CSE 470 –Control Flow Graph (Path Based Testing)

BRAC University

Control Flow Graph: Introduction

- An abstract representation of a structured program/function/method.
- Consists of two major components:
  - *Node*:
    - Represents a stretch of sequential code statements with no branches.
  - *Directed Edge* (also called *arc*):
    - Represents a branch, alternative path in execution.
- Path:
  - A collection of *Nodes* linked with *Directed Edges.*

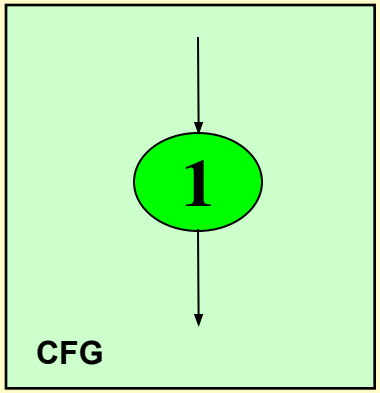
Notation Guide for CFG

- A CFG should have:
  - 1 entry arc (known as a directed edge, too).
  - 1 exit arc.
- All nodes should have:
  - At least 1 entry arc.
  - At least 1 exit arc.
- **A Logical Node** that does not represent any actual statements can be added as a joining point for several incoming edges.
  - Represents a logical closure.
  - Example:
    - Node 4 in the `if-then-else` example in next slides

Simple Examples

```
Statement1;
Statement2;
Statement3;
Statement4;
```

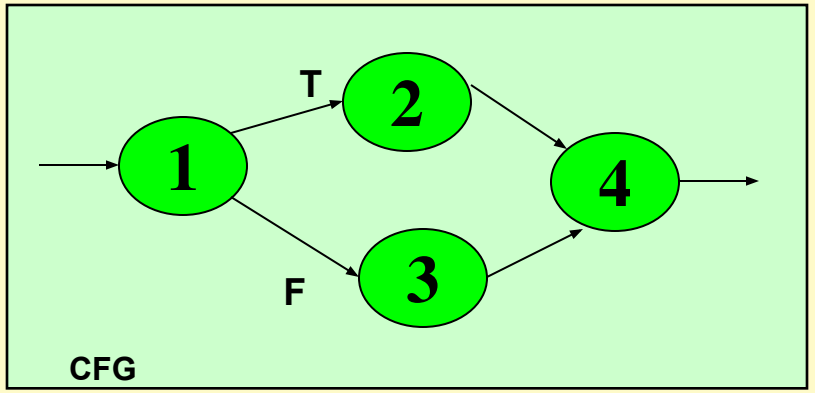
Can be represented as **one** node as there is no branch.



More Examples

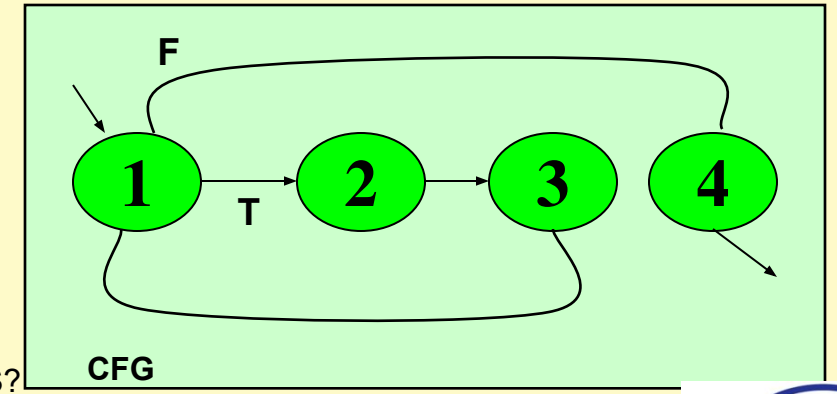
```
if X > 0 then
   Statement1;
else
   Statement2;
```

