



DSP PROJECT REPORT

PREPARED BY:

Azlaan Ranjha Bilal Younas Chaudhary Rana Abdullah Azhar **PREPARED FOR:**

Sir Moiz

Title

Design and Implementation of Filters for EEG Signals using MATLAB

Project Statement

Q: Electroencephalography (EEG) is a critical diagnostic method that captures the brain's electrical activity through electrodes placed on the scalp. However, for effective analysis, EEG signals must be cleansed of various noise sources, including line noise. This project will guide you through the application of Digital Signal Processing (DSP) techniques, with a strong focus on signal filtering and noise reduction, using MATLAB.

The goal of this project is to provide firsthand experience in managing, evaluating, and processing EEG data. You will clean EEG data using several DSP techniques and analyze it across different brain activity frequency bands. By the end of the project, you will have a comprehensive understanding of filter design and implementation, as well as enhanced skills in analyzing and interpreting signal data for improved signal integrity and noise removal.

Objectives

- Learn to use MATLAB for EEG data processing.
- Detect and remove line noise from EEG data.
- Design and implement various filters (notch, high pass, low pass, band pass) tailored to specific EEG frequency bands: delta (0.5-4 Hz), theta (4-7 Hz), alpha (8-12 Hz), sigma (12-16 Hz), and beta (13-30 Hz).
- Apply these filters to selected EEG channels.
- Document the entire process in a comprehensive report, including MATLAB code and graphical representations of EEG signals pre- and post-filtering.

Dataset

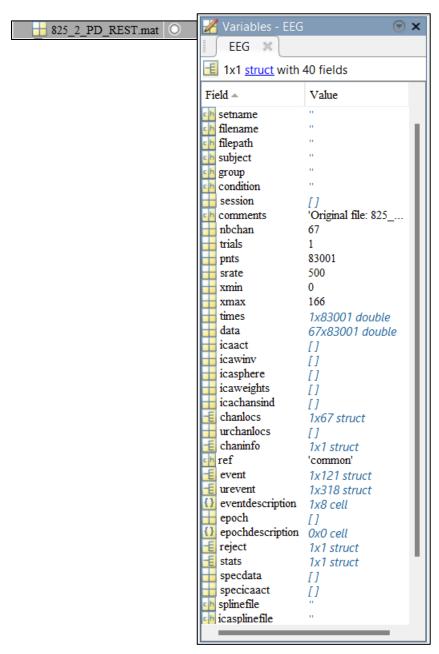


Figure 1: For the project, we had our dataset in the form of the '852_2_PD_REST.mat' file. Inside the .mat file is a struct by the name of 'EEG.' The specifications and contents of the dataset struct can be clearly seen.

Notch Filter Frequency Selection:

```
% Load EEG data
load('825_2_PD_REST.mat');
% Sampling rate
fs = 500;
% Compute PSD using pwelch
channel_to_check = 1; % Channel to check for line noise
[psd, f] = pwelch(EEG.data(channel_to_check, :), [], [], fs);
% Find the power at 50 Hz and 60 Hz
[\sim, idx_50Hz] = min(abs(f - 50));
[\sim, idx_60Hz] = min(abs(f - 60));
power_50Hz = psd(idx_50Hz);
power_60Hz = psd(idx_60Hz);
% Determine which frequency has higher power
if power_50Hz > power_60Hz
   f0 = 50; % Line noise frequency
else
    f0 = 60; % Line noise frequency
end
% Display the chosen frequency for notch filter
fprintf('Chosen frequency for notch filter: %d Hz\n', f0);
```

Output:

Chosen frequency for notch filter: 60 Hz

```
% Define the notch filter to remove the chosen line noise
Q = 30; % Quality factor
[notch_b, notch_a] = iirnotch(f0/(fs/2), f0/(fs/2)/Q);

% Apply the notch filter to each channel
filtered_data_notch = zeros(size(EEG.data));
```

```
for i = 1:size(EEG.data, 1)
    filtered_data_notch(i, :) = filtfilt(notch_b, notch_a, EEG.data(i, :));
end
% Plot original vs. notch-filtered signal for one channel
figure;
channel_to_plot = 1;
% Plot original signal
subplot(2, 2, 1);
plot(EEG.data(channel_to_plot, :));
title('Original Signal');
xlabel('Sample Number');
ylabel('Amplitude');
% Compute and plot the FFT of the original signal
subplot(2, 2, 2);
fft_original = fft(EEG.data(channel_to_plot, :));
fft_original_shifted = fftshift(fft_original);
f fft original = (-length(fft original)/2:length(fft original)/2-1) * (fs /
length(fft_original));
plot(f fft original, 20*log10(abs(fft original shifted)));
title('FFT of Original Signal');
xlabel('Frequency (Hz)');
ylabel('Magnitude (dB)');
% Plot notch-filtered signal
subplot(2, 2, 3);
plot(filtered data notch(channel to plot, :));
title('Notch Filtered Signal (50 Hz)');
xlabel('Sample Number');
ylabel('Amplitude');
% Compute and plot the FFT of the signal after notch filter
subplot(2, 2, 4);
fft_notch_filtered = fft(filtered_data_notch(channel_to_plot, :));
fft notch filtered shifted = fftshift(fft notch filtered);
f_fft_notch_filtered = (-
length(fft_notch_filtered)/2:length(fft_notch_filtered)/2-1) * (fs /
length(fft_notch_filtered));
plot(f fft_notch_filtered, 20*log10(abs(fft_notch_filtered_shifted)));
title('FFT after Notch Filtering');
xlabel('Frequency (Hz)');
```

ylabel('Magnitude (dB)');

