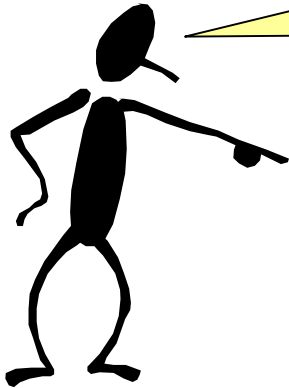


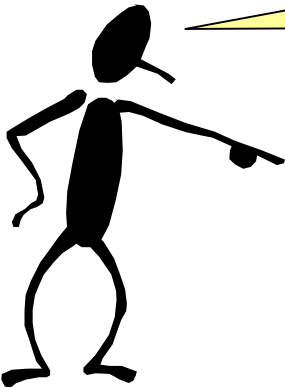
# CHAPTER 17: Inferential Control



**When I complete this chapter, I want to be able to do the following.**

- **Identify key aspects of conventional and inferential sensors**
- **Determine good applications of inferential sensors**
- **Determine how to evaluate potential inferential sensors**

# CHAPTER 17: Inferential Control



Outline of the lesson.

- **Conventional and inferential sensors**
- **An example for a flash process**
- **Inferential design criteria**
- **Distillation example**
- **Reactor example**
- **Special considerations for dynamics**

# CHAPTER 17: Inferential Control

## BASICS OF INFERENTIAL CONTROL

C ALL SENSORS ARE IN SOME SENSE INFERENTIAL

- ORIFICE  $\Delta P$  FOR FLOW
- THERMOCOUPLE mV for TEMPERATURE

C CONVENTIONAL SENSORS MEASURE "TRUE" PROCESS VARIABLE

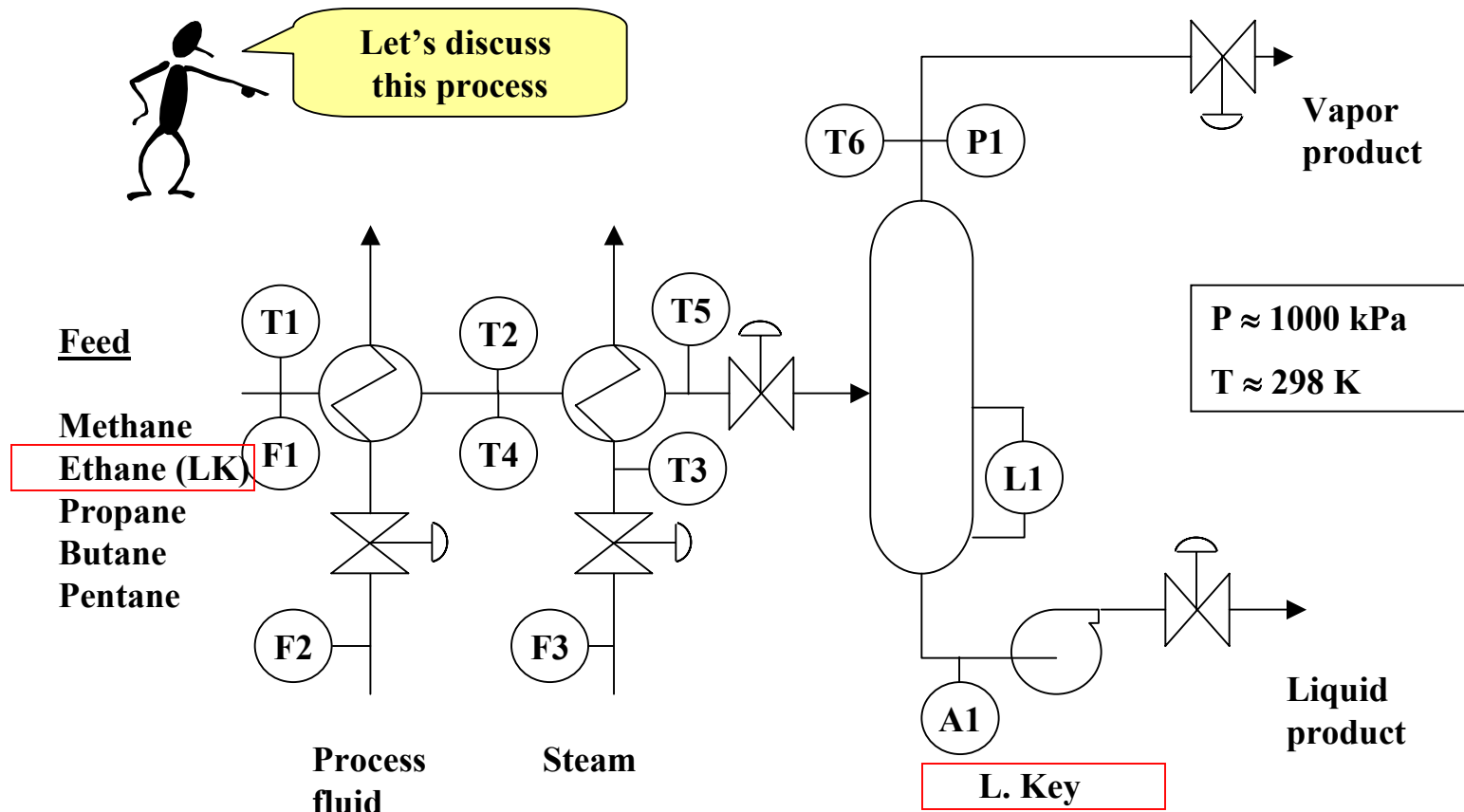
- REASONABLE ACCURACY & REPRODUCIBILITY
- LARGE RANGE W/ O CORRECTION
- NOT PROCESS SPECIFIC

C INFERENTIAL SENSORS

- PROCESS SPECIFIC
- LIMITED RANGE
- USUALLY PROVIDED POORER ACCURACY
- INFERENTIAL ADVANTAGES: FASTER RESPONSE, LOWER COST

## EXAMPLE: FLASH DRUM

true variable	= $x_e$	= liquid composition of ethane to be controlled at 10%" 2.0%
inferential variable	= $T$	= temperature
manipulated variable	=	= heating medium flow
disturbance	=	= feed composition (as subsequently defined)
<b>inferential relationship :</b>		<b><math>x_e = \alpha T + \beta</math></b>



