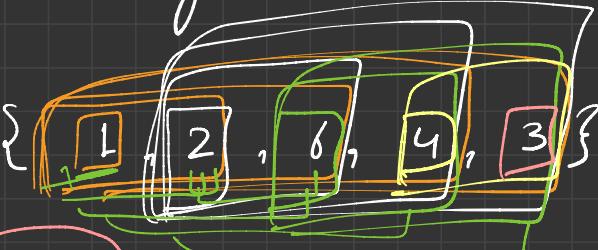



Heaps

→ K^{th} Largest sum Subarray

i/p →

o/p →



k^{th} largest subarray sum

ans

$$\{1\} \rightarrow 1$$

$$\{1, 2\} \rightarrow 3$$

$$\{1, 2, 3\} \rightarrow 6$$

$$\{1, 2, 2, 4\} \rightarrow 10$$

$$\{1, 2, 3, 4, 5\} \rightarrow 15$$

approach



for ($i = 0, < n$)

\hat{a}

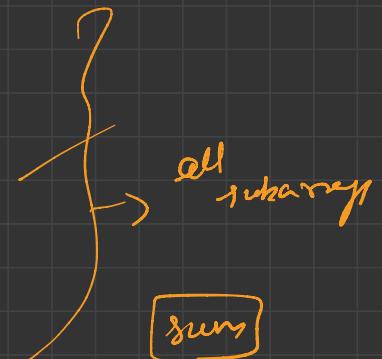
 for ($j = i ; j < n ; j++$)

(1)

{

}

vector<int> sum



$O(n^2)$

$\leftarrow \approx \log n$

sort $\rightarrow T.C \rightarrow (L \log(L)) \xrightarrow{\textcircled{I}} \underline{n^2 \log n}$



$\leftarrow K_m$

$\approx \textcircled{III}$

$$T.C \rightarrow \underline{O(n^2 \log n)}$$

$$S.C \rightarrow \underline{O(n^2)}$$

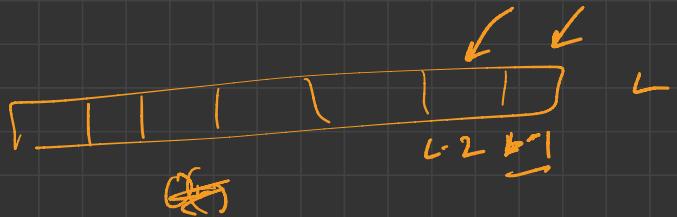


$I^{st} \rightarrow L-1 \rightarrow \text{size}$

$2^n / L-L$

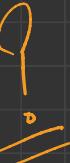
$P^{st} \rightarrow L-K -$

~~K^m (largest) $\rightarrow \underline{\underline{O(K)}}$~~
Approach #2
~~(Min-Heap) $\underline{\underline{O(n^4) \alpha}}$~~



L^{th} (row)
 $L^{th} \rightarrow L-1$
 $2^{th} \rightarrow L-2$
 $K^{th} \rightarrow L = K$

~~min-heap~~
 \rightarrow For ($i = 0 < n$)
 {
 for ($j = i + 1, j < n$)
 {
 sum =
 $\rightarrow \underline{\underline{O(K)}}$