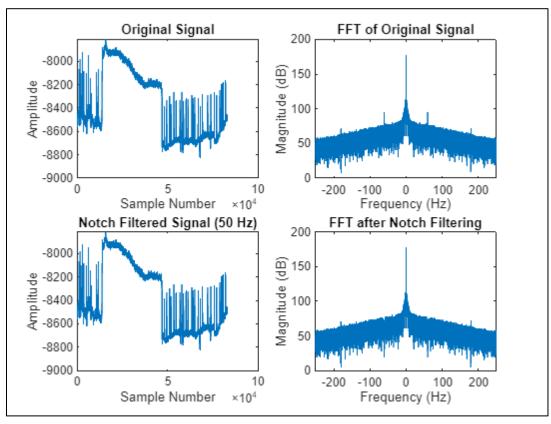
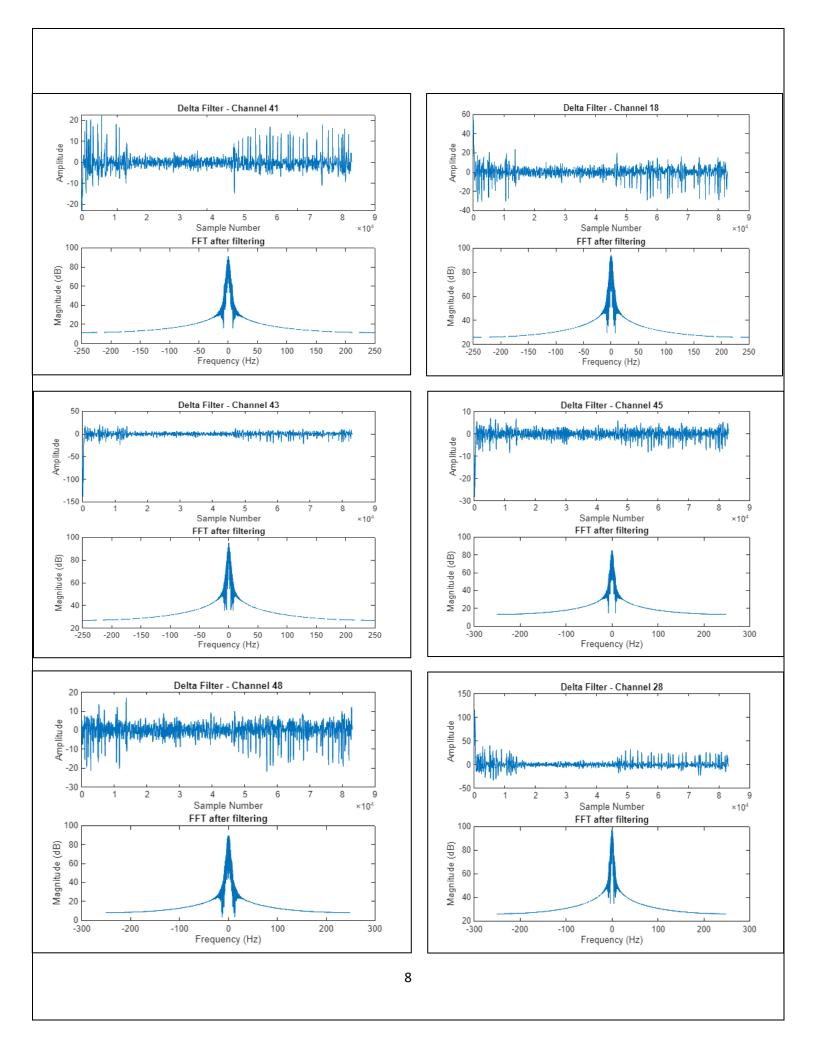


Figure 2: The Original Signal in Time and Frequency Domain. Also, the signal after the notch filter in both time and frequency domain. It can be observed that the spike in FFT at 60 Hz, is removed after the notch filter.

```
% Apply filters to the selected channels and plot
% Select 10 random channels
num channels = size(EEG.data, 1);
random_channels = randperm(num_channels, 10);
filtered_signals = struct();
all_filters = [bands, {'notch'}];
for k = 1:length(all filters)
    filter_name = all_filters{k};
    filtered signals.(filter name) = zeros(length(random channels),
size(EEG.data, 2));
    for i = 1:length(random_channels)
        if strcmp(filter_name, 'notch')
            filtered_signals.(filter_name)(i, :) = filtfilt(notch_b, notch_a,
EEG.data(random_channels(i), :));
        else
            filtered signals.(filter name)(i, :) =
filtfilt(filters.(filter_name), EEG.data(random_channels(i), :));
        end
        % Plot FFT of the channel after applying the filter
        figure;
        subplot(2, 1, 1);
        plot(filtered_signals.(filter_name)(i, :));
        title([upper(filter_name(1)) filter_name(2:end) ' Filter - Channel '
num2str(random channels(i))]);
        xlabel('Sample Number');
       ylabel('Amplitude');
        % Compute and plot the FFT
        subplot(2, 1, 2);
        fft data = fft(filtered signals.(filter name)(i, :));
        fft data shifted = fftshift(fft data);
        f fft = (-length(fft data)/2:length(fft data)/2-1) * (fs /
length(fft_data));
        plot(f fft, 20*log10(abs(fft data shifted)));
        title('FFT after filtering');
        xlabel('Frequency (Hz)');
        ylabel('Magnitude (dB)');
    end
end
```



