

**UNIVERSITY OF ENGINEERING AND TECHNOLOGY  
PESHAWAR, ABBOTTABAD CAMPUS  
DEPARTMENT OF ELECTRONIC ENGINEERING**

- COMPLEX EGINEERING DESIGN PROBLEM PRESENTATION
- COURSE TITLE: CONTROL SYSTEMS(ELE-361)
- CEP TITLE: DESIGNING A CONTROLLER

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# TABLE OF CONTENTS

- Design statement
- Setting transfer function ( $G(s)$ ) parameters
- Open loop bode plot for  $G(s)$
- Open loop step response for  $G(s)$
- Technique for controller design
- Required parameters calculation
- Controller design using SISIO tool
- Close loop bode plot of  $T(s)$
- Step response of  $T(s)$

# Design Statement

Design a controller for a position-control system represented by the block diagram in figure 1.

The transfer function of the plant has

been mathematically modelled, and can be expressed as:

- $G(s) = a/(s+1+p)$
- For  $0 < a < 10$  and  $0 < p < 1$

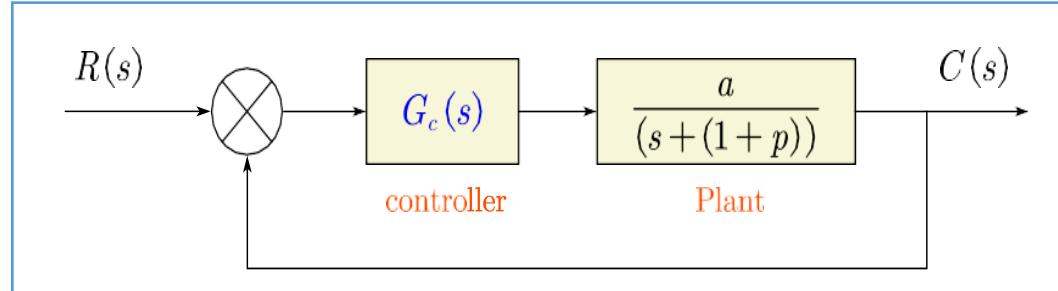
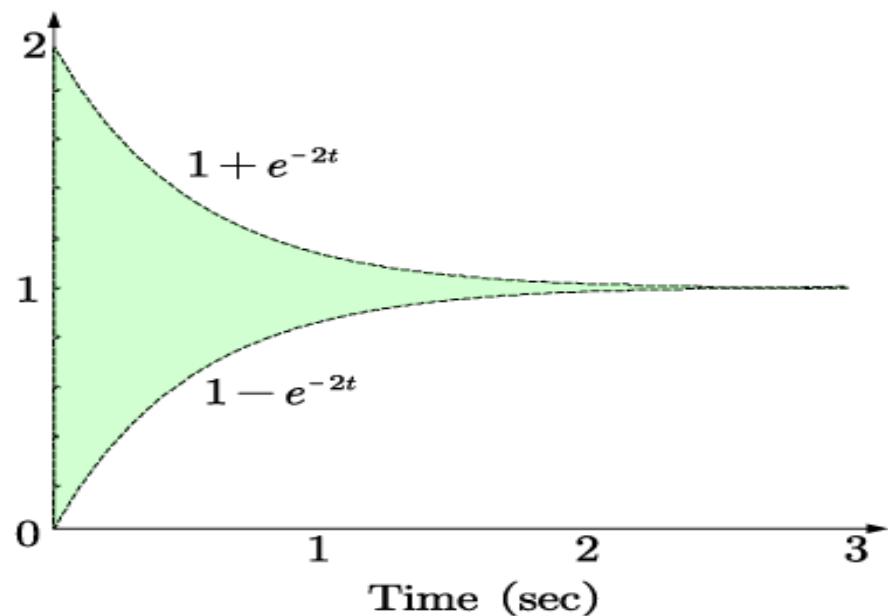


Figure 1: Block Diagram

# Design Requirement

- The compensated system should have the step response that settle inside the following envelope of :  $1 \pm e^{(-2t)}$



