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CSE260

Section: 02

Ans no 1

$$(A+B)(A+B)(A+C)$$

$$= (A+B)(A+C)$$

$$= AA + AB + AC + BC$$

$$= A + AB + AC + BC$$

$$= A(1+C) + AB + BC$$

$$= A + AB + BC$$

$$= A(1+B) + BC$$

$$= A + BC$$

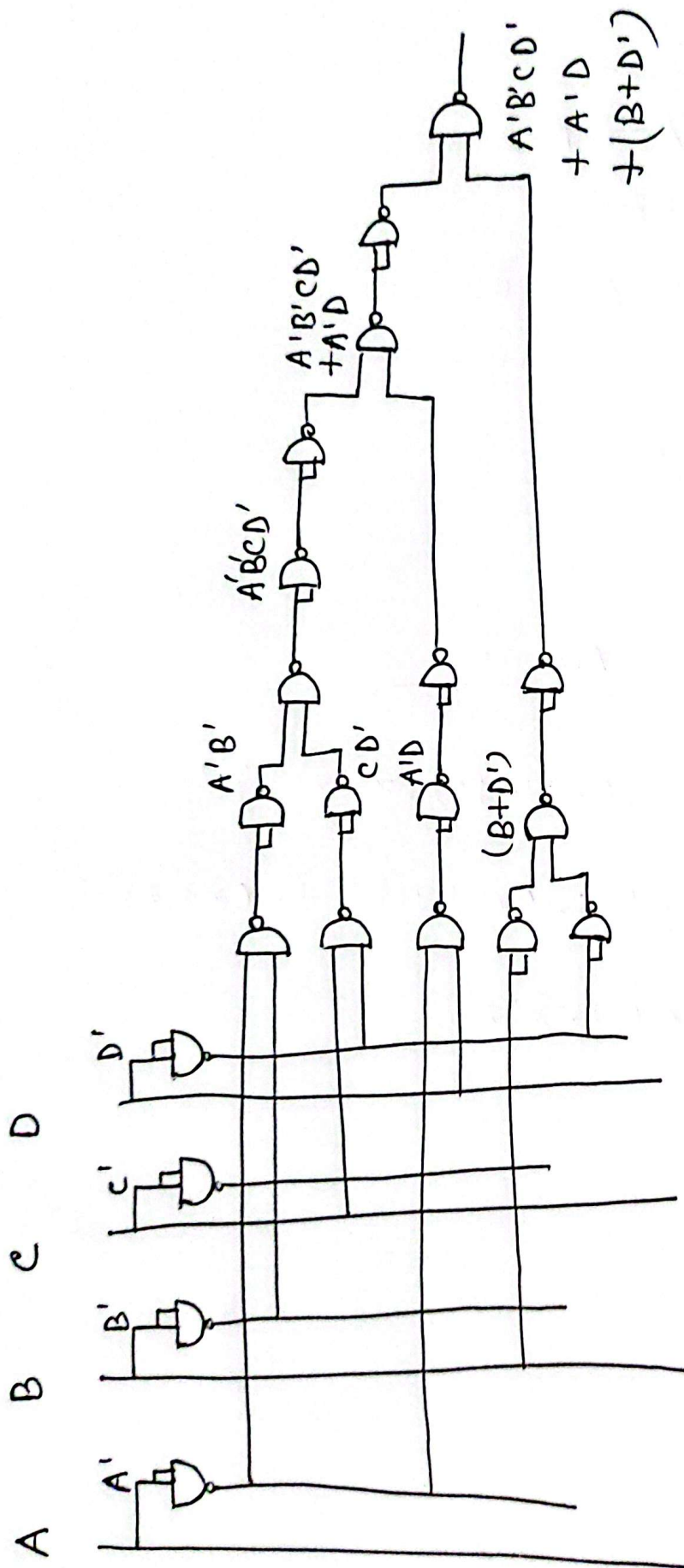
Ans no 2

$$((x' + y + z')(x' + y')(x + z'))'$$

$$= (x' + y + z')' + (x' + y')' + (x + z')'$$

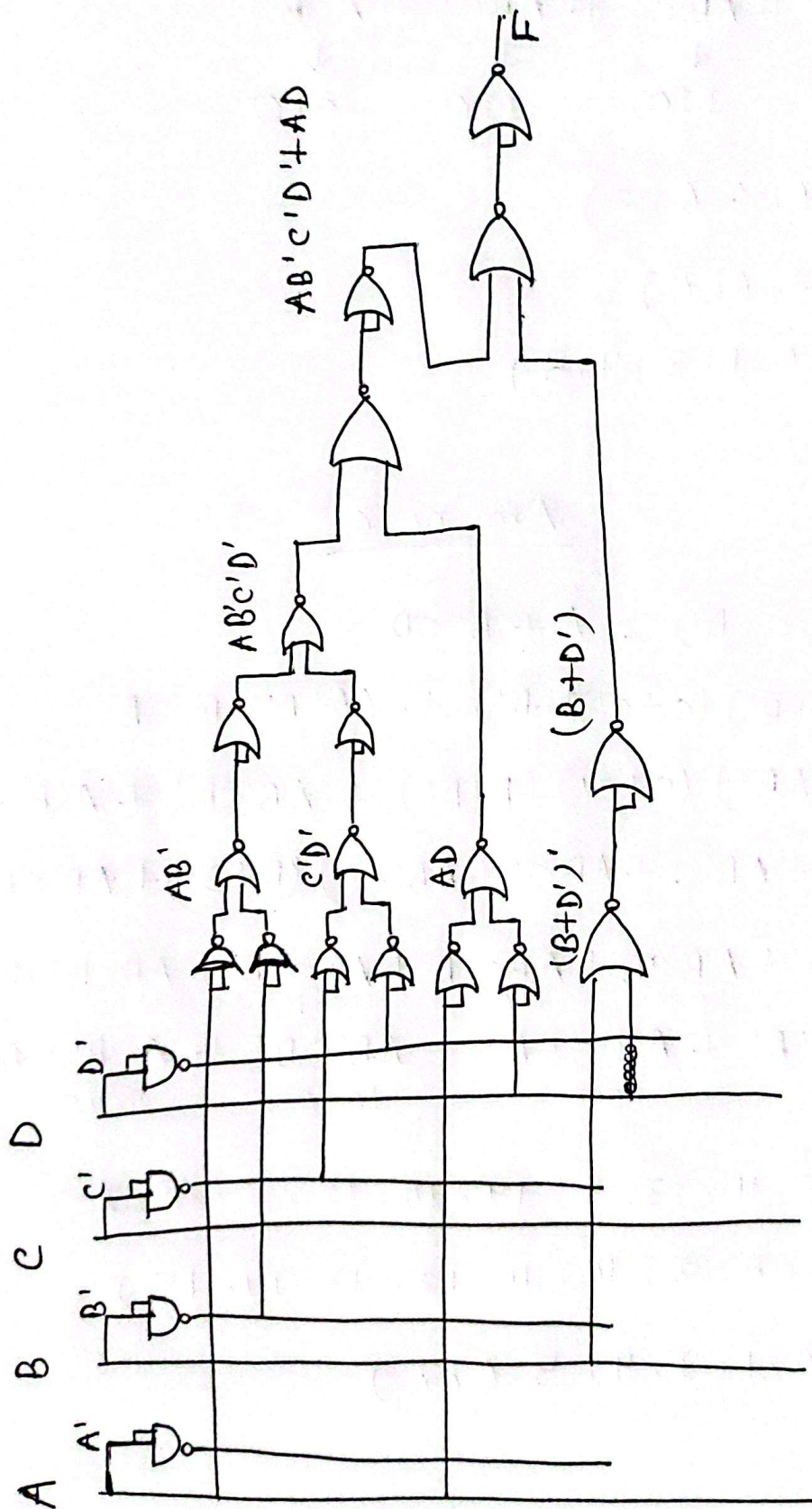
$$= xy'z + xy + x'z$$

$$F(A, B, C, D) = (A'B'CD' + A'D + (B+D'))$$



Ans no 4 (NOR)

$$F(A, B, C, D) = (AB'C'D' + AD + (B+D'))$$



Ans no 5

$$F(A, B, C) = AB + Bc'$$

$$= AB(c+c') + (A+A')Bc'$$

$$= ABc + ABc' + ABc' + A'Bc'$$

$$\begin{array}{cccc} \downarrow & \downarrow & \downarrow & \downarrow \\ 111 & 110 & 110 & 010 \end{array}$$

$$= \Sigma(7, 6, 6, 2)$$

$$= \Sigma(2, 6, 7)$$

$$= \Pi(0, 1, 3, 4, 5)$$

Ans no 6

$$F(A, B, C, D) = A + B'cD'$$

$$= A(B+B')(c+c')(D+D') + (A+A')B'cD'$$

$$= (AB + AB')(c+c')(D+D') + AB'cD' + A'B'cD'$$

$$= (ABC + AB'C + ABC' + AB'C')(D+D') + AB'cD' + A'B'cD'$$

$$= \begin{array}{cccccc} ABCD & + & AB'cD & + & ABC'D & + & AB'c'D & + & ABCD' & + & AB'cD' \\ 1111 & & 1011 & & 1101 & & 1001 & & 1110 & & 1010 \end{array}$$

$$+ \begin{array}{cccc} ABC'D' & + & AB'c'D' & + & AB'cD' & + & A'B'cD' \\ 1100 & & 1000 & & 1010 & & 0010 \end{array}$$

$$= \Sigma(15, 11, 13, 9, 14, 10, 12, 8, 10, 2)$$

$$= \Sigma(2, 8, 9, 10, 11, 12, 13, 14, 15)$$

$$= \Pi(0, 1, 3, 4, 5, 6, 7)$$

Ans no 7

$$F(A, B, C, D, E) = AB + CDE$$

$$= AB(C + C')(D + D')(E + E') + (A + A')(B + B')CDE$$

$$= (ABC + ABC')(DE + D'E + DE' + D'E') + (AB + A'B + AB' + A'B')CDE$$

$$= \begin{matrix} ABCDE & + & ABC'DE & + & ABCD'E & + & ABC'D'E & + & ABCDE' \\ 11111 & & 11011 & & 11101 & & 11001 & & 11110 \end{matrix}$$

$$+ \begin{matrix} ABC'DE' & + & ABCD'E' & + & ABCE'D'E' & + & ABCDE & + & A'B'CDE \\ 11010 & & 11100 & & 11000 & & 11111 & & \cancel{10000} \\ & & & & & & & & 01111 \end{matrix}$$

$$+ \begin{matrix} AB'CDE & + & A'B'CDE \\ 10111 & & 00111 \end{matrix}$$

$$= \Sigma(31, 27, 29, 25, 30, 26, 28, 24, 31, 15, 23, 7)$$

$$= \Sigma(7, 15, 23, 24, 25, 26, 27, 28, 29, 30, 31)$$

$$= \Pi(0, 1, 2, 3, 4, 5, 6, 8, 9, 10, 11, 12, 13, 14, 16, 17, 18, 19, 20, 21, 22)$$

(8) $F(a, b, c, d) = \sum (8, 9, 10, 11, 13, 15)$

1000 1001 1010 1011 1101 1111

$$= AB'c'd' + AB'c'd + AB'cd' + AB'cd + ABC'd + ABCD$$

$$= AB'c'(D+D') + AB'c(D+D') + ABD(c+c')$$

$$= AB'c' + AB'c + ABd$$

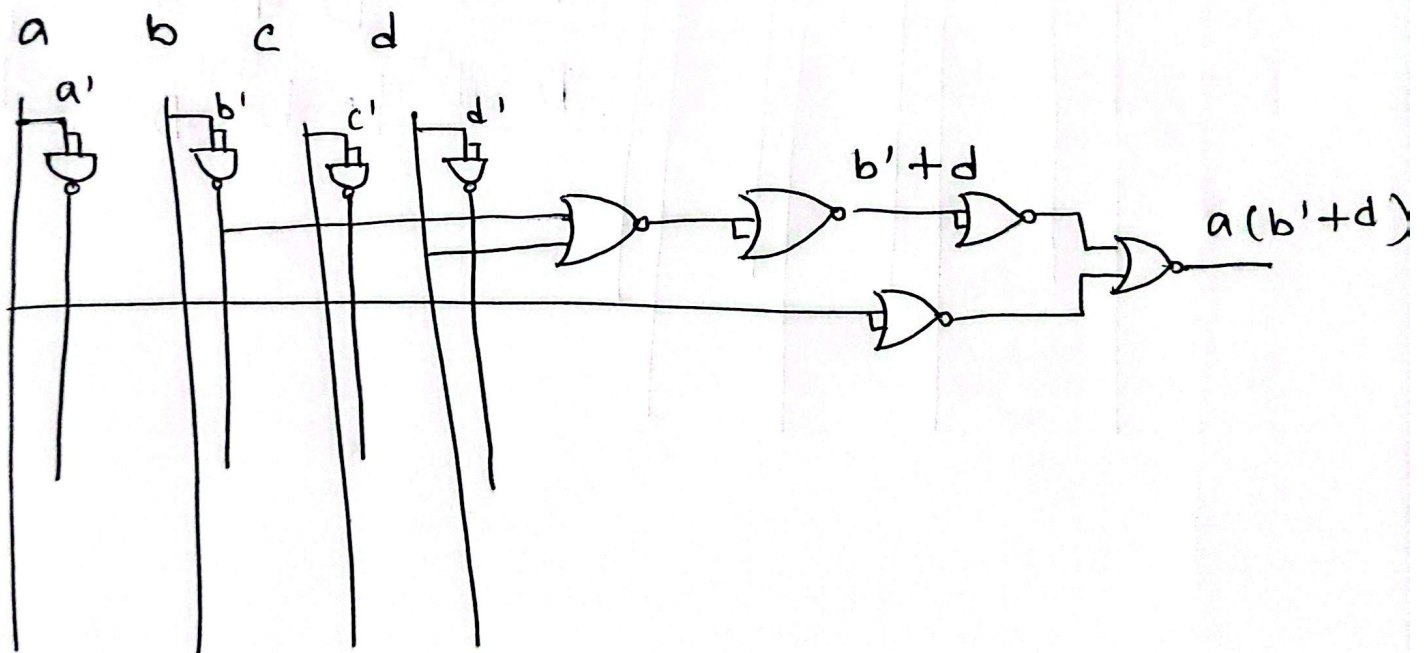
$$= AB'(c+c') + ABD$$

$$= AB' + ABD$$

$$= A(B' + BD)$$

$$= A (B' + B) (B' + D)$$

$$= A(B' + D)$$



$$\textcircled{9} F(a,b,c,d) = \sum (8,9,10,11,7,15)$$

$$= \sum (0,7,8,9,11,15)$$

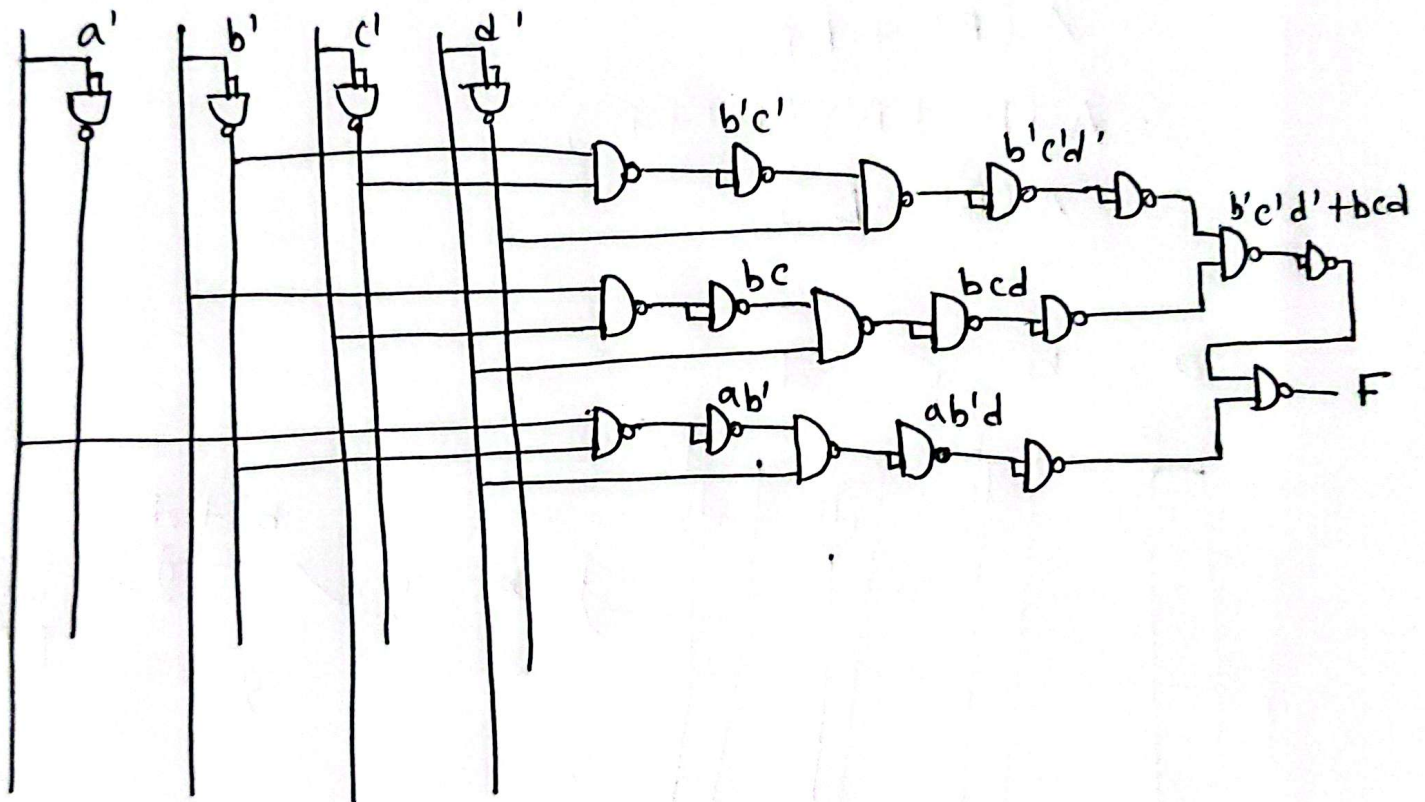
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$$= a'b'c'd' + a'bcd + ab'c'd' + ab'c'd + ab'cd + abcd$$

$$= b'c'd'(a+a') + bcd(a+a') + ab'd(c+c')$$

$$= b'c'd' + bcd + ab'd$$

a b c d



⑩ $F(a, b, c, d) = \sum (5, 8, 9, 12, 15)$

$$= a'b'cd + ab'c'd' + ab'c'd + abc'd' + abcd$$

$$= a'b'c'd + ab'c'(d + d') + ab(cd + c'd')$$

$$= a'bc'd + ab'c' + ab$$

$$= a'bc'd + a(b + b'c')$$

$$= a'b'c'd + a((b+b')(b+c'))$$

$$= a'bc'd + a(b+cd)$$

