```
import pandas as pd
import matplotlib.pyplot as plt
import warnings
import numpy as np
warnings.filterwarnings('ignore')
data=pd.read csv("50 Startups.csv")
data.info()
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 50 entries, 0 to 49
Data columns (total 5 columns):
#
     Column
                       Non-Null Count
                                        Dtype
     -----
- - -
                                        ----
 0
     R&D Spend
                       50 non-null
                                        float64
 1
     Administration
                       50 non-null
                                        float64
                                        float64
 2
     Marketing Spend
                       50 non-null
 3
     State
                       50 non-null
                                        obiect
 4
     Profit
                                        float64
                       50 non-null
dtypes: float64(4), object(1)
memory usage: 2.1+ KB
retourne la dimension du matrice (50 lignes,5 colonnes)
data.shape
(50, 5)
retourne une description statistique pour la base de données en se base sur moyen, mean,
quartile ,ecartype
data.describe()
           R&D Spend
                       Administration
                                        Marketing Spend
                                                                  Profit
           50.000000
                                               50.000000
                                                               50.000000
count
                             50.000000
        73721.615600
                        121344.639600
                                           211025.097800
                                                           112012.639200
mean
                                           122290.310726
std
        45902.256482
                         28017.802755
                                                            40306.180338
            0.000000
                         51283.140000
                                                0.000000
                                                            14681.400000
min
25%
        39936.370000
                        103730.875000
                                           129300.132500
                                                            90138.902500
50%
        73051.080000
                        122699.795000
                                           212716.240000
                                                           107978.190000
75%
       101602.800000
                        144842.180000
                                           299469.085000
                                                           139765.977500
       165349.200000
                        182645.560000
                                           471784.100000
                                                           192261.830000
max
data.head()
   R&D Spend
              Administration
                                Marketing Spend
                                                       State
                                                                  Profit
   165349.20
                                      471784.10
                                                    New York
                                                               192261.83
```

443898.53

407934.54

383199.62

366168.42

California

Florida

Florida

New York

191792.06

191050.39

182901.99

166187.94

136897.80

151377.59

101145.55

118671.85

91391.77

0

1

3

162597.70

153441.51

144372.41

142107.34

nombres de valeurs null pour chaque variable dans la base de données

data.isnull().sum()

R&D Spend 0
Administration 0
Marketing Spend 0
State 0
Profit 0
dtype: int64

data.duplicated().sum()#nombres des valeurs redondantes dans la BD data.drop_duplicates(keep=False)#effacer les duplications et laisse une exemplaire si les duplications existe (keep=False)

```
data.duplicated().sum()
data.drop_duplicates(keep=False)
```

	R&D Spend	Administration	Marketing Spend	State	Profit
0	165349.20	136897.80	471784.10	New York	192261.83
1	162597.70	151377.59	443898.53	California	191792.06
2	153441.51	101145.55	407934.54	Florida	191050.39
3	144372.41	118671.85	383199.62	New York	182901.99
4	142107.34	91391.77	366168.42	Florida	166187.94
5	131876.90	99814.71	362861.36	New York	156991.12
6	134615.46	147198.87	127716.82	California	156122.51
7	130298.13	145530.06	323876.68	Florida	155752.60
8	120542.52	148718.95	311613.29	New York	152211.77
9	123334.88	108679.17	304981.62	California	149759.96
10	101913.08	110594.11	229160.95	Florida	146121.95
11	100671.96	91790.61	249744.55	California	144259.40
12	93863.75	127320.38	249839.44	Florida	141585.52
13	91992.39	135495.07	252664.93	California	134307.35
14	119943.24	156547.42	256512.92	Florida	132602.65
15	114523.61	122616.84	261776.23	New York	129917.04
16	78013.11	121597.55	264346.06	California	126992.93
17	94657.16	145077.58	282574.31	New York	125370.37
18	91749.16	114175.79	294919.57	Florida	124266.90
19	86419.70	153514.11	0.00	New York	122776.86
20	76253.86	113867.30	298664.47	California	118474.03
21	78389.47	153773.43	299737.29	New York	111313.02
22	73994.56	122782.75	303319.26	Florida	110352.25
23	67532.53	105751.03	304768.73	Florida	108733.99
24	77044.01	99281.34	140574.81	New York	108552.04
25	64664.71	139553.16	137962.62	California	107404.34
26	75328.87	144135.98	134050.07	Florida	105733.54
27	72107.60	127864.55	353183.81	New York	105008.31
28	66051.52	182645.56	118148.20	Florida	103282.38
29	65605.48	153032.06	107138.38	New York	101004.64
30	61994.48	115641.28	91131.24	Florida	99937.59
31	61136.38	152701.92	88218.23	New York	97483.56

