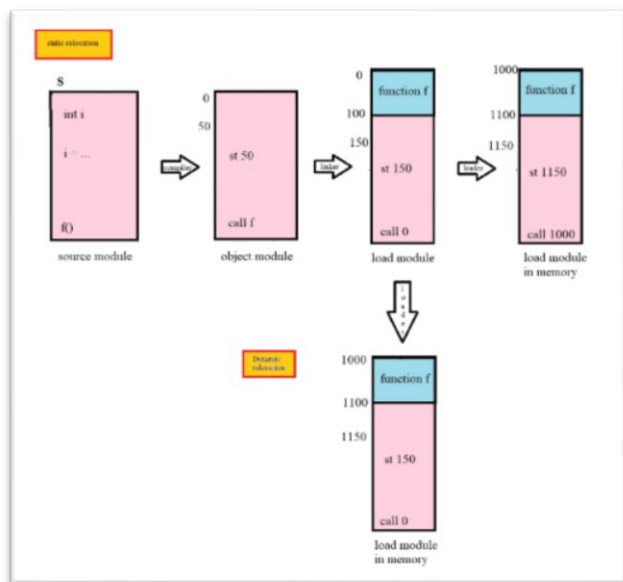




Benjamín Aage B. Birgisson

Exercise 6.1.1:

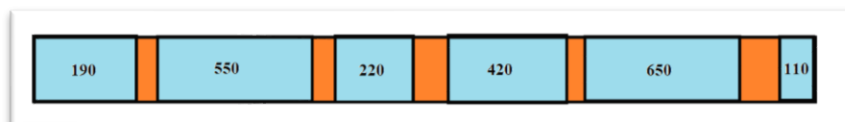
1. prior to loading
→ 50
2. after loading under static relocation
→ 150
3. after loading under dynamic relocation
→ 1150



Exercise 6.1.5:

(a)

Starting state:



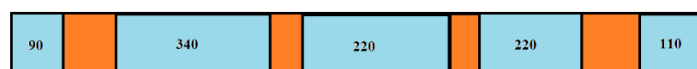
- First fit:

Block A (210) would go into hole 550

Block B (430) would then go into hole 650

Block C (100) would then go into hole 190

Block D (420) would then go into hole 420





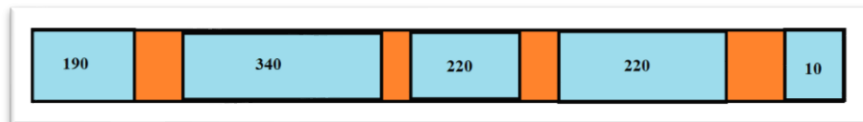
- Next fit:

Block A (210) would go into hole 550

Block B (430) would then go into hole 650

Block C (100) would then go into hole 110

Block D (420) would then go into hole 420



- Best fit:

Block A (210) would go into hole 220

Block B (430) would then go into hole 550

Block C (100) would then go into hole 110

Block D (420) would then go into hole 420



- Worst fit:

Block A (210) would go into hole 650

Block B (430) would then go into hole 550

Block C (100) would then go into hole 650 as well (after A being 440)

Block D (420) would then go into hole 420





Exercise 6.2.1:

(a)

- 18 MB converts to 18,432 KB (or holes/blocks).

One third of all memory partitions are holes, by the 50% rule.

Thereby, the total number of holes are $(18,432 * 0.33)$ 6,082.5 approximately, or 6 MB.

(b)

- 18 MB converts to 18,432 KB (or holes/blocks).

Two thirds all memory partitions are occupied blocks.

Thereby, the total number of occupied blocks are $(18,432 * 0.67)$ 12,349.5 approximately, or 12 MB

(c)

- 18 MB converts to 18,432 KB.

One thirds of all memory partitions are holes, by the 50% rule.

As there is originally available 18,432 KB in space, then the space occupied by holes should be $(18,432 * 0.3) = 6,082.5$ KB approximately, or 6 MB.

Exercise 6.2.3:

(a)

$$f = k / (k + 2)$$

f = fraction of space occupied by holes

k = ratio between average hole size and average block size

$$\text{Occupied block} = 2 * \text{hole} :$$

$$f = 0.5 / (0.5+2)$$

$$f = 0.5 / 2.5$$

$$f = 0.2$$

$$f = 20\%$$

(b)

$$f = k / (k + 2)$$

f = fraction of space occupied by holes

k = ratio between average hole size and average block size

$$\text{Hole} = 2 * \text{Occupied block} :$$

$$f = 2 / (2+2)$$

$$f = 2 / 4$$

$$f = 0.5$$

$$f = 50\%$$



Exercise 6.2.4:

(a)

- Memory size is 256 MB, which converts to 262,144 KB.

By the 50% rule, then space occupied by holes ($262,144 * 0.33$) is 86,507.5 MB, or the amount of holes, and space occupied by blocks ($262,144 * 0.67$) is 175,636.5 approximately, or the amount of blocks.

A 32-bit word equals 4 bytes (or 0.000001 MB).

Then $175,636.5 / 0.000001 = 175,636,500$ bytes * 10 ns = 1,756,365,000 ns or 1.7564 seconds.

