# Study and Improvement of Zeus Election System

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Abstract— Technology is advancing rapidly; traditional voting methods are now slowly being replaced by E-voting, which provides people a more digital and convenient way to vote [1]. Zeus Election is an example of E-voting system. It is an open-source polling system for election that offers verifiable online election. It is web-based application and currently has served more than 4000 electronic polls and 600000 voters. In this paper, we will study the cryptographic approaches and algorithms that applied to Zeus Election system, thus propose for an improvement to strengthen its security by applying the alternative cryptographic algorithms.

Keywords—E-voting, Public-Key Cryptography, Asymmetric-Key Cryptography, Symmetric-Key Cryptography, AES, RSA, SHA-256 Hashing.

#### I. Introduction

As our living environments has become more digitalized and number of users grown tremendously, privacy is a matter of increasing concern. Nowadays, more elections are conducted online. These elections platform will require the users to create a new account with their identity before they can vote, and end-to-end connection from user's device to system's server should be encrypted and should not exposed to anywhere. Therefore, data protection is needed to against privacy violation from illegal hacking activities in any election platform. In this case study, a security scheme will be proposed for increasing an existing system's security. Every voting system's primary purpose is to ensure that the votes of the voters are counted; therefore, electronic democratic governance that ensures a transparent and trustworthy election is required. The conventional way of voting entails casting a vote on a real paper ballot. This is vulnerable to timeconsuming procedures, ballot snatching, a lack of voter privacy, and raises concerns about the fairness of the democratic process. The application that are chosen by us are Zeus Elections. It is an open-source polling system for election. Several different ballot types and election systems are supported, such as simple questions with predefined answers, party lists, score voting, or single transferable vote (STV). Zeus Elections has served more than 4328 electronic polls and 643861 voters. Based on our analysis toward the system, the functionalities are quite complete but there is no guarantee for data security or any privacy protection by the website administrator and provider. Therefore, Zeus Election is a decent system for us to evaluate their security environment, thus make some improvements by proposing the crypto methods that suitable for the system. In this paper, we propose to use Advanced Encryption Standard (AES) as symmetric algorithms and RSA (Rivest Shamir Adleman) and Message Hashing (SHA-256) as information digest to improve the security services of the existing Zeus E-voting system.

### II. PROBLEM

While thousands of individuals have profited from these tools, we have discovered that it is vulnerable to cross-site scripting attacks. Cross-Site Scripting (XSS) is a client-side

code injection attack that can be used to persuade a user to make a malicious request. If an attacker can persuade a voter to click on a specially planned link, the voter will be taken to a page that has been manipulated, allowing the attacker to violate ballot confidentiality or influence votes. Voting is the most important feature of any election system because when a user is voting, no one is allowed to view or modify the content of its ballot. In order to secure the voting channel, encryption such as AES, RSA is required for a better security.

#### III. RELATED WORKS

There are several solutions that could be adopted to enhance the channel security between ballots and destinations. Examples include Advanced encryption standard [2], Digital Signature Algorithm (DSA) [3], Rivest Shamir Adleman (RSA) [4], Homomorphic encryption [5] and many others encryption structure that providing advance algorithm in securing the ballots. Most of these solutions required the authentication signature on the server side in order to decrypt a ballot's cipher text. Strong security is formed in this case; thus, we will refer to the above work for cryptographic experiments. In addition, message digest is also needed to make a ballot's data even more protected with integrity. This means that verification is required to ensure that the ballot was sent by the same user and not altered by other unauthorized persons. In this situation, we choose SHA-256 [6] because it's not an encryption but a hash algorithm where a user's message can be completely shuffled. It is a one-way cryptographic hash. It is highly secured because the encrypted message by this algorithm can never be decrypted [7].

Based on our proposed solution, we will implement the experiment by using AES, RSA and SHA-256.

## IV. METHODOLOGY

To examine the effectiveness of our proposed solution, we will make an experiment for the voting process starting from the preparation, voting process and information digest by shuffling.

### V. EXPERIMENTAL RESULTS

There are 3 stages to carry out this experiment, from stage 0 to stage 2 where the AES, RSA and SHA-256 are implemented. The Results are presented in the form of a table and any relevant figures in the references.

