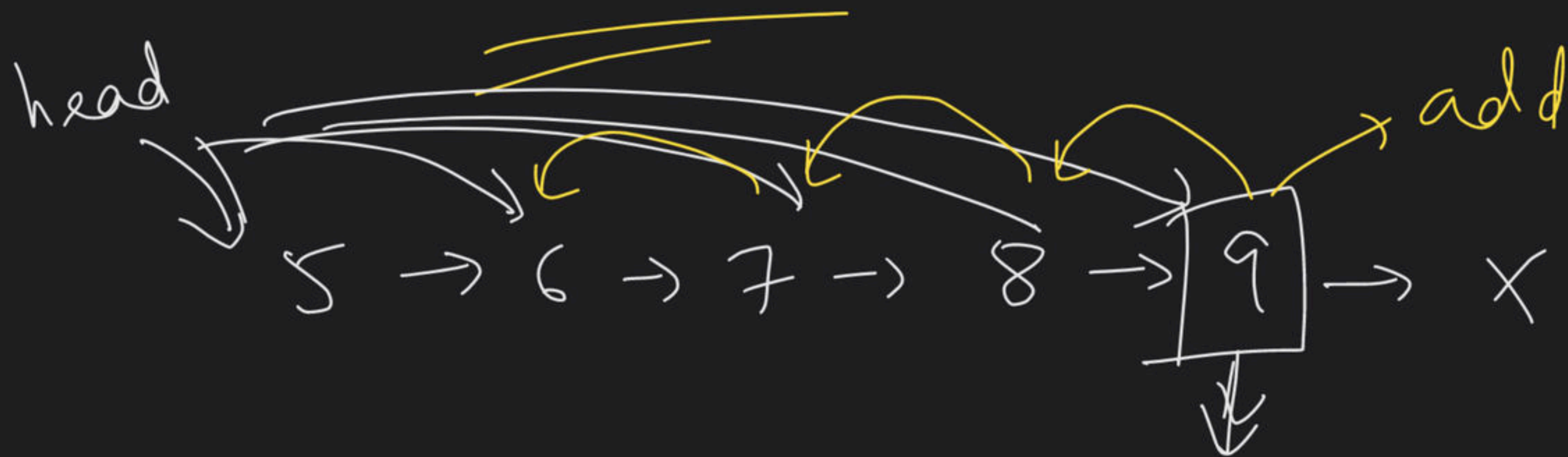




# Mega Class: LinkedList

Special class

① Add 1 to LL Head RE



⇒

- ① head RE
- ② add
- ③ carry update

1  
9 → 9 → 9 → 9 → X

0 0 0 +1  
0

|| + 0 → 0 → 0 → 0 → X

② Add 2 Numbers Rep. By LL.

9 → 9 → 9 → 9 → x

9 → 9 → 9 → 9 → 9 → 9 → x

⇒

|       |  |   |   |   |   |   |   |   |
|-------|--|---|---|---|---|---|---|---|
|       |  |   | 0 | 0 | 9 | 9 | 9 | 9 |
| +     |  | 9 | 9 | 9 | 9 | 9 | 9 |   |
| <hr/> |  |   |   |   |   |   |   |   |



Orig no  
1 2 3 4

= 4 → 3 → 2 → 1 → 0 → 0 → 1 2 3 4

2 7 1 9 8 6

= 6 → 8 → 9 → 1 → 7 → 2 → X

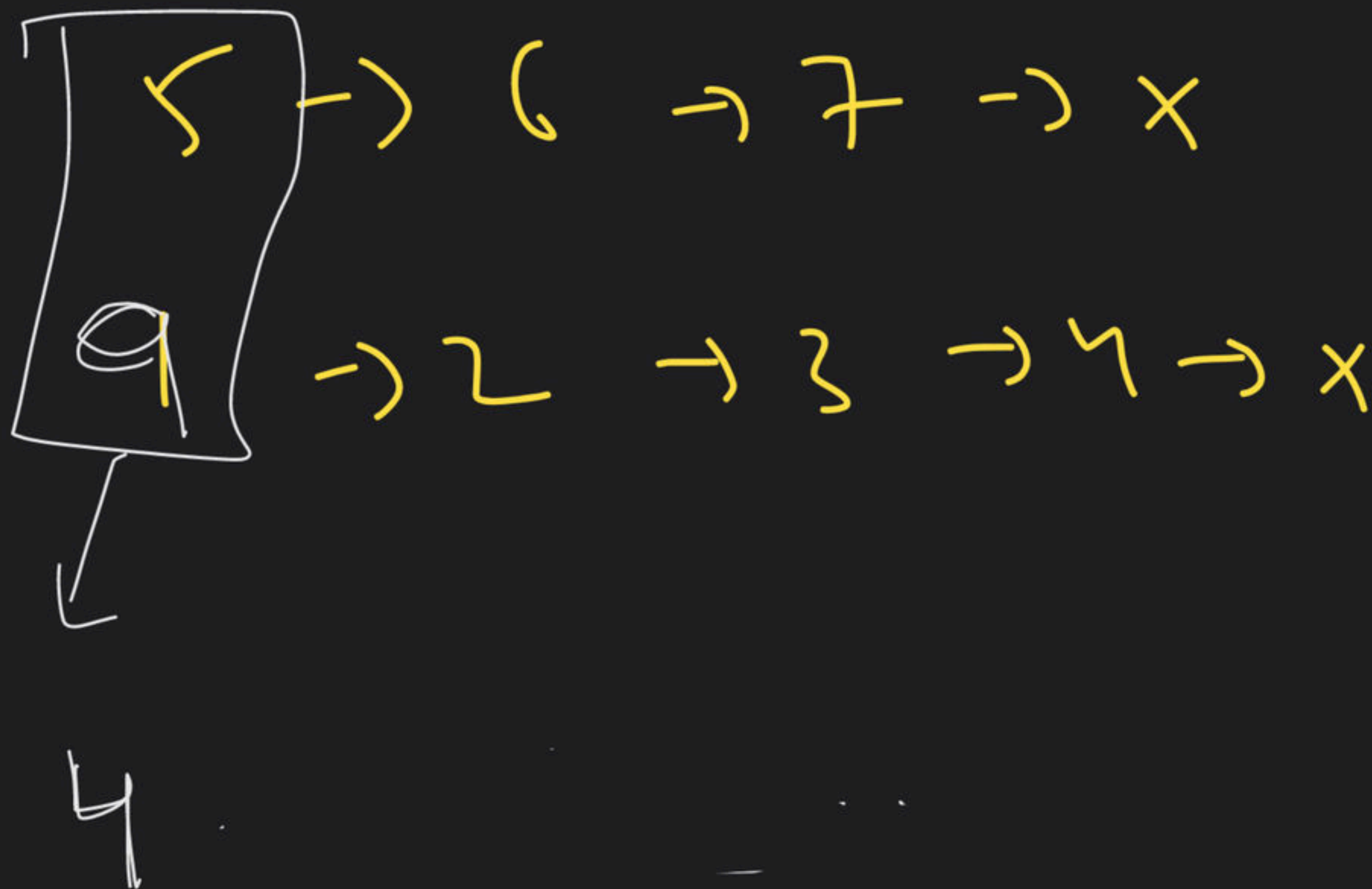
1 1  
 0 0 1 2 3 4  
 2 7 1 9 8 6  
 -----  
 2 0  
 ☆☆☆