1
2
3




```
while X < 10 {
   Statement1;
   X++; }
```

1
2
3

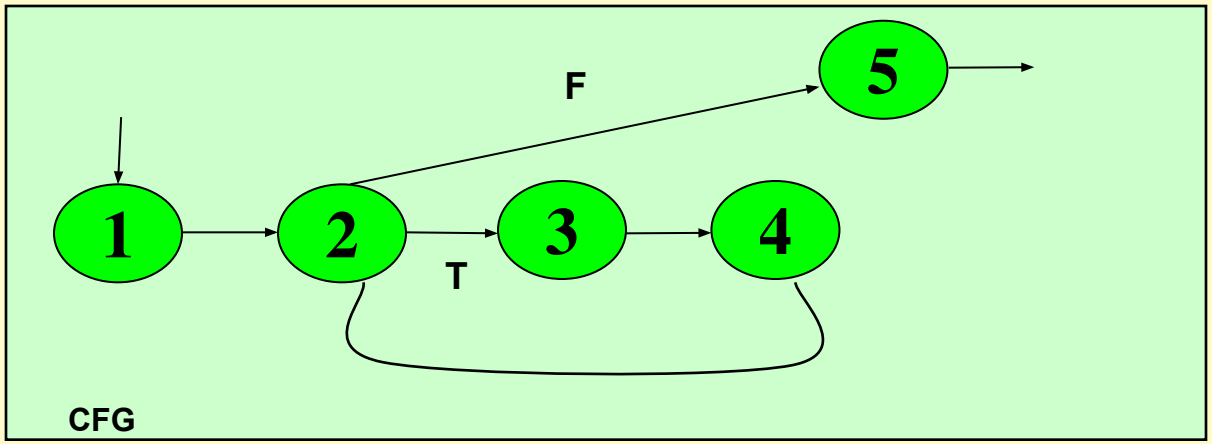


Question: Why is there a node **4** in both CFGs?

Answer: A logical node

More Examples

```
          1          2        4
for (int i = 0; i < 10 ; i++){
    Statement1;
    Statement2;          3
    Statement3;
     }
Statement4;              5
```



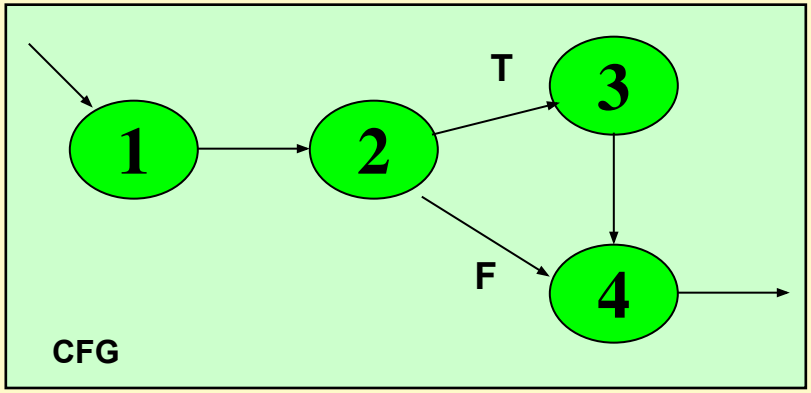
Combined Examples

```
Statement1;
Statement2;

if x < 10 then
   Statement3;

Statement4;
```

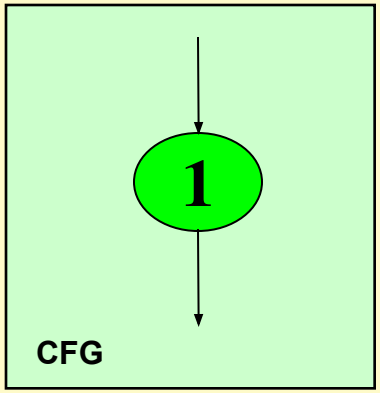
1
2
3
4



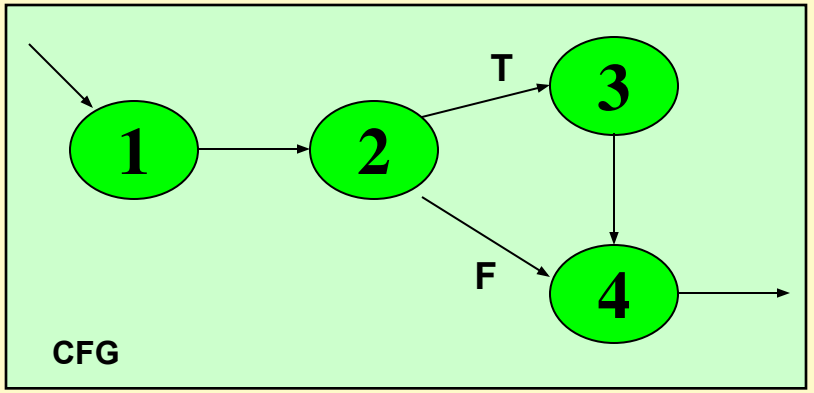
Number of Paths through CFG

- Given a program, how do we exercise all statements and branches at least once?
- Translating the program into a CFG, an equivalent question is:
  - Given a CFG, how do we cover all arcs and nodes at least once?
- Since a path is a trail of nodes linked by arcs, this is similar to ask:
  - Given a CFG, what is the set of paths that can cover all arcs and nodes?