Exercise 6.3.1:

(a)

4 pages

4096 words

64 frames (physical memory)

Size of logical address:

Size of address space is of the form 2^n , where n is the number of bits necessary to form addresses for the entire space.

The page size is of the form 2^k , where k is the number of bits needed to address every word on a page.

The remaining $n-k$ bits determine the number of pages, 2^{n-k} .

Number of pages: $n-k = 4$

Page size (bits): $k = 2$ bits

Address space: $n = 6$

→ 00,01,10,11 (4 pages)

→ $6(n) - 2(k) = 4(n-k)$

So the size of the logical address should then be 2^6 .

(b)

4 pages

4096 words

64 frames (physical memory)

Size of the physical address:

With m bits in the physical address, 2^m total physical addresses can be formed.

The frame size must be equal to the page size and thus k bits are needed to address every word within a frame.

The remaining $m-k$ bits determine the number of frames, 2^{m-k} .

Number of frames: $m-k = 64$

Frame size: $k = 2$

Physical space: $m - 2 = 64$ → $m = 66$ bits



Exercise 6.3.2:

(a)

- The page table size (# of pages).
 - A: For 512 words, we need 9 bits (address range [0:111111111]). With logical address size being 16, the offset w is 7 (page table size).
 - B: For 1024 words, we need 10 bits (address range [0:1111111111]). With logical address size being 16, the offset w is 6 (page table size).
 - C: For 512 words, we need 9 bits (address range [0:111111111]). With logical address size being 32, the offset w is 23 (page table size).
 - D: For 1024 words, we need 10 bits (address range [0:1111111111]). With logical address size being 32, the offset w is 22 (page table size).

- The size of the logical address space (# of words).

Size of logical address:

Size of address space is of the form 2^n , where n is the number of bits necessary to form addresses for the entire space.

The page size is of the form 2^k , where k is the number of bits needed to address every word on a page.

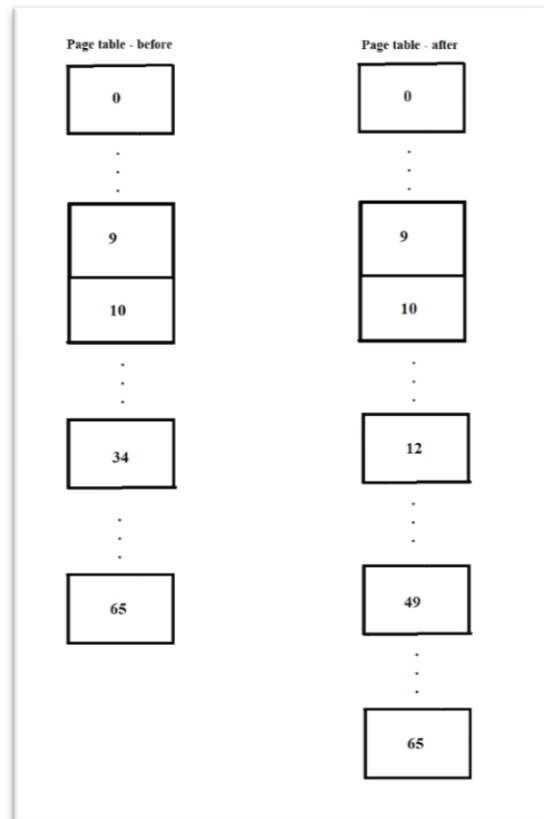
The remaining $n-k$ bits determine the number of pages, 2^{n-k} .

- A: $k = 9$, $n-k = 7$ → size of logical address space = 16
- B: $k = 10$, $n-k = 6$ → size of logical address space = 16
- C: $k = 9$, $n-k = 23$ → size of logical address space = 31
- D: $k = 10$, $n-k = 22$ → size of logical address space = 32



Exercise 6.3.3:

(a)



(b)

Logical address : (page number, offset within the page)

Higher order $n-k$ bits specify page number p

Lower order k bits specify offset w within page

Physical address : (frame number, offset within the frame)

Higher order $m-k$ bits specify frame number f

Lower order k bits specify offset w within frame

Given (p, w) , access page table entry p

Read frame number f

Combine f with the offset w to form (f, w)

→ The physical address corresponding to the logical address

We have 65 pages ($n-k$), according to given physical memory. Therefore, to specify the page numbers, we need 7 bits ($n-k$) to represent every page in



binary. So the offset, w , is therefore.... ?? and can then be allocated to the logical address in regards to the physical address and the offset:

<u>Physical address</u>	<u>Logical address</u>
4608	?
5119	?
5120	?
33300	?

Exercise 6.4.1:

(a)

Logical address 32 bits = n
 $K = 9$ bits (512 words)
 $w = n - k = 23$

(b)

Same as the size of w ?

$n = 32$ bits
 $k = 512$ words = 9 bits (11111 1111)
 $w = n - k \rightarrow 32 - 9 = 23$ pages

Exercise 6.4.4:

(a)

- Accessing memory m ns * (accessing TLB) / hit ratio
 $\rightarrow m * (m/10) / 0.5$