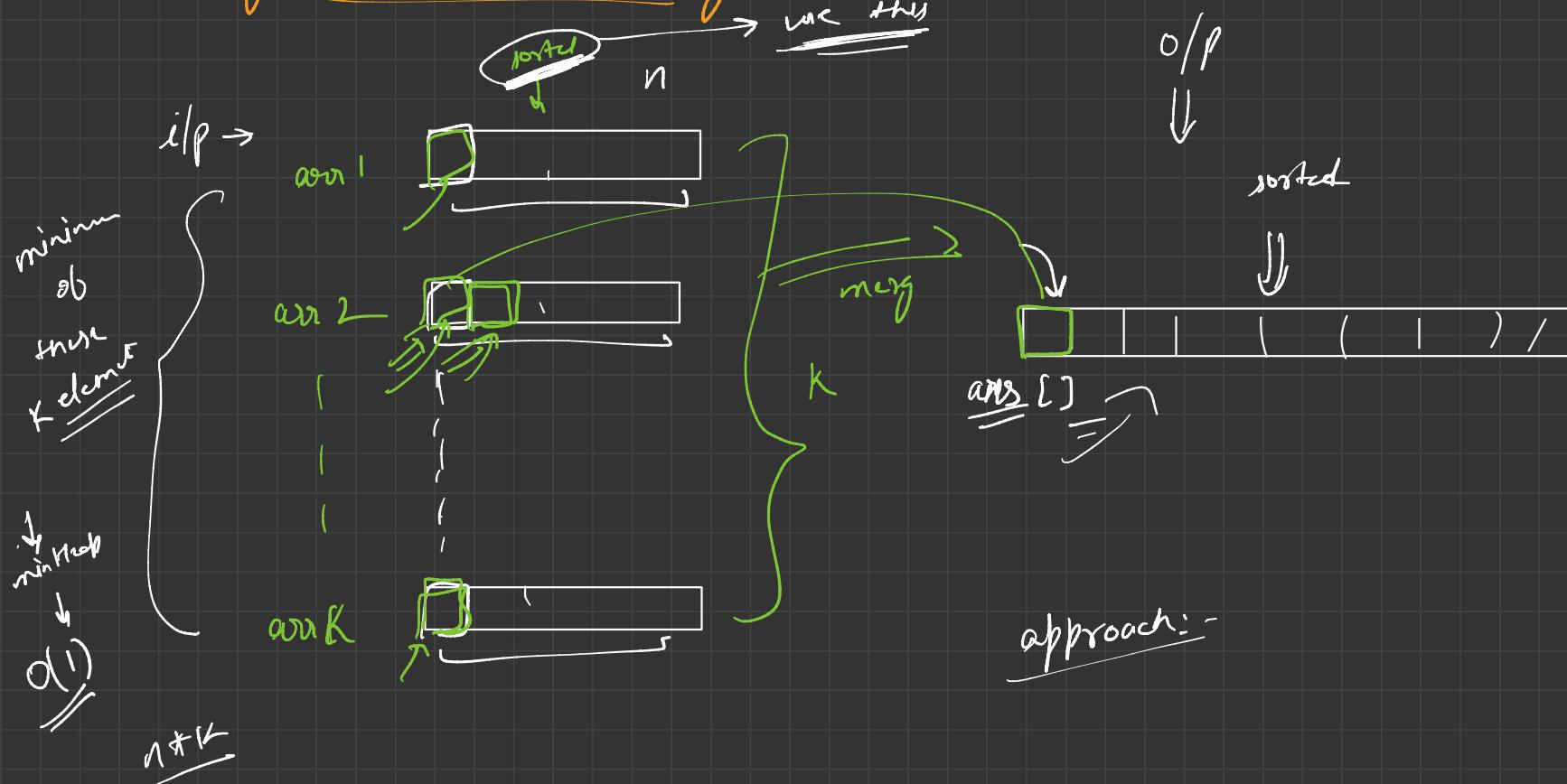
$T \leftarrow$ 

if (`min-heap::size () < k`) {
 insert sum
}
else {
 if (`sum > min-heap`
 & `min-heap::pop`
 $\text{sum} \rightarrow \text{push}$)
}
}
}

