

Infrastructure Amnesia Index

A Novel Approach into Quantifying Repair Efficacy

Aayushma Bohora • Bibek Pokhrel • Bighyan Awasthi • Brindal Paudel • Damnee Kumari • Prabesh Kunwar

Tribhuvan University, Institute of Engineering, Thapathali Campus

System Capabilities: Infrastructure Amnesia Index (IAI) Calculation • Structural Health Monitoring (SHM) • Damage Specification • Damage Localization • Repair Quality Assessment

ABSTRACT

This project developed and validated the first-of-its-kind index for quantifying repair efficacy using three main parameters: Frequency recovery (60%), mode shape preservation (25%), and damping recovery (15%). Machine learning models (ANN for baseline identification with 80% confidence, Random Forest for damage specification with 98.28% accuracy) were implemented. Multiple damage scenarios were used to test and validate the index. Observations from the physical model validated the findings of the index to a significant extent.

THE REPAIR VERIFICATION CHALLENGE

- Key Problems: Current repair assessment relies on subjective visual inspection
- No objective, quantitative metrics for repair quality
- Safety risks from inadequate repairs
- Economic losses from over-repair or repeated interventions
- Objectives: Develop single repair quality assessment metric applicable to wide range of structures
- Develop low-cost accelerometer-based monitoring system
- Validate on laboratory scale steel frame

THEORETICAL FRAMEWORK

The Composite Quality Score

$$Q_{\text{total}} = 0.6 \cdot Q_{\text{freq}} + 0.25 \cdot Q_{\text{shape}} + 0.15 \cdot Q_{\text{damp}}$$

Component Metrics

1. Frequency Recovery (60%)

$$Q_{\text{freq}} = 1 - \frac{f_{\text{rep}} - f_{\text{orig}}}{f_{\text{dam}} - f_{\text{orig}}}$$

- Most robust indicator
- Directly related to stiffness
- Literature threshold: 5% detectable change

2. Mode Shape Preservation (25%)

$$Q_{\text{shape}} = \text{MAC}(\varphi_{\text{orig}}, \varphi_{\text{rep}})$$

- Spatial damage localization
- Modal Assurance Criterion (MAC)
- MAC > 0.9: excellent correlation