### VI. STAGE 0: VOTER PREPARATION STAGE

The system administrator adds users to the voting system at this step. The user's name and email address are used by the administrator. The encryption system receives the email as an input message. The system will then encrypt the data and generate a secret message, which the user will receive and use as the system's default login password. AES Encryption is the encryption algorithm used here.

## A. AES Algorithm

It is a symmetric encryption, meaning it only takes one key to encrypt and decrypt a message, which is known as a secret key. AES encryption is a symmetric key encryption with a high level of security. We'll use AES-128, which means the key length is 128 bits in this case. After that, we'll encrypt the data in 128-bit blocks for ten rounds.

# B. AES Key

After that, we'll begin with the essential expansion. This will accept a four-word (16-byte) key as input and output a 44-word matrix (176 bytes). This matrix of words, each of which is unique, is enough to give keys for AddRoundKey in all 10 rounds, with each AddRoundKey procedure using a four-word array [10].

# C. AES Encryption

For this example, we will choose the following plaintext and key, as shown in Table 1. To make demonstration easier, we will use the same value as our reference from the AES

Table 1: Key and Message chosen for example.

Plaintext (message)	32 43 f6 a8 88 5a 30 8d 31 31 98 a2 e0 37 07 34
Subhead	2b 7e 15 16 28 ae d2 a6 ab f7 15 88 09 cf 4f 3c

Before we start with the encryption, the message will need to be divided into a block of 4x4 matrix.

32	88	31	E0
43	5a	31	37
F6	30	98	07
A8	8d	A2	34

This message will first go through the initial process transformation where it will combine with the first AddRoundKey.

The key will go through Key Expansion process to find the w0-w43.

From the key, we can get w0-w3:

$$w0 = 2b7e1516$$
  $w1 = 28aed2a6$   $w2 = abf71588$   $w3 = 09cf4f3c$ 

To get the value of w4-w34, we need to perform Key Expansion. Figure 1 illustrates the process of key expansion.

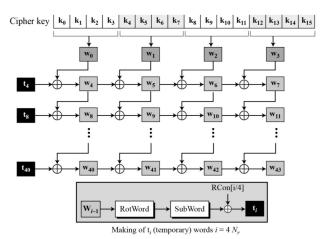


Figure 1: Process of Key Expansion

Table 2: Key expansion for each round.

i	temp	After Rot Word	After Sub Word	Rcon [i/4]	After XOR Rcon	w[i–4]	XOR w[i-4]
4	09cf4 f3c	cf4f3c 09	8a84eb 01	010000	8b84eb 01	2b7e15 16	a0fafe1
5	a0faf e17	0)	01	00	01	28aed2 a6	88542c b1
6	8854 2cb1					abf715 88	23a339 39
7	23a3 3939					09cf4f	2a6c76
8	2a6c7	6c7605	50386b	020000	52386b	3c a0fafe1 7	05 f2c295
9	605 f2c29	2a	e5	00	e5	88542c	f2 7a96b9
10	5f2 7a96					b1 23a339	593580
11	5935					39 2a6c76	7a 7359f6
12	807a 7359f	59f67f	cb42d2	040000	cf42d2	05 f2c295	7f 3d8047
13	67f 3d80	73	8f	00	8f	f2 7a96b9	7d 4716fe
14	477d 4716f					43 593580	3e 1e237e
15	e3e 1e23					7a 7359f6	44 6d7a88
	7e44 6d7a	7a883b	dac4e2	080000	d2c4e2	7f 3d8047	3b ef44a5
16	883b ef44a	6d	3c	00	3c	7d 4716fe	41 a8525b
17	541 a852					3e 1e237e	7f b67125
18	5b7f b671					44 6d7a88	3b db0bad
19	253b db0b	0bad00	2b9563	100000	3b9563	3b ef44a5	00 d4d1c6
20	ad00 d4d1	db	b9	00	b9	41 a8525b	f8 7c839d
21	c6f8					7f	87
22	7c83 9d87					b67125 3b	caf2b8 bc
23	caf2b 8bc					db0bad 00	11f915 bc
24	11f91 5bc	f915bc 11	995965 82	200000	b95965 82	d4d1c6 f8	6d88a3 7a
25	6d88 a37a					7c839d 87	110b3e fd
26	110b 3efd					caf2b8 bc	dbf986 41
27	dbf98 641					11f915 bc	ca0093 fd
28	ca009 3fd	0093fd ca	63dc54 74	400000 00	23dc54 74	6d88a3 7a	4e54f7 0e
29	4e54f 70e					110b3e fd	5f5fc9f 3
30	5f5fc 9f3					dbf986 41	84a64f b2
31	84a6 4fb2					ca0093 fd	4ea6dc 4f