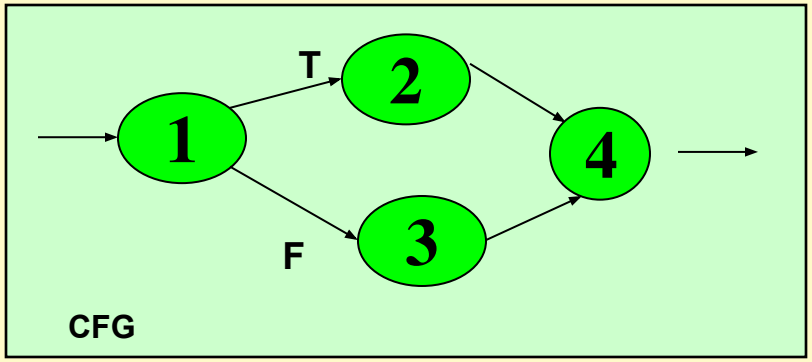
Example



- Only **one** path is needed:
  - **[1]**



- **Two** paths are needed:
  - **[1 – 2 – 4]**
  - **[1 – 2 – 3 – 4]**



- **Two** paths are needed:
  - **[1 – 2 – 4]**
  - **[1 – 3 – 4]**

White Box Testing: Path Based

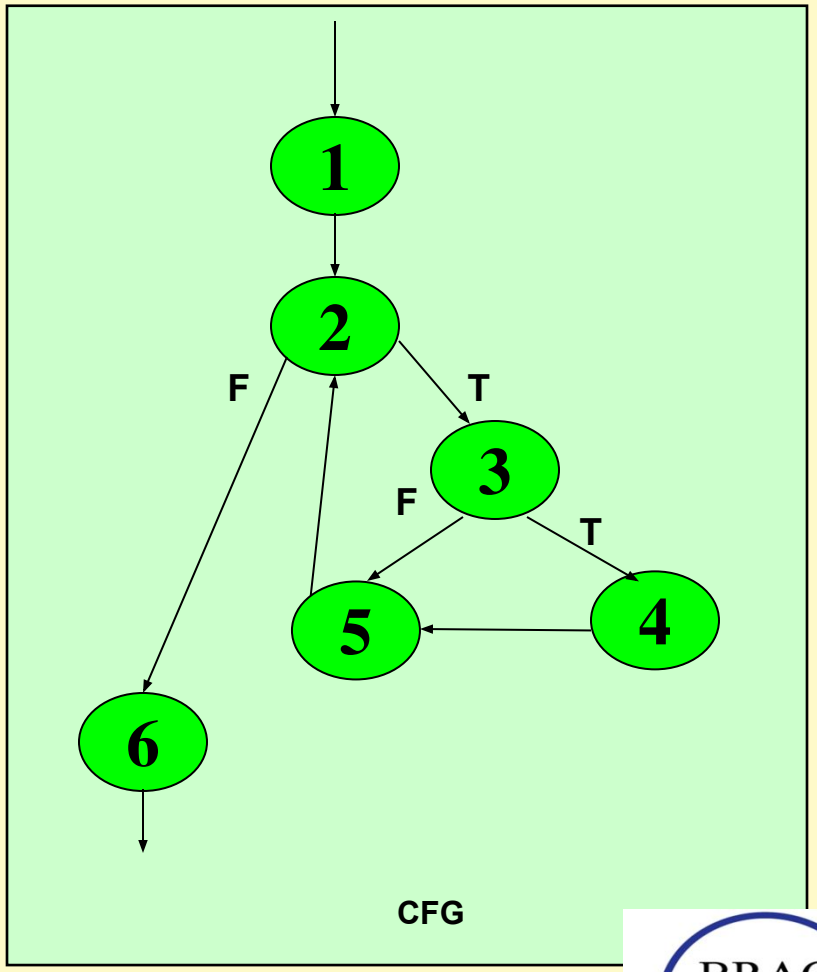
- A generalized technique to find out the number of paths needed (known as *cyclomatic complexity*) to cover all arcs and nodes in CFG.
- Steps:
  1. Draw the CFG for the code fragment.
  2. Compute the *cyclomatic complexity number* ***C***, for the CFG.
  3. Find at most ***C*** paths that cover the nodes and arcs in a CFG, also known as **Basic Paths Set;**
  4. Design test cases to force execution along paths in the **Basic Paths Set.**

Path Based Testing: Step 1

```
min = A[0];
i = 1;

while (i < n) {
  if (A[i] < min)
          min = A[i];
   i = i + 1;
}
print min
```

1
2
3
4
5
6



Path Base Testing: Step 2

1. The complexity M is then defined as

M = R + 1,

where *R* = the number of regions in the graph.