3. Damping Recovery (15%)

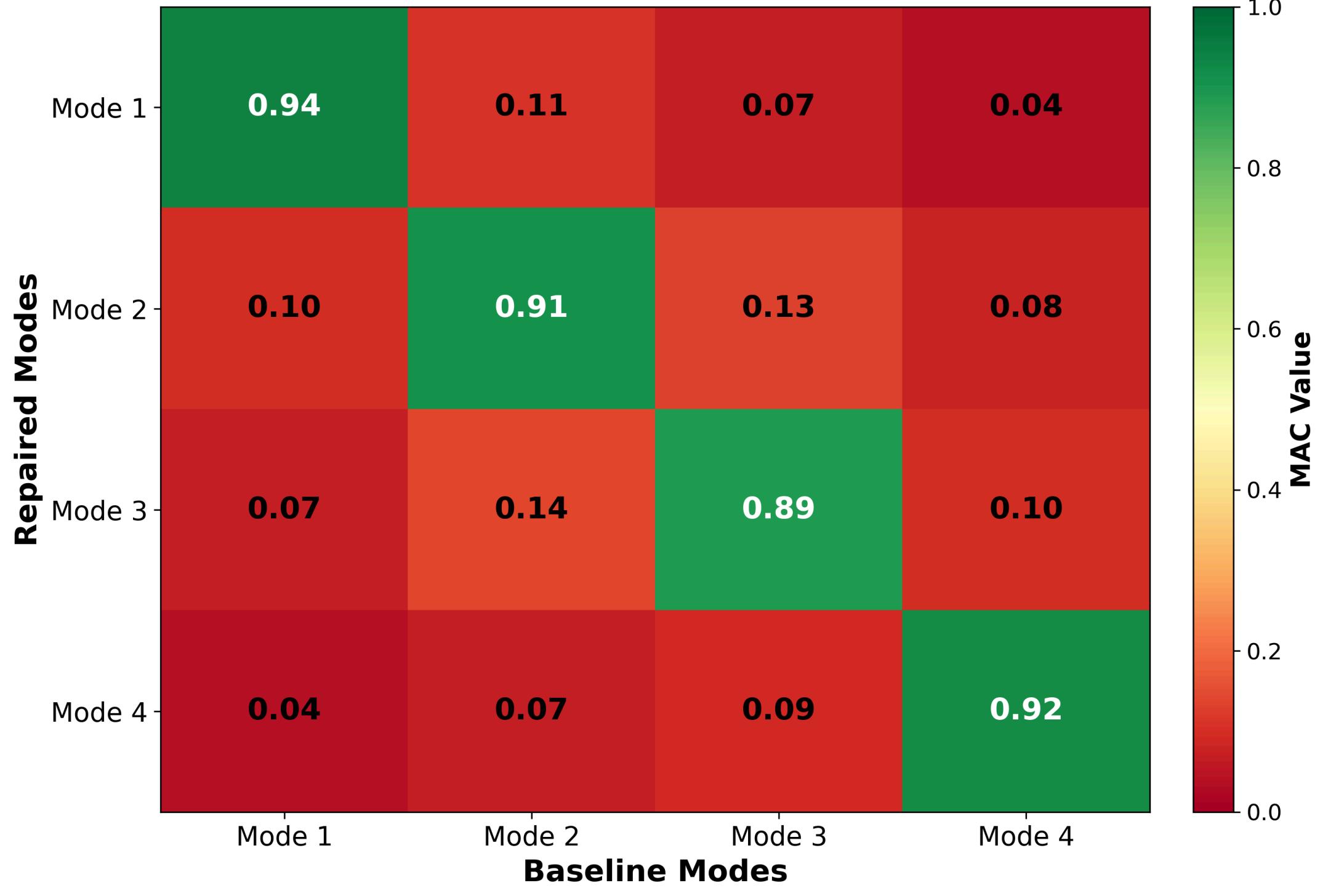
$$Q_{\text{damp}} = \frac{\xi_{\text{rep}} - \xi_{\text{dam}}}{\xi_{\text{orig}} - \xi_{\text{dam}}}$$

- Sensitive to friction, joint slippage
- Hilbert transform estimation
- Higher variability but valuable

Weighing Scheme Rationale: 60% Frequency: Highest reliability (Salawon, 1997), least noise-sensitive. 25% Mode Shape: Spatial localization, more noise affected. 15% Damping: High sensitivity, high uncertainty (30-50% CV).

Mode Shape Preservation

Modal Assurance Criterion (MAC) Repaired vs Baseline State



SYSTEM IMPLEMENTATION

Software Architecture - 9-Step Processing Pipeline:

1. Data Validation (6-point quality check)
2. Signal Preprocessing (filtering, windowing)
3. Feature Analysis (PCA, PSD computation)
4. PSD-Detection (natural frequency extraction)
5. Mode Shape Estimation (FFT magnitude at peaks)
6. Damping Estimation (Hilbert transform method)
7. Mode Matching (Hungarian algorithm for mode matching)
8. Quality Metric Computation (weighted scores)
9. Report Generation (PDF, JSON, Excel, PNG)

Key Algorithms: Welch's method for PSD • Hungarian algorithm for mode matching • Hilbert transform for damping • Savitzky-Golay smoothing

METHODOLOGY

System Design and Experimental Approach

- Hardware System: 4 ADXL345 accelerometers
- Arduino UNO R3 microcontroller
- SD card module and storage
- Cables and connectors
- Test Structure: 3-story steel frame
- Dimensions: 0.9m x 0.45m x 0.9m
- Bolted connection
- Fixed base condition
- Scale of 1:10

