

# Modeling Human Perceptual Decision-Making and Bias

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Disconnected Connectionists (DC)



# Roadmap to Our Project Presentation

- Project Goals
- The Laquitaine & Gardner Dataset



# Goals

## Immediate Goals

- Analyze how past trials affect current motion estimation errors.
- Test whether perceptual biases exist.
- Develop online Bayesian model

## Overall Goals

- Model perceptual decision-making under uncertainty & understanding human perception through experience and feedback



# The Laquittaine & Gardner Dataset

- Motion direction estimation task
- 12 human subjects
- 83,214 behavioral trials
- What you SEE (sensory evidence) vs. What you EXPECT (prior knowledge)
- data01\_direction4priors experiment



# The Laquitaine & Gardner Dataset

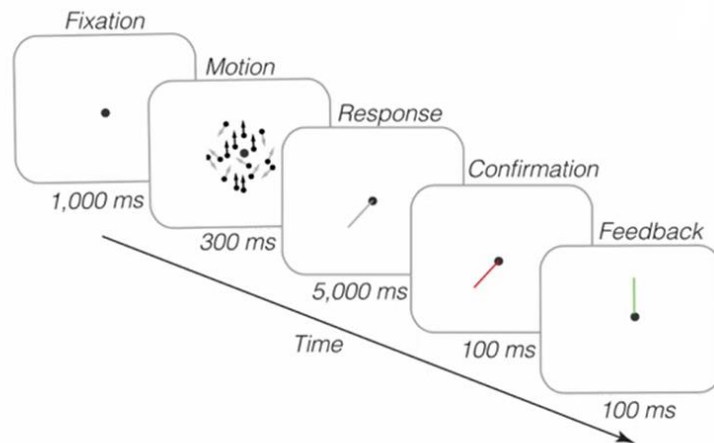
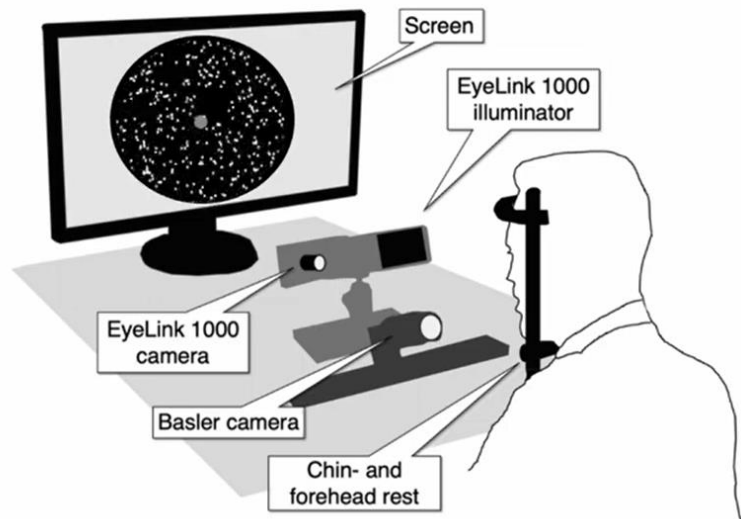
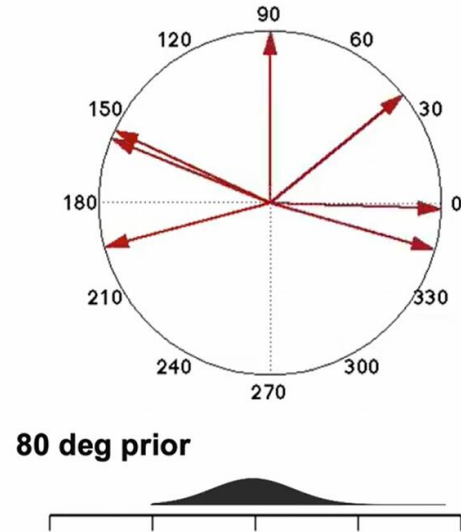
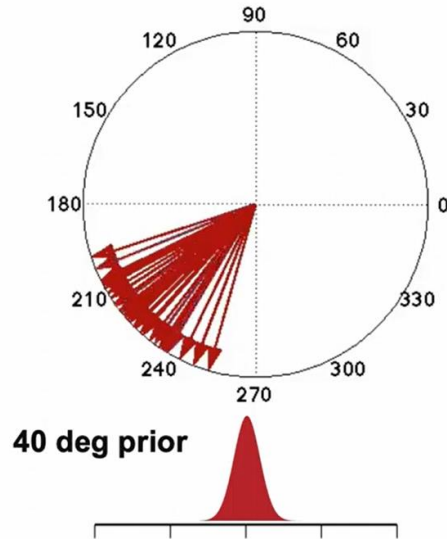


