Pecture 5:- Propositional Equivalence.

Toutology:

P | 7p | PN 7P'

T | F | F | T

con-tradiction:

F | T | F | T

contradictim:

F T F T

Cartingarey:

P Q P NQ (P NQ) VP P NQ P TQ PETQ.

T T T

T P P

P T P

P and 9 ate Said to be logically equivalent if
P = 2 = Toutology. When Piq are Compand Respections.

P22 :
EX2

PY9 = (PV9) and TP N79 = (PV9) +> TP N79.

T T T P P T P P T P T

P T T P T P P T

P T T P P T T P P T

P T T P T T P P T

BX3 PZZ HW. BX4 Pd3 HVV.

P24:- logica Equivalences.

PAT = P Identity laws.

2). PVT = T Domination laws.  $PVP \ge P$ 

5) PVPZP Idempotent U.
PNPZP

KVbsh

4). PVq Z qVP- Comunitative laws-

- 5). P(q V+) Z (P Vq) V+ Associative.
  PA(q A1) Z (P Nq) K-
- 6).  $P \vee (q \wedge \forall) \geq .$   $(P \vee q) \wedge . (P \vee \forall).$  Distributive.  $P \wedge (q \vee \forall) \geq .$   $(P \wedge q) \vee .$   $(P \wedge \forall).$
- 8) 7(P19) Z 7P V 79 7 (PV9) Z 7P 1-79. De-Morgans.
- a). PV(PAq) =. P PN(PVq) = P.
- W) PZ. 7(7P).

Predicates and Quantofres,

P(x) 2 X+3(2)4.

Subject. Canditra Predicate.

Panain X2 (0,11,2,3).

P(0) = 0 + 3 = 4 = F P(1) = 1 + 3 = 4 = F P(3) = 3 + 3 = 4 = F P(3) = 3 + 3 = 4 = F

 $\frac{E_{K}}{P_{31}}$ : P(X) = 273 P(A) = ? P(A) = ? P(A) = ? P(A) = 273 P(A) = ? P(A) = 273 P(A) = ? P(A)

EX HW.

Ex3 :-

Q(xiy)=

X = yt3.

Q (3,0) = 7 HW.

Q(112) 2

122+3 z F.

A (cin) = . "Computer c is connected to network in" Exy:-P3( C2 { Computers on Compre?

nz & Networks 4 4 ?

Computer MATHO is connected to network CAMPUSZ.

A(MATH2, CAMPUS 2) =? P A(MATH2, CAMPUS 2) =? T

EXS HW.

Ou antificts.

X= {2,2,3--- N}.

A crown (

 $\forall x \ P(x) = P(Q) \wedge P(Q) \wedge -x P(N)$ 

for all, Por every, for any, p 33.

Vxp(x) zT. when all f(i)'s ate faue- i eg 2,1.-M). Trp(x) 2F when are of p(i)'s

Exostentra = I there exost, for atleast me. Fox Same.

3xp(x) = p(L) VP(D) V--- VP(N).

X E Z. Ex (0 P(x)2 x2 70 P34 Yxp(+) 27 2P. Conto Example. P(0) 2 070 28. 22 22,2,3,47 P(x) 2x2 <10. 是11:-P34 Yxp(x) 2 7 Yxp(x) 2 P(1) N P(2) NP(3) NP(4). = (12 < 10) A (92 < 10) A (32 < 10) A (42 < 10). 2 TA TA TAP 2 P. Quiz # 3 06- PGB- 2023. (Section A). Let P(4) 2 x z f. 2,23. xz x+1. Q(x)2. 274. Axb(x)

= T

 $\exists_{x} Q(x) = Q(x) \vee Q(x).$   $(174) \vee (274).$   $\forall_{x} \forall_{y} \in z \in .$ 

(Hx7P(x) A =x Q(x).) = T A F =F.