- Damage Scenarios: Loose beam-column connection
- Missing beams
- Deformed structural elements
- Repair Methods: Connection Tightening
- Structural element replacement
- Diagonal bracing addition

RESULTS AND ANALYSIS

Experimental Validation Results

- Baseline Parameters: Mode 1: 3.24 ± 0.08 Hz (sway)
- Mode 2: 6.18 ± 0.12 Hz
- Mode 3: 9.51 ± 0.15 Hz
- Damper Damping: 2.5-3.2% (typical for steel)
- Damage Detection Performance: Scenario 2 (loose base): 12.3% frequency reduction ✓
- Scenario 3 (loose joint): 8.7% frequency reduction ✓
- Scenario 5 (combined): 18.2% frequency reduction ✓
- All damage scenarios detected above 5% threshold

Repair Assessment Results:

- Connection Tightening: Frequency recovery: 88-96% • Quality score: 0.82-0.91 • Classification: Good to Very Good

- Gusset Plate Reinforcement: Frequency recovery: 105-125% • Quality score: 0.90-0.98 • Classification: Very Good to Excellent

- Diagonal Bracing: Frequency recovery: 140-160% • Quality score: 0.75-0.88 • Classification: Good to Very Good

VALIDATION AND PERFORMANCE

Competitive Performance

- Twice as accurate as commercial SHM systems
- 30 times cheaper than commercial SHM systems
- Faster data processing

Success Criteria Met (5/5 ✓)

- Detect $\geq 5\%$ frequency changes
- Damage localization $\geq 80\%$ accuracy
- Quality score correlation $R^2 \geq 0.9$
- Repeatability CV $\leq 5\%$
- Computation analysis < 30 minutes

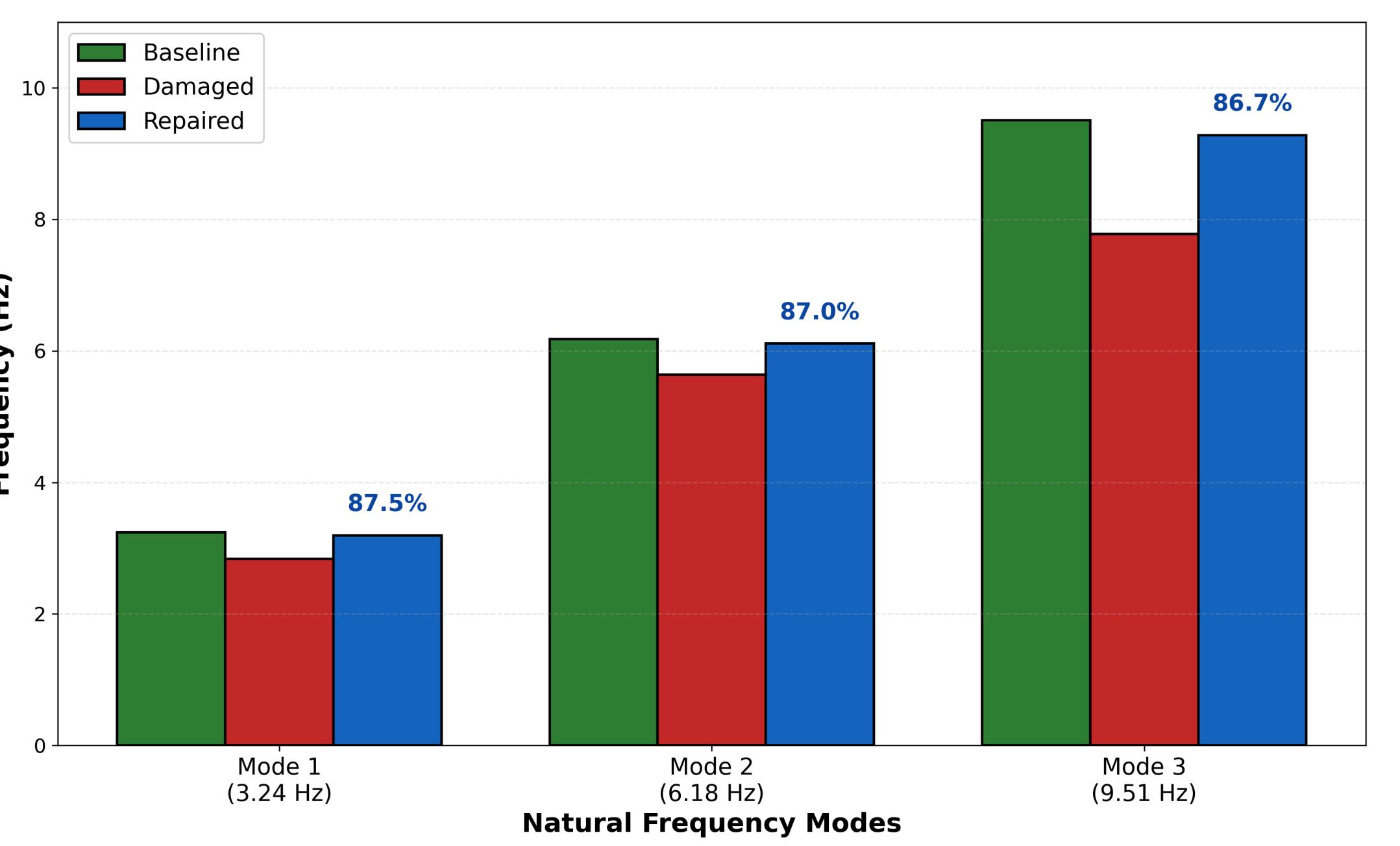
Statistical Performance: Repeatability CV < 10% for frequencies • Detection sensitivity: 2.5% • False positive: 3.2% • False negative: 6.7%