Illustration from Nystrom, et al., Behav Res (2023)  
Laquitaine Presentation, "Projects Dataset: Bayes heuristics"  
<https://www.youtube.com/watch?v=NYzgpUtBhPM>

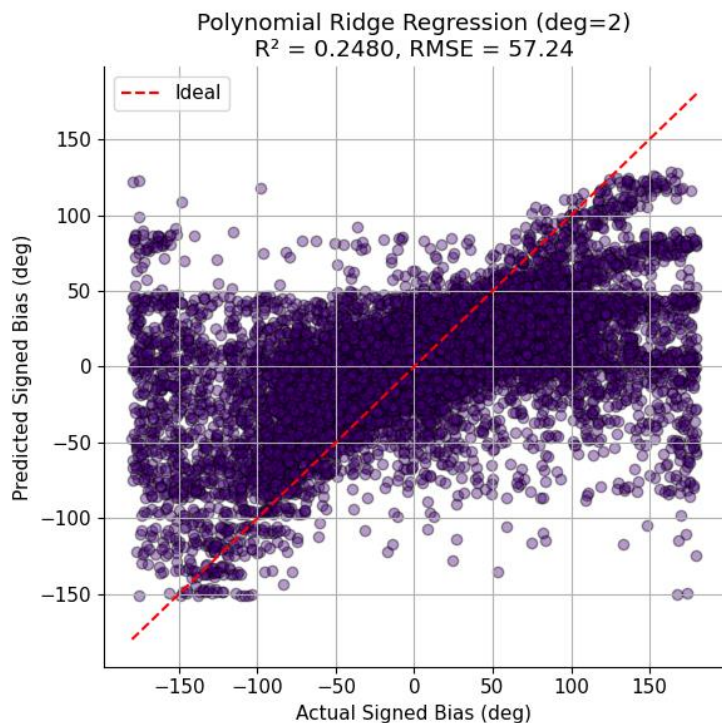


# The Laquitaine & Gardner Dataset



Laquitaine Presentation, "Projects Dataset: Bayes heuristics"  
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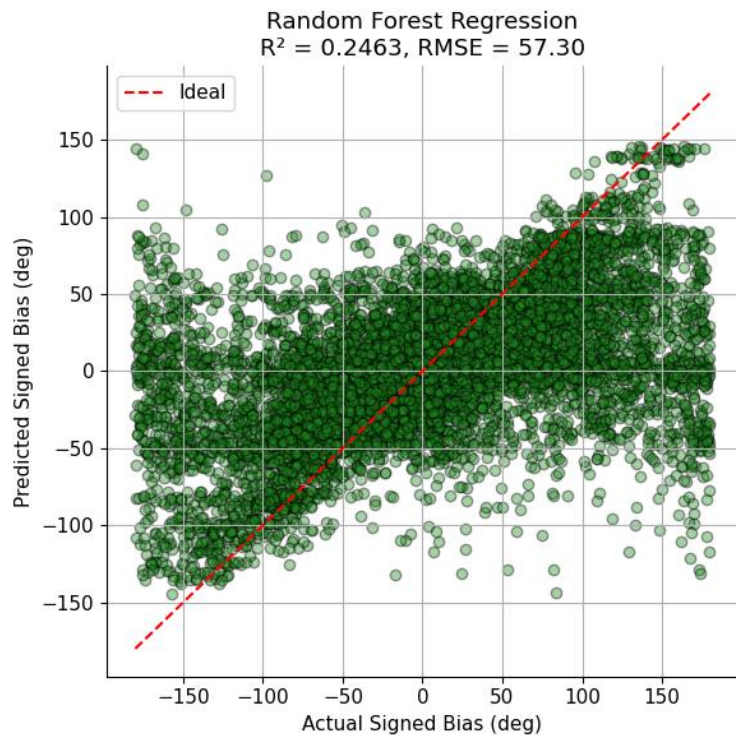




## Predicting Signed Bias from Priors

- Predicting the angular difference between the subject's estimate and the true prior direction.
- A positive value = estimate is clockwise from the prior
- A negative value = estimate is counter-clockwise from the prior





## Predicting Signed Bias from Priors

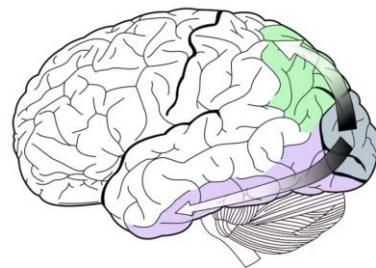
- Both models show moderate predictive performance ( $R^2 \approx 0.25$ )