l<sub>2</sub>

Approach?

0 → 2 → 2 → 3 → 7 → 2 → X

Recursive<sup>o</sup>  
        



# Loop detection

Slow / fast ptr

✓ ①

Middle finding ✓✓✓

✓ ②

Check loop T/F ✓✓

✓ ③ =

find the starting pt. of loop ✓✓

✓ ④

Remove the cycle ✓✓







# ② check Loop

101  
11

105

116

113

124

235

236

298

305



MAP → Node\*, bool?

| Node* (add) | bool |
|-------------|------|
| 101         | ✓    |
| 105         | ✓    |
| 116         | ✓    |
| 113         | ✓    |
| 124         | ✓    |
| 235         | ✓    |
| 236         | ✓    |
| 298         | ✓    |

300 14



201 13

12

406

10

307

506

already

Loop detect

visited entry  
will goi until

101

102

106

116

1 → 2 → 3 → 4 → x

101

✓

102

✓

106

✓

116

✓

total =

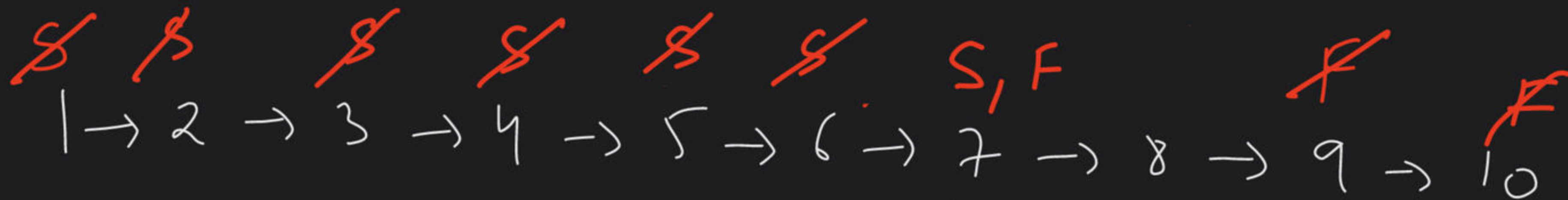
## ③ Find S.P of Loop

① Map se, while detecting loop  
the node which is  
already visited & we are  
visiting that again  
is the starting point.



(M2)

Slow | Fast ptr.