S

return `min-heap::top()`

→ Merge K sorted Arrays



1

① Create ans array $\rightarrow O(1)$

② Insert all elements $[n^k]$ into ans array $\rightarrow O(n^k)$

③ Sort \rightarrow ans array $\rightarrow T(n^k \log(n^k))$

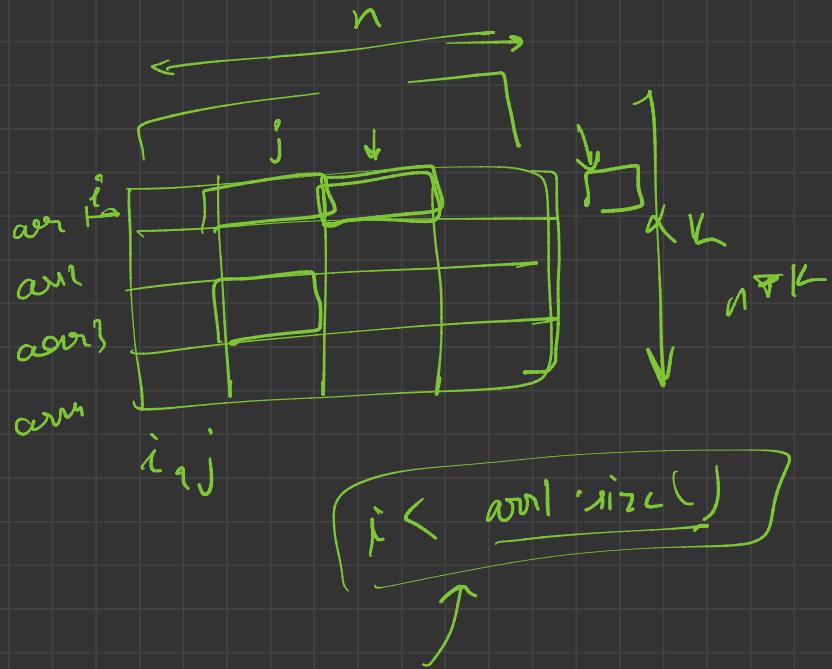
2

minHeap \rightarrow start \rightarrow each arr First Element

! minHeap.empty() or
while (minHeap.size() > 0)

min \rightarrow top \rightarrow ans array one deal done
 k \rightarrow insert next element of same array
into heap, if present