32	63408.86	129219.61	46085.25	California	97427.84
33	55493.95	103057.49	214634.81	Florida	96778.92
34	46426.07	157693.92	210797.67	California	96712.80
35	46014.02	85047.44	205517.64	New York	96479.51
36	28663.76	127056.21	201126.82	Florida	90708.19
37	44069.95	51283.14	197029.42	California	89949.14
38	20229.59	65947.93	185265.10	New York	81229.06
39	38558.51	82982.09	174999.30	California	81005.76
40	28754.33	118546.05	172795.67	California	78239.91
41	27892.92	84710.77	164470.71	Florida	77798.83
42	23640.93	96189.63	148001.11	California	71498.49
43	15505.73	127382.30	35534.17	New York	69758.98
44	22177.74	154806.14	28334.72	California	65200.33
45	1000.23	124153.04	1903.93	New York	64926.08
46	1315.46	115816.21	297114.46	Florida	49490.75
47	0.00	135426.92	0.00	California	42559.73
48	542.05	51743.15	0.00	New York	35673.41
49	0.00	116983.80	45173.06	California	14681.40

print(data.Profit.std())#calcule d'ecart-type print(data.Profit.mean())#calcule de moyenne

```
print(data.Profit.std())
print(data.Profit.mean())
40306.18033765055
112012.63920000002
```

data.skew()

R&D Spend 0.164002 Administration -0.489025 Marketing Spend -0.046472 Profit 0.023291

dtype: float64

facteur d'applatissement , le coefficient kurtosis mesure la degré d'irrégularité d'une distribution."

data.kurtosis()

R&D Spend -0.761465 Administration 0.225071 Marketing Spend -0.671701 Profit -0.063859

dtype: float64

retourne les parametres statistiques de BD, Nous remarquons que les valeurs de la médiane et de la moyenne ne sont pas proches, donc nous ne pouvons pas approximer cette distribution à une gaussienne.

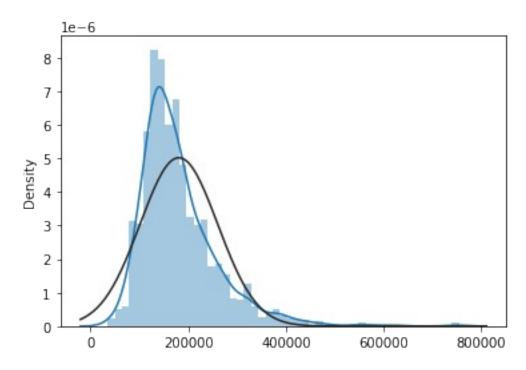
```
dt=pd.read_csv("dataFrame.csv")
dt.describe()
```

	SalePrice
count	1460.000000
mean	180921.195890
std	79442.502883
min	34900.000000
25%	129975.000000
50%	163000.000000
75%	214000.000000
max	755000.000000

Nous affichons la courbe de la distribution de la base de données et nous la comparons avec la distribution normale (fit=norm).

```
import seaborn as sb
from scipy.stats import norm
sb.distplot(dt,fit=norm)
```

<AxesSubplot:ylabel='Density'>



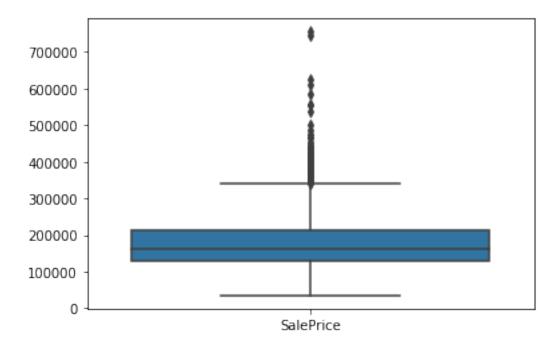
dt.skew()