2. The complexity M is then defined as

M = P + 1,

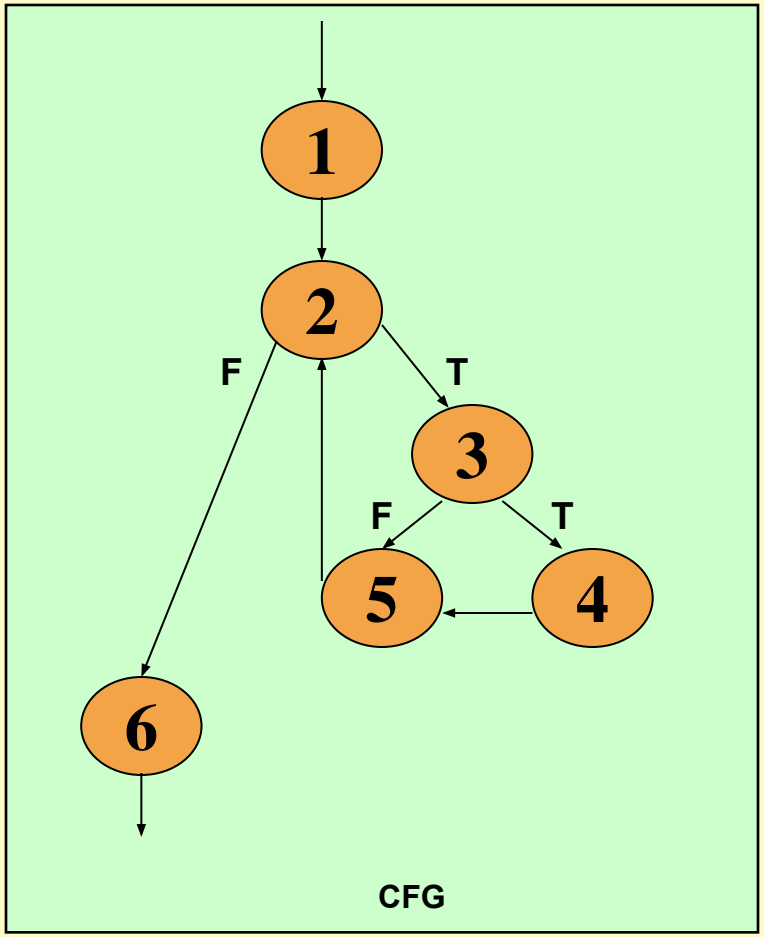
where *P* = the number of predicate nodes in the graph.

3. The complexity M is then defined as

M = E – N + 2P,where

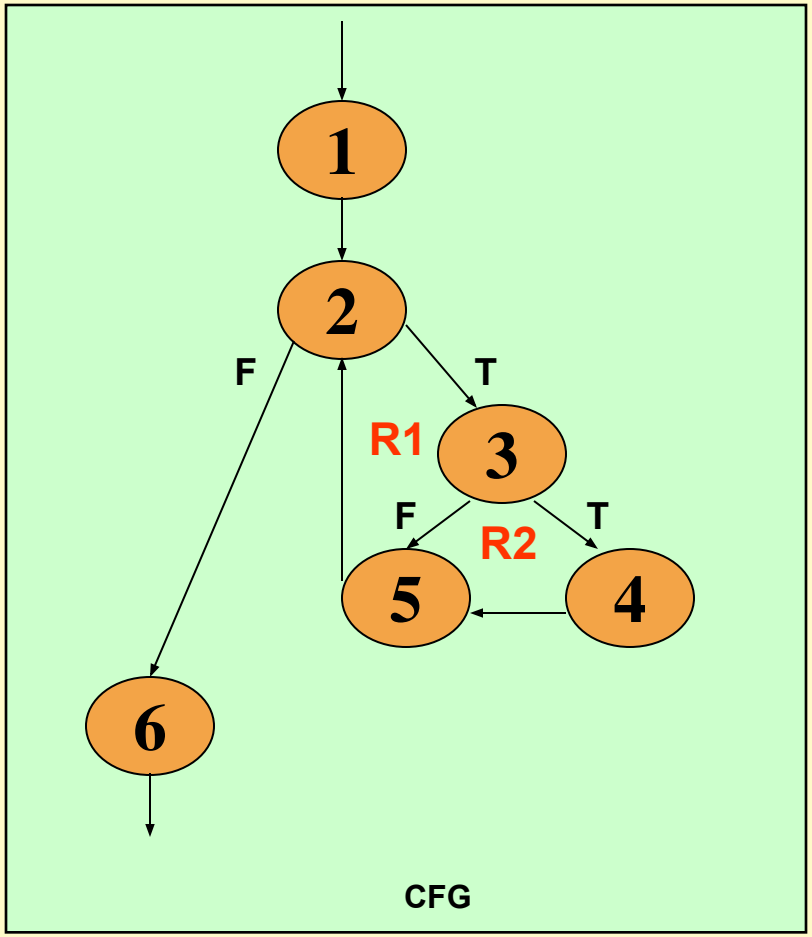
- *E* = the number of edges of the graph.
- *N* = the number of nodes of the graph.
- *P* = the number of connected components.