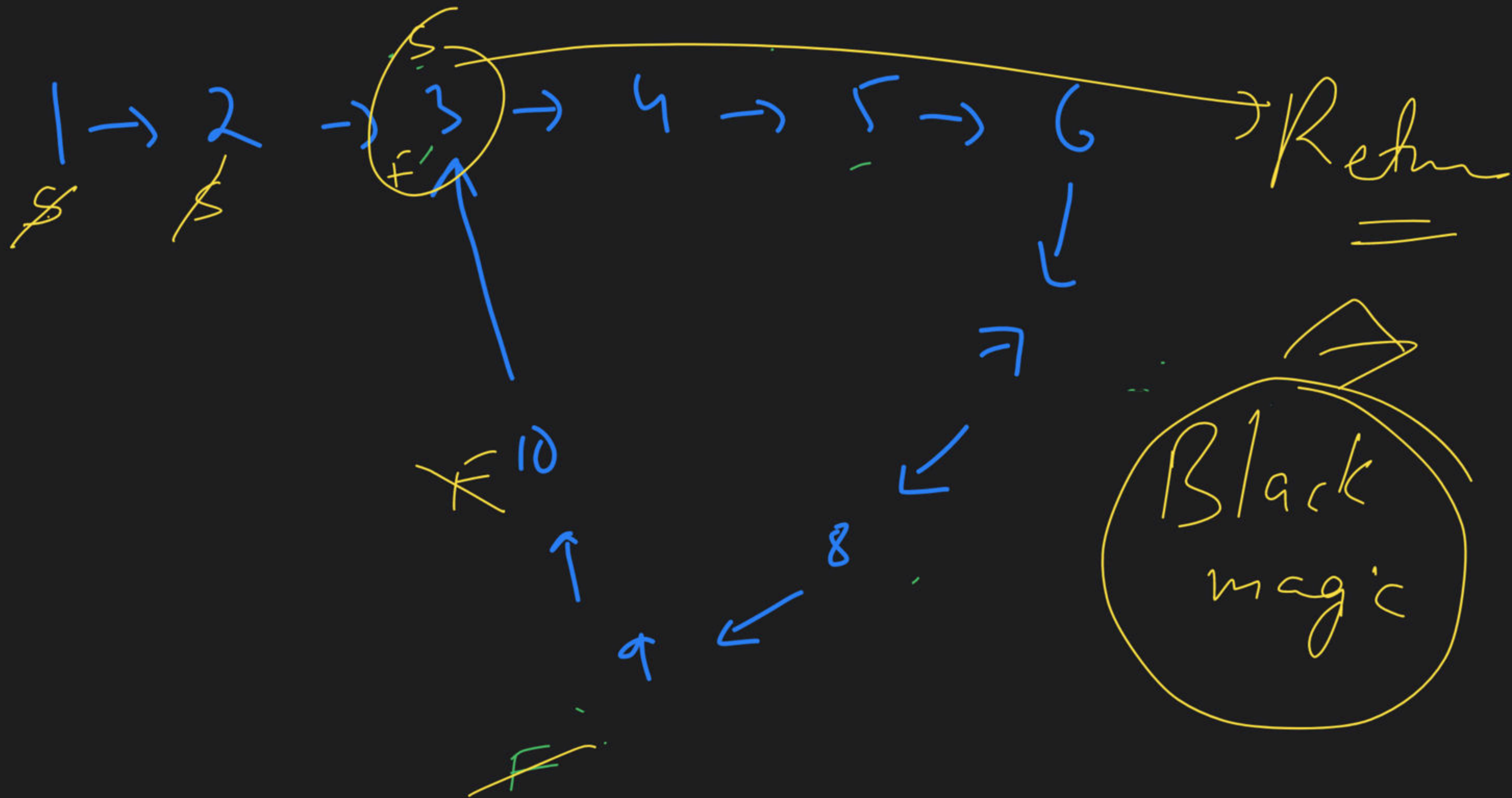
① Node where loop was detected

② S ⇒ head.