						,	
32	4ea6d	a6dc4f	248684	800000	a48684	4e54f7	ead273
32	c4f	4e	2f	00	2f	0e	21
33	ead27					5f5fc9f	b58dba
33	321					3	d2
34	b58d					84a64f	312bf5
34	bad2					b2	60
35	312bf					4ea6dc	7f8d29
33	560					4f	2f
36	7f8d2	8d292f	5da515	1b0000	46a515	ead273	ac7766
30	92f	7f	d2	00	d2	21	f3
37	ac776					b58dba	19fadc
31	6f3					d2	21
38	19fad					312bf5	28d129
30	c21					60	41
39	28d1					7f8d29	575c00
39	2941					2f	6e
40	575c	5c006e	4a639f	360000	7c639f	ac7766	d014f9
40	006e	57	5b	00	5b	f3	a8
41	d014f					19fadc	c9ee25
41	9a8					21	89
42	c9ee2					28d129	e13f0c
42	589					41	c8
43	e13f0					575c00	b6630c
43	cc8					6e	a6

The key will then be passed to the AddRoundKey method as an input. As a result, an AddRoundKey stage begins and ends the encryption. Without this step, other operations can be reversed to obtain the plaintext, even if the key is unknown.

The encryption starts with the key expansion and then moves on to the AddRoundKey stage, which is followed by nine rounds that each include all four operations. Then there's the tenth round, which just takes three steps. *Substitute* bytes, *ShiftRows*, *MixColumns*, and *AddRoundKey* are the four procedures in each round except the last. The MixColumns process is skipped in the final round.

Figure below show the encryption process.

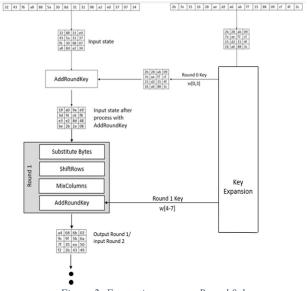


Figure 2: Encryption process, Round 0-1

The process (or Round) will continue until round 10, with the exception that Round 10 emits the MixColumns Process. This is done to ensure that the encryption can be reversed or decrypted.

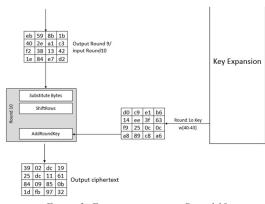


Figure 3: Encryption process, Round 10

Once the encryption process is completed, the output ciphertext that is in hexadecimal form will be converted into Base64.

Output: OQLcGSXcEWqECYULHfuXMg==

This output then will be used by the users as the user as a default password to log in to the voting system.

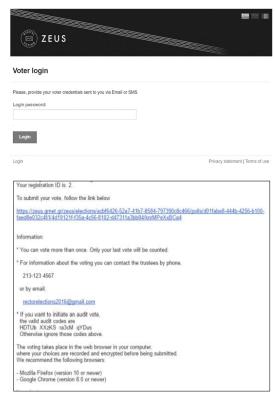


Figure 4: User email with the generated password.

The user can now use their email and newly generated email to enter the voting system.

# VII. STAGE 1: VOTING STAGE

This is where the voting part of the system takes place. To gain access to the system, the user must type the voting URL into their computer, which will then submit a secure HTTP request to the server. As a private key, the server will choose

r1 at random. It will choose  $g^{r1}$  as a public key at the same time. This public key gr1 will be returned to the computer to indicate that the connection has been established, allowing the user to access the voting system and view the website. The process of a user gaining access to the system is depicted in the diagram below.



Figure 5: User accessing the system.

Once the user enters the website, they will input a vote, m to the computer. This online system will then generate a randomly picked parameter, s which then generates a ciphertext  $(g^{rl})g^m$ , where m is the vote. The system will also produce a certificate  $\{h^sg^{rl},g^{rl}\}$  for the user to validate or verify that they have made the vote and the vote has been processed by the system.