# CHAPTER 17: Inferential Control

## INFERENCE VARIABLES FOR CONTROL

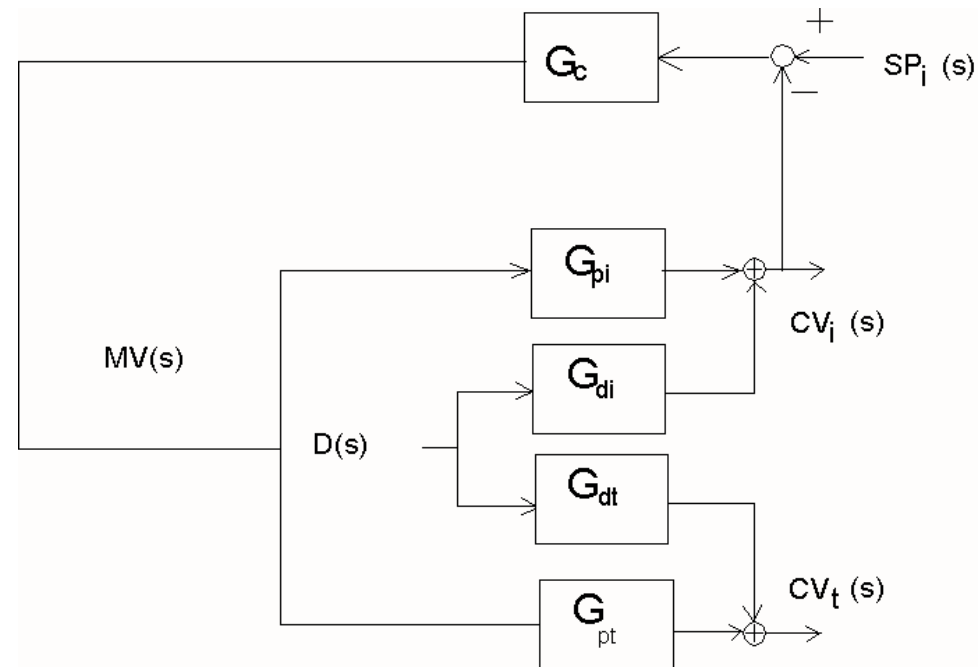
C  $CV_t$  = "TRUE" CONTROLLED VARIABLE

$CV_i$  = INFERENCE VARIABLE

C CONTROLLING  $CV_i$  TO ITS SET POINT DOES NOT GUARANTEE ZERO OFFSET FOR  $CV_t$

C WHAT CONDITION RESULTS IN ZERO OFFSET FOR  $CV_t$ ?

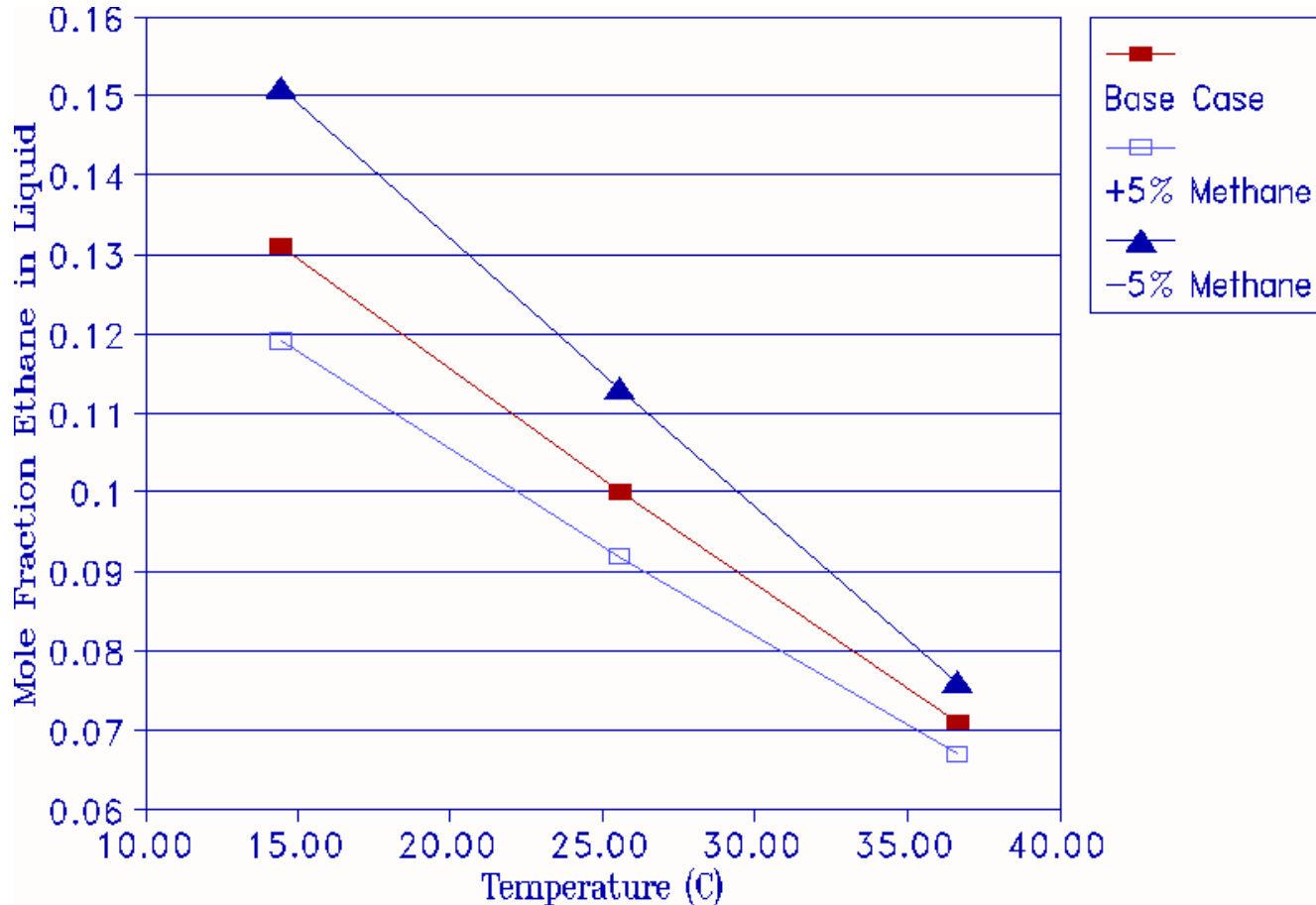
C WHAT CONTROL ENHANCEMENT WOULD YIELD ZERO OFFSET?