# Waterfall Illusion in Motion Perception

A repulsive perceptual bias where, after viewing motion in one direction for a while, a static or ambiguous stimulus appears to move in the opposite direction

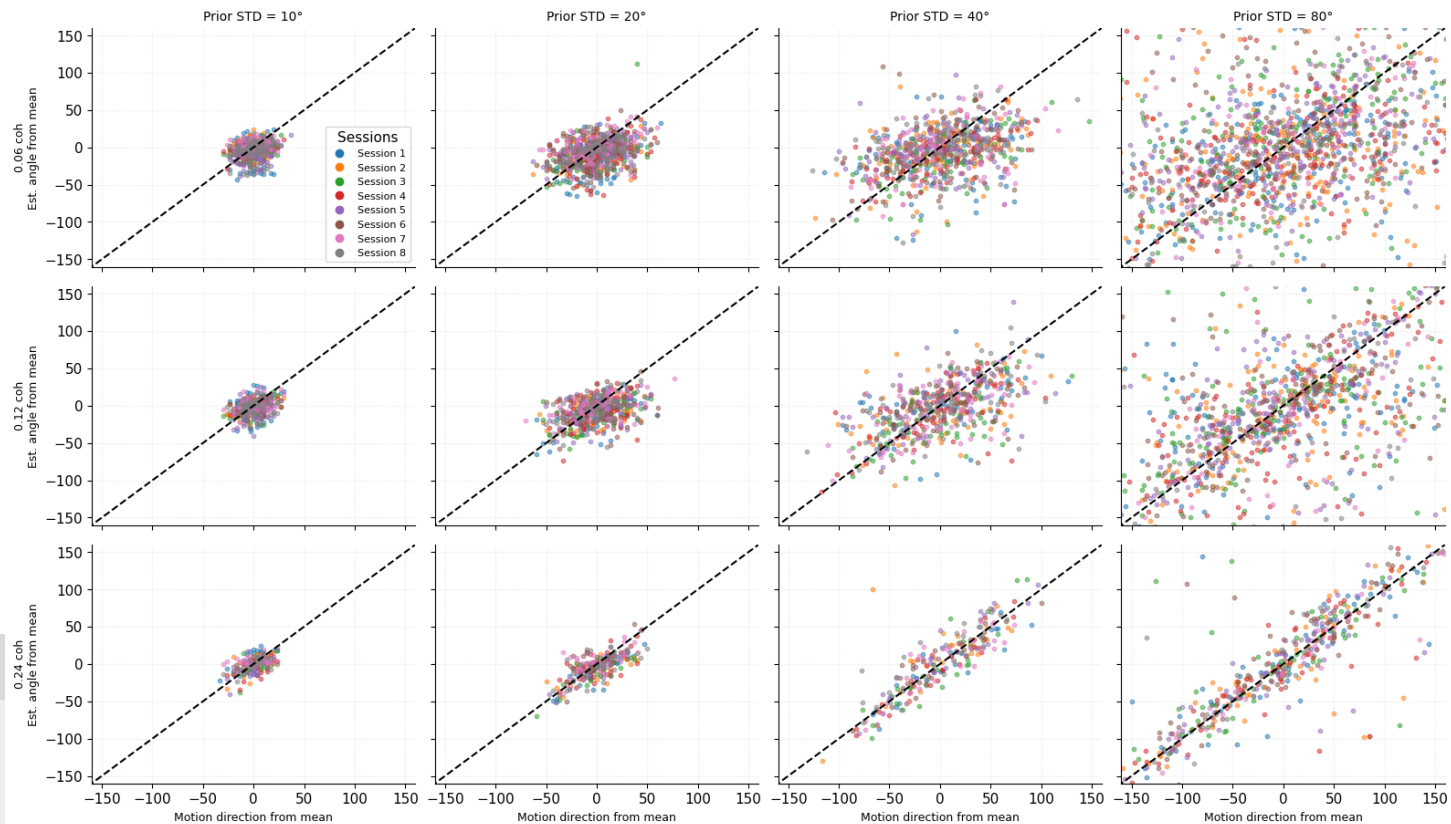
Per-subject analysis of estimation bias, computed as the deviation between the current estimate and stimulus, relative to the circular mean of the previous 3 trials, across varying prior and coherence conditions



## Subject 2

No clear evidence of the waterfall illusion. Estimates align with either the stimulus direction or the prior mean, showing no evidence of repulsion from recent motion history