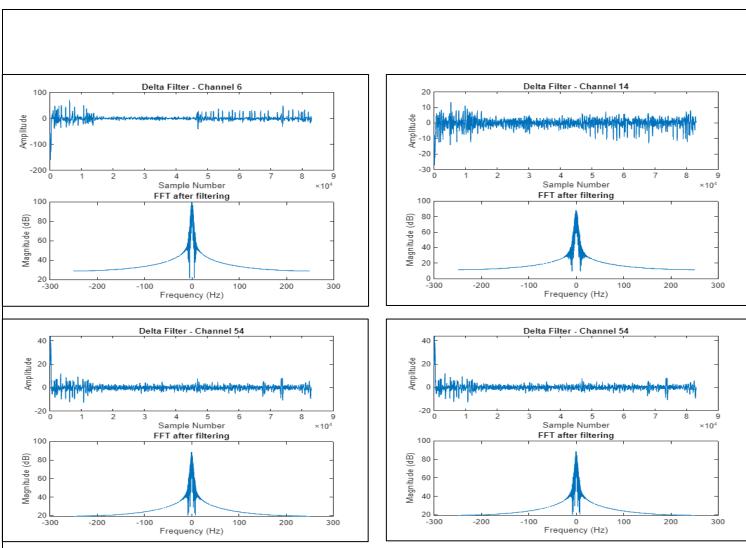
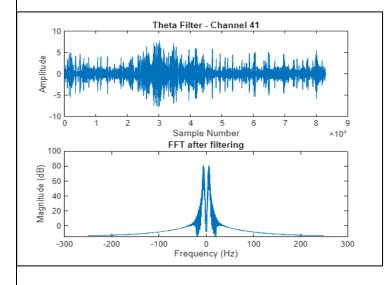
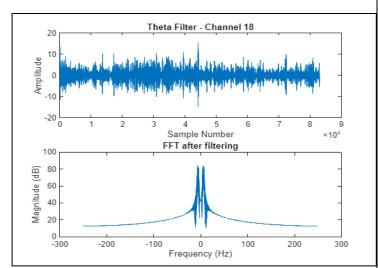
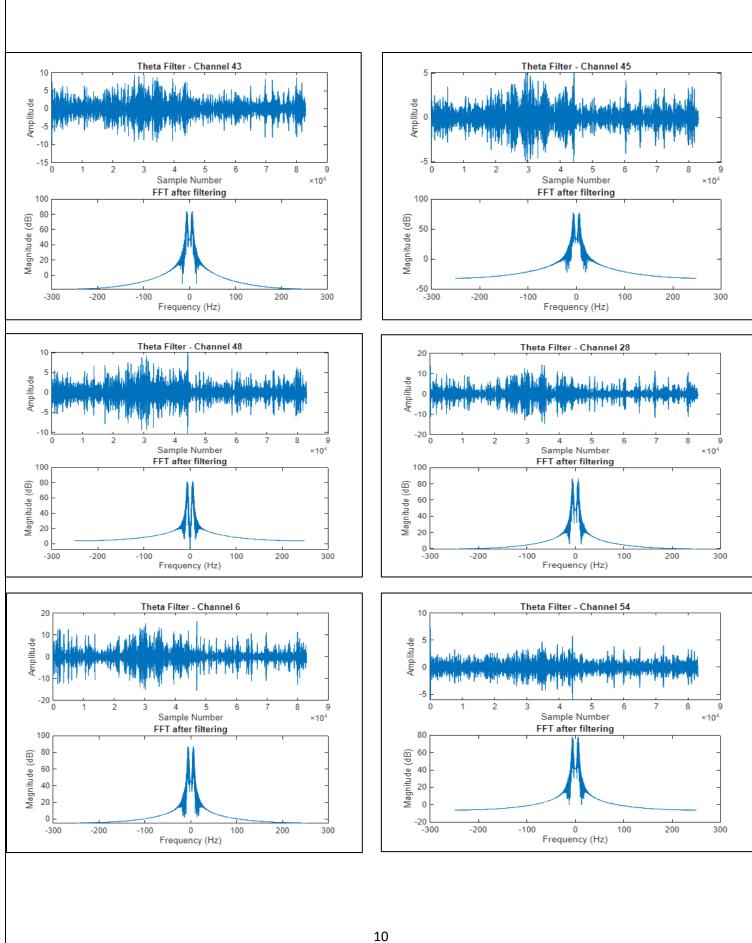
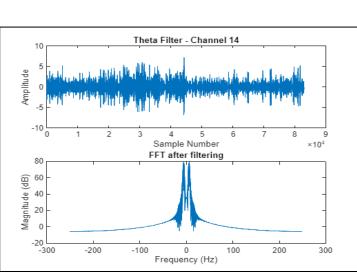


Figure 3: The time domain and frequency domain of the signals of 10 random channels after passing through delta filter