Path Base Testing: Step 2



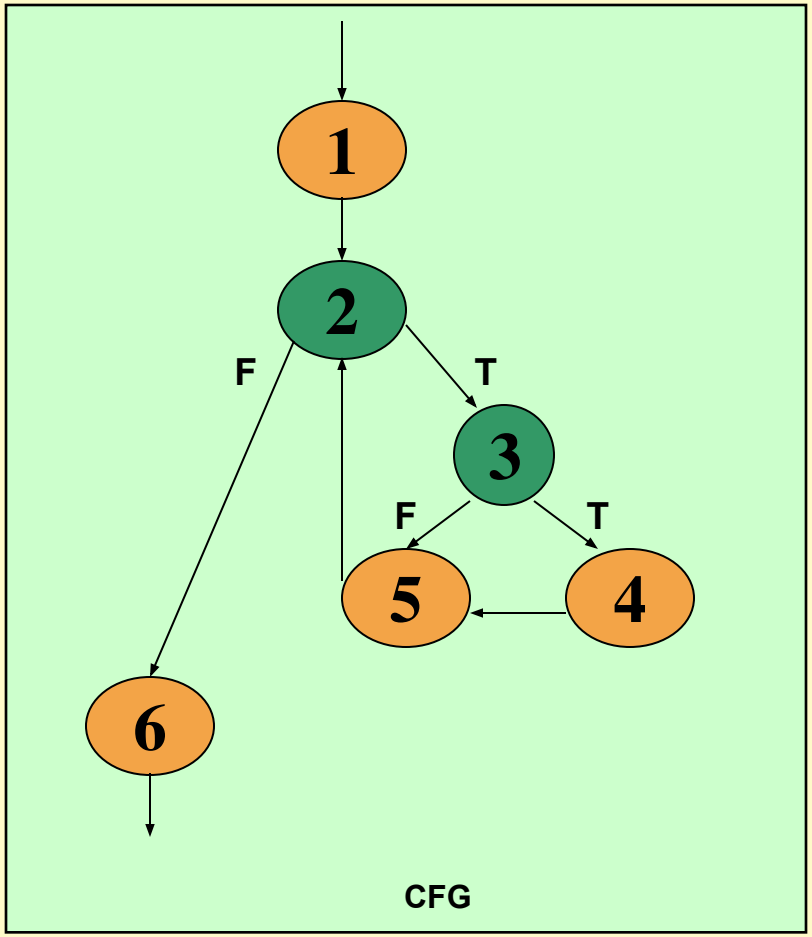
- Cyclomatic complexity =
  - The number of 'regions' in the graph(R) + 1
  - **M = R + 1**

Path Base Testing: Step 2



- Cyclomatic complexity, M =
  - The number of 'regions' in the graph(R) + 1
  - = 2 +1 = 3

