

## Discrete Mathematics

DPP: 2

## Graph Theory

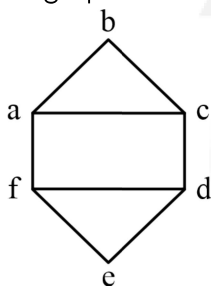
**Q1** Let  $G$  is simple graph with 7 vertices and 11 edges. Then find number of edges in complement of  $G$

**Q2** In a self-complementary graph  $G$  of size 18, then find the number of vertices in the graph  $G$ ?

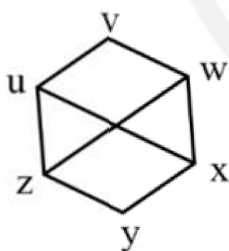
**Q3** If  $G$  is a simple graph with degree sequence  $\{5, 2, 2, 2, 2, 1\}$  then what is the number of edges in the complement  $G$ ? Also identify the degree sequence for the complement of graph  $G$ .

**Q4** Which of the following options is/are correct for isomorphic graphs?

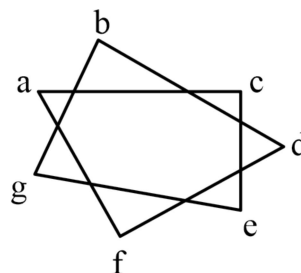
$G_1$  :



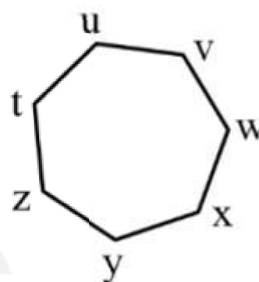
$G_2$  :



$G_3$  :



$G_4$  :



- (A)  $G_1$  and  $G_2$  are isomorphic graph.  
 (B)  $G_3$  and  $G_4$  are isomorphic graph.  
 (C)  $G_1$  and  $G_2$  are not isomorphic graph.  
 (D)  $G_3$  and  $G_4$  are not isomorphic graph.

**Q5** How many simple non-isomorphic trees are possible with 5-vertices?

**Q6** Let  $G$  be a connected planar graph with 20 vertices each of degree 3 then the number of faces in the planar embedding of the graph is \_\_\_\_\_.

**Q7** Let  $G$  be a connected planar graph with 35 regions each of degree 6. Then the number of vertices in graph  $G$  is \_\_\_\_\_.

**Q8** Let  $G$  be a connected planar graph with 12 vertices and 30 edges, and degree of each region is  $k$ . Then the value of  $k$  is \_\_\_\_\_.

**Q9** Minimum number of vertices necessary in a simple connected planar graph with 11 edges is



\_\_\_\_\_.

- Q10** Maximum number of regions possible in a simple connected planar graph with 10 vertices is \_\_\_\_\_.

- Q11** Consider a 5-regular connected planar graph with 10 vertices.

How many bounded faces are there in the planar embedding of the graph?

- (A) 15 (B) 16  
(C) 17 (D) 18



## Answer Key

Q1 10~10

Q2 9~9

Q3 8~8

Q4 (B, C)

Q5 3~3

Q6 12~12

Q7 72~72

Q8 3~3

Q9 6~6

Q10 16~16

Q11 (B)