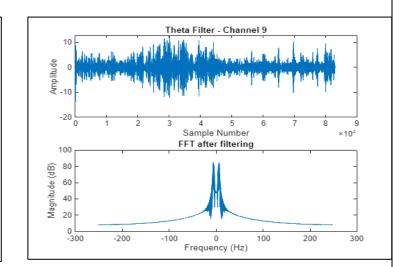
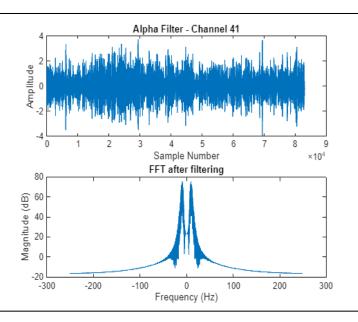
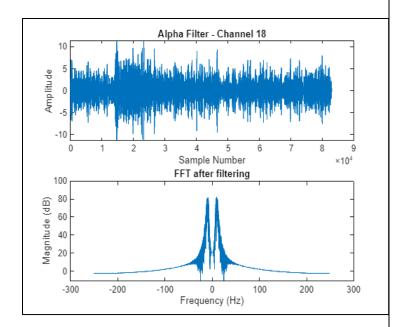
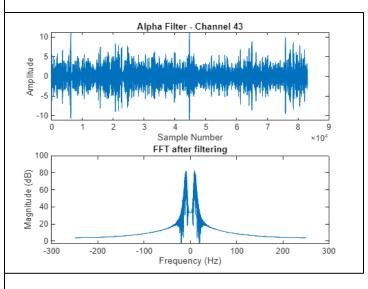
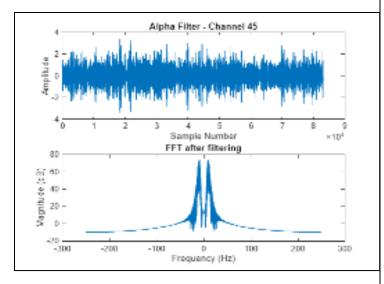


Figure 4: The Original and Filtered Signal in time and frequency domain









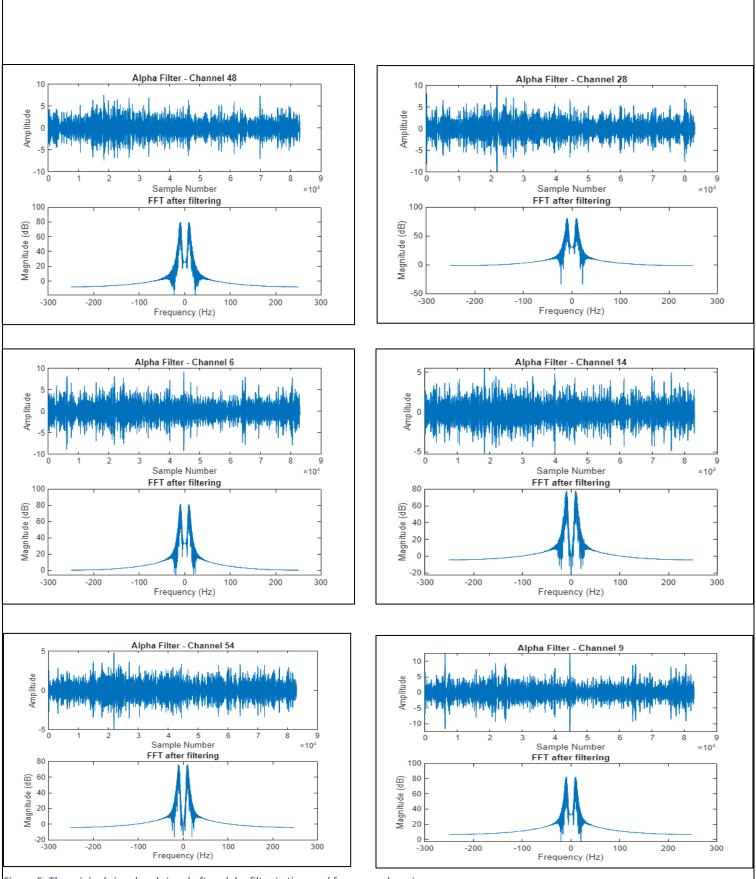
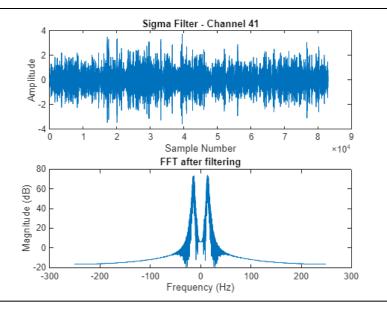
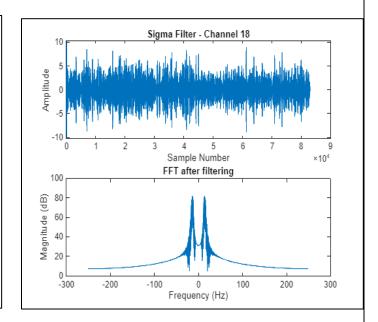
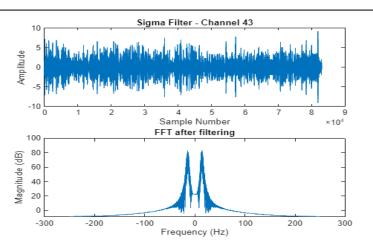
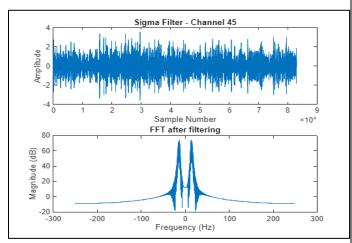


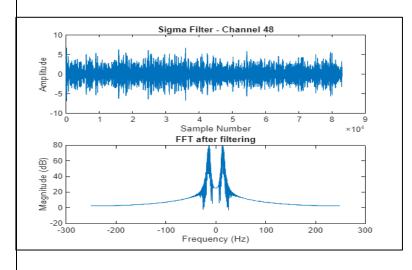
Figure 5: The original signal and signal after alpha filter in time and frequency domain