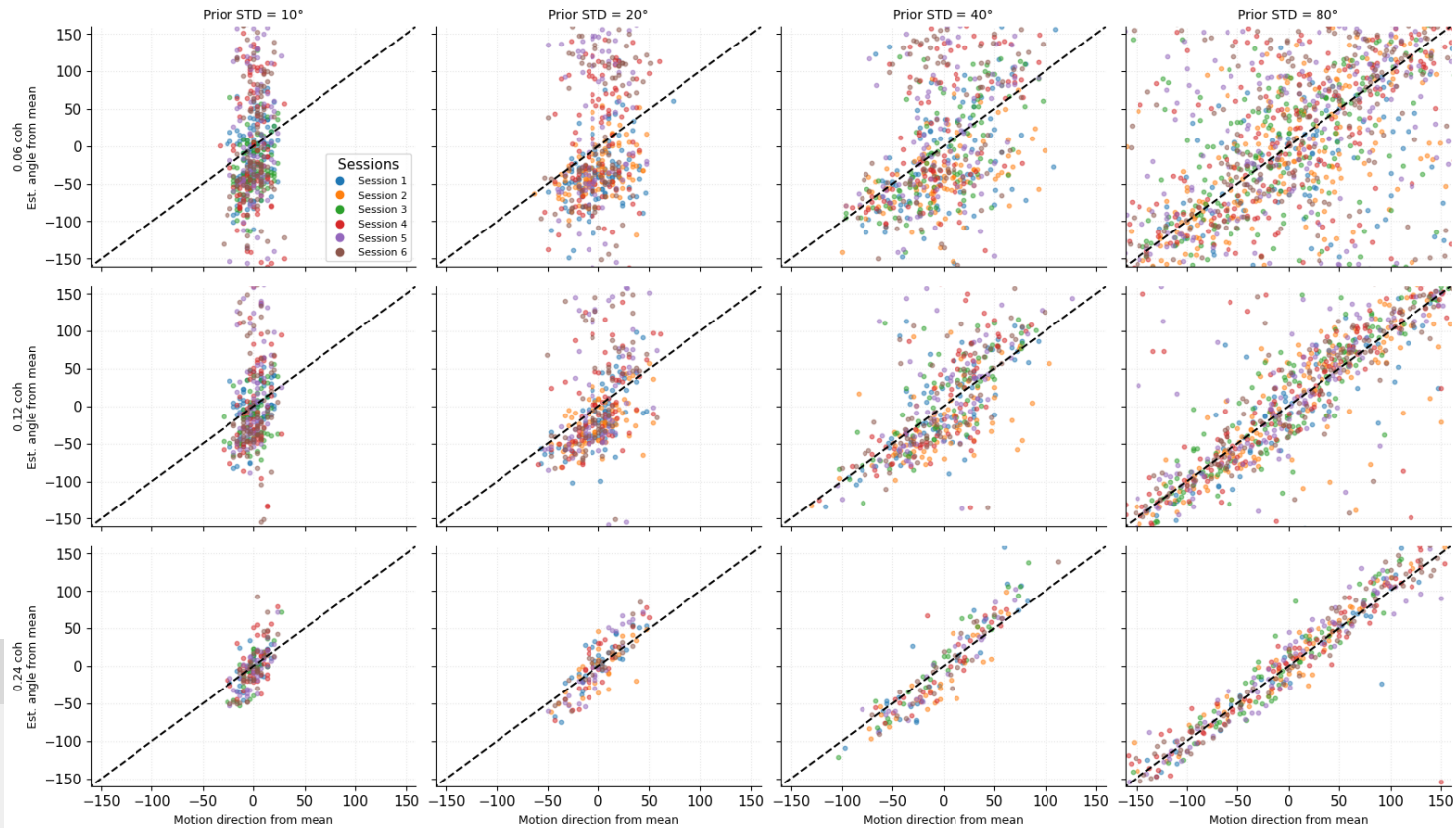
**Waterfall Illusion - Subject 2**



## Subject 5

Evidence of the waterfall illusion, under low coherence and narrow prior conditions