## STEADY-STATE EVALUATION OF INFERENTIAL VARIABLE

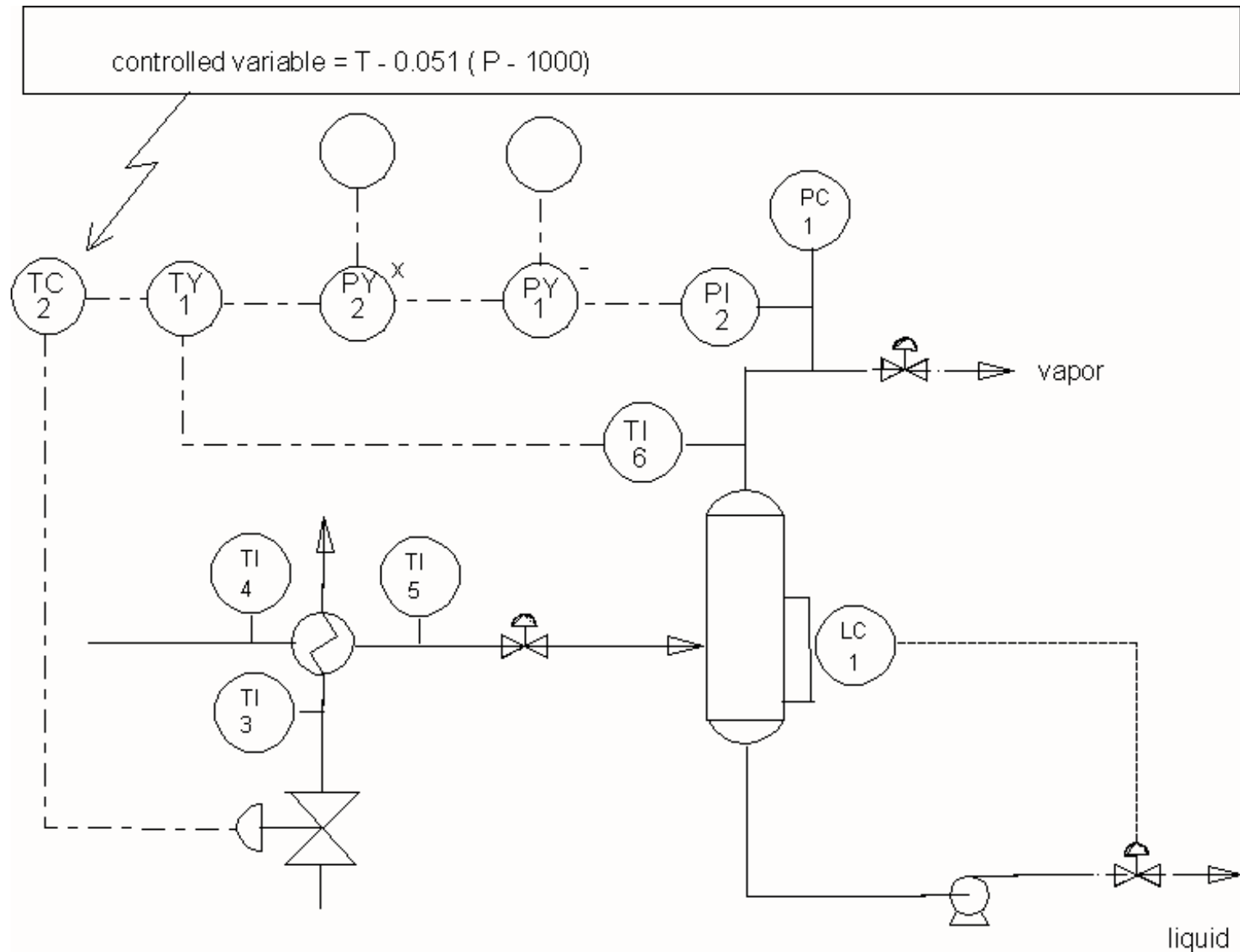
C CAN THE COMPOSITION BE MAINTAINED " 2% ?

C ASSUME TEMPERATURE CONTROL IS " 0.50 EC



The relationship between the flash temperature and the concentration of ethane in the liquid at the base case pressure (1000 kPa). Changes in methane are compensated by changes in butane of equal magnitude and opposite sign.

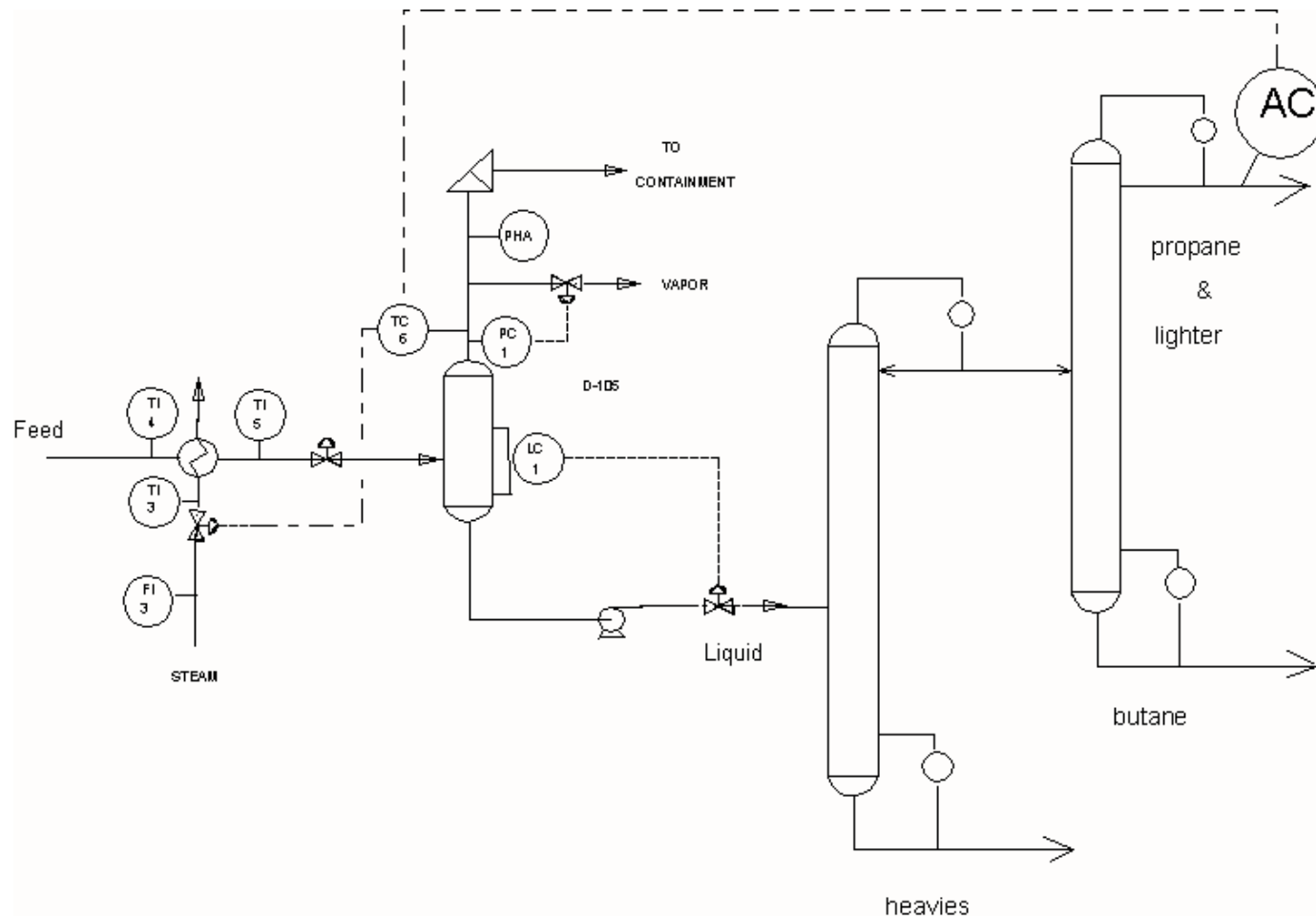
# Inferential variable when pressure changes