SalePrice 1.882876

dtype: float64

On remarque l'apparition de plusieurs points abérrantes dans cette distribution sb.boxplot(data=dt)

<AxesSubplot:>

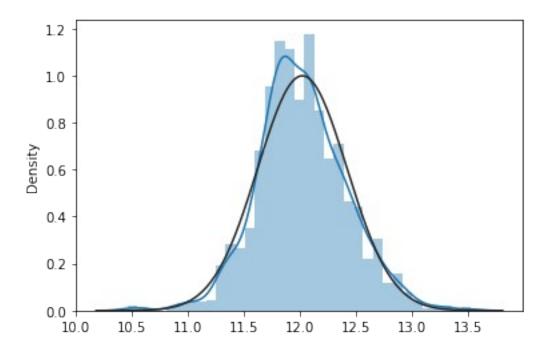


En appliquant la fonction logarithme à la distribution initiale, nous remarquons qu'il y a une amélioration de la courbe de distribution et que nous pouvons l'approcher d'une gaussienne.

data2=np.log(dt)
sb.distplot(data2,fit=norm)
data2.skew()

SalePrice 0.121335

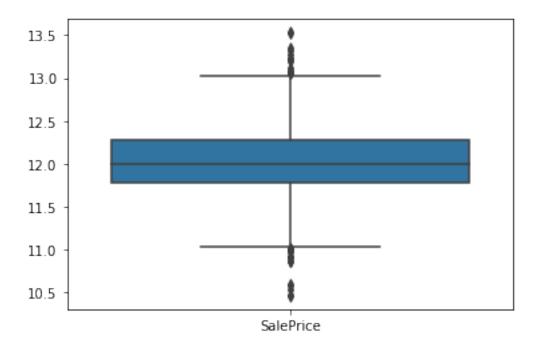
dtype: float64



On peut afficher la boite de moustache d'une seul variable. Cette figure indique les informations suivantes: la ligne inférieure : 1er quantile la ligne supérieure : 3eme quantile la ligne intérieur : 2eme quantile (ou mediane) la ligne inferieur au dessous : minimum limite la ligne superieur au dessus : maximum limite les points dessous minimum limite ou dessus maximum limite : les valeurs aberants On remaeque que la distribution est uniformement distribué et presque symétrique

sb.boxplot(data=data2)

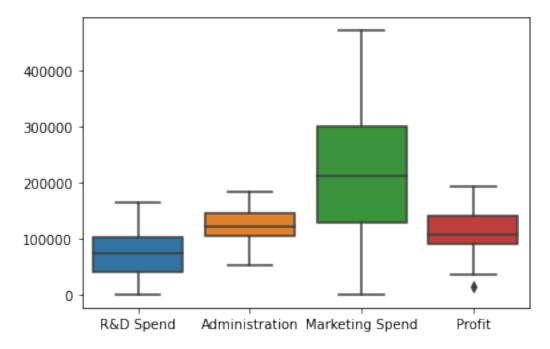
<AxesSubplot:>



La méthode boxplot fournit par la librairie seaborn affiche la boite de moustache pour toutes les variables.

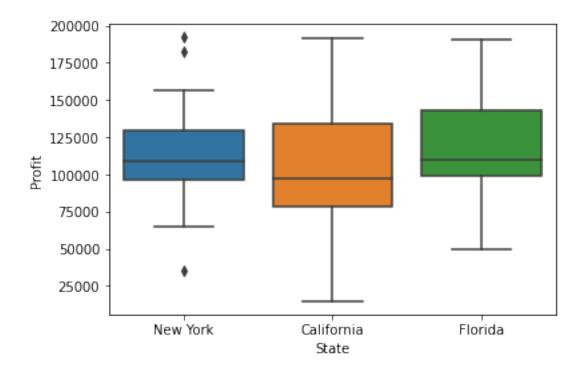
sb.boxplot(data=data)

<AxesSubplot:>



sb.boxplot(y=data.Profit,x=data.State)