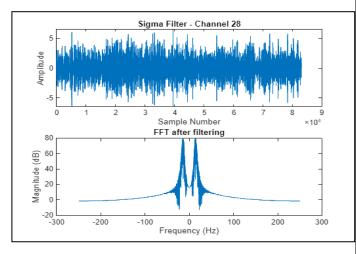


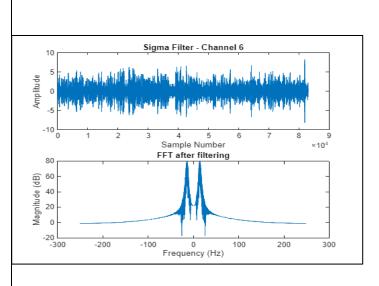


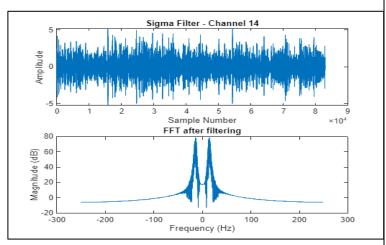


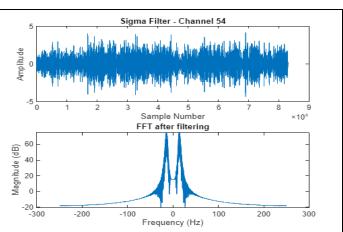












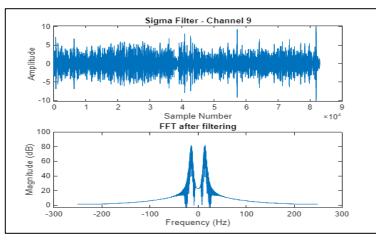
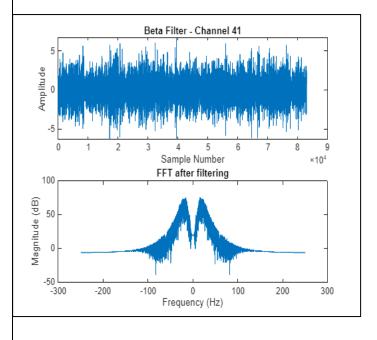
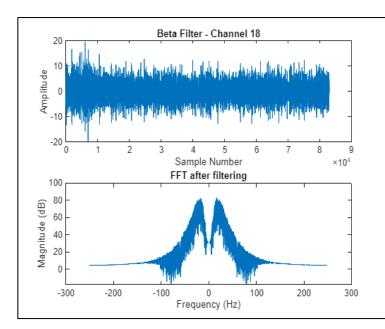
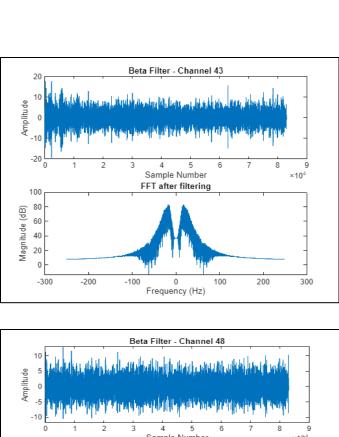
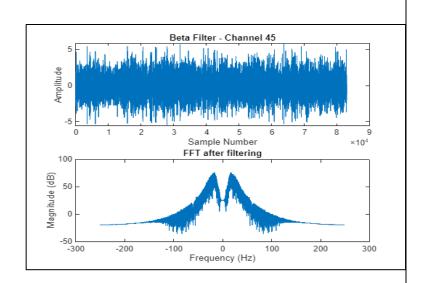


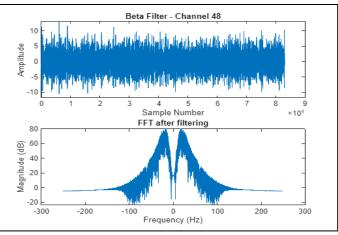
Figure 6: Signal before and after sigma filter in both time and frequency domain