Move F & S with 1x speed

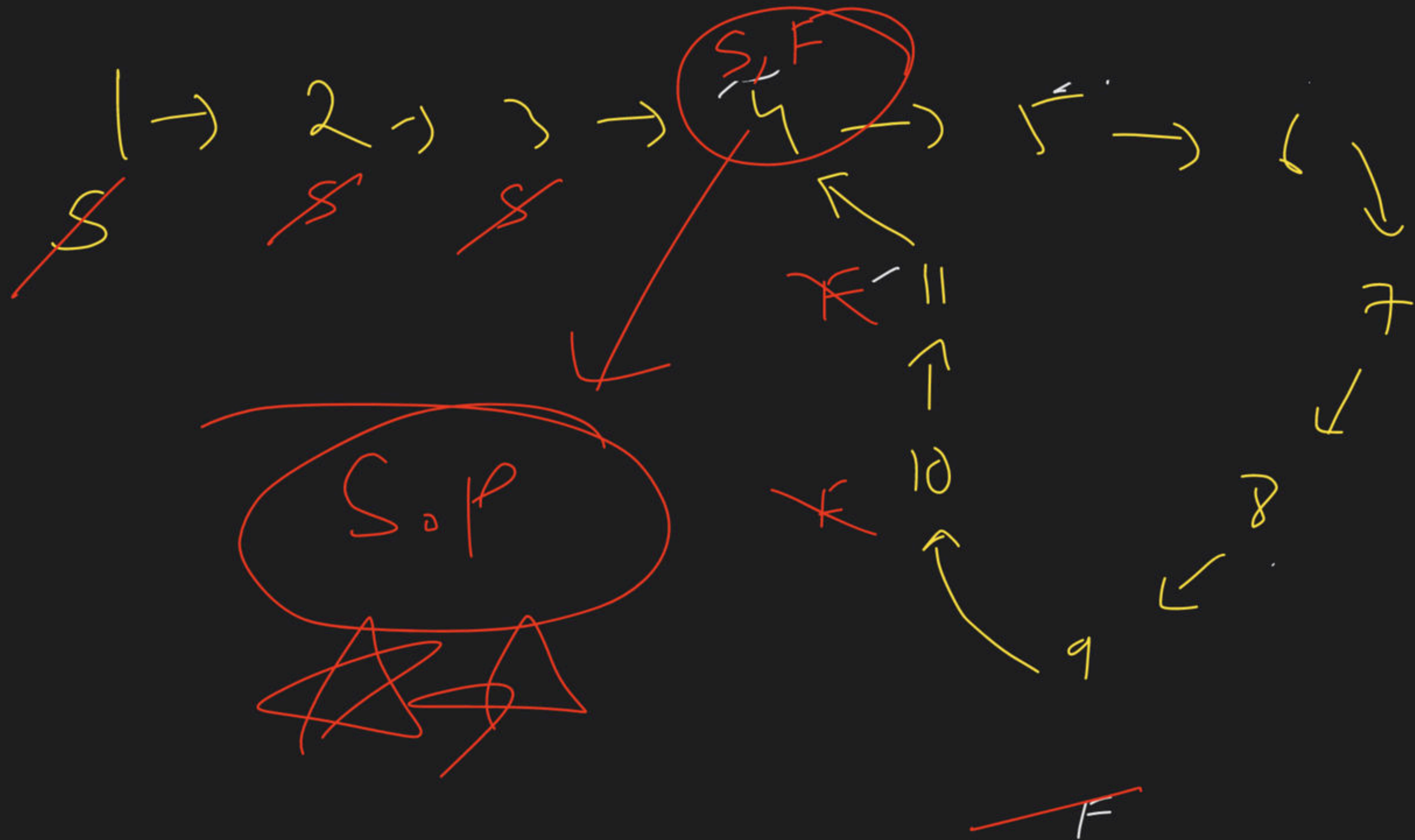




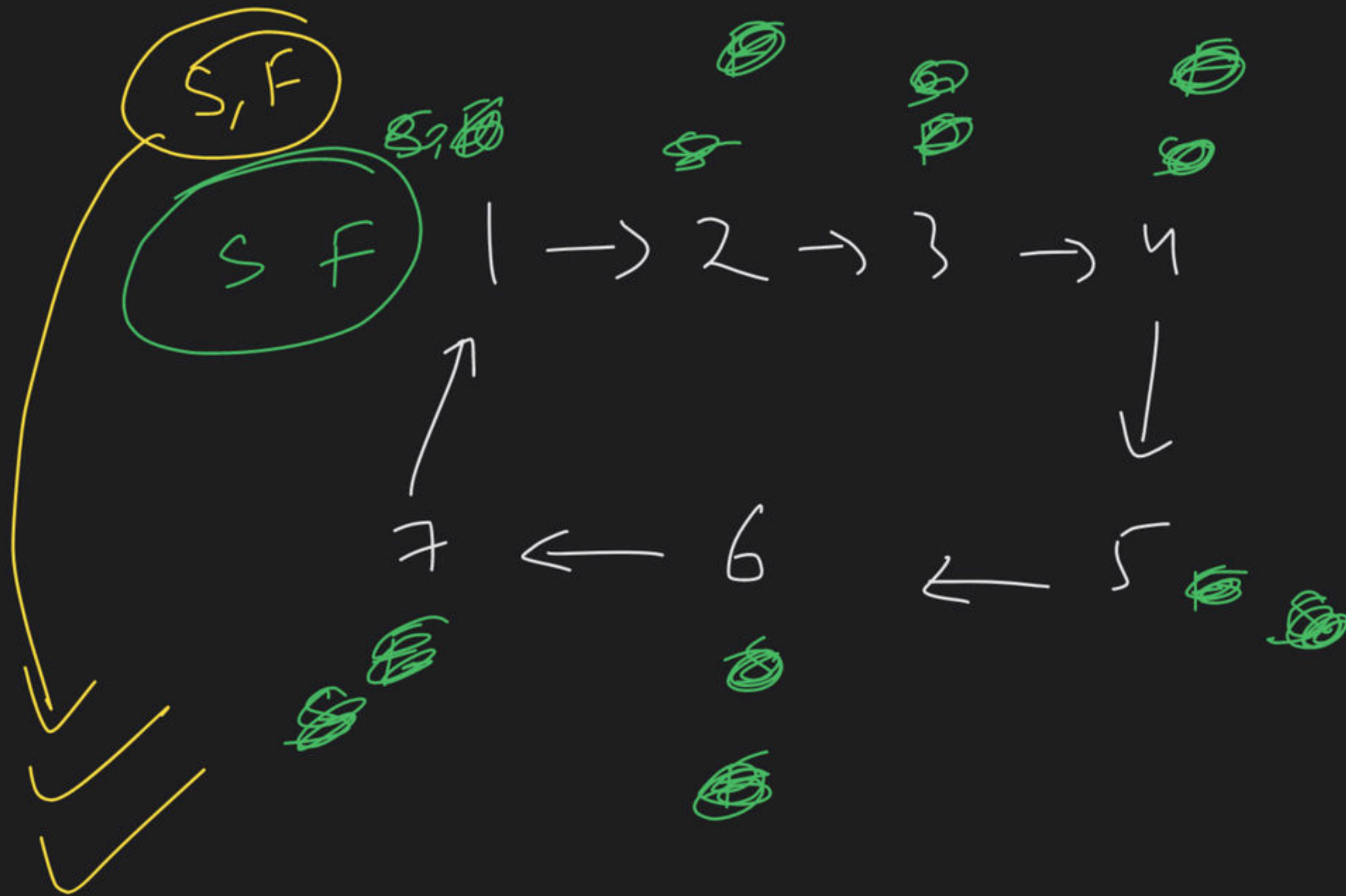


Algo : ① find cycle  $\Rightarrow$  By check Cycle  $f^n$   
& Return where  $S == F$ ;

