```
· Binary Search only works on Sorted Amay.
            5 4 5 6 7 8
ans [10,20,30,40,50,60,70,80,90,100], K= 25
                 uhile (l \leq r) \lesssim
15 \int_{1}^{2} k^{2} q \frac{\text{mid} (l \leq r)}{\text{mid} (l \leq r)} / 2
  [3, 7, 10, 11,
                                 y(an(mid]==+) {
return mid;
       mid= (2+15)/2
                                  elig (aus(m;d]> +) {
                                   D= Wid-+;
        ar [m] ] k
        an [m) Lk
                                  7 elu {
                                     D= mid+1;
     -1 0 1 2 3 4 5 6 <del>7</del>
     ans [10,20,30,40,50,60,70,80,90,100], K= 5
                                                 log_(n) = 3
                        \frac{1}{2} = \frac{1}{2}
       1:1
   Binary Search (Recursion):
                                                               100 0 9
                                              int BSR(as, k, l, r)&
   ans [10,20,30,40,50,60,70,80,90,100],
                                             y(l)r) return-1;
                                                      m = (l+x)/2/
                                                      ·y (ansimid] == = = = = $
                                                        return mid;
                                                       g elig (austmid] LK) &
                                1234
                                                     return BSR(ay, K, MA), TZ);
                                                     Zelu S

return BSR(ans, K, l, m-1);
                    q
                                 x 284
                    9
                                                   4
   Terrary Search :-
    ans T 10,20,30,40,50,60,70,80,90,100]
                                                          -n./022) £
```

an [10,20,30,40,50,60,70,80,90,100]unile (LER) & K Z ars [M] $E > \omega r^{(m_2)}$ (0/2 = S 19/3 = 3 Netwo m2; 3/3 - 1 2/2 2/ 3 elre S l= m. +1; 1-10 3 = 9 $log_2(n) = \sqrt{n}$

partition = (N-L)/3 T.C M= I+ partition; M2= N- Partition; y (arsin J==K) { return m1;
gelsey (aus[mi]==x) { q eliey (K) aus [m2]) { Q= m2+1 N=ML-1: log(n)=3... for $(i:1:i \le n:i=i \times 2)$ {

$$\frac{5}{2}$$
 = 2 $\frac{2}{2}$

 $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{1}{2} - \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{1}{3} - \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{1}{3} - \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{1}{3} - \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3} = \frac{3}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3}$ $\frac{f_{n} \left(\frac{1}{2} \right) \cdot 1 + 1}{3}$ $\frac{f_{n}$

 $n^{k} = n$ $\log_{n}(n) = 16$

7 = 128