$\minCap < \text{int}$



node
{
 int data;
 int i;
 int j;
}

$$O\left(\frac{K \log K}{\epsilon}\right)$$

K



$$\frac{n^{1/4}}{4} \cdot K$$

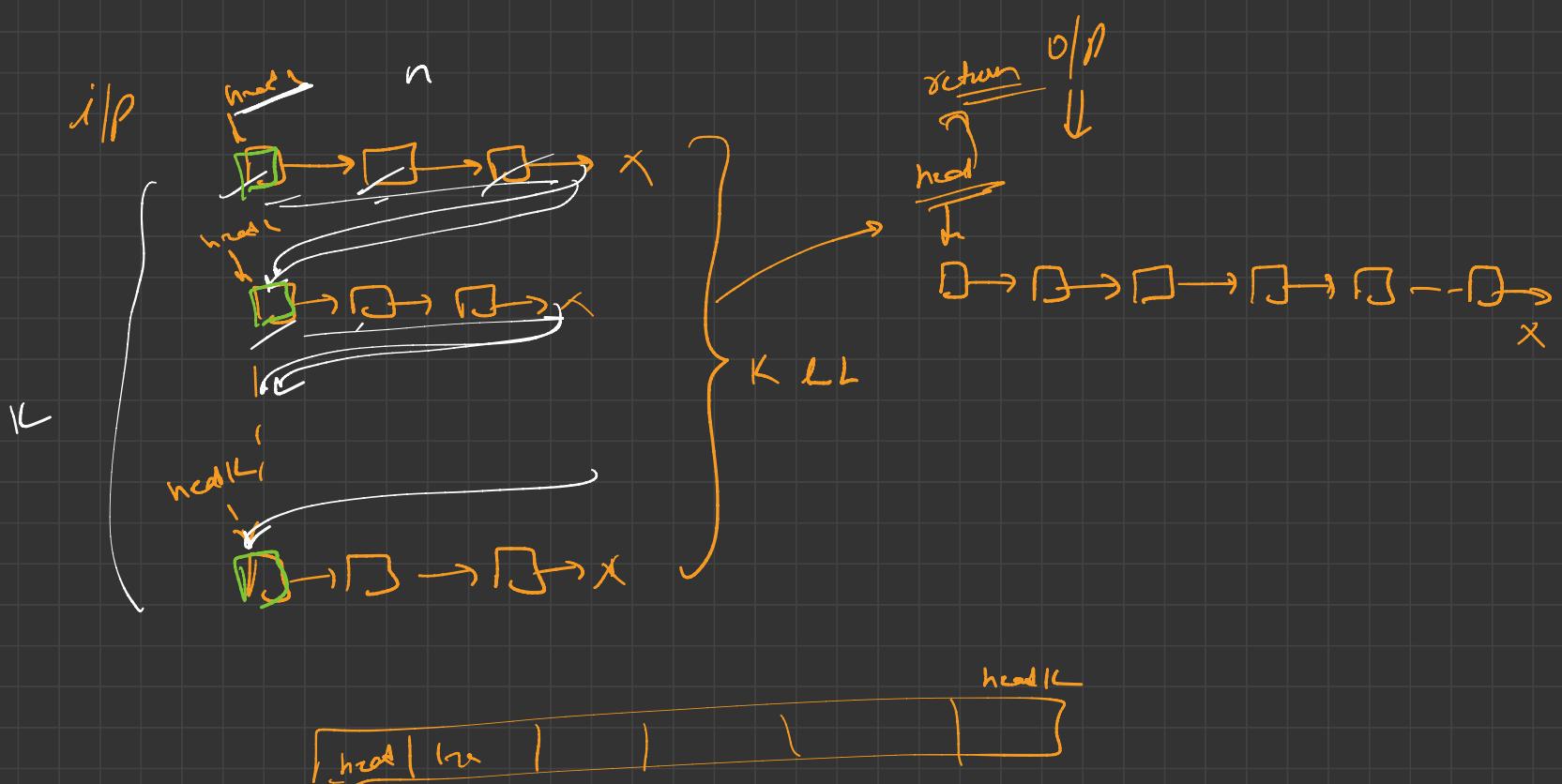
$$\sqrt[n]{n^{1/4}}$$

m

$$O(n^{1/4} \log(K))$$

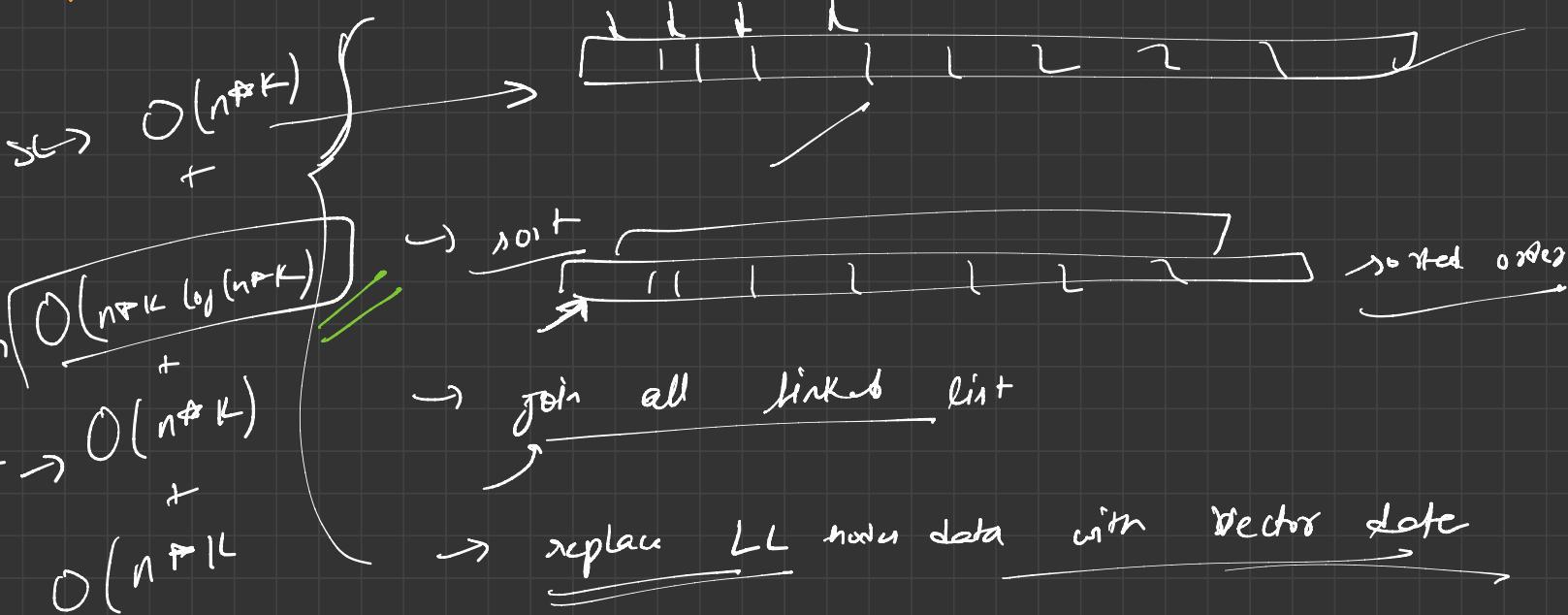
$$\text{space} \rightarrow O(\underline{K}) + O(\underline{n^{1/4}}) \rightarrow \underline{O(n^{1/4})}$$

→ merge K sorted Linked List



approach :-

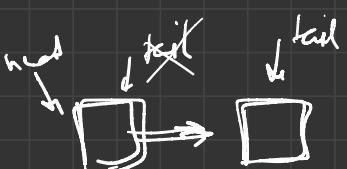
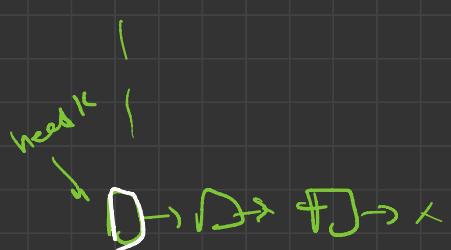
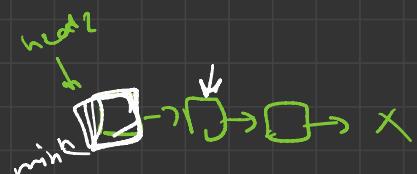
vector (`data`) as



2

minHeap → first element of the linked list

ans → LL → head / tail insert



while (!minHeap.empty())

{

if (head == NULL)

{

head = tail = minHeap.top() // insert LL
minHeap.pop()

if (head → next != NULL)

{

minHeap.enqft

else

tail → next = minHeap.top() // insert
minHeap.pop()
tail2 tail → next' LL

if (tail \rightarrow next $_1 = \text{NULL}$)

↳ min heap insert

↳

↳

return head;

$$T \cdot (\rightarrow O(k \log k) + O(n * k \log k))$$

1

$n * k - 1$

$n * k - 1$

$O(n * k \log k)$

$n * k$

$S \cdot C \rightarrow O(k)$

no. of nodes in a LL

$O(N \log k)$ $\rightarrow N = \text{Total no. of nodes}$

↳ listing size

→ k^m largest sum subarray → $\underline{2A}$ → T.C / S.C

→ may k sorted Arrg → $\underline{\underline{2A}}$ → T.C / S.C → IA

→ LL → $\underline{\underline{2A}}$ → T.C / S.C → IA

Imp