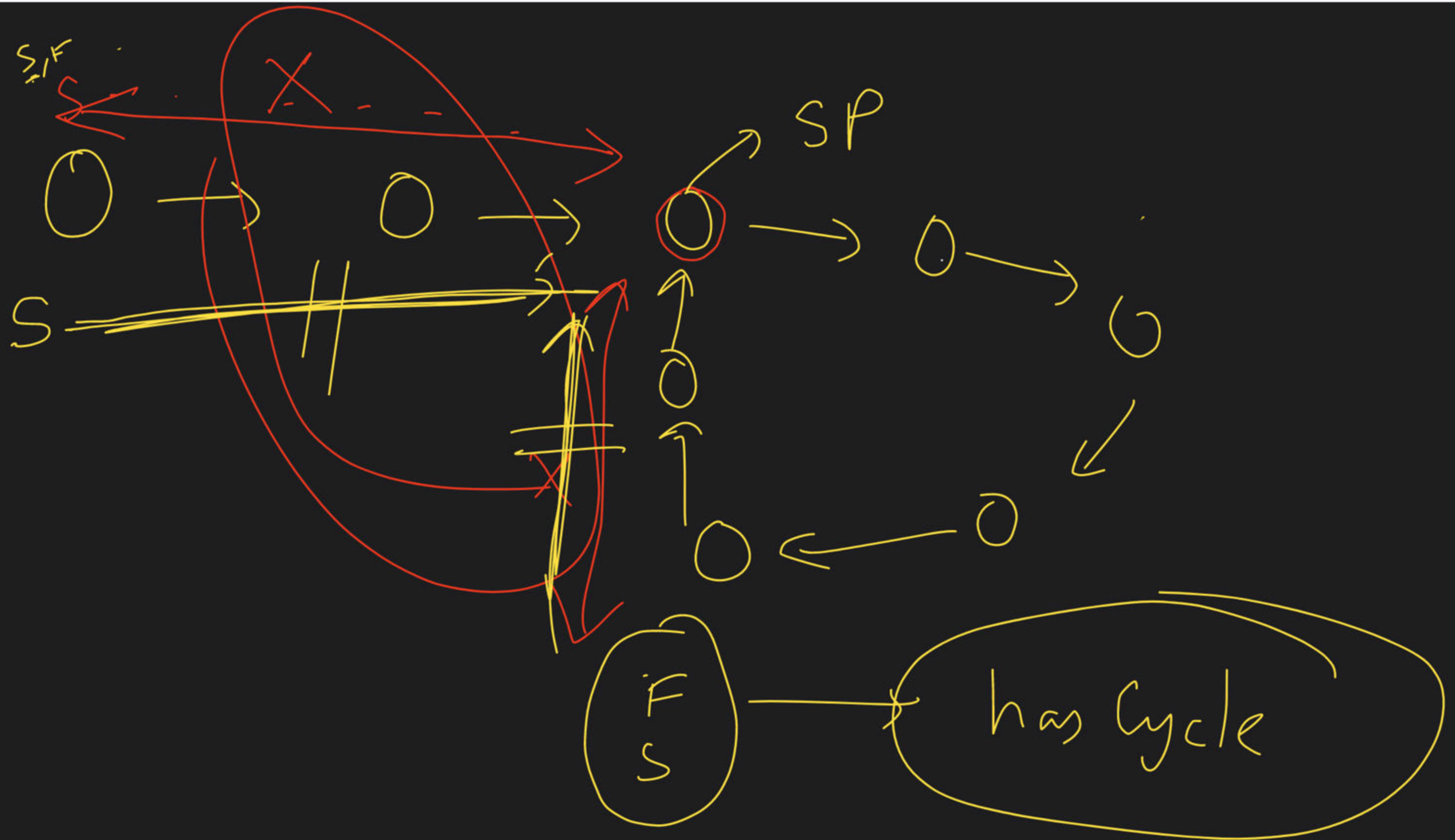
② Put Slow to head  
& move S & F with 1x speed  
Return where they meet.