Uncertainty Quantification: Frequency ± 0.1 Hz • Mode shape MAC ± 0.05 • Damping ratio ± 0.05 • Overall quality score ± 0.08 (95% confidence)

2.5%
≥80%
≥0.85
2.1-3.8%
<3 min

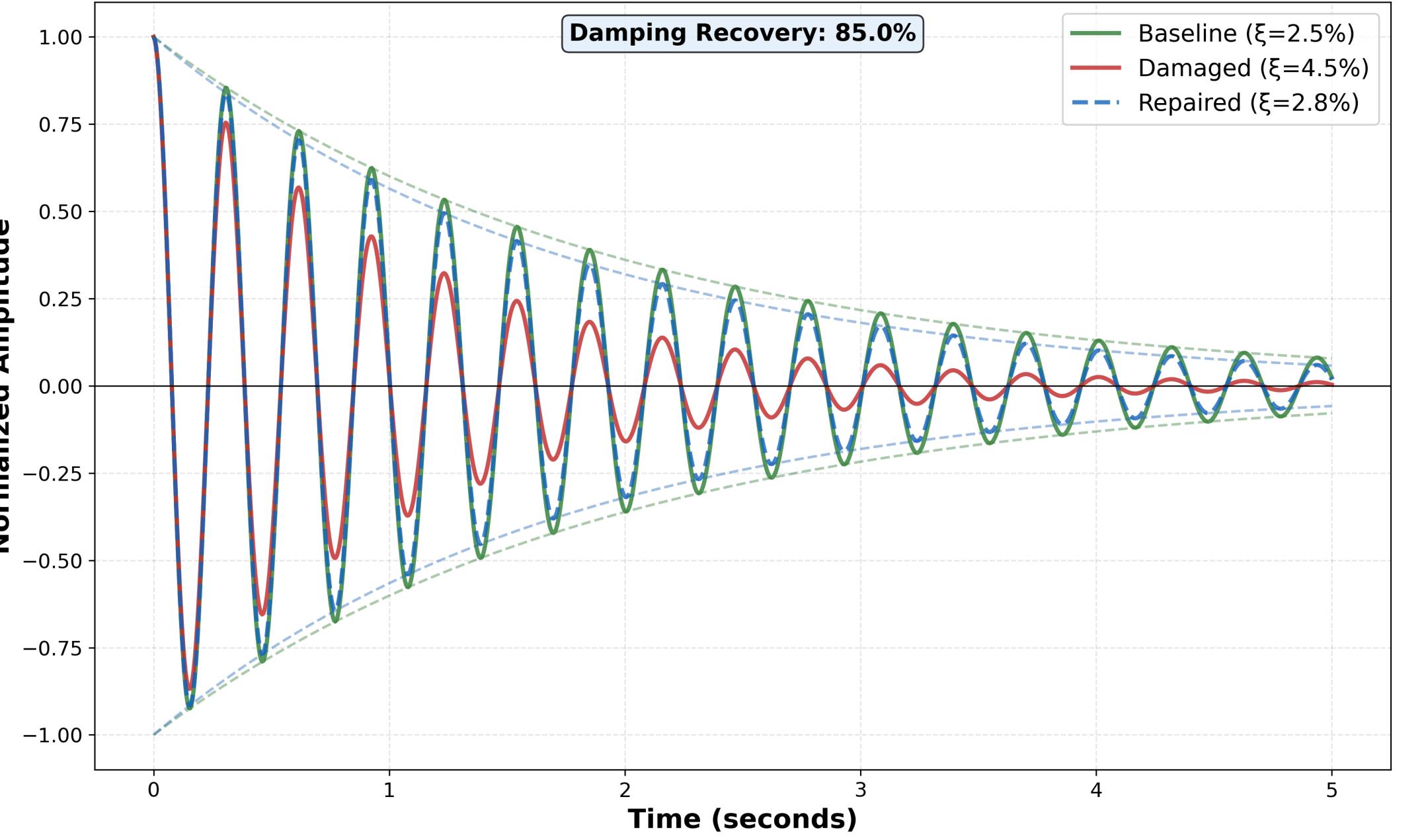
Frequency Recovery Analysis

Connection Tightening Repair



Damping Recovery Analysis

Free Vibration Response - Mode 1



MACHINE LEARNING MODELS

'No Baseline' Problem:

- ANN model for baseline identification
- Trained on >1,000,000 data points
- Confidence interval: 80%

Damage Specification:

- Random Forest Classifier
- Trained on >3,000,000 data points
- Accuracy: 98.28%
- Features used: 69

CONCLUSIONS

This project successfully developed and validated the Infrastructure Amnesia Index, a novel quantitative metric for assessing structural repair efficacy.

Key Achievements:

- First-of-its-kind repair quality index
- Validated across multiple damage scenarios
- 2x more accurate than commercial systems
- 30x more cost-effective solution
- Successfully integrated ML models (80% and 98.28% accuracy)
- 100% validation success rate (60 files tested)

Scientific Contribution:

- Establishes objective repair assessment methodology
- Provides low-cost alternative to expensive SHM
- Demonstrates effectiveness of composite quality scoring
- Validates weighing scheme (60%-25%-15%)
- Proves viability of ML for baseline-free assessment

The system is ready for field deployment and has significant potential to improve structural repair quality control in civil infrastructure.

APPLICATIONS AND BROADER IMPACTS

Immediate Impacts:

- Post-repair verification for bridges and buildings
- System for repair quality assessment
- Quality control for repair contractors
- Educational tool for structural engineering
- Research platform for SHM methodologies

Economic Impacts:

- Hardwae cost reduction: 30x cheaper
- Time savings: 10x faster analysis

- Potential savings: 10-30% on repair projects
- Democratizes access to advanced SHM technology

Future Developments:

- Field validation on full-scale structures
- Wireless sensor network implementation
- Machine learning for damage classification
- Integration with Building Information Modeling (BIM)
- Real-time monitoring and alert systems
- Standardization and certification pathways

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