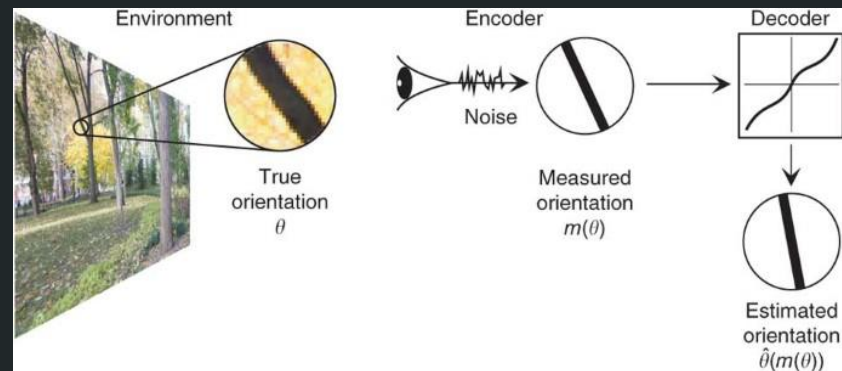
**Waterfall Illusion - Subject 5**



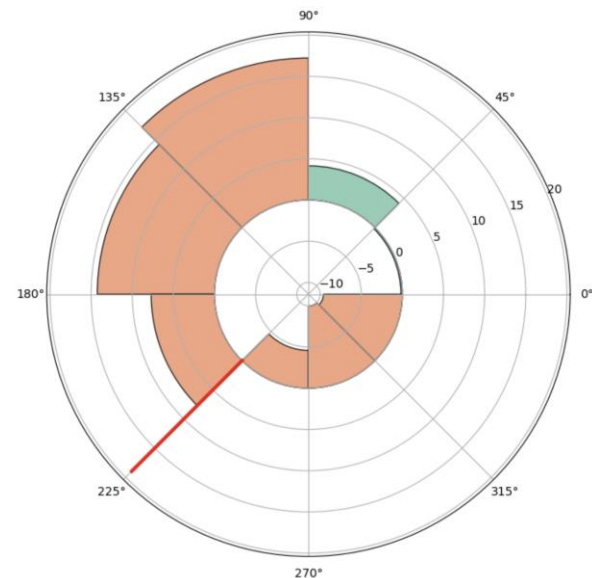
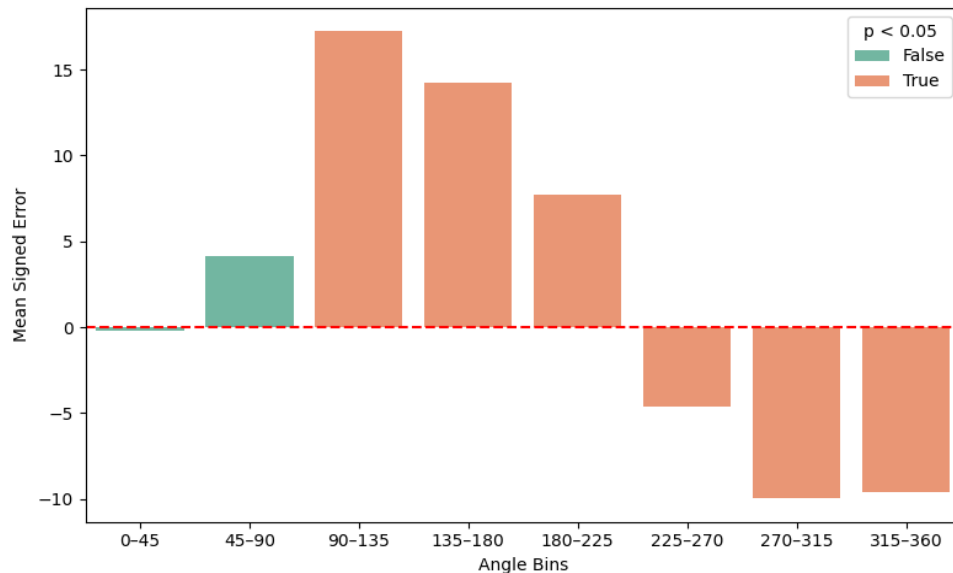
# Cardinal Bias

Perceived orientations are attracted toward the cardinal directions, and repelled from the obliques.