## CHAPTER 17: Inferential Control

# INFERENCE CONTROL WITH CASCADE RESET

- C FAST INFERENCE, SLOWER PRIMARY  
C ONE EXPENSIVE ANALYZER MEASURES TWO KEY VARIABLES





# INFERENCEAL CONTROL DESIGN CRITERIA

Table 17-2. Design Criteria For Inferential Control

## I. NECESSARY SITUATION

Measurement of the true controlled variable not available in a timely manner

- A) Not measured: on-stream sensor not possible
- B) Not measured: on-stream sensor too costly
- C) Unfavorable feedback dynamics: sensor has poor dynamics, e.g., long dead time or analysis time, or is located far downstream

## II. INFERENCEAL VARIABLE FEATURES

- A) Good relationship to true controlled variable for changes in the potential manipulated variable
- B) Relationship in (A) insensitive to changes in operating conditions, i.e., unmeasured disturbances, over their expected ranges
- C) Favorable dynamics for use in feedback control

## III. CORRECTION OF INFERENCEAL VARIABLE

- A) By primary controller in automated cascade design
- B) By plant operator manually based on periodic information
- C) When inferential variable is corrected frequently, the sensor for the inferential variable must provide good reproducibility, not necessarily accuracy

# CHAPTER 17: Inferential Control

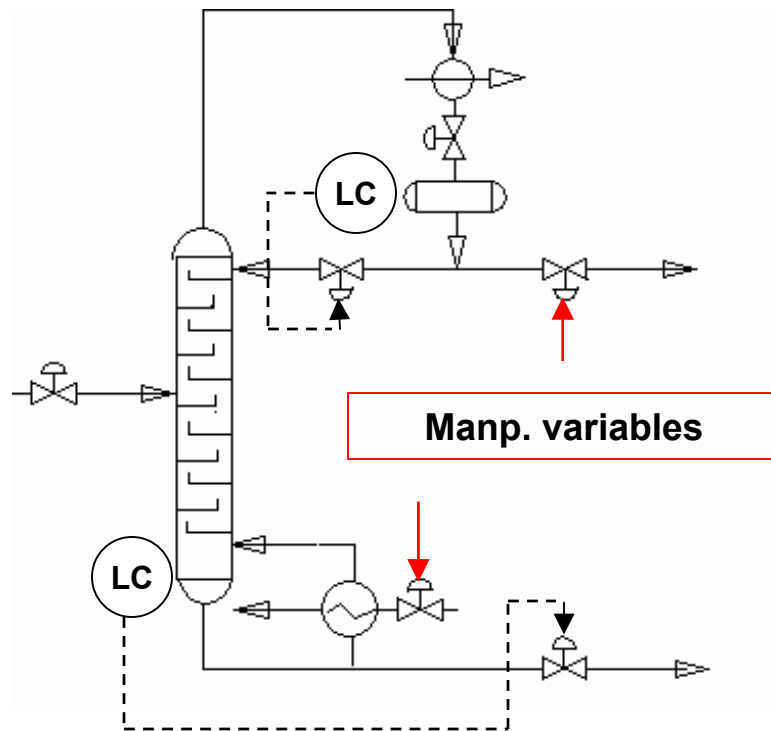
## EXAMPLE: DISTILLATION TRAY TEMPERATURE

true variable	=	$x_D$	= heavy key in distillate = .01 mole fraction
inferential variable	=	$T$	= tray temperature
manipulated variable	=		distillate flow rate
disturbances	=		reboiler duty, feed composition
parameters	=		tray efficiency, thermodynamics

inferential relationship:  $x_D = \alpha T + \beta$

Given the information in the temperature vs. tray no. figure, which is the best tray temperature?

Or, which temperature correlates best with  $x_d$  ?



## COLUMN DESIGN

COMPONENTS: BENZENE, TOLUENE, XYLENE

FEED COMPOSITION 10,45,45 MOLE %

TOWER DESIGN:

42 IDEAL TRAYS

FEED AT TRAY 21 FROM TOP

pressure = 1000 kPa

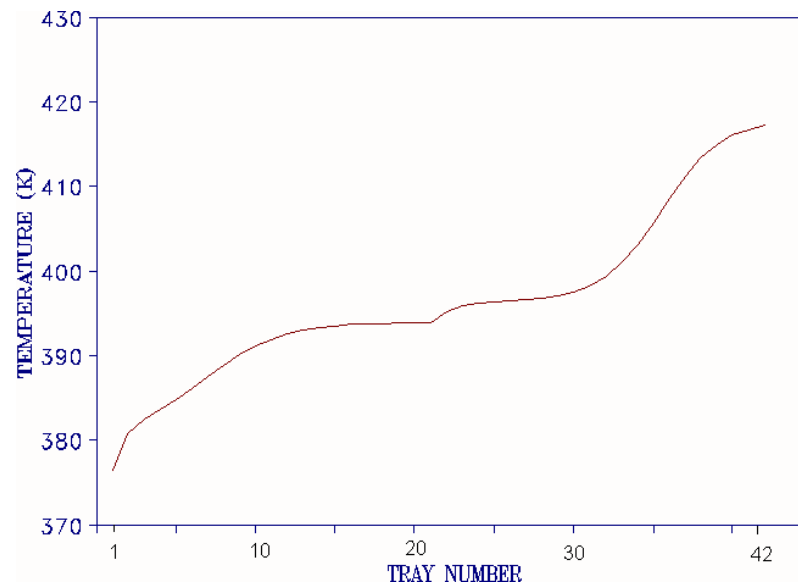
DISTILLATE/FEED= 0.55

REFLUX/DISTILLATE= 1.01

BASE CASE COMPOSITIONS , MOLE %

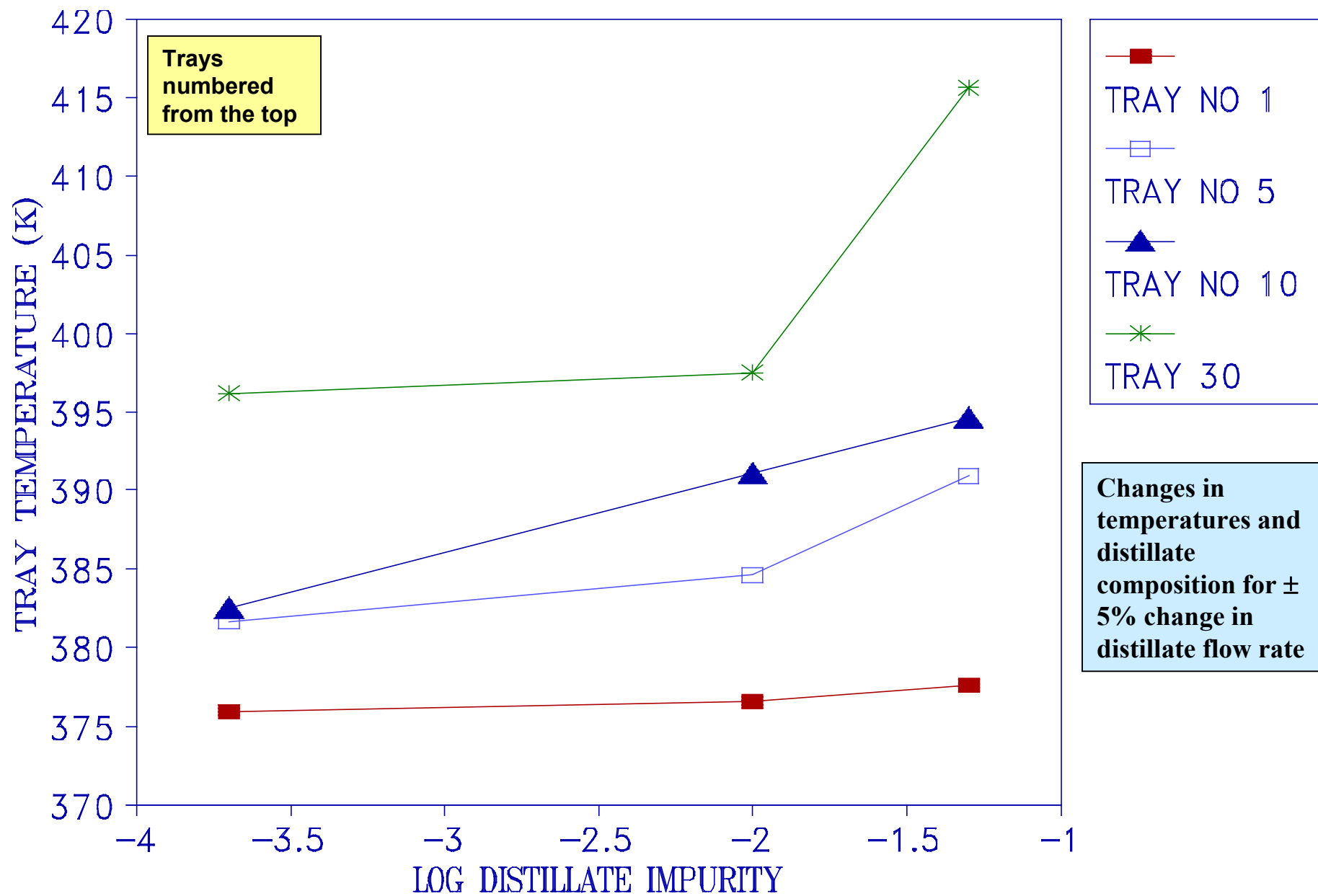
distillate 1% xylene

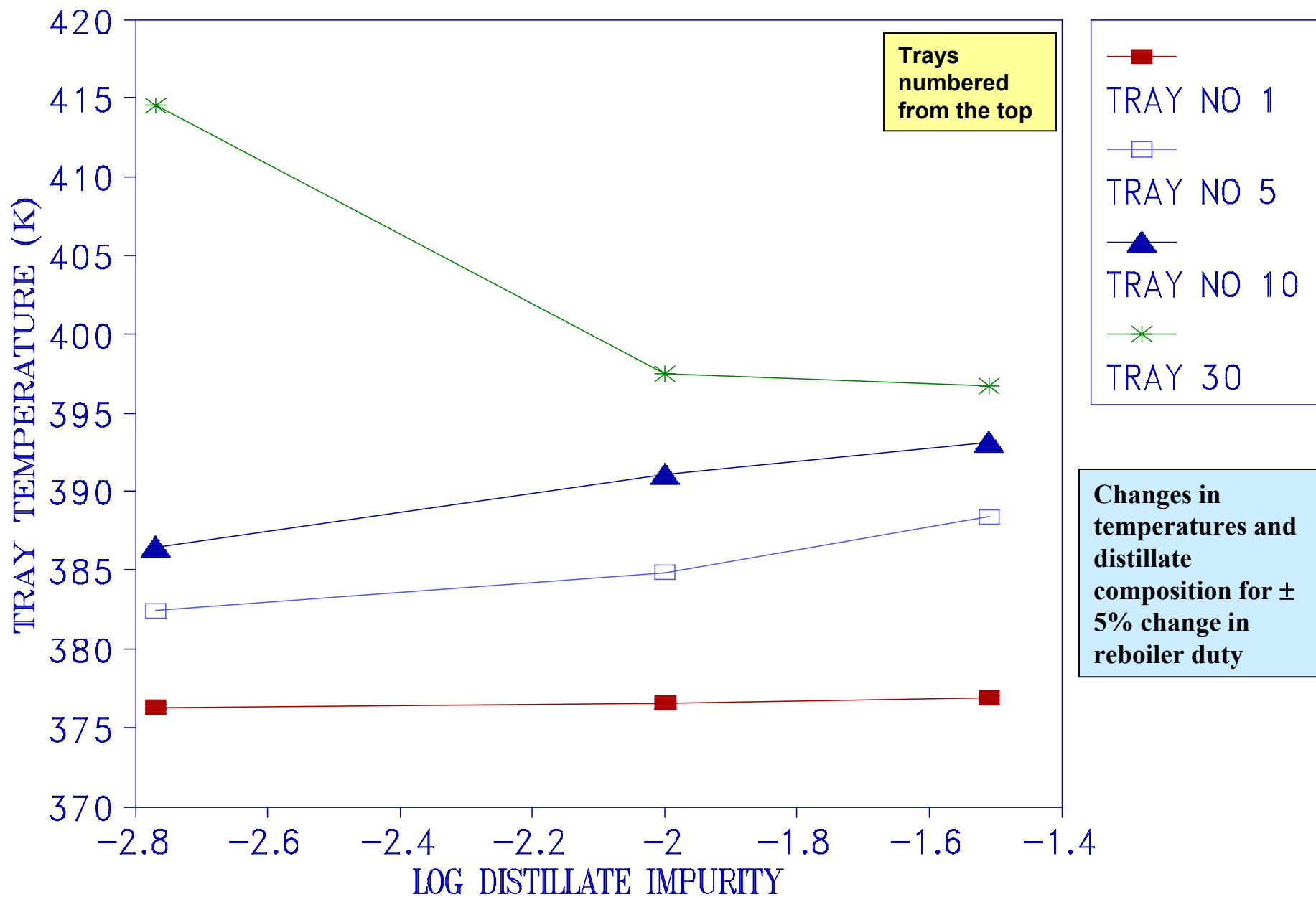
bottoms 2.4% toluene

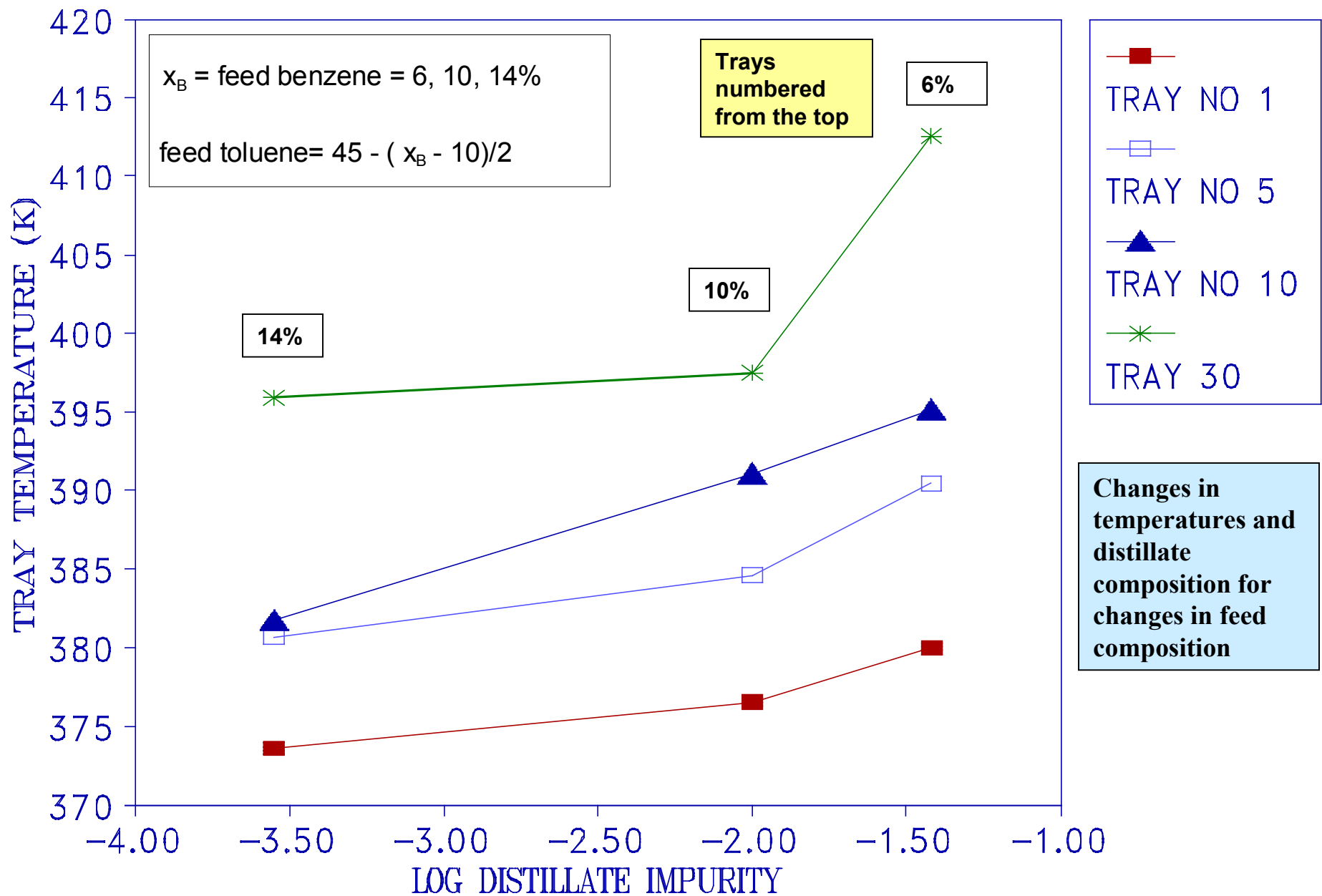


Trays  
numbered  
from the top

XD= fraction  
xylene

