Reduce the following Boolean expressions to the indicated number of literals:

(a) A'C'+ ABC + AC'	to three literals
(b) $(x'y' + z)' + z + xy + wz$	to three literals
(c) $A'B(D' + CD) + B(A + A'CD)$	to one literal
(d) $(A' + C) (A' + C') (A + B + C'D)$	to four literals
(e) ABC'D + A'BD + ABCD	to two literals

Draw the logic diagrams that implement the original and simplified expressions

- List the truth table of the function:
  - 1. F = xy + xy' + yz'
  - 2. F = bc + a'c'
- We can perform logical operations on strings of bits by considering each pair of corresponding bits separately (called bitwise operation). Given two eight-bit strings A = 10110001 and B = 10101100, evaluate the eight-bit result after the following logical operations:
  - (a) AND (b) OR (c) XOR (d) NOT *A* (e) NOT *B*

Implement the Boolean function

$$F = xy + x'y' + y'z$$

- (a) With AND, OR, and inverter gates
- (b) With OR and inverter gates
- (c) With AND and inverter gates
- (d) With NAND and inverter gates
- (e) With NOR and inverter gates

 Express the following function as a sum of minterms and as a product of maxterms:

$$F(A, B, C, D) = B'D + A'D + BD$$

- Express the complement of the following functions in sum-of-minterms form:
  - (a)  $F(A,B,C,D) = \Sigma(2,4,7,10,12,14)$
  - (b)  $F(x, y, z) = \Pi(3, 5, 7)$
- Convert each of the following to the other canonical form:
  - (a)  $F(x, y, z) = \Sigma(1, 3, 5)$
  - (b)  $F(A, B, C, D) = \Pi(3, 5, 8, 11)$

- Convert each of the following expressions into sum of products and product of sums:
  - (a) (u + xw)(x + u'v)
  - (b) x' + x(x + y')(y + z')
- Draw the logic diagram corresponding to the following Boolean expressions without simplifying them:
  - (a) BC' + AB + ACD
  - (b) (A + B)(C + D)(A' + B + D)
  - (c) (AB + A' B')(CD + C' D)
  - (d) A + CD + (A + D')(C' + D)