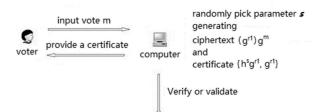


Figure 6: User input vote

The user's verification process is the following stage. The user will request to see the parameter s, which is the ciphertext generated in the previous phase in order to verify. If that parameter matches the one that was previously generated, the vote is valid.

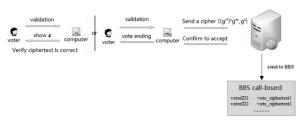


Figure 7: Vote validation process.

# A. RSA Algorithm

This section will show the implementation of RSA Encryption in the system. RSA is the most commonly used and recognized public-key encryption. The name RSA is taken from its inventors, Rivest, Shamir, and Adleman. The RSA cryptography is a block cipher where the plaintext and ciphertext are integers between 0 and n - 1 for some n. A typical size for n is 1024 bits, or 309 decimal digits [8].

# B. RSA Key Generation

The key generation process of the RSA algorithm is based on these rules:

- 1. Select two prime numbers, p and q such that p and q are not equal.
- $2. \quad n=p.q$
- 3. Select *e*, where  $1 < e < \varphi(n)$ .
  - a.  $gcd(e, \varphi(n)) = 1$
  - b. e and  $\varphi(n)$  are coprime.
- 4. Calculate d, where  $d = e 1 \mod \varphi(n)$
- 5. Public key = (e,n)
- 6. Private key = (d)

# C. RSA Encryption

The value n is the public RSA modulus, and  $\varphi(n)=(p-1)$  (q-1) is the Euler totient. The public key e is freely chosen but must be a coprime to  $\varphi(n)$ . For this example, we will apply the following value. We will perform encryption for Confidentiality where we encrypt using public key and decrypt using private key.

We will start by choosing the value of p and q.

$$p = 157$$
 and  $q = 239$ .

Then, we perform some calculations to get the value of n, e, and d.

Table 3: Calculation of RSA global parameters

Calculate <i>n</i>	n = p*q n = 157*239 n = 37523
Calculate φ(n)	$\varphi(n) = (p - 1)(q - 1)$ $\varphi(n) = (157 - 1)(239 - 1)$ $\varphi(n) = (156)(238)$ $\varphi(n) = 37128$
Calculate e	gcd(37128, e) = 1 $1 < e < \varphi(n)$ e = 7253 thus, gcd(37128, 7253) = 1
Calculate d	$d = e^{-1} \mod \varphi(n)$ $d = 7253^{-1} \mod 37128$ $d = 7253^{(n)-1} \mod 37128$ $d = 7253^{(37128)-1} \mod 37128$ $d = 7253^{(9216)-1} \mod 37128$ $d = 7253^{9215} \mod 37128$ $d = 31277$

Then we get the value:

$$p=157$$
,  $q=239$ ,  $n=37523$ ,  $e=7253$ ,  $d=31277$ .

The message we demo as below:

The Input text will be separated into segments of Size 1 (the symbol '#' is used as separator).

V # o # t # e # # f # o # r # # P # e # r # s # o # n # #

Α

Numbers input in base 10 format.

086 # 111 # 116 # 101 # 032 # 102 # 111 # 114 # 032 # 080 # 101 # 114 # 115 # 111 # 110 # 032 # 065

Encryption into ciphertext  $c[i] = m[i]^e \pmod{n}$ 

Table 4: RSA Encryption

m[i]e (mod n)	ciphertext
086 <sup>7253</sup> (mod37523)	06479
111 <sup>7253</sup> (mod37523)	05396
116 <sup>7253</sup> (mod37523)	16351
101 <sup>7253</sup> (mod37523)	13516
032 <sup>7253</sup> (mod37523)	18629
102 <sup>7253</sup> (mod37523)	05044
111 <sup>7253</sup> (mod37523)	05396
114 <sup>7253</sup> (mod37523)	18924
032 <sup>7253</sup> (mod37523)	18629
080 <sup>7253</sup> (mod37523)	27736
101 <sup>7253</sup> (mod37523)	13516
114 <sup>7253</sup> (mod37523)	18924
115 <sup>7253</sup> (mod37523)	06665
111 <sup>7253</sup> (mod37523)	05396
110 <sup>7253</sup> (mod37523)	20734
032 <sup>7253</sup> (mod37523)	18629
065 <sup>7253</sup> (mod37523)	01384

Produced ciphertext.