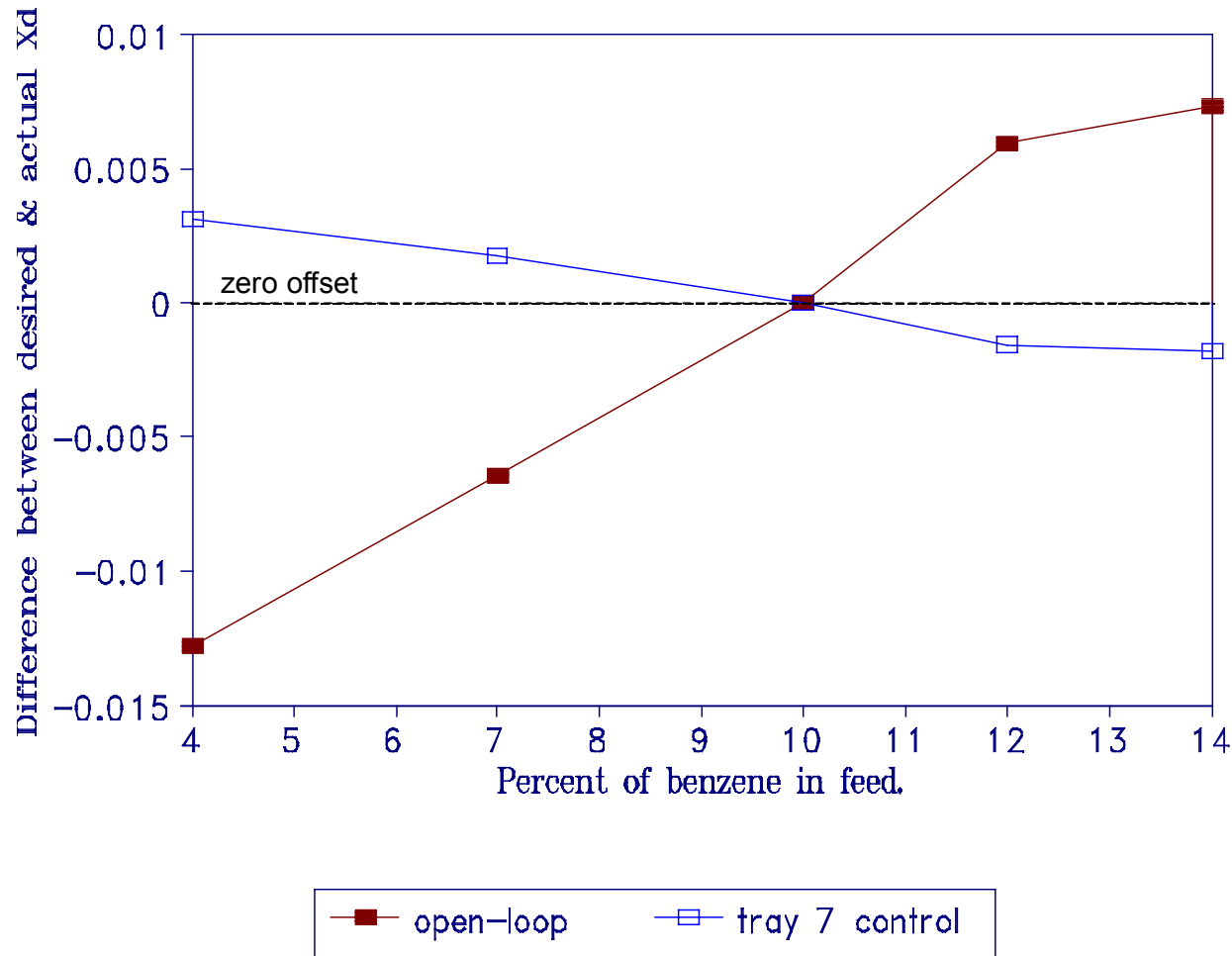




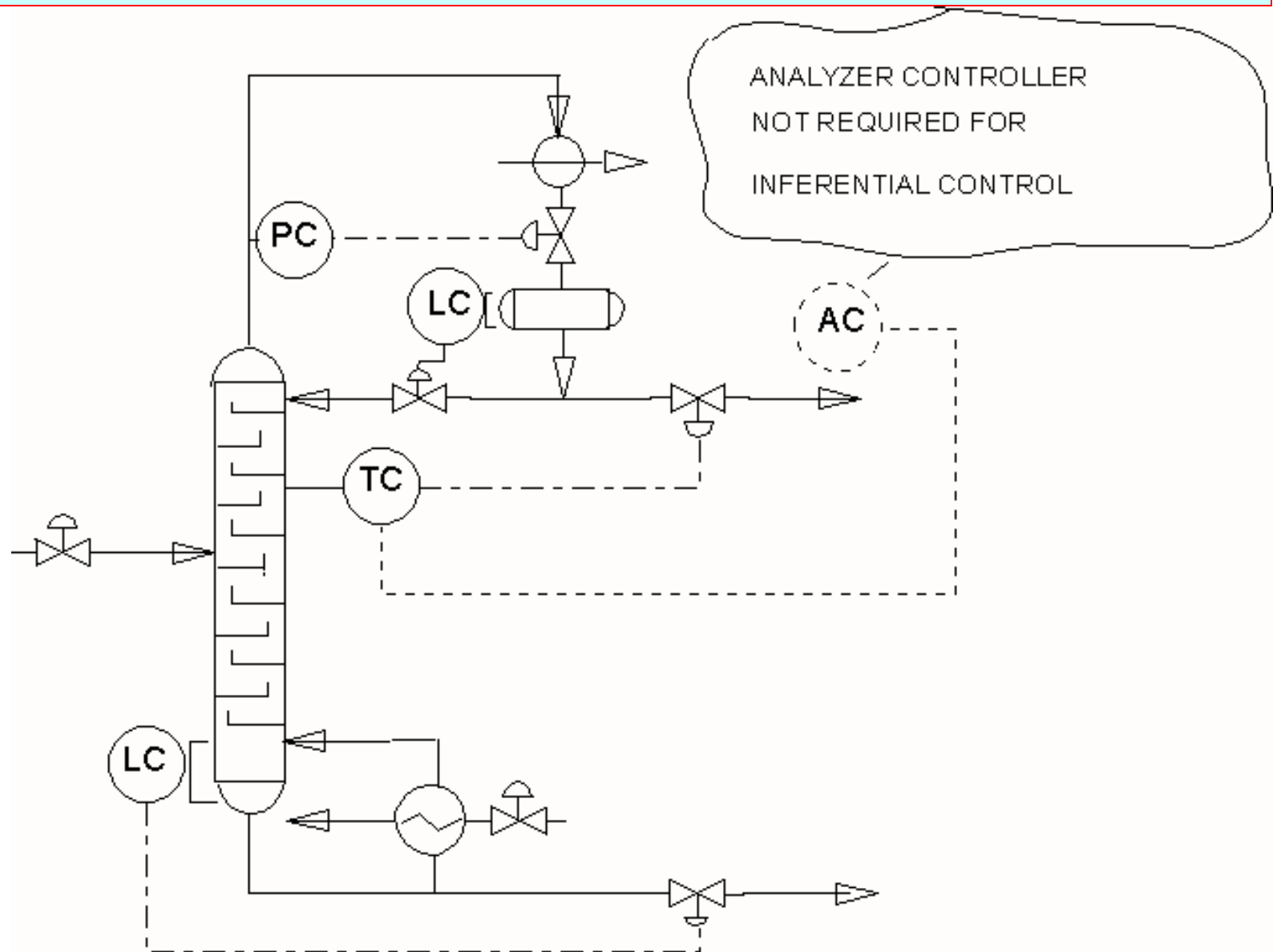


## IMPROVED PERFORMANCE VIA INFERENTIAL CONTROL

C MUCH REDUCED DEVIATION FROM DESIRED FOR FEED COMPOSITION DISTURBANCES



# CHAPTER 17: Inferential Control

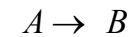
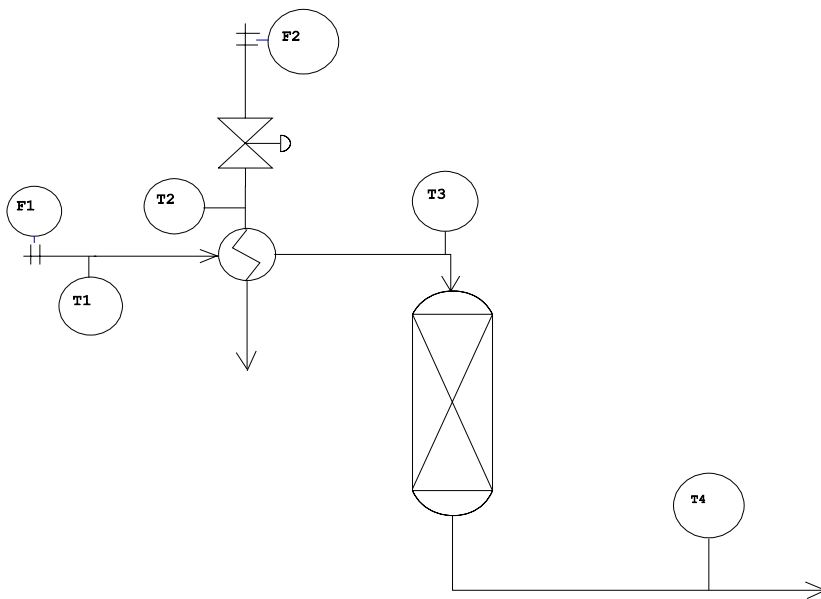




# CHAPTER 17: Inferential Control

## EXAMPLE: CHEMICAL REACTOR

### C WHAT IS A GOOD INFERENTIAL VARIABLE?