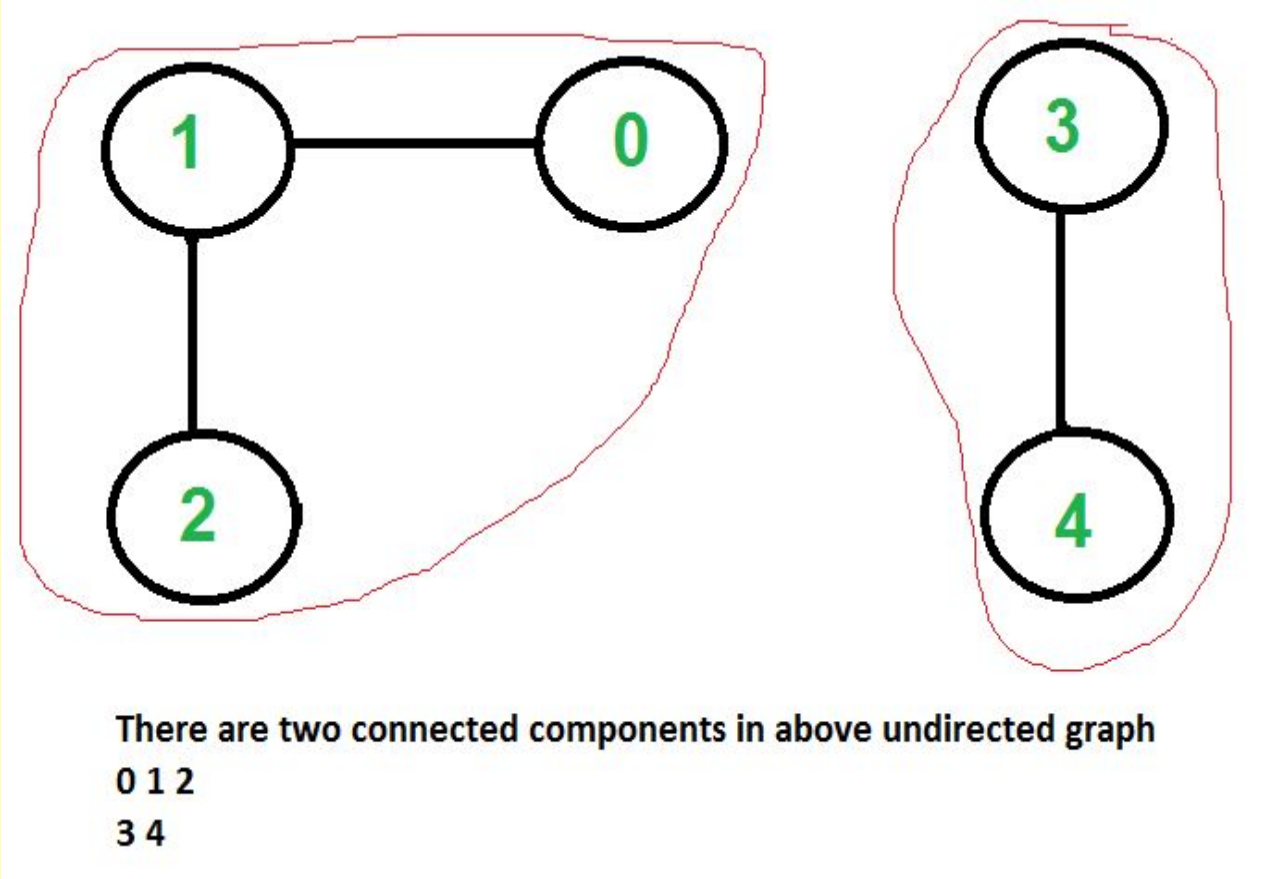
Path Base Testing: Step 2



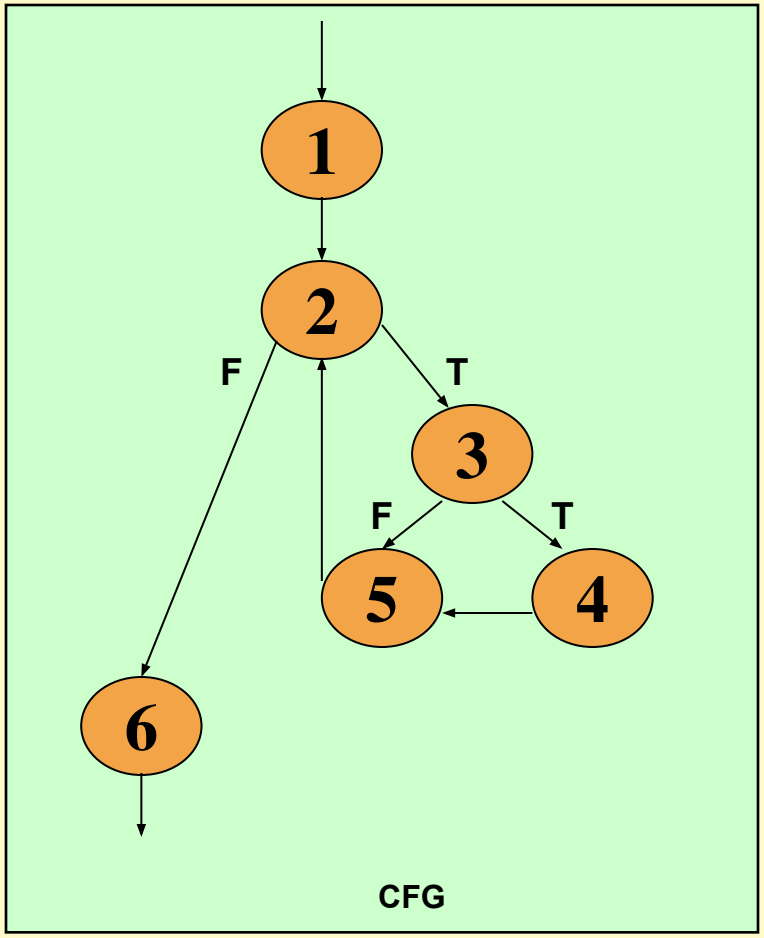
- M = Number of 'predicate' node (P) + 1
- In this example:
  - Predicates, P = 2
    - (Node 2 and 3)
  - Cyclomatic Complexity, M
    = 2 + 1
    = 3