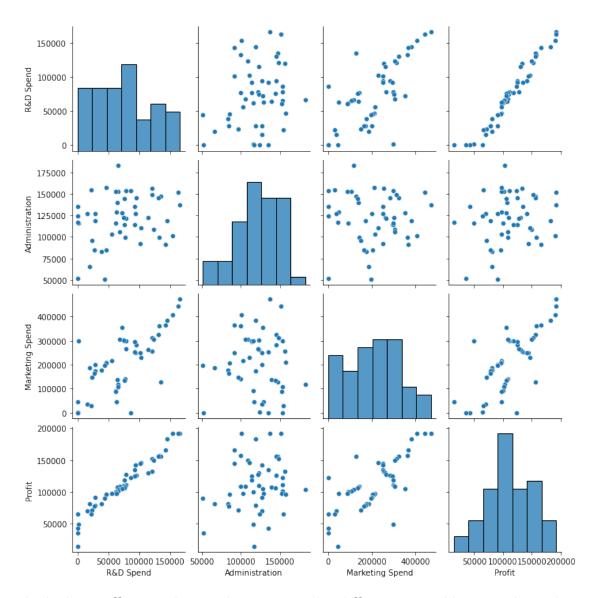
<AxesSubplot:xlabel='State', ylabel='Profit'>



A l'aide de la methode pairplot fournit par seaborn, on peut afficher la nuage des points de chaque couple de variables et des histogrammes dans la diagonale pour visualiser la distribution de chaque variable On remarque une forte correlation entre R&D Spend et Profit

sb.pairplot(data)

<seaborn.axisgrid.PairGrid at 0x1fb68dc9460>



Calcule des coefficients de corrélations entre les differents variables en utilisant la méthode de pearson

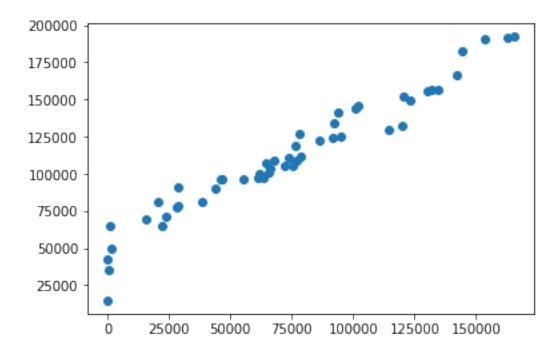
```
c=data.corr(method="pearson")
c
```

	R&D Spend	Administration	Marketing Spend	Profit
R&D Spend	1.000000	0.241955	0.724248	0.972900
Administration	0.241955	1.000000	-0.032154	0.200717
Marketing Spend	0.724248	-0.032154	1.000000	0.747766
Profit	0.972900	0.200717	0.747766	1.000000

On peut afficher le nuage des points à l'aide de la méthode scatter de matplotlib. Cette figure présente le nuage des points de profit en fonction de R&D spend on peut constater qu'il y'a une forte correlation entre les deux variables profit et r&d spend.

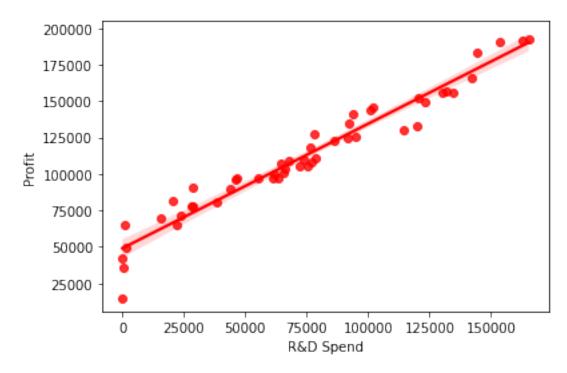
```
plt.scatter(x=data["R&D Spend"],y=data["Profit"])
```

<matplotlib.collections.PathCollection at 0x1fb698323d0>

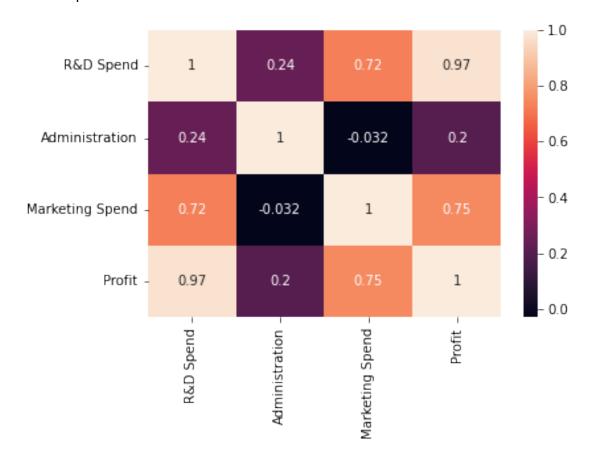


A l'aide de la méthode regplot fournit par la librarie seaborn,on peut afficher la nuage des point entre deux variables . Cette méthode est utilisée pour tracer les données et la courbe d'ajustement d'une régression linéaire