- a) Steady State value=1
- b) % Overshoot <15%
- c) Settling Time<1sec
- d) Peak Value <1.5
- e) Peak Time < 0.5
- f) steady-State error=0

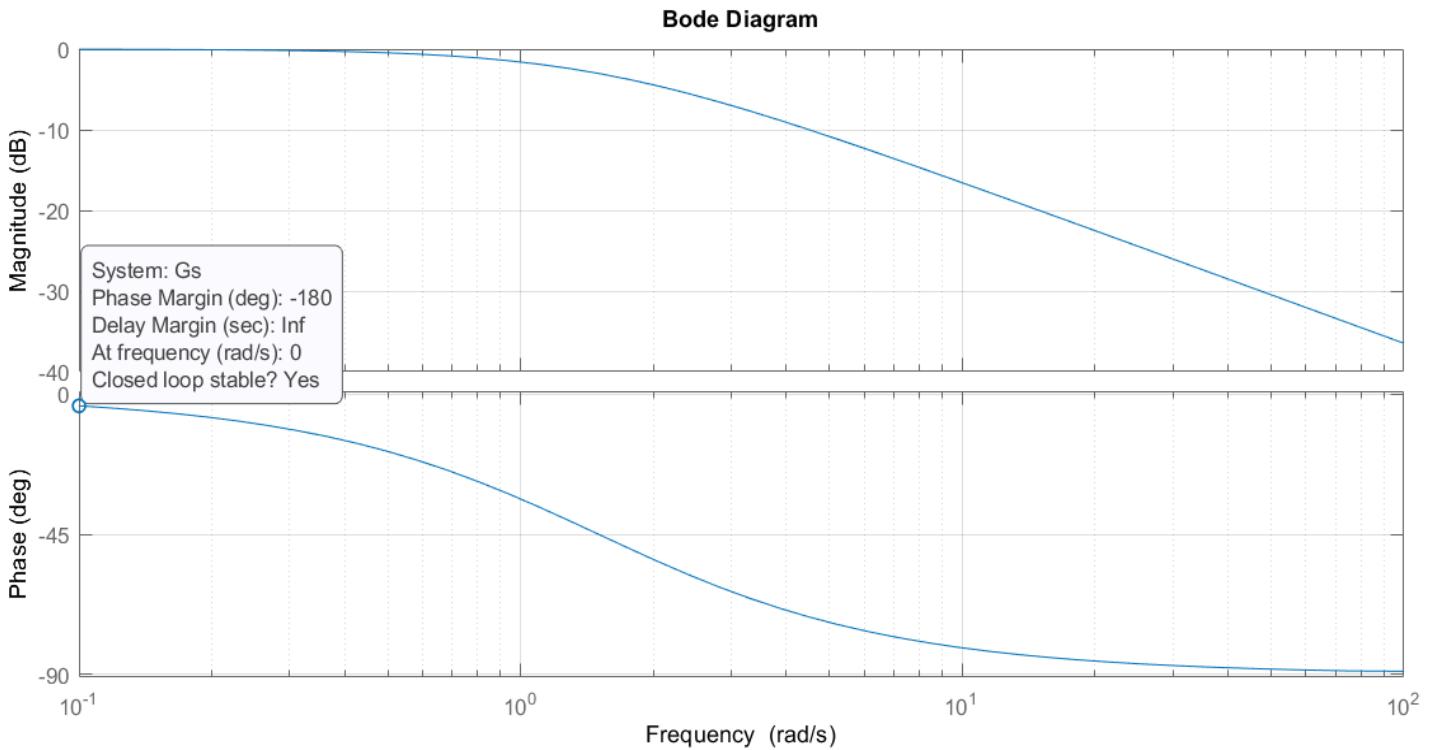
# Setting Transfer Function Parameters

- The following values are chosen:
  - a=5
  - p=0.5
- Now the transfer function is:
$$G(s) = 5/(s+1.5)$$
- The system is first order and type zero.