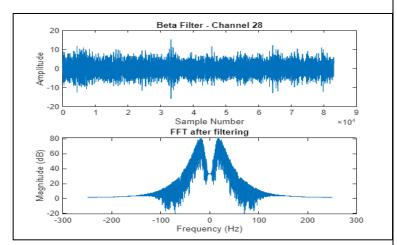


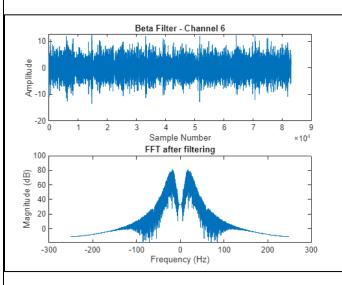


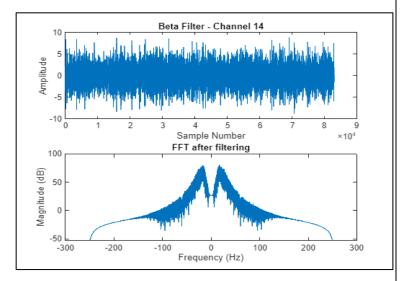


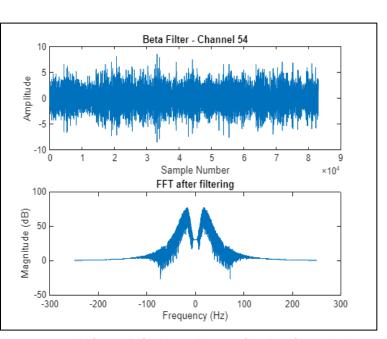












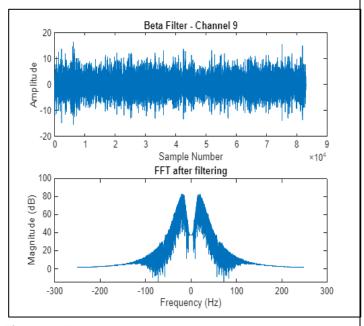
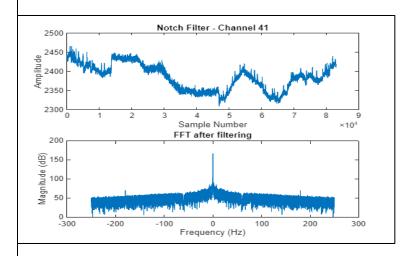
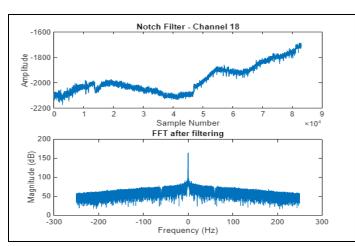
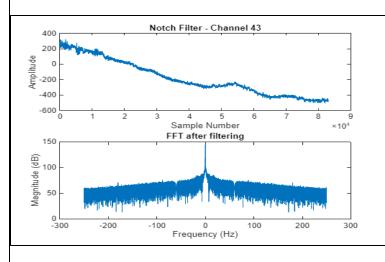
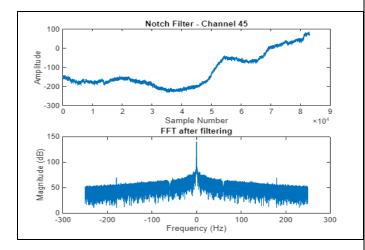


Figure 7: Signal before and after the application of the beta filter in both time and frequency domain









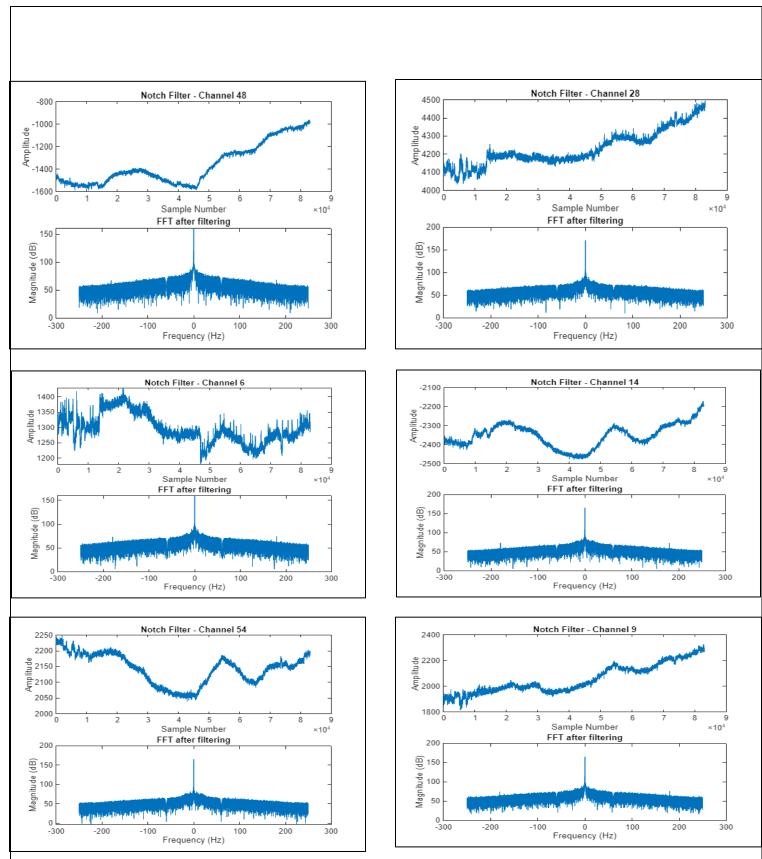


Figure 8: Signal before and after notch filter, in both time and frequency domain

```
\% Plot the combined frequency response of each of the designed filters in dB scale
```

```
figure;
hold on;
for k = 1:length(all_filters)
    filter name = all filters{k};
    if strcmp(filter_name, 'notch')
        [h, f] = freqz(notch_b, notch_a, 1024, fs);
    else
        [h, f] = freqz(filters.(filter_name), 1024, fs);
    end
    plot(f, 20*log10(abs(h)), 'DisplayName', filter_name);
    saveas(gcf, [all_filters{k} '_Filtered_Signals.png']);
end
legend;
title('Frequency Response of Designed Filters (dB Scale)');
xlabel('Frequency (Hz)');
ylabel('Magnitude (dB)');
grid on;
hold off;
saveas(gcf, 'Combined_Frequency_Response_dB.png');
```