Path Base Testing: Step 2

Connected Components in a Graph



Path Base Testing: Step 2

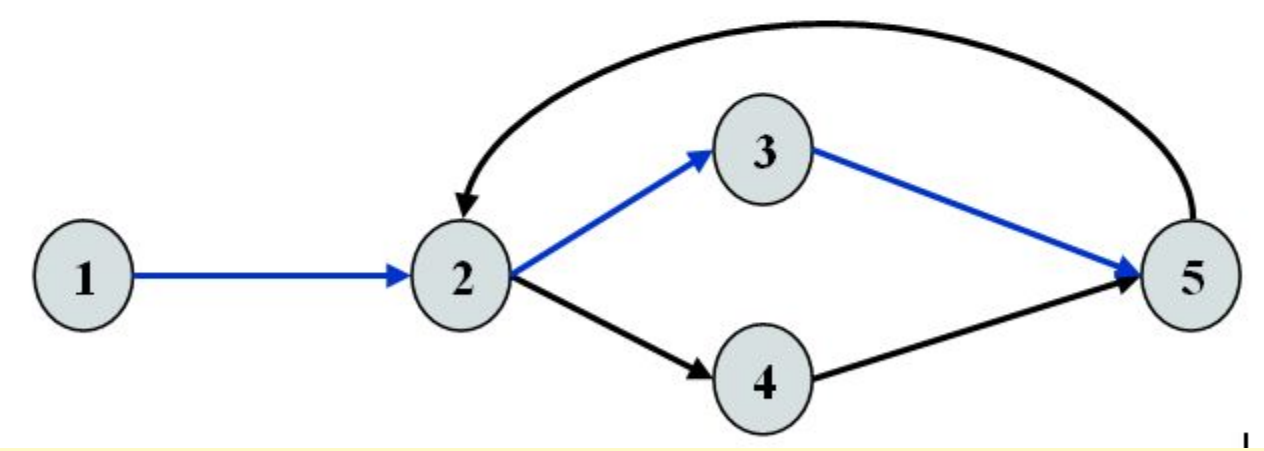


- Cyclomatic complexity, M = **E – N + 2P**
- E, edges = 7 (exclude: entry, exit arc)
- N, nodes = 6
- P, connected components = 1
- = 7 – 6 + (2x1)
- = 3