sb.regplot(x=data["R&D Spend"],y=data["Profit"],color="red")
<AxesSubplot:xlabel='R&D Spend', ylabel='Profit'>



sb.heatmap(c,annot=True)#R&D spend et Profit sont fortement correlé <AxesSubplot:>



Préparation des parametres d'entrées

x=data.iloc[:,:-1]
print(x)

	R&D Spend	Administration	Marketing Spend	State
0	165349.20	136897.80	471784.10	New York
1	162597.70	151377.59	443898.53	California
2	153441.51	101145.55	407934.54	Florida
3	144372.41	118671.85	383199.62	New York
4	142107.34	91391.77	366168.42	Florida
5	131876.90	99814.71	362861.36	New York
6	134615.46	147198.87	127716.82	California
7	130298.13	145530.06	323876.68	Florida
8	120542.52	148718.95	311613.29	New York
9	123334.88	108679.17	304981.62	California
10	101913.08	110594.11	229160.95	Florida
11	100671.96	91790.61	249744.55	California
12	93863.75	127320.38	249839.44	Florida
13	91992.39	135495.07	252664.93	California
14	119943.24	156547.42	256512.92	Florida

15	114523.61	122616.84	261776.23	New York
16	78013.11	121597.55	264346.06	California
17	94657.16	145077.58	282574.31	New York
18	91749.16	114175.79	294919.57	Florida
19	86419.70	153514.11	0.00	New York
20	76253.86	113867.30	298664.47	California
21	78389.47	153773.43	299737.29	New York
22	73994.56	122782.75	303319.26	Florida
23	67532.53	105751.03	304768.73	Florida
24	77044.01	99281.34	140574.81	New York
25	64664.71	139553.16	137962.62	California
26	75328.87	144135.98	134050.07	Florida
27	72107.60	127864.55	353183.81	New York
28	66051.52	182645.56	118148.20	Florida
29	65605.48	153032.06	107138.38	New York
30	61994.48	115641.28	91131.24	Florida
31	61136.38	152701.92	88218.23	New York
32	63408.86	129219.61	46085.25	California
33	55493.95	103057.49	214634.81	Florida
34	46426.07	157693.92	210797.67	California
35	46014.02	85047.44	205517.64	New York
36	28663.76	127056.21	201126.82	Florida
37	44069.95	51283.14	197029.42	California
38	20229.59	65947.93	185265.10	New York
39	38558.51	82982.09	174999.30	California
40	28754.33	118546.05	172795.67	California
41	27892.92	84710.77	164470.71	Florida
42	23640.93	96189.63	148001.11	California
43	15505.73	127382.30	35534.17	New York
44	22177.74	154806.14	28334.72	California
45	1000.23	124153.04	1903.93	New York
46	1315.46	115816.21	297114.46	Florida
47	0.00	135426.92	0.00	California
48	542.05	51743.15	0.00	New York
49	0.00	116983.80	45173.06	California
	5.50	110303.00	131,3100	CGCITTOTHIC

Préparation de la sortie Y

y=data.iloc[:,-1]
print(y)

```
0
      192261.83
1
      191792.06
2
      191050.39
3
      182901.99
4
      166187.94
5
6
      156991.12
      156122.51
7
      155752.60
8
      152211.77
9
      149759.96
```

```
10
      146121.95
11
      144259.40
12
      141585.52
13
      134307.35
14
      132602.65
15
      129917.04
16
      126992.93
17
      125370.37
18
      124266.90
19
      122776.86
20
      118474.03
21
      111313.02
22
      110352.25
23
      108733.99
24
      108552.04
25
      107404.34
26
      105733.54
27
      105008.31
28
      103282.38
29
      101004.64
30
       99937.59
31
       97483.56
32
       97427.84
33
       96778.92
34
       96712.80
35
       96479.51
36
       90708.19
37
       89949.14
38
       81229.06
39
       81005.76
40
       78239.91
       77798.83
41
42
       71498.49
43
       69758.98
44
       65200.33
45
       64926.08
46
       49490.75
47
       42559.73
48
       35673.41
49
       14681.40
Name: Profit, dtype: float64
```