$t = 0$

A

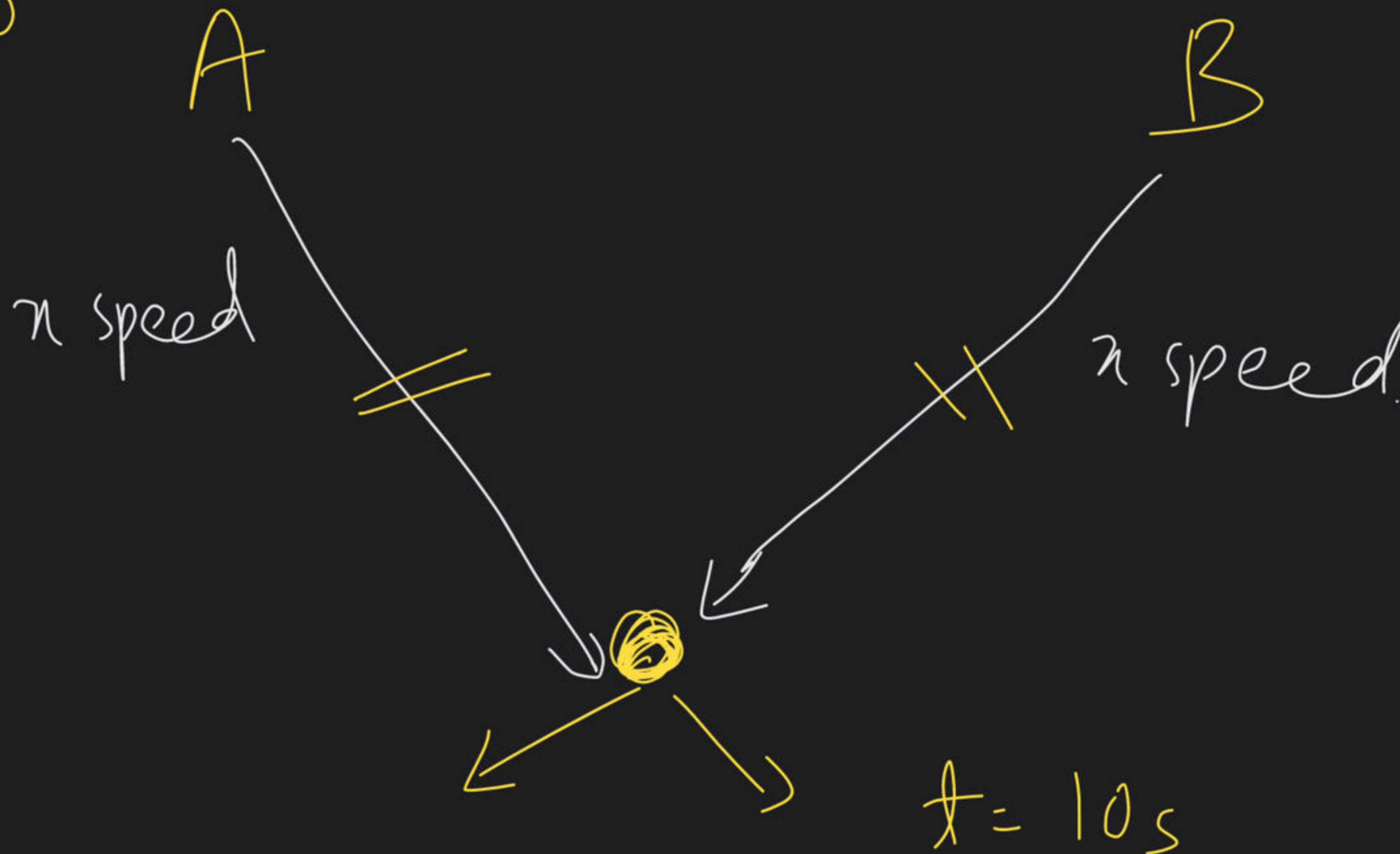
B

$t = 0$

$v$  speed

$v$  speed

$t = 10s$





$S, F$

~~A~~

sp

① has Cycle

✓✓

$A \ni \kappa$

$\kappa$

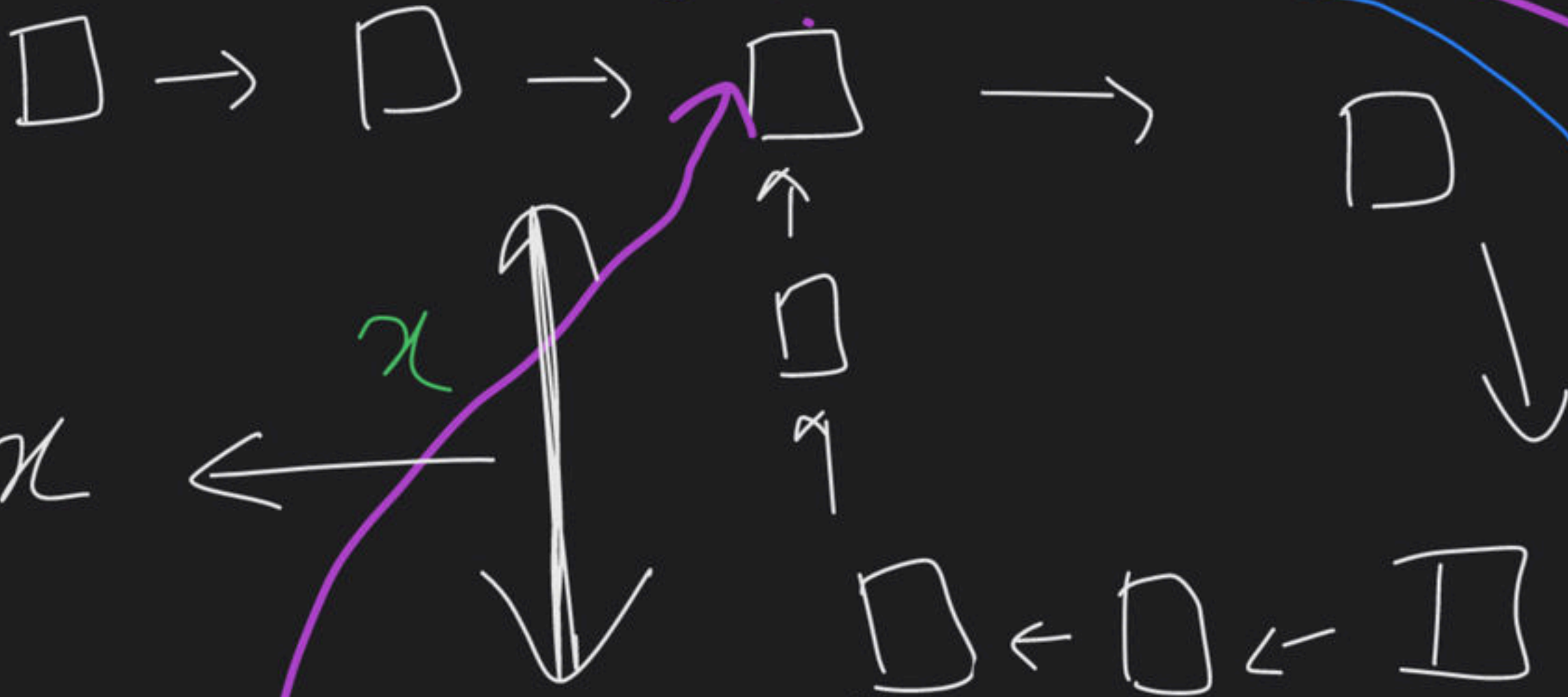
has cycle

$S, F$

B

$B + n = C$

C



$$k_2 < k_1$$

$$\text{Distance Travelled by fast ptr} = 2 \left[ \begin{array}{l} \text{Dis + Tran} \\ \text{By slow ptr} \end{array} \right]$$

