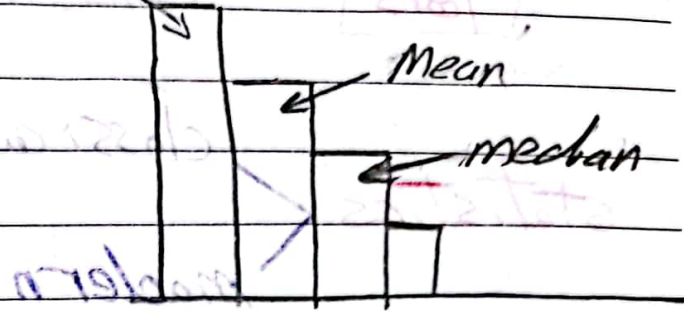
IRP Shapes:

Symmetrical



mean = median
= mode

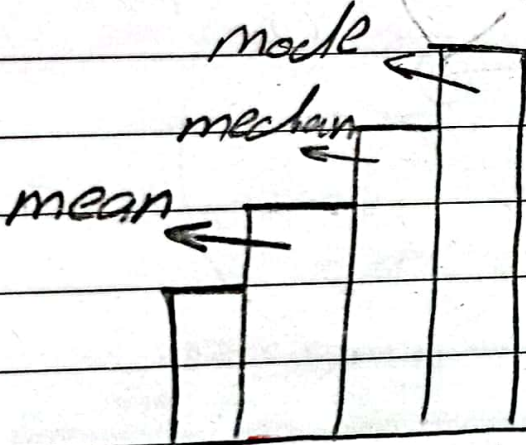
mode "Right Skewed"



mean > median



left skewed



mean < median

outlier =>

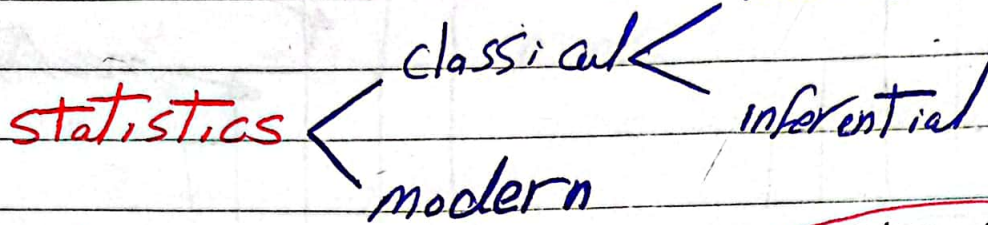
بعيد عن القيمة التي عندها
بقيمة غريبة عن القيمة التي عندها *

statistics → تحليل الخطأ

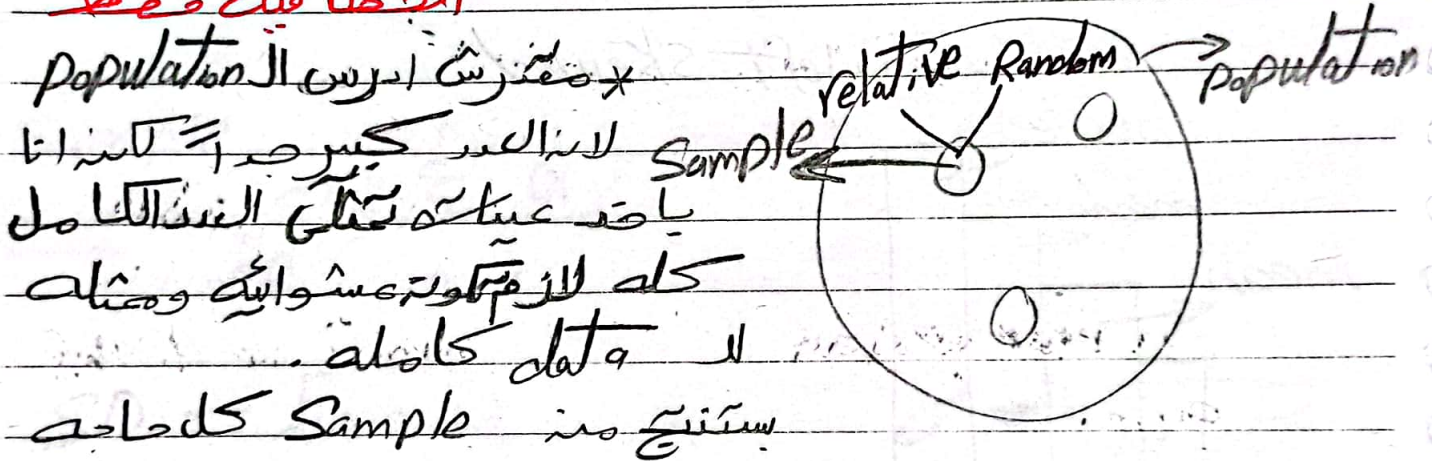
"Analysis = question"

Tools

collecting visualize (Analyze) descriptive



Estimation ← انما يعرفش او صلا للفرجة بالتصديق
بعد تقدير لاداء الاماكن اشتغل عليها
الخطأ فيه مخطط



[Descriptive statistics]

frequency Distribution

عبدالكرار الله