get_dummies permet la convertion de la colonnes state de valeur non ordinal a des colonnes de valeurs binaire . Le parametre drop_first efface la 1ere colonne transformé car la machine peut conclure les valeurs du 1ere colonne à l'aide des autres colonnes

```
x=pd.get_dummies(x,drop_first=True)
print(x)
```

R&D Spend Administration Marketing Spend State_Florida State_New York

0 1	165349.20	136897.80	471784.10	Θ
1	162597.70	151377.59	443898.53	Θ
0 2	153441.51	101145.55	407934.54	1
0 3 1	144372.41	118671.85	383199.62	0
4	142107.34	91391.77	366168.42	1
0 5 1	131876.90	99814.71	362861.36	0
6	134615.46	147198.87	127716.82	0
0 7 0	130298.13	145530.06	323876.68	1
8 1	120542.52	148718.95	311613.29	0
9	123334.88	108679.17	304981.62	0
10 0	101913.08	110594.11	229160.95	1
11 0	100671.96	91790.61	249744.55	0
	93863.75	127320.38	249839.44	1
	91992.39	135495.07	252664.93	0
14 0	119943.24	156547.42	256512.92	1
15 1	114523.61	122616.84	261776.23	0
	78013.11	121597.55	264346.06	0
17 1	94657.16	145077.58	282574.31	0
	91749.16	114175.79	294919.57	1
	86419.70	153514.11	0.00	0
20 0	76253.86	113867.30	298664.47	0
21 1	78389.47	153773.43	299737.29	0
22 0	73994.56	122782.75	303319.26	1
23 0	67532.53	105751.03	304768.73	1
	77044.01	99281.34	140574.81	0

25 0	64664.71	139553.16	137962.62	0
26	75328.87	144135.98	134050.07	1
0 27 1	72107.60	127864.55	353183.81	0
28 0	66051.52	182645.56	118148.20	1
29 1	65605.48	153032.06	107138.38	0
30 0	61994.48	115641.28	91131.24	1
31 1	61136.38	152701.92	88218.23	0
32 0	63408.86	129219.61	46085.25	0
33 0	55493.95	103057.49	214634.81	1
34 0	46426.07	157693.92	210797.67	0
35 1	46014.02	85047.44	205517.64	0
36 0	28663.76	127056.21	201126.82	1
37 0	44069.95	51283.14	197029.42	0
38 1	20229.59	65947.93	185265.10	0
39 0	38558.51	82982.09	174999.30	0
40 0	28754.33	118546.05	172795.67	0
41 0	27892.92	84710.77	164470.71	1
42 0	23640.93	96189.63	148001.11	0
43 1	15505.73	127382.30	35534.17	0
44 0	22177.74	154806.14	28334.72	0
45 1	1000.23	124153.04	1903.93	0
46 0	1315.46	115816.21	297114.46	1
47 0	0.00	135426.92	0.00	0
48 1	542.05	51743.15	0.00	0
49 0	0.00	116983.80	45173.06	0

Préparation des parties train et test 20% partie test 80% partie train random_state=0 pour choisir la 1ere choix

```
from sklearn.model_selection import train_test_split
x_train, x_test, y_train, y_test = train_test_split(x,
y,random_state=0, test_size=0.2)
```

En remarquant le grand décalage des valeurs entre les 3 premières colonnes et les valeurs des colonnes (State_Florida et State_NewYork : valeur entre 0 et 1), nous avons utilisé la méthode StandarScaler qui permet de normaliser toutes les valeurs de la base de données entre 0 et 1.Nous faisons ce traitement pour éviter la dominance d'une variable sur une autre

```
from sklearn.preprocessing import StandardScaler
sc=StandardScaler()
sc.fit(x_train.iloc[:,:-2])
x_train.iloc[:,:-2]=sc.transform(x_train.iloc[:,:-2])
x_train
```