$$A + k_1 C + B = 2[A + k_2 C + B]$$

$$A + k_1 C + B = 2A + 2k_2 C + 2B$$

$$(k_1 - k_2) \underbrace{C}_{\substack{\uparrow \\ k}} = A + B$$



$$A + B = \underbrace{k}_{\neq} * C$$

$$A + B = C$$

$$A + B = C$$

$$\Rightarrow B + X = C$$

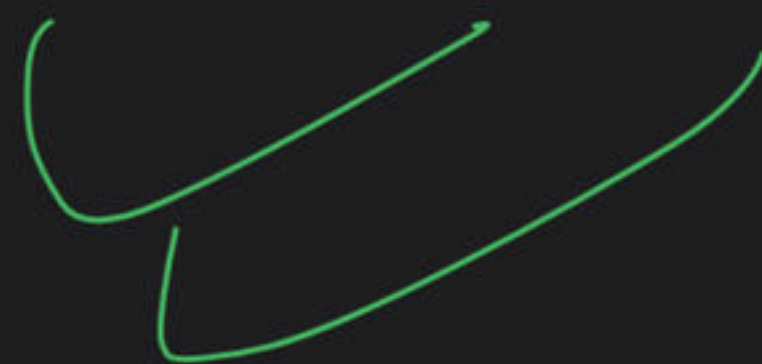
$$^{\text{4}} \textcircled{A} + \cancel{B} = \cancel{B} + \textcircled{X}$$

$$\textcircled{\pi}$$

$$A + B = KC$$

Displacement

$$A + B = C \Rightarrow B + x$$



~~$$A + B = B + x$$~~

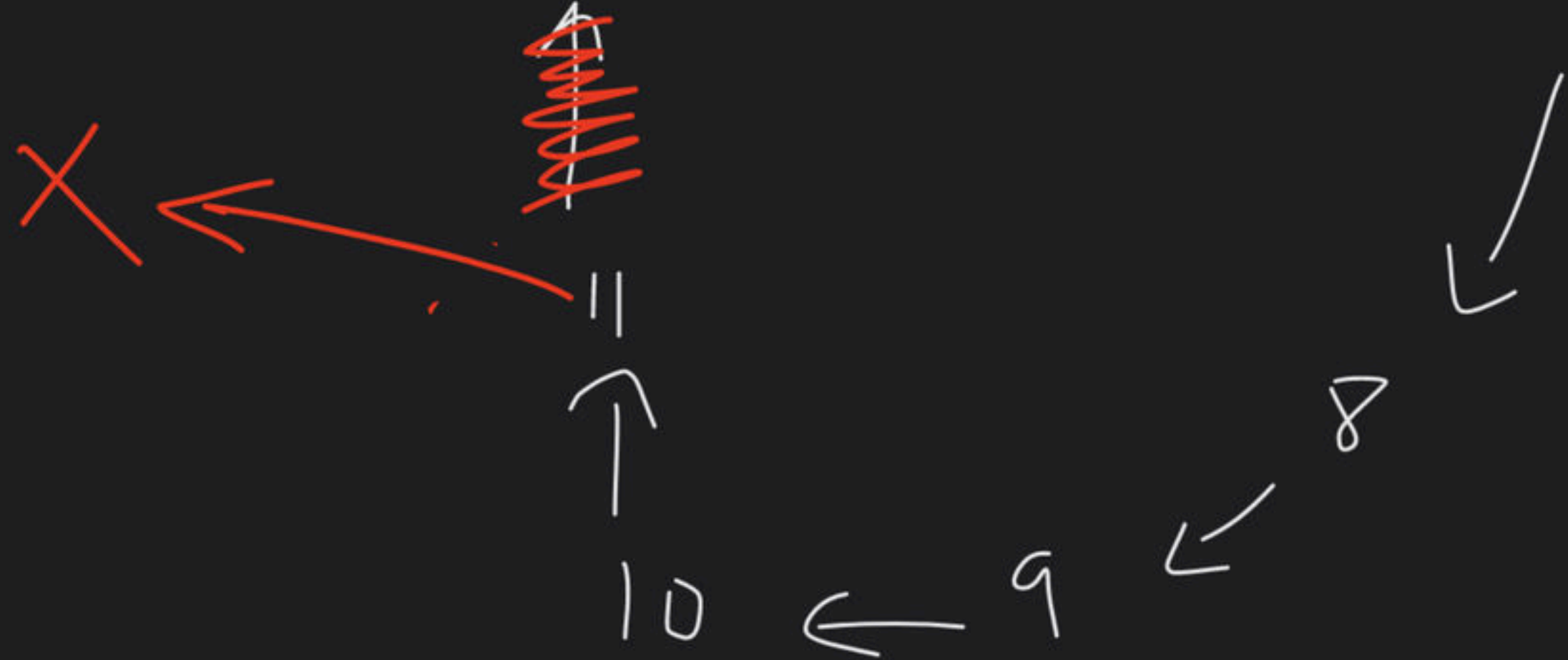
$$A = x$$

proof

# ④ Remove Loop

S, F

1 → 2 → 3 → 4 → 5 → 6 → 7



Prev = ~~1~~ 11

Prev → next = NULL

Break : 4:PM vaps

LC: 725



LL: 725 : Split LL into parts

① LL,  $K \rightarrow$

$\rightarrow$   $K \rightarrow$  diff parts divide.

$1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow x$

$K = 2$

$1 \rightarrow 2 \rightarrow x, 3 \rightarrow 4 \rightarrow x$

$K$ -parts  $\rightarrow$   $\underbrace{\quad}_{k_1}$   $\underbrace{\quad}_{k_2}$   $\underbrace{\quad}_{k_3}$

$$k_1 = k_2, \quad$$



$$\left| \text{len}(k_1) - \text{len}(k_2) \right| \leq 1$$

$1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow \vee$

$$k = 2$$

$[1 \rightarrow 2 \rightarrow 3]$   
3

$[4 \rightarrow]$   
1

$\rightarrow$  (2) X.

$1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow x$

$k = 10$

$[1], [2], [3], [4], [ ], [ ], [ ]$   
 $[ ], [ ], [ ]$



$$\underline{k=3}$$

1 → 2 → 3 → 4 → 5 → 6 → 7 → 8 → 9 → 10 → X

ideal case  $\Rightarrow$  all  $k$  parts have equal no.  
of Elements.