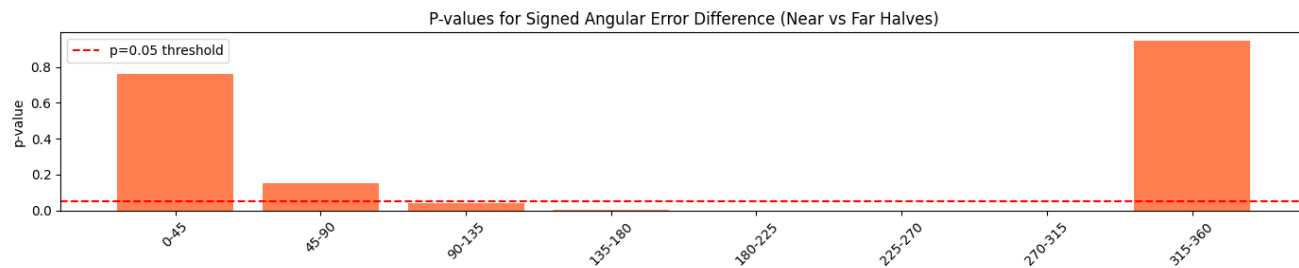
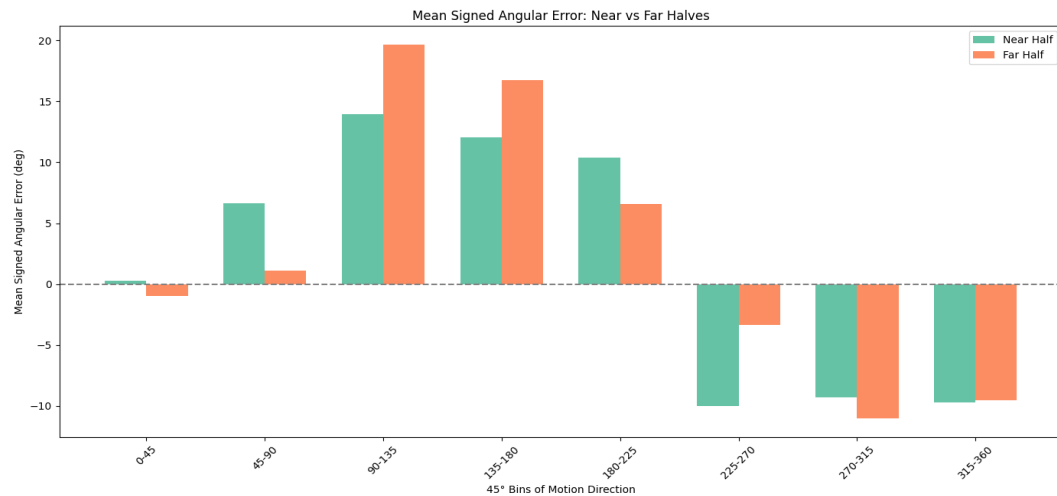
Analyzed through difference between 2 halves for each slice of  $45^\circ$



# Attraction toward 225° prior

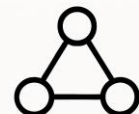


# Half comparison



# Modeling Perceptual Strategy: Bayesian vs. Switching

Which cognitive model best explains how we make decisions under uncertainty?



Integration



Selection

We test two competing theories by simulating "robot players" that try to mimic human behavior:

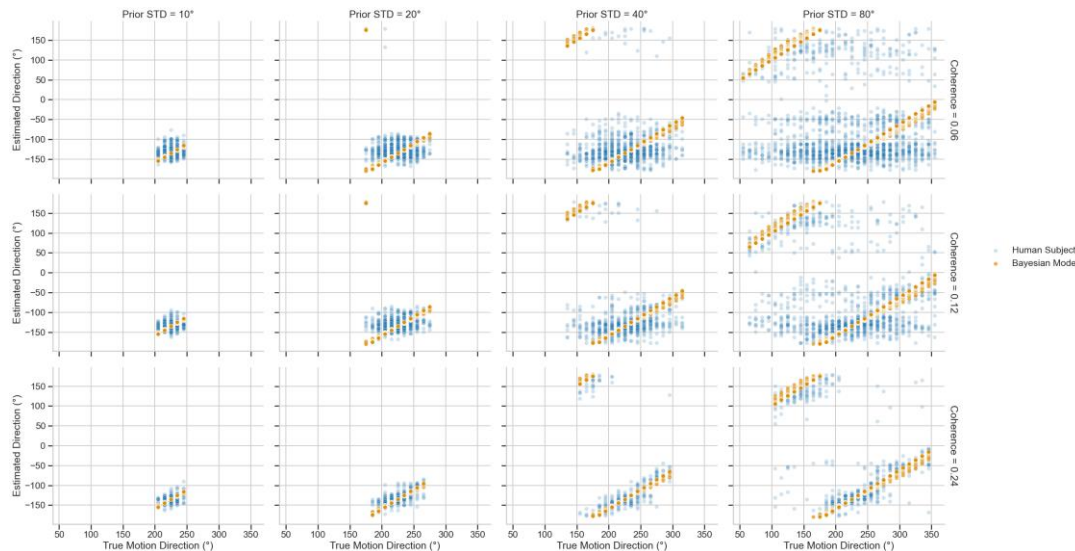
- **The Bayesian Observer:** A "smart statistician" that optimally integrates all information.
- **The Switching Observer:** A "mental shortcut" that chooses one source of information over another.



