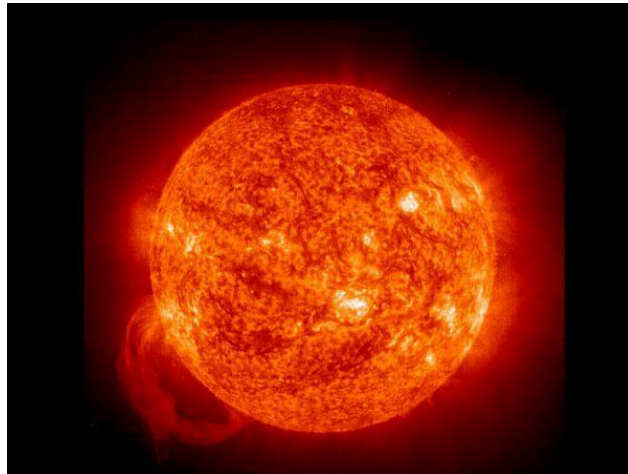


**ASTR 300B – Fall 2024**  
**Due: Thurs. Sept. 5**

3. Assume that the Sun radiates with luminosity  $L$ . Let  $R$  be the radius of the Sun, let  $F$  be the flux emerging from the surface of the Sun, and let  $f$  be the flux observed at a distance  $D$  away from the Sun.

- (a) Derive an expression for how  $f$  depends on  $D$ ? HINT: assume no energy is lost between the surface of the Sun and a sphere, centered on the Sun, with a radius of  $D$ .
- (b) Derive a formula for the average surface brightness,  $B$ , of the Sun. It is defined as the observed flux at a distance  $D$  divided by the observed solid angle of the Sun from a distance  $D$  ( $B = f/\Omega$ ). Assume  $D \gg R$ .
- (c) What are the (cgs) units of  $B$  and therefore which photometric quantity (i.e. power, flux, intensity) is  $B$  really equal to? Also, how does the surface brightness of the Sun depend on  $D$ ? This result is ***fundamental*** to why we use this photometric quantity in radiative transfer calculations.



4. Consider the following problems with a constant (isotropic) specific intensity.

- (a) Assume that a spherical object radiates isotropically with specific intensity  $= I$ . Calculate the flux emerging from the surface of the object. This flux is sometimes called the “astrophysical flux” or emergent flux. Remember this result - it comes up a lot.
- (b) Now assume you are at the center of an isotropic radiation field with specific intensity  $= I$  that surrounds you in all directions. Calculate the flux passing through the center. HINT: Does it matter how you orient  $dA$ ?