$$\Delta T = - \Delta H_{rxn} \frac{C_{Ain}}{\rho C_p} X_A = \frac{- \Delta H_{rxn}}{\rho C_p} \Delta C_A$$

$$\Delta T = T4 - T3$$

where

- $C_A$  = concentration of A,  
moles/ volume
- $\rho$  = density, mass/ volume
- $C_p$  = heat capacity, energy/ (EC\*mass)
- $\Delta H_{rxn}$  = heat of reaction, energy/ mole
- $X_A$  = fraction of feed reacted  
 $= (C_{Ain} - C_{Aout}) / C_{Ain} = \Delta C_A / C_{Ain}$

## REACTOR INFERENCE: DYNAMIC RESPONSE

C      WOULD YOU EXPECT GOOD PERFORMANCE FROM THIS FEEDBACK SYSTEM?

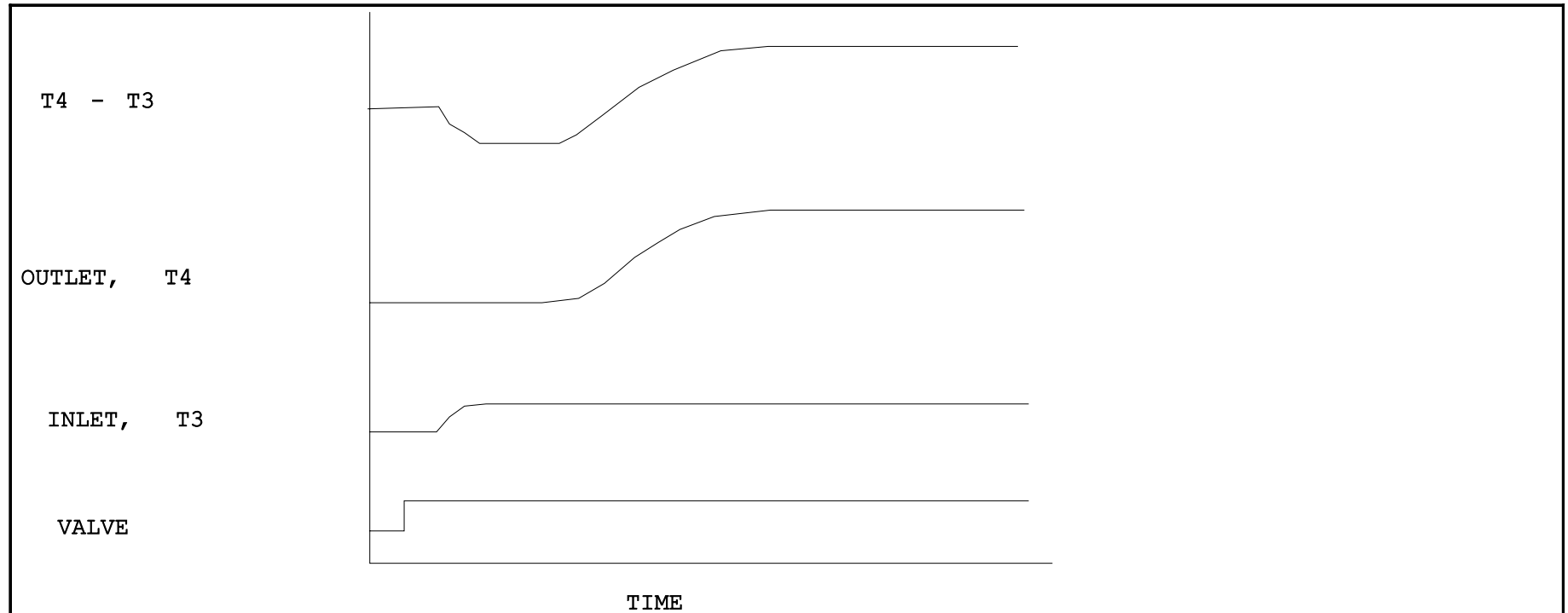


Figure 17-14. Plot of key variables for packed bed reactor inferential control. Note the significant inverse response of the instantaneous temperature difference.

C      WHAT IF WE WANTED TO INFER B/ C, WHEN A6B and A6C ?