STATISTICS TESTS

1. shapiro wilk test

Tests weather a data has a guassian or normal distribution.

Assumptions

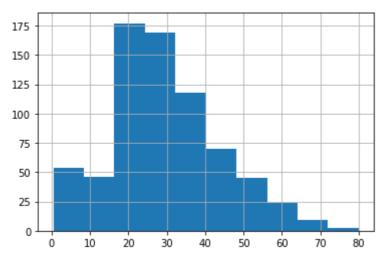
- 1. observation in each sample are independent and identically distributed(iid).
- 2. interpretation
 - the sample has a normal distribution
 - the sample has not a normal distribution

important libarary for tests

pip install scipy

```
In [1]:
         # Example of the shapiro wilk test
         from scipy.stats import shapiro
         data1 = [0.873, 2.817, 0.121, -0.945, -0.055, -1.436, 0.360, -1.478, -1.637, -1.869]
         stat, p =shapiro(data1)
         print ('stat=',stat)
         print ('p=',p)
         if p > 0.05:
             print('the data is normal')
             print('the data is not normal')
        stat= 0.8951009511947632
        p= 0.19340917468070984
        the data is normal
In [2]:
         #look in histogram to see normality
         import seaborn as sns
         import numpy as np
         import matplotlib.pyplot as plt
         import pandas as pd
         ks= sns.load_dataset('titanic')
         ks['age'].hist()
```

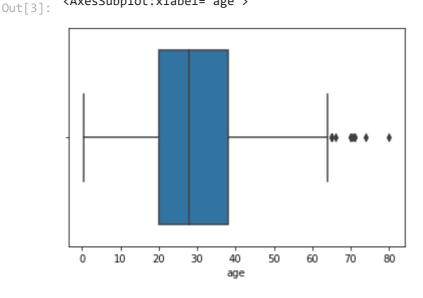
<AxesSubplot:> Out[2]:



```
In [3]: #box plot for normality view
sns.boxplot(ks['age'])
```

C:\Users\Azka\anaconda3\lib\site-packages\seaborn_decorators.py:36: FutureWarning: Pass the following variable as a keyword arg: x. From version 0.12, the only valid p ositional argument will be `data`, and passing other arguments without an explicit k eyword will result in an error or misinterpretation.

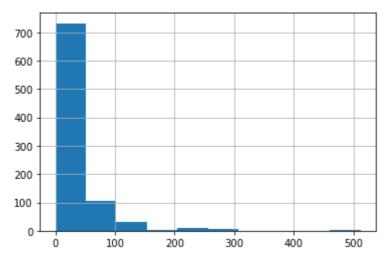
warnings.warn(
<AxesSubplot:xlabel='age'>



```
# Example of the shapiro wilk test on titanic fare
from scipy.stats import shapiro
data1 = ks['fare']
stat, p = shapiro(data1)
print ('stat=',stat)
print ('p=',p)
if p > 0.05:
    print('the data is normal')
else:
    print('the data is not normal')
ks['fare'].hist()
```

stat= 0.5218914747238159
p= 1.0789998175301091e-43
the data is not normal
<AxesSubplot:>

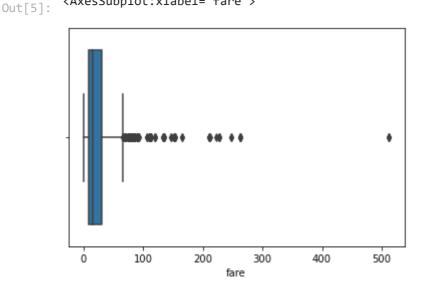
Out[4]:



```
In [5]:  # box plot is also not normal
    sns.boxplot(ks['fare'])
```

C:\Users\Azka\anaconda3\lib\site-packages\seaborn_decorators.py:36: FutureWarning: Pass the following variable as a keyword arg: x. From version 0.12, the only valid p ositional argument will be `data`, and passing other arguments without an explicit k eyword will result in an error or misinterpretation.

warnings.warn(
<AxesSubplot:xlabel='fare'>



```
In [6]:
# normality test
from scipy.stats import shapiro
stat, p = shapiro(ks['age'])
print ('stat=',stat)
print ('p=',p)
if p > 0.05:
    print('the data is normal')
else:
    print('the data is not normal')
```

stat= nan
p= 1.0
the data is normal

```
In [7]:
# normality test for fare
from scipy.stats import shapiro
stat, p = shapiro(ks['fare'])
print ('stat=',stat)
```

```
print ('p=',p)
if p > 0.05:
    print('the data is normal')
else:
    print('the data is not normal')

stat= 0.5218914747238159
```

```
stat= 0.5218914747238159
p= 1.0789998175301091e-43
the data is not normal
```