			Marketing Spend	State_Florida
Sta	te_New York			
33 0	-0.350065	-0.785471	0.101197	1
35	-0.555303	-1.481174	0.027350	0
1 26 0	0.079358	0.801334	-0.551521	1
34 0	-0.546382	1.325058	0.070117	Θ
18 0	0.434854	-0.355987	0.751485	1
7 0	1.269431	0.855185	0.986031	1
14 0	1.045250	1.280770	0.440400	1
45 1	-1.529843	0.029421	-1.621875	0
48 1	-1.539763	-2.767673	-1.637297	0
29 1	-0.131152	1.144977	-0.769500	0
15 1	0.927916	-0.029921	0.483032	0
30 0	-0.209329	-0.299377	-0.899154	1
32 0	-0.178708	0.225135	-1.264016	0
16 0	0.137471	-0.069294	0.503847	0
42	-1.039676	-1.050767	-0.438521	0

0				
20 0	0.099383	-0.367903	0.781818	0
43	-1.215802	0.154162	-1.349478	Θ
1 8 1	1.058224	0.978368	0.886701	0
13	0.440120	0.467547	0.409232	0
0 25	-0.151519	0.624306	-0.519831	0
0 5	1.303611	-0.910735	1.301798	0
1 17	0.497811	0.837707	0.651491	0
1 40	-0.928972	-0.187170	-0.237691	0
0 49	-1.551498	-0.247517	-1.271405	0
0 1	1.968711	1.081067	1.958181	0
0 12	0.480634	0.151771	0.386346	1
0 37 0	-0.597392	-2.785442	-0.041403	0
24 1	0.116490	-0.931339	-0.498672	0
6	1.362901	0.919649	-0.602819	Θ
23 0	-0.089432	-0.681423	0.831261	1
36 0	-0.930933	0.141566	-0.008215	1
21 1	0.145619	1.173615	0.790508	Θ
19 1	0.319472	1.163598	-1.637297	Θ
9	1.118678	-0.568313	0.832985	Θ
39	-0.716714	-1.560956	-0.219842	0
0 46	-1.523018	-0.292619	0.769263	1
0 3 1	1.574137	-0.182310	1.466534	Θ
0 1	2.028280	0.521733	2.184048	0
47 0	-1.551498	0.464915	-1.637297	Θ
U				

44 0	-1.071354	1.213507	-1.407792	0
	est.iloc[:, nt(x_test)	:-2]=sc.transfor	m(x_test.iloc[:,:	-2])
C+>			Marketing Spend	State_Florida
28 0	te_New York -0.121495	2.288905	-0.680323	1
11 0	0.628031	-1.220695	0.385578	0
10 0	0.654901	-0.494342	0.218855	1
41 0	-0.947621	-1.494179	-0.305121	1
2	1.770481	-0.859327	1.666881	1
27 1	0.009618	0.172791	1.223412	0
38 1	-1.113531	-2.218962	-0.136691	0
31 1	-0.227907	1.132224	-0.922749	0
22	0.050470	-0.023512	0.819521	1
0 4 0	1.525099	-1.236102	1.328585	1

Créer un modéle lineaire à l'aide de la classe LinearRegression fournit par sklearn. le coefficient R (score)=0.95, donc le modèle est acceptable

```
from sklearn.linear model import LinearRegression
lr=LinearRegression()
lr.fit(x_train,y_train)
lr.score(x train,y train)
```

0.9501847627493607

la valeur de l'intercept β 0 Les valeurs des paramètres des vaiables $(X1,X2,X3,X4,X5) = > (\beta 1,\beta 2,\beta 3,\beta 4,\beta 5)$

```
print(f"intercept: {lr.intercept }")
print(f"slope: {lr.coef_}")
intercept: 109441.48912163253
                        851.30163448 4519.88277698 -959.28416006
slope: [35726.28774249
   699.36905252]
```

afficher les valeurs de R-squared et mean squared error

```
from sklearn.metrics import r2_score,mean_squared_error
y_pred=lr.predict(x_test)
print(r2_score(y_pred,y_test))
# y_predm
print(mean_squared_error(y_pred,y_test))
0.929374920931811
83502864.03257751
```