# A Closer Look at the Bayesian Model

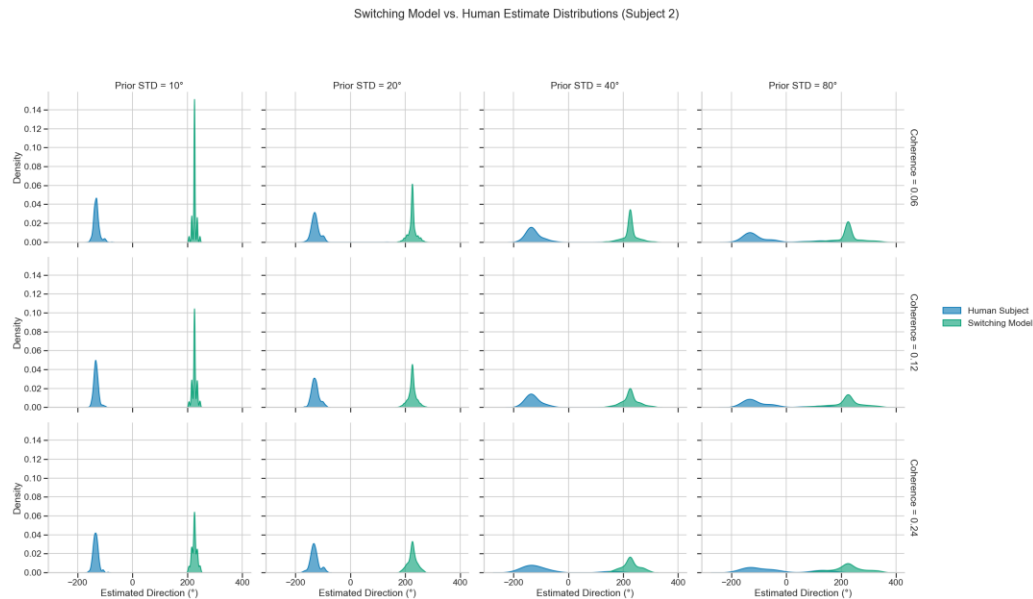
- This model assumes the brain acts like an optimal statistician, combining what it sees (evidence) with what it expects (prior).
- Its prediction is a weighted average of the two, and it learns by updating its confidence on every trial.
- The plot shows the model's predictions (red) overlaid on the human's actual responses (blue) for our most interesting subject.

Online Bayesian Model vs. Human Behavior (Subject 2)



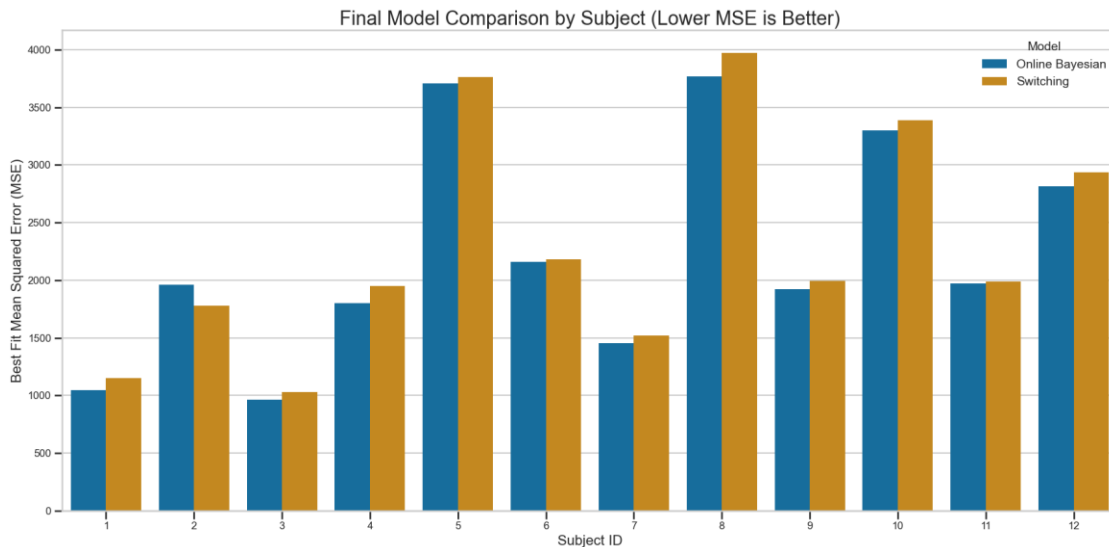
# An Alternative Strategy: The Switching Model

- This model proposes a simpler mental shortcut, or heuristic, instead of complex integration.
- On each trial, it makes a probabilistic choice to report either the sensory evidence or the prior expectation.
- Its key prediction is a two-peaked (bimodal) distribution of answers. The plot compares the shape of the model's predictions (red) to the human's (blue).