2. Correlation test

- 1. pearsons correlation coefficient
- 2. test weather two samples have a linear relationship
- 3. Assumptions
- 4. observation in each sample are independent and identically distributed(iid).
- 5. observation in each sampleis normally distributed
- 6. observation in each samplehave the same variance
- 7. interpretation
 - H0: the two samples are independent
 - H2: there is a dependency between two samples

```
In [8]: # Example of the Pearson's Correlation test
from scipy.stats import pearsonr
data1 = [0.873, 2.817, 0.121, -0.945, -0.055, -1.436, 0.360, -1.478, -1.637, -1.869]
data2 = [0.353, 3.517, 0.125, -7.545, -0.555, -1.536, 3.350, -1.578, -3.537, -1.579]
ks.dropna()
stat, p = pearsonr(data1, data2)
print('stat=%.3f, p=%.3f' % (stat, p))
if p > 0.05:
    print('Probably independent')
else:
    print('Probably dependent')
```

stat=0.688, p=0.028 Probably dependent

2- Spearmans Rank correlation

Test weather two samples have a monotonic relationship

Assumptions

- 1. Observation in each sample are independent and identically distributed (iid)
- 2. Observation ineach sample can be ranked
- 3. Interpretation
 - H0: the two samples are independent
 - H2: there is a dependency between two samples

```
# Example of the spearman's Correlation test
from scipy.stats import spearmanr
data1 = [0.873, 2.817, 0.121, -0.945, -0.055, -1.436, 0.360, -1.478, -1.637, -1.869]
```

```
data2 = [0.353, 3.517, 0.125, -7.545, -0.555, -1.536, 3.350, -1.578, -3.537, -1.579]
ks.dropna()
stat, p = spearmanr(data1, data2)
print('stat=%.3f, p=%.3f' % (stat, p))
if p > 0.05:
    print('Probably independent')
else:
    print('Probably dependent')
```

stat=0.855, p=0.002
Probably dependent

3. Chi-squared test

Test weather teo catagorical variables are related or independent.

Assumptions

- 1. Observation used in calculation of the contingency table are independent.
- 2. 25 or more examples in each cell of the contingency table.
- 3. interpretation
 - H0: the two samples are independent
 - H2: there is a dependency between two samples

```
In [10]:
    #example of the Chi-squared test
    from scipy.stats import chi2_contingency
    table= [[10,20,30],[6,9,17]]
    stat,p,dof, expected= chi2_contingency(table)
    print('stat=%.3f, p=%.3f' % (stat, p))
    if p > 0.05:
        print('Probably independent')
    else:
        print('Probably dependent')
```

stat=0.272, p=0.873 Probably independent

3- Paramatric statical hypothesis test

1- student t-test

Tests weather the means of two independent samples are significantly different. **Assumptions**

- 1. observation in each sample are independent and identically distributed(iid).
- 2. observation in each samples are normally distributed
- 3. observation in each samples have the same variance
- 4. interpretation
 - H0: the means of the samples are equal
 - H1: the means of the samples are not equal

```
In [11]: # Example of the Student's t-test
    from scipy.stats import ttest_ind
    data1 = [0.873, 2.817, 0.121, -0.945, -0.055, -1.436, 0.360, -1.478, -1.637, -1.869]
```

```
data2 = [1.142, -0.432, -0.938, -0.729, -0.846, -0.157, 0.500, 1.183, -1.075, -0.169
stat, p = ttest_ind(data1, data2)
print('stat=%.3f, p=%.3f' % (stat, p))
if p > 0.05:
    print('Probably the same distribution')
else:
    print('Probably different distribution')
```

```
stat=-0.326, p=0.748
Probably the same distribution
```

2- Paired student t-test

Tests weather the means of two paired samples are significantly different. **Assumptions**

- 1. observation in each sample are independent and identically distributed(iid).
- 2. observation in each samples are normally distributed
- 3. observation in each samples have the same variance
- 4. observation across each sample are paired
- 5. interpretation
 - H0: the means of the samples are equal
 - H1: the means of the samples are not equal

```
In [12]: # Example of the Paired Student's t-test
    from scipy.stats import ttest_rel
    data1 = [0.873, 2.817, 0.121, -0.945, -0.055, -1.436, 0.360, -1.478, -1.637, -1.869]
    data2 = [1.142, -0.432, -0.938, -0.729, -0.846, -0.157, 0.500, 1.183, -1.075, -0.169
    stat, p = ttest_rel(data1, data2)
    print('stat=%.3f, p=%.3f' % (stat, p))
    if p > 0.05:
        print('Probably the same distribution')
    =else:
        print('Probably different distributions')

File "C:\Users\Azka\AppData\Local\Temp/ipykernel_4264/1190923719.py", line 9
    =else:
```

```
SyntaxError: invalid syntax
```

4- Analysis of variance test (ANOVA)

Tests weather the means of two or mor independent samples are significantly different.

Assumptions

- 1. observation in each sample are independent and identically distributed(iid).
- 2. observation in each samples are normally distributed
- 3. observation in each samples have the same variance
- 4. interpretation
 - H0: the means of the samples are equal
 - H1: one or more of the means of the samples are not equal

```
In [ ]:
#Example of Analysis of variance test (ANOVA)
from scipy.stats import f_oneway
data1 = [0.873, 2.817, 0.121, -0.945, -0.055, -1.436, 0.360, -1.478, -1.637, -1.869]
```

```
data2 = [1.142, -0.432, -0.938, -0.729, -0.846, -0.157, 0.500, 1.183, -1.075, -0.169
data3 = [-0.28, 0.696, 0.928, -1.148, -0.213, 0.229, 0.137, 0.269, -0.870, -1.204]
stat, p = f_oneway(data1, data2, data3)
print('stat=%.3f, p=%.3f' % (stat, p))
if p > 0.05:
    print('Probably the same distribution')
else:
    print('Probably different distributions')
```

Post Hoc Tests

The most common post hoc tests are:

- 1. Tukey's Test (Tukey's HSD is the most preferred post-hoc test)
- 2. Bonferroni Procedure