Path Base Testing: Step 3

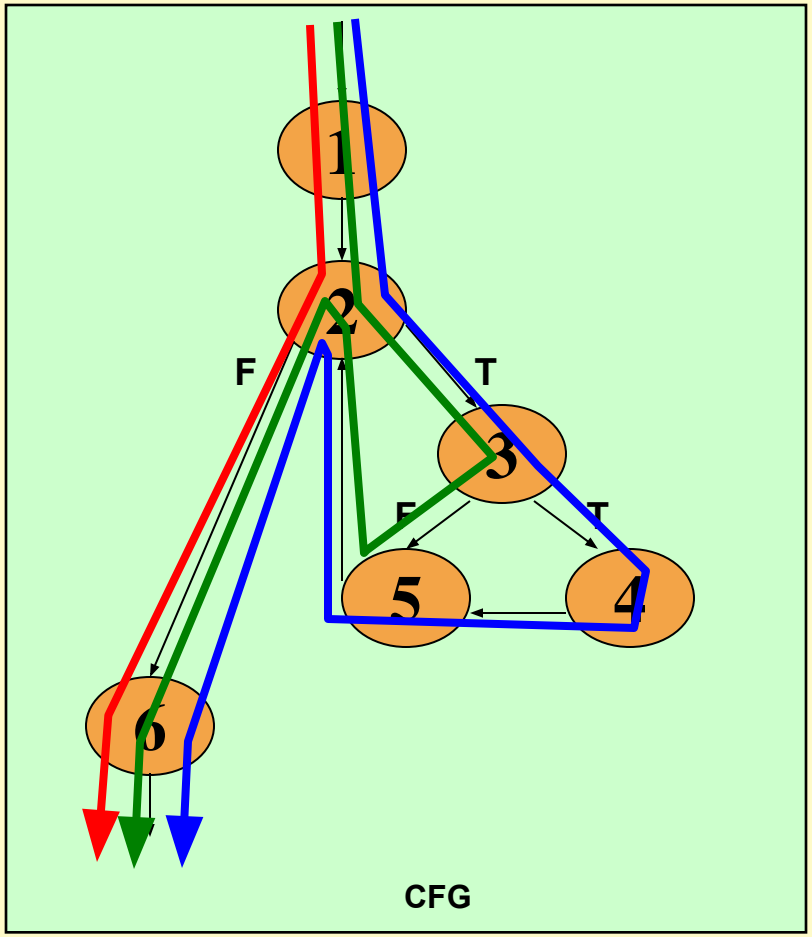
- Independent path:
  - An **executable** or **realizable path** through the graph from the start node to the end node that has not been traversed before.
  - **Must** move along **at least one arc** that has not been yet traversed (an unvisited arc).
  - The objective is to cover all statements in a program by independent paths.
- The number of independent paths to discover <= Cyclomatic complexity number, M
- The set of Independent paths is called **Basic Path Set**

Example



- M = Regions + 1 = 2 + 1 = 3
- 1-2-3-5 can be the first independent path; 1-2-4-5 is another; 1-2-3-5-2-4-5 is one more.
- Alternatively, if we had identified 1-2-3-5-2-4-5 as the first independent path, there would be no more independent paths.
- The number of independent paths therefore can vary according to the order we identify them.

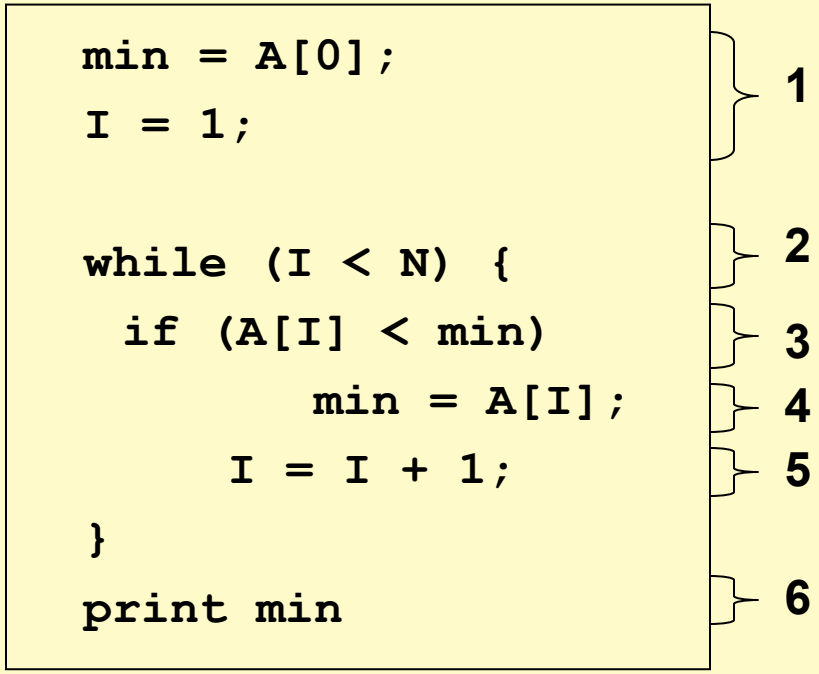
Path Base Testing: Step 3



- Cyclomatic complexity = 3.
- Need at most **3** independent paths to cover the CFG.
- In this example:
  - [1 – 2 – 6]
  - [1 – 2 – 3 – 5 – 2 – 6]
  - [1 – 2 – 3 – 4 – 5 – 2 – 6]

Path Base Testing: Step 4

- Prepare a test case for each independent path.
- In this example:
  - Path: [1 – 2 – 6]
    - Test Case: A = { 5, …}, N = 1
    - Expected Output: 5



Try to verify that the test cases actually force execution along a desired path.