第九次作业

Karry/center>

答: 风险中性概率 p:

$$p = \frac{e^{rT} - d}{u - d} = \frac{e^{0.08 \times \frac{1}{12}} - 0.95}{1.05 - 0.95} = 0.567$$
 因此期权价值为:
$$f = e^{-0.08 \times \frac{1}{12}} \times [p \times 3 + (1 - p) \times 0] = 1.69$$
 即本欧式期权的价值为 1.69

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$$p=\frac{e^{rt}-d}{u-d}=\frac{e^{0.08\times0.5}-0.9}{1.1-0.9}=0.704$$
 因此期权价值为:
$$f=e^{-2\times0.08\times1}\times p^2\times 21=9.61$$
 即本欧式期权的价值为 9.61

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答:因为无风险利率为 4% 股息收益率为 2.5% 所以期望收益率为

$$u=e^{0.18\times\sqrt{\frac{6}{12}}}=1.136\ ;\ d=\frac{1}{u}=0.88$$

$$p=\frac{e^{rT}-d}{u-d}=\frac{e^{0.015\times0.5}-d}{u-d}=0.498$$

$$f=e^{-2\times0.015\times0.5}\times(p^2\times+p\times(1-p)\times+(1-p)^2\times)=78.41$$
 即看時期权的价值为,78.41

$$f = e^{-2 \times 0.015 \times 0.5} \times (p^2 \times +p \times (1-p) \times +(1-p)^2 \times) = 78.41$$