14437 # 28888 # 24126 # 01339 # 06783 # 08880 # 28888 # 10418 # 06783 # 11710 # 01339 # 10418 # 01601 # 28888 # 28412 # 06783 # 26277

Decryption into plaintext  $m[i] = c[i]^d \pmod{n}$ 

Table 5: RSA Decryption

c[i]d (mod n)	plaintext
06479 31277 (mod 37523)	00086
05396 <sup>31277</sup> (mod 37523)	00111
16351 <sup>31277</sup> (mod 37523)	00116
13516 <sup>31277</sup> (mod 37523)	00101
18629 <sup>31277</sup> (mod 37523)	00032
05044 <sup>31277</sup> (mod 37523)	00102
05396 <sup>31277</sup> (mod 37523)	00111
18924 <sup>31277</sup> (mod 37523)	00114
18629 <sup>31277</sup> (mod 37523)	00032
27736 <sup>31277</sup> (mod 37523)	00080
13516 <sup>31277</sup> (mod 37523)	00101
18924 <sup>31277</sup> (mod 37523)	00114
06665 <sup>31277</sup> (mod 37523)	00115
05396 <sup>31277</sup> (mod 37523)	00111
20734 <sup>31277</sup> (mod 37523)	00110
18629 <sup>31277</sup> (mod 37523)	00032
01384 <sup>31277</sup> (mod 37523)	00065

Decrypted ciphertext

00086 # 00111 # 00116 # 00101 # 00032 # 00102 # 00111 # 00114 # 00032 # 00080 # 00101 # 00114 # 00115 # 00111 # 00110 # 00032 # 00065 Decrypted ciphertext in text form:

## **Output: Vote for Person A**

#### D. RSA Message Authentication

After successfully perform encryption and decryption of ballot's information by using RSA, we can now do the message authentication to enhance the integrity of ballot's data. This step is very important because it shows that the message really comes from the sender and has not been altered. For instance, we can shuffle the message by implementing SHA-256 because the signature of hash must be equal between user and receiver.

For certificate verification, we will only need the public RSA parameters, the modulus *n*, and public key *e*.

In the real environment, the RSA key size is much larger, unlike the example we show in the previous part. The key can be in 512 or 1024 or 2048, or even 4096 bits. This makes the algorithm stronger and hard for attackers to break.

We will show another example to demonstrate the RSA signature generation and validation. We will use 1024 bits key size.

Table 6: RSA key in 1024 bits size

Public	key	MIGfMA0GCSqGSIb3DQEBAQUAA4GNADCBiQKBgQCxe
(e)		0PnyCClvsyYWb+lXZ+XBwDEtny8uAACtnUaRXkQYkmnd
''		Wpgr71xfCayZWEZPnDH2hpMMtN75Q9+ejdHq8gqC9s205Zs
		NWewM0sRig4O5Fznd+t+WMD6NU0zXrROes0q8ZaZCWqS
		bounZpIyl/xNCmzMbgaIOUVhpiSldcHojQIDAQAB
Private	key	MIICXQIBAAKBgQCxe0PnyCClvsyYWb+lXZ+XBwDEtny8u
(d)	•	AACtnUaRXkQYkmndWpgr71xfCayZWEZPnDH2hpMMtN75
		Q9+ejdHq8gqC9s205ZsNWewM0sRig4O5Fznd+t+
		WMD6NU0zXrROes0q8ZaZCWqSbounZpIyl/xNCmzMbgaIO
		UVhpiSldcHojQIDAQAB
		AoGANOL/bC0VlW5Stz9fPV61tKJwly2t4+qMjkJiiM6U8c3oF
		s+FQIR91jhhq51MHuKdZuBWH8ixfmTWhiDTIjdNMMNAtb
		Gsn/OCS1nXiQIH/crMD+AX0G5zdn1/02rAkJd5P4w5g9zg4Jm
		uygI8jdRfDmoODTpsW8nlq//yC2oJsYECQQDZ3xYw8GvqlQ
		O2dLpd2mtSuQLGUNIly/VI0ckG4EgRs7lNTyY/e59WRwRblI
		Wf981M3adrZREHFz85rhjjnvztAkEA0IqowEvRcKNrMP3kN
		weOgYgRXcB4pvHBhO6nuT1B26iT4B6Zush7e8wlSm4A2jkU
		sXrcl27gVm7QbwgkkLTGIQJBAJjOY5UNetL7krAMbI3Y3H8
		Xbb/D/bAuvalGIdVlxoZL5EI5qhzKSrXLd1337ESHG4G20G5
		9YxTzFBATcDdtUf0CQE159k/a2yjZzc0ZxlubdxowjyMhirGb
		R6Y3dCCh3YHaE3ZEaCC4swe/RGtuiuqIImP9nU61Zqs16EIX
		6F3Ki4ECQQCUeKSnK6AcPHj9wOlJ3L6ibo+Mju434B5f8DQ
		vpJhV5FkQHeneaNQcgMhuFIh5U5H26q16h3FcwZxBhTmhW
		+/A