# The Verdict: Bayesian Integration is a Better Fit

- We ran a "bake-off," finding the best possible version of each model for all 12 subjects.
- The **Online Bayesian model** consistently explained the human data better (lower error) for the vast majority of subjects.
- However, the results also reveal profound **individual differences**, suggesting that while integration is a better general theory, the specific strategy is highly personal.



# Online Bayesian Model with Kalman Gain

## Model Parameters:

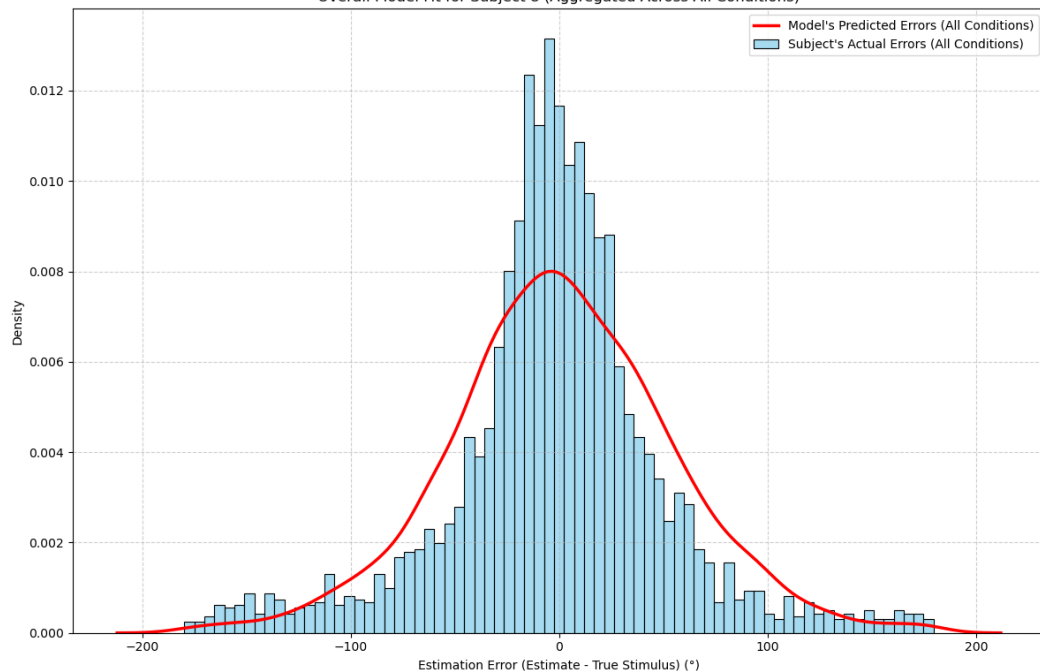
- $K_e$ : Sensory precision (concentration)
- $K_m$ : Motor noise (concentration)
- $Q$ : Process noise variance (how much the prior drifts)
- $R$ : Measurement noise variance (how noisy feedback is)
- $K_p$ : Precision (how much the current prior influences)

## Model's Logic:

- Initializes belief state at the start, with a high uncertainty
- Predicts the state for the current trial by looping through trials, then converts it to  $K_p$
- Combines current belief (prior) with sensory evidence
- Calculates the log-likelihood of the subject's actual response by Von Mises Log Probability Distribution
- Learns from the feedback (true stimulus direction) by calculating Kalman Gain (learning rate for that trial)
- Calculates prediction's circular error and Updates belief state for the next trial



Overall Model Fit for Subject 8 (Aggregated Across All Conditions)



## Model Fitting and Accuracy

- The plot allows for a comparison between the actual errors (blue histogram) and the predicted errors (red curve).
- A good fit would be indicated by the red curve aligning closely with the shape of the blue bars, suggesting that the model's predictions closely match the actual subject's data.
- The actual errors seem to follow a distribution that peaks around zero, indicating that the model has a reasonable accuracy at the point of estimation, though there are outliers or deviations on both sides.
- The model is capturing a general tendency of the errors but might be underestimating the variance, as the actual errors show more spread compared to the model's predictions.