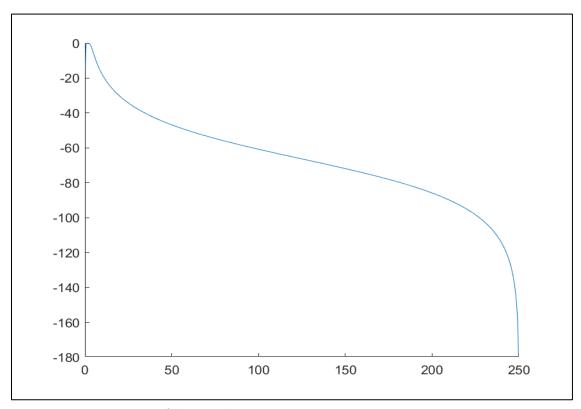


Figure 9: Frequency Response of the Delta Filter

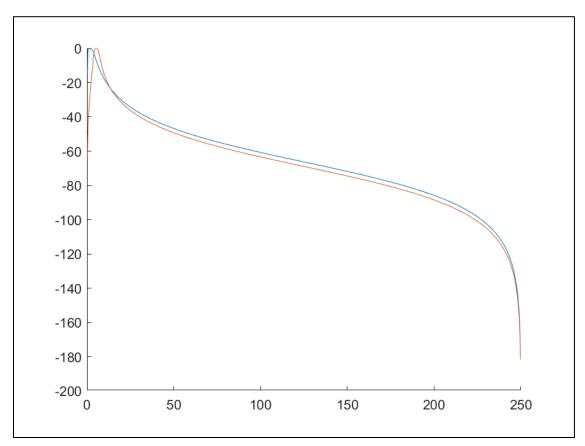


Figure 10: Frequency Response of Theta Filter (red) added

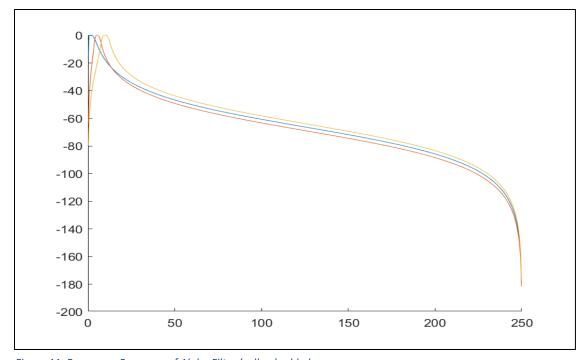


Figure 11: Frequency Response of Alpha Filter (yellow) added

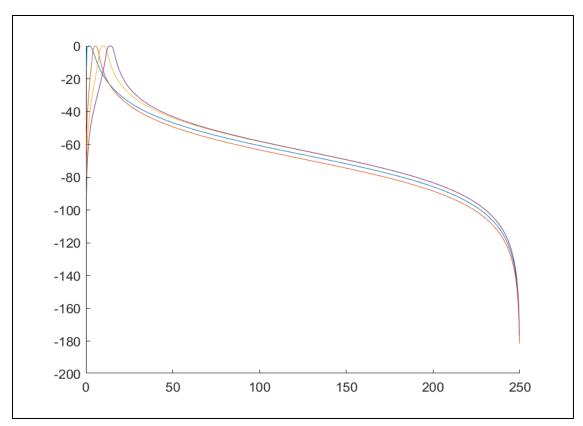


Figure 12: Frequency Response of Sigma Filter (purple) added

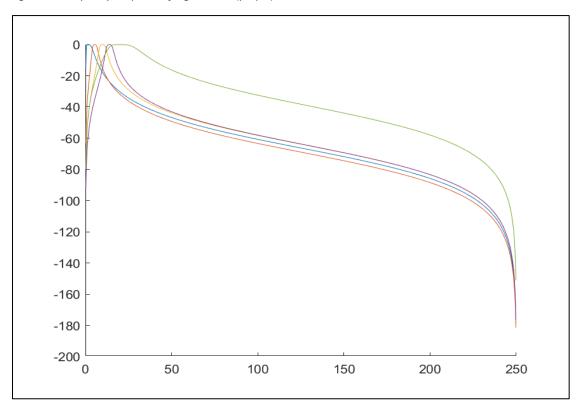


Figure 13: Frequency Response of Beta Filter (green) added

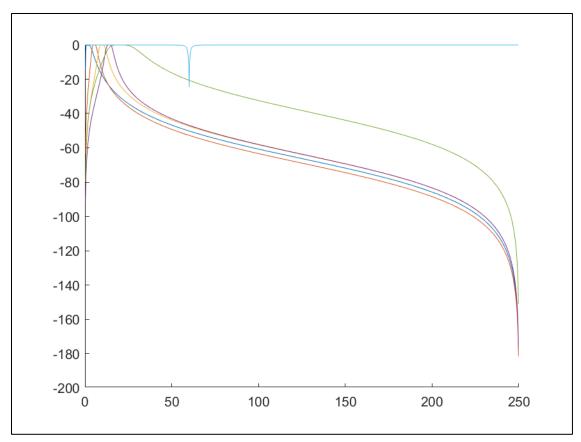


Figure 14: Frequency Response of Notch Filter (sky blue) added

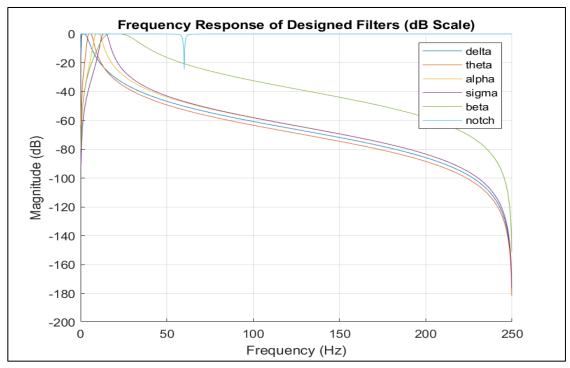
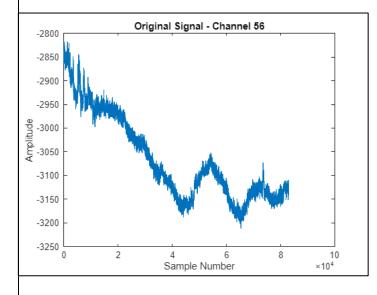
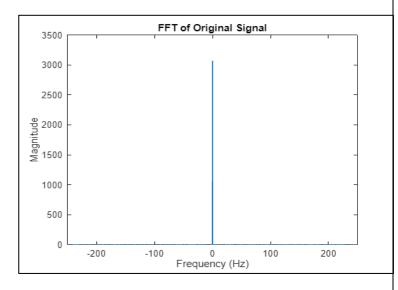
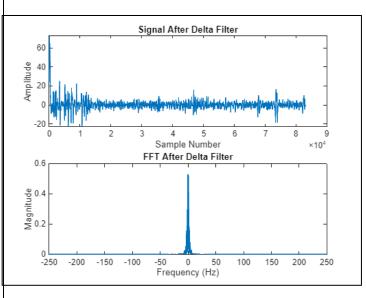


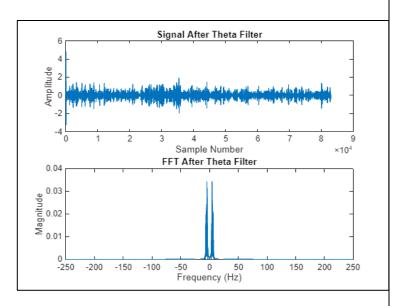
Figure 15: Combined Frequency Response of all the filters.

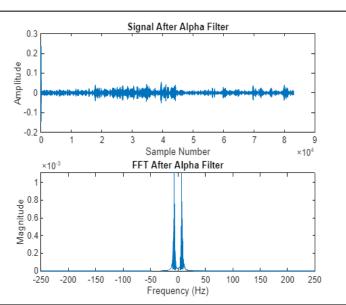
```
% Sequential filtering on one channel
sequential filtered signal = EEG.data(channel to plot, :);
figure;
plot(sequential_filtered_signal);
title('Original Signal');
xlabel('Sample Number');
ylabel('Amplitude');
saveas(gcf, 'Original_Signal.png');
for k = 1:length(all filters)
    filter_name = all_filters{k};
    if strcmp(filter name, 'notch')
        sequential_filtered_signal = filtfilt(notch_b, notch_a,
sequential_filtered_signal);
    else
        sequential_filtered_signal = filtfilt(filters.(filter_name),
sequential_filtered_signal);
    end
    % Plot the signal after passing through each filter
    figure;
    plot(sequential_filtered_signal);
    title(['Signal After ' upper(filter_name(1)) filter_name(2:end) ' Filter']);
    xlabel('Sample Number');
    ylabel('Amplitude');
    saveas(gcf, ['Sequential_Filtered_Signal_' filter_name '.png']);
end
```

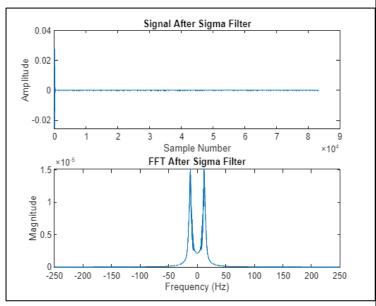