## VIII. STAGE 2: SHUFFLE

From here, we will use the same message as before, that is *Vote for person A*.

There are several algorithms for RSA signature generation, but the one we will use today is SHA256 with RSA. SHA256 with RSA signature is an efficient asymmetric encryption method used in many secure APIs. The three basic steps in this algorithm:

- 1. Hashing.
- 2. Padding the hash for signature generation.
- 3. Modular exponentiation using the private exponent and the modulus.

Using the previous values stated in table 6 and the message stated, we can get the following value of signature.

elOUMLix3fR/IcyTOYqs81RdPq1Y0z+TtRLFjG4Pk+xJ EhIwdZnSoAsnsPoajUsCmOS/J3umfzZnn2ieopp8MZxu 4E7WthSEJOGO5HcTdKADMpJ3qMym9+moLkrI13w kbSJyYEjMTFP8DxYKp8OyEEr8LUyUxbJHAC67D/7 GjEY=

This signature is sent together with the ciphertext, and the receiver can verify the ciphertext's validity by comparing the digital signature's value to the value above. The decrypted ciphertext is not the same as the original plaintext if the ciphertext is signed by another person's key. The value of the signature is likewise different. In the shuffle process, the ciphertext sent by the voter is encrypted numerous times to increase the key required to decrypt the ciphertext, so if the ciphertext is obtained by the middleman, they will not be likely to be able to decrypt the cipher text.

# IX. SECURITY ANALYSIS

This paper implements a combination of two cryptography algorithms, that is AES and RSA. Table below shown the example of data inputs of multiple value bits and random private keys.

Security Bit	Key size		
Level	AES	RSA	
80	-	1024	
112	-	2048	
128	128	3072	
192	192	7680	
256	256	15360	

Table 7: Recommended Security Bit Level

Based on our findings and experiments, RSA can be concluded as a very effective encryption algorithm suitable for this study because of the straightforward implementation

# X. CONCLUSION AND FUTURE WORK

In this paper we use AES, RSA and SHA-256 hash algorithm to make sure it gives great security. We show the work by using the AES as the key generator and make it unique to do the secret message to the voter. Given the RSA is the process between voters to the system. In addition, using SHA-256 to validate the ballot's data.

As afore mentioned, the summary of the proposal is that we know that this application requires improvement in their security to make sure the voting system attain integrity. What can be implemented in the system is our own original idea after referring to some security implementation done previously on e-voting system and are referred to make sure the proposal can be implement properly. We hope by using this suggestion will strengthen their security. Zeus election system will need this proposal to ensure the system security strength in order to gain the trust from their client.

For future work, I believe that there is a lot more encryptions can be considered in securing the channel for ballot to be sent securely to the server. One encryption that should be useful in this situation is homomorphic encryption [5]. A homomorphic encryption [9] strategy permits client to work on ciphertext. At the point when client decodes the resultant figure, it is same as though tasks are done on plaintext. In this manner, utilizing homomorphic encryption guarantees clients that their information is secure in all state: stockpiling, transmission and preparing. Therefore, any improvements to the Zeus election system are bound to take the system's security to the next level.

#### ACKNOWLEDGMENT

First all, by the grace of God we can complete the report for our mini project.

We are so grateful to our dear lecturer, DR. RASHIDAH BINTI KADIR for teaching us SECR3443 Introduction to Cryptography for this semester. We have learned a lot from the lectures and now we feel like we are ready to implement what we learn in the real working environment.

We would also like to again thank our lecturer for also giving us the chance to do this mini project, which requires us to work together in a team and implement what we've learn the whole semester into a working idea.

This completion of project would also not be possible without the hard work of our team members

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