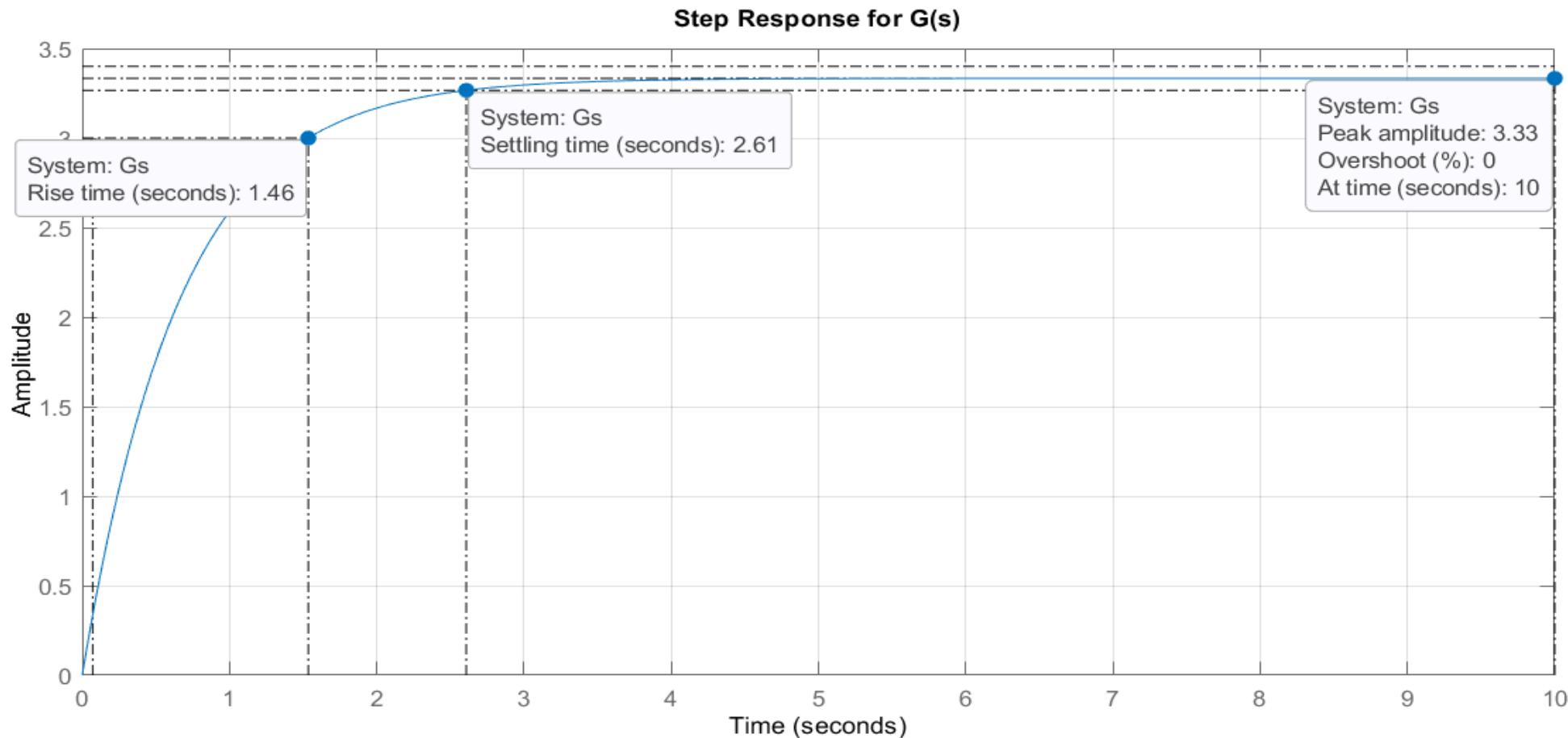
# Open Loop Bode Plot

- MATLAB Code:

```
a=5; p=0.5;  
k=0.3;  
t=0:0.001:10;  
s=tf('s');  
Gs=(a*k)/(s+1+p)  
bode(Gs)  
grid on
```



# Step Response of G(s)



# Controller Selection

- PI controller is used in order to meet the requirements
- PI controller adds a pole at origin and a zero
- PI controller can address the steady-state error and improve the settling time while maintaining stability.