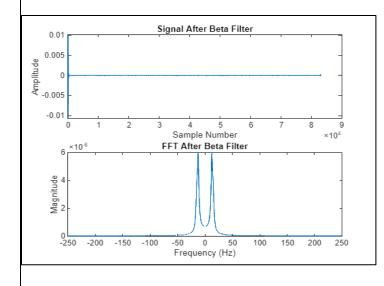


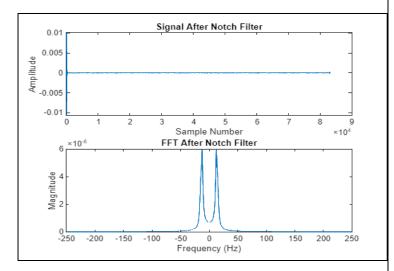












Comments on the Results

The results demonstrate the effectiveness of the notch filter in removing 60Hz line noise from the EEG signal, enhancing signal clarity significantly. Subsequent application of bandpass, high-pass, and low-pass filters on selected channels isolates specific frequency components, effectively highlighting various brain activity bands. The sequential filtering process on a single channel confirms cumulative noise reduction and signal enhancement, rendering the EEG data more suitable for detailed analysis. Overall, the filtering techniques employed improve EEG signal quality, facilitating more accurate and insightful neurological assessments. These outcomes underscore the significance of advanced digital signal processing techniques in enhancing the quality of EEG data and contributing to more accurate neurological analyses and diagnoses.

Conclusion

In conclusion, the comprehensive filtering approach applied to EEG data successfully mitigates noise interference and enhances signal integrity. By effectively removing line noise and isolating specific frequency bands associated with brain activity, the filtered signals exhibit improved clarity and fidelity. The sequential filtering process further refines the data, resulting in a cleaner and more interpretable EEG signal. These outcomes underscore the significance of advanced digital signal processing techniques in improving the quality of EEG data, contributing to more accurate and insightful neurological analyses and diagnoses. As EEG continues to be a critical tool in neurology and neuroscience research, the utilization of robust filtering methods demonstrated in this project holds immense promise in advancing our understanding of brain function and pathology.