Part Size  $\Rightarrow N/k \Rightarrow 10/3 = 3$

extraNodes

$$N \% k$$

$$10 \% 3 = 1$$

3<sup>+1</sup>

3

3

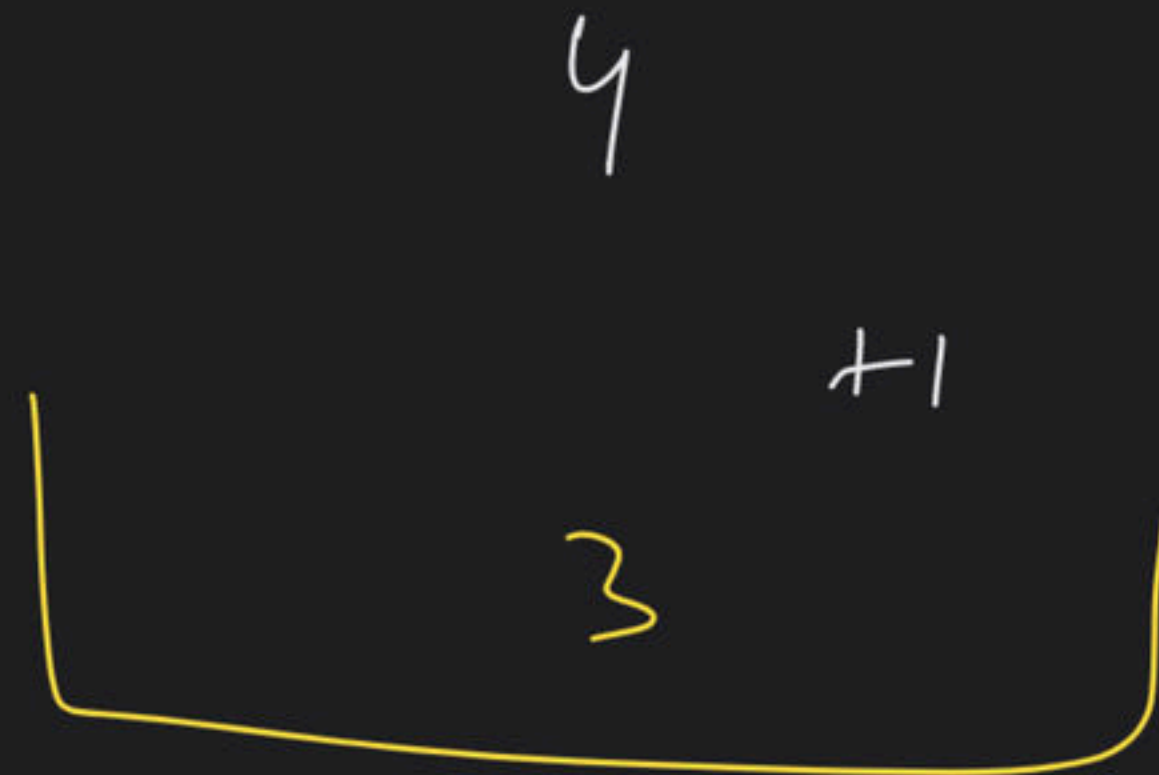
1 → 2 - - - - - 10 → 11 → X

$$K = 3$$

$$N = 11$$

ideal → Part Size =  $11/3 = 3$

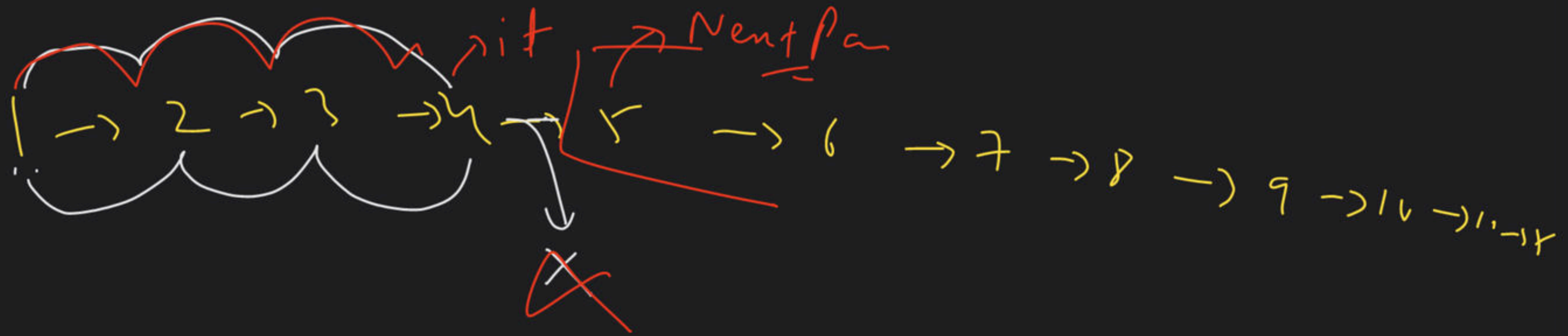
extra Nodes →  $11 \cdot 1/3 = 2$







4



Verkn  
an



ans[i] = it;

$$1 < 3$$



I Bucket  $\rightarrow 4 \rightarrow$

$1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow X$

II " ,  $4 \Rightarrow$

$5 \rightarrow 6 \rightarrow 7 \rightarrow 8 \rightarrow X$

III " 3  $\Rightarrow$

$9 \rightarrow 10 \rightarrow 11 \rightarrow X$

⑤  $LC = 430$  ; Flatten Multilevel

Doubly LL

5 Min : Think & Read  $\Rightarrow$   
4:45 pm