# Controller Parameters Calculation

- Using MATLAB:

pos=15

Ts=0.2

$\zeta = (-\log(pos/100)) / (\sqrt{\pi^2 + \log(pos/100)^2})$

$P_m = \text{atan}(2 * \zeta / (\sqrt{-2 * \zeta^2 + \sqrt{1 + 4 * \zeta^4}})) * (180/\pi)$

$W_{bw} = (4 / (Ts * \zeta)) * \sqrt{(1 - 2 * \zeta^2) + \sqrt{4 * \zeta^4 - 4 * \zeta^2 + 2}}$

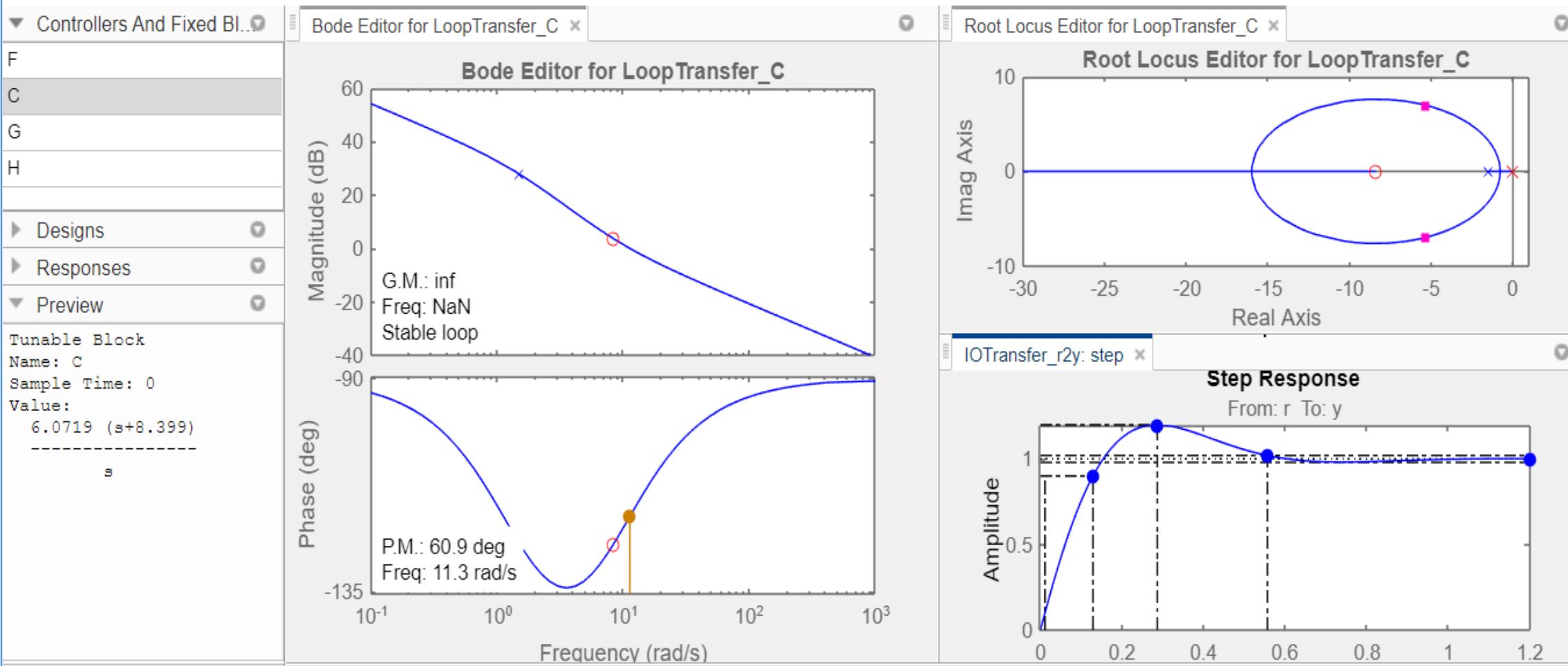
- Results:

$\zeta = 0.5969$

$P_m = 59.1718$

$W_{bw} = 48.4571$

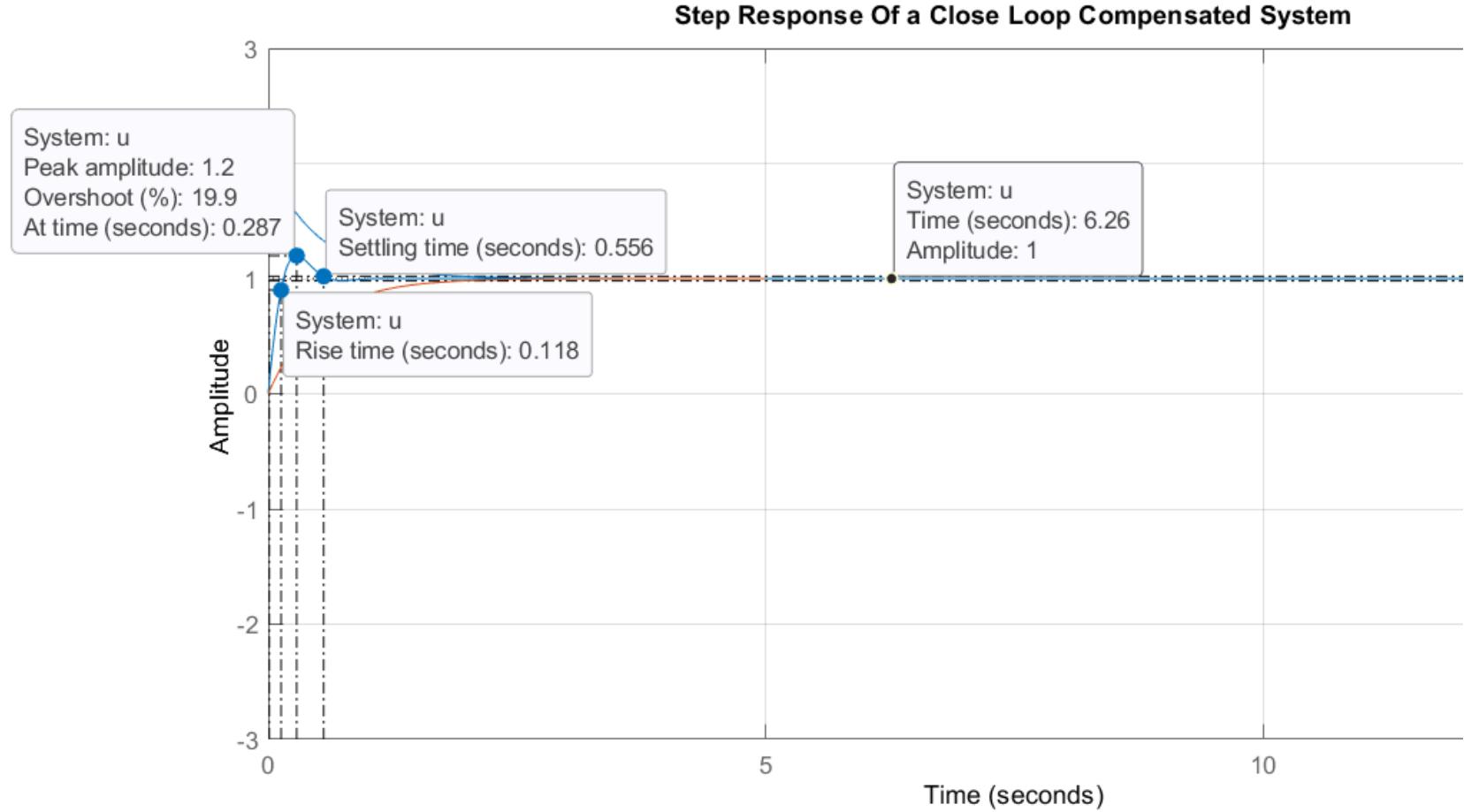
# PI Controller Tuning SISO Tool



# Step Response of Close Loop Compensated System

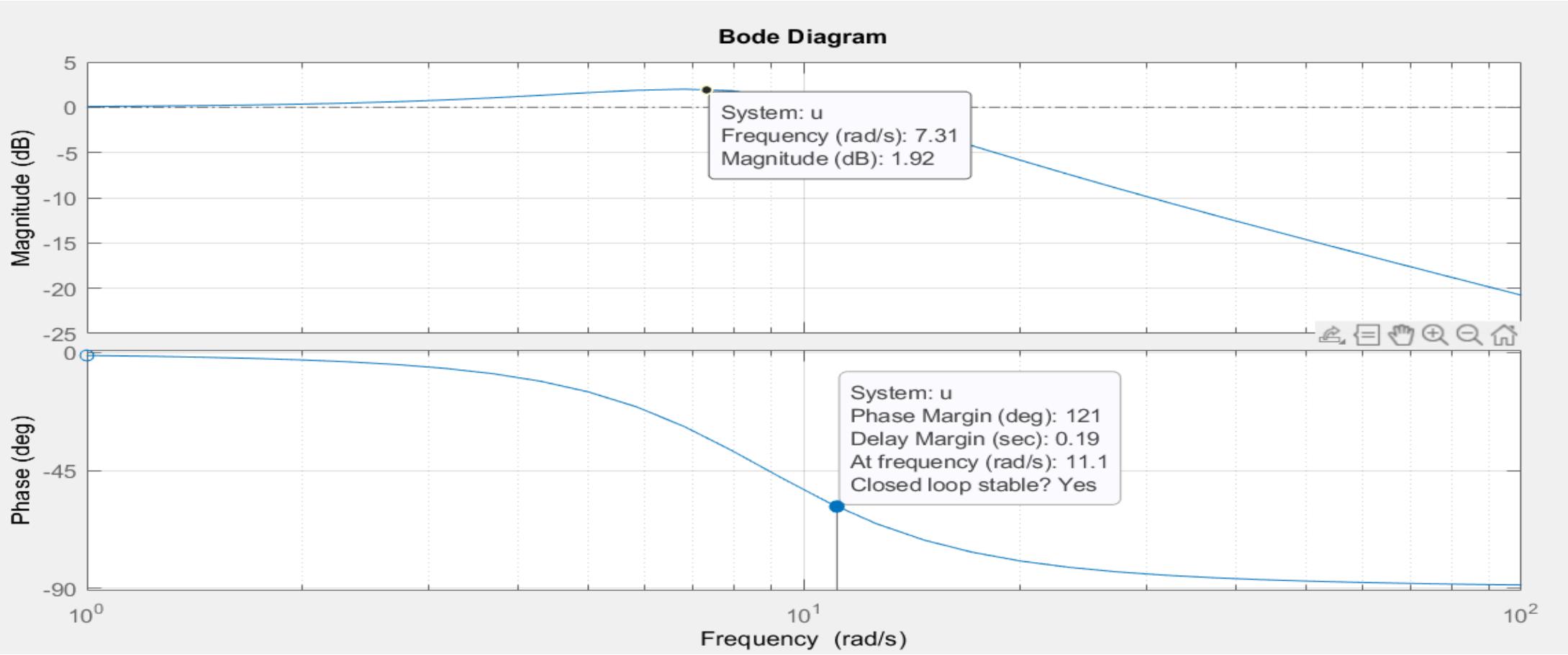
## Step Response

```
t=0:0.01:5;  
s=tf('s');  
u=feedback(G*C, 1);  
step(u)  
hold on  
e=1+exp(-2*t);  
plot(t,e)  
hold on  
d=1-exp(-2*t);  
plot(t,d)  
axis([0 15 -3 3])
```



# Close Loop Frequency Response

```
u=feedback (G*C, 1) ;bode (u)
```



Thankyou