

Basic churn modelling

Assumptions:

1. You have historical data about customers who **churn** and **not churn**.
2. You have a predictive model which for every customer predict whether he will **churn** or **not churn** next month.
3. You know if you give a discount $d=30\%$ to a **churn** customer, then with the probability $r=80\%$ he will **not churn** (these numbers could be assessed from historical data).

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Predicted Churn	True Positive	False Positive
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Additional assumptions:

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- all customers give us the same profit **p**

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Let's compare Total profit of doing nothing, with Total profit in case of discount strategy.

No discount (do nothing) strategy: $[FP + TN] \cdot p$

Discount strategy: $[TN + FP \cdot (1-d) + TP \cdot r \cdot (1-d)] \cdot p$

Where r is acceptance rate and d is discount

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No discount (do nothing) strategy < Discount strategy

$$[FP + TN] \cdot p < [TN + FP \cdot (1-d) + TP \cdot r \cdot (1-d)] \cdot p$$

$$FP + TN < TN + FP \cdot (1-d) + TP \cdot r \cdot (1-d)$$

$$FP < FP \cdot (1-d) + TP \cdot r \cdot (1-d)$$

$$FP \cdot d < TP \cdot r \cdot (1-d)$$

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$$FP \cdot d < TP \cdot r \cdot (1-d)$$

$$FP \cdot 0.3 < TP \cdot 0.8 \cdot 0.7$$

$$FP \cdot 0.3 < TP \cdot 0.48$$

$$10 \cdot 0.3 \text{ ? } 5 \cdot 0.48$$

$$3 \blacktriangleright 2.4$$

	True Churn	True not Churn
Predicted Churn	TP, 5	FP, 10
Predicted not Churn	FN, 0	TN, 85

$$\text{accuracy} = (TP + FN) / (TP + FP + FN + TN) = 85 + 5 / 100 = 0.9 = 90\%$$

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A: Well, not necessarily.

1. Before you implement an accurate ML algorithm always compute business metrics
2. Accuracy is not appropriate for the case of imbalance classes, use ROC AUC or PR AUC instead.

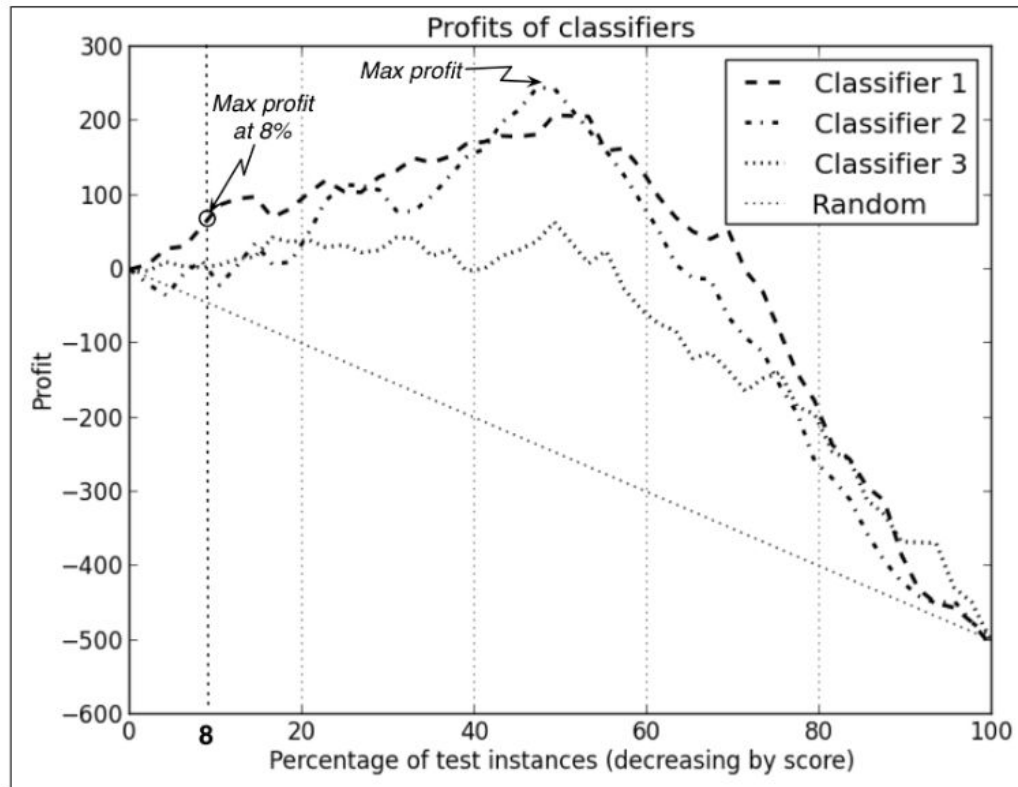


Figure 8-2. Profit curves of three classifiers. Each curve shows the expected cumulative profit for that classifier as progressively larger proportions of the consumer base are targeted.

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Solution: Uplift

Uplift modelling

Train

$$\text{fit} \left(\begin{pmatrix} x_{11} & \cdots & x_{1k} & w_1 & y_1 \\ \vdots & \ddots & \vdots & \cdots & \vdots \\ x_{n1} & \cdots & x_{nk} & w_n & y_n \end{pmatrix} \right)$$

X_{train}

W_{train}

Y_{train}

$W = 1$ = Treatment (e.g. discount)
 $W = 0$ = No treatment

Prediction

$$\text{predict} \left(\begin{pmatrix} x_{11} & \cdots & x_{1k} & 1 \\ \vdots & \ddots & \vdots & \vdots \\ x_{m1} & \cdots & x_{mk} & 1 \end{pmatrix} \right) - \text{predict} \left(\begin{pmatrix} x_{11} & \cdots & x_{1k} & 0 \\ \vdots & \ddots & \vdots & \vdots \\ x_{m1} & \cdots & x_{mk} & 0 \end{pmatrix} \right) = \begin{pmatrix} u_1 \\ \vdots \\ u_m \end{pmatrix}$$

X_{test}

W_1

X_{test}

W_0

u