Department of Computer Science and Engineering BRAC University

Set B

Name of Semester Final Parkeys 1 hour 45 minutes

Semester: Spring 2025

Full Marks: 40

CSE 423: Computer Graphics

Name:		
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[Answer the following questions. Understanding the questions is part of your examination. So, do not ask for any clarification of the questions.]

Question 1 [CO2]

- a. Rachel, a game developer, is customizing magical glow effects in a fantasy game using a shader editor that supports both HSL and HSV color models. She notices that while the same Hue value gives labeled diagram that visually represents the HSL color model. Describe the key differences between HSV color models use the same formula for calculating Hue. [1+2+1]
- b. In a 3D modeling software, Rachel is applying color to a rectangular panel. The rectangle is defined by the vertices A(-400, 500), B(400, 500), C(400, 300), and D(-400, 300). Let point P be the centroid of the rectangle. The color at vertex A is specified using the HSV color model with values (45°, 0.8, 0.9), and the color at vertex C is defined in the CMY model with values (0.3, 0.4, 0.2). Using Gouraud shading, compute the interpolated color at point P and express the result in the RGB color model. [6]

Question 2 [CO3]

- a. Matt Murdock is on a mission and hides behind his glossy red sports car at night. An enemy is nearby, and the only light source is an orange streetlamp. To spot the enemy without revealing his position, Matt considers using one of three small mirrors with shininess values of 1, 20, and 50. He also notices that parts of his red car appear to have orange highlights under the street lamp. Which mirror should Matt use to best locate the enemy? Justify your choice using Phong's reflection model. In addition, state the reason why the red car displays orange highlights under the orange street lamp. [2+2]
- b. Matt Murdock is now designing the lighting for a 3D simulation inside a small room, with the xy plane acting as the floor. A perfect sphere with a radius of 1 unit and shininess 5 is placed in the room with its center at (4, 5, 5). To give an 80s feel, he decides to use only grayscale light sources. He placed a backlight at (0, 8, 8) with source intensity 0.9, diffuse coefficient 0.5, and specular coefficient 0.6. Matt is also trying to place a floor light at (4, 2, 3) with source intensity 0.8, diffuse

coefficient 0.4, and specular coefficient 0.7. All sources have a sphere of influence of 5 units. The ambient light intensity and coefficient are both 0.4. Can you help Matt by calculating the total (6, 3, 7)? Use the Phong Reflection Model to calculate this intensity. [6]

[Hint. Calculate the attenuation factor first.]

Question 3 [CO2]

- a. A designer is creating a technical drawing of a mechanical part. In the drawing, the front face of the object is shown in true shape and size, while the depth is represented along lines receding at 45° to the horizontal, and the depth dimensions are kept at full scale. Identify which type of parallel projection change in the drawing if the depth axis were scaled to half its actual length? [3+2]
- b. While studying late at night for the CSE423 final, you realize it is gently raining outside through your glass window. The window is standing at z = .250. You look through the window down at a flower shop across the street, where a flower, for its unique colour, catches your attention. If a line segment is drawn starting from one side of the shop, (100, 100, -350), and ending at the other side (500, 80, -350), the flower's position, P, falls on this line segment's 80% of the way. From where you are window is 1/5th of the z distance between the window and the flower. Find the flower's projected coordinate, P', on the window. [5]

Question 4 [CO1]

- a. A point on the Bézier curve is given by the equation: s = r1 + t(r2 r1). From this equation, derive the basis matrix of the Bézier curve. [4]
- b. You are going to draw an enclosed boundary using 3 cubic Bézier curves joined together to form a single smooth composite curve. You have already decided upon the control points for the first and second Bézier curves. Coordinates of the First Bézier curve (Curve P): P₀ (0, 0), P₁ (2, 3), P₂ (4, 3), P₃ (6, 0), and the Second Bézier curve (Curve Q): Q₀ (?, ?), Q₁ (14, -3), Q₂ (16, -3), Q₃ (18, 0)

You want to insert the last Bézier curve (Curve R) between them such that the entire 3-curve segment is C^1 continuous. Evaluate the first control point Q_0 of the Second Bezier curve and the 4 control points- R_0 , R_1 , R_2 , R_3 of the last Bézier curve (Curve R